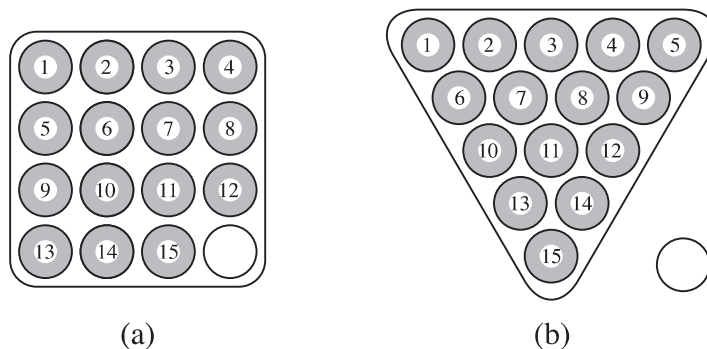


Problem G: Everyone out of the Pool

When you rent a table at a pool hall, the proprietor gives you a 4-by-4 tray of 16 balls, as shown in Figure (a) below. One of these balls, called the “cue ball”, is white, and the remaining 15 are numbered 1 through 15. At the beginning of a game, the numbered balls are racked up in a triangle (without the cue ball), as shown in Figure (b).



Now imagine other pool-like games where you have a cue ball and x numbered balls. You’d like to be able to rack up the x numbered balls in a triangle, and have all $x + 1$ balls perfectly fill a square m -by- m tray. For what values of x is this possible? In this problem you’ll be given an lower bound a and upper bound b , and asked how many numbers within this range have the above property.

Input

Input for each test case will one line containin two integers a b , where $0 < a < b \leq 10^9$. The line 0 0 will follow the last test case.

Output

For each test case one line of output as follows:

Case n : k

if there are k integers x such that $a < x + 1 < b$, x balls can be racked up in a triangle, and $x + 1$ balls fill a square tray.

Sample Input

```
15 17
14 16
1 20
0 0
```

Sample Output

```
Case 1: 1
Case 2: 0
Case 3: 2
```