## Physics 111 - Class 7A Force Applications

October 17, 2022

#### Class Outline

- Logistics / Announcements
- Mid-course Feedback Results
- Introduction to Chapter 6
- Clicker Questions
- Activity: Worked Problems

#### Logistics/Announcements

- Lab this week: Lab 4
- HW6 due this week on Thursday at 6 PM
- Learning Log 6 due on Saturday at 6 PM
- HW and LL deadlines have a 48 hour grace period
- Test/Bonus Test: Bonus Test 2 available this week (Chapters 3 & 4)
- Additional Student Hours from Tutorial TAs for more 1:1 help via Zoom

### Changes moving forward...

- Full worked solutions posted after class (Started in Week 5)
- Adjustment to Learning Logs
  - Question 2 will not be required (though I still encourage you to do it)
- Review HW problems in class
  - In Tutorials, I will ask Ishanka and Siddharth to do a quick poll before every tutorial and spend 5 minutes with the strategy on one HW problem
  - In class, I will try to give some hints on one HW problem (may not happen every week)

## Changes moving forward...

- More opportunities for 1:1 help: Three hours of additional time/week on Zoom
  - Siddharth (TA): Tuesdays 3:00 4:30 PM on Zoom
  - Ishanka (TA): Thursdays 2:00 3:30 on Zoom

Contact Us		
Team Member	Pronounce as Contact	Student Hours
Dr. Firas Moosvi (he/his/him); Instructor	Fur-az Contact via E Moose-vee Discussion	Wednesdays and Fridays 3:30-4:00 PM and 5:00 - 5:30 in COM 201
Siddharth Perera	Pronunciation Contact via E Discussion	d Tuesdays 3:00 - 4:30 on Zoom
Ishanka Banerjee	Pronunciation Contact via E	d Thursdays 2:00 - 3:30 on Zoom
Skyler Alderson	Pronunciation Contact via E Discussion	d N/A

#### Wednesday's Class

- 6.3 Centripetal Force
- 6.4 Drag force and Terminal Speed

# $\vec{\mathbf{r}}(t + \Delta t)$ $\mathbf{r}(t + \Delta t)$ $\vec{\mathbf{r}}(t)$ $\vec{\mathbf{v}}(t)$ $\vec{\mathbf{v}}(t + \Delta t)$ $\Delta \vec{\mathbf{v}}$ $\vec{\mathbf{v}}(t)$ $\vec{\mathbf{v}}(t)$ (a) (b)

Figure 4.18 (a) A particle is moving in a circle at a constant speed, with position and velocity vectors at times t and  $t + \Delta t$ . (b) Velocity vectors forming a triangle. The two triangles in the figure are similar. The vector  $\Delta \vec{\mathbf{v}}$  points toward the center of the circle in the limit  $\Delta t \to 0$ .

We can find the magnitude of the acceleration from

$$a = \lim_{\Delta t \to 0} \left( \frac{\Delta v}{\Delta t} \right) = \frac{v}{r} \left( \lim_{\Delta t \to 0} \frac{\Delta r}{\Delta t} \right) = \frac{v^2}{r}.$$

The direction of the acceleration can also be found by noting that as  $\Delta t$  and therefore  $\Delta \theta$  approach zero, the vector  $\Delta \vec{v}$  approaches a direction perpendicular to  $\vec{v}$ . In the limit  $\Delta t \to 0, \Delta \vec{v}$  is perpendicular to  $\vec{v}$ . Since  $\vec{v}$  is tangent to the circle, the acceleration  $d\vec{v}/dt$  points toward the center of the circle. Summarizing, a particle moving in a circle at a constant speed has an acceleration with magnitude

$$a_{\rm c} = \frac{v^2}{r}$$
.

4.27

#### Centripetal Motion

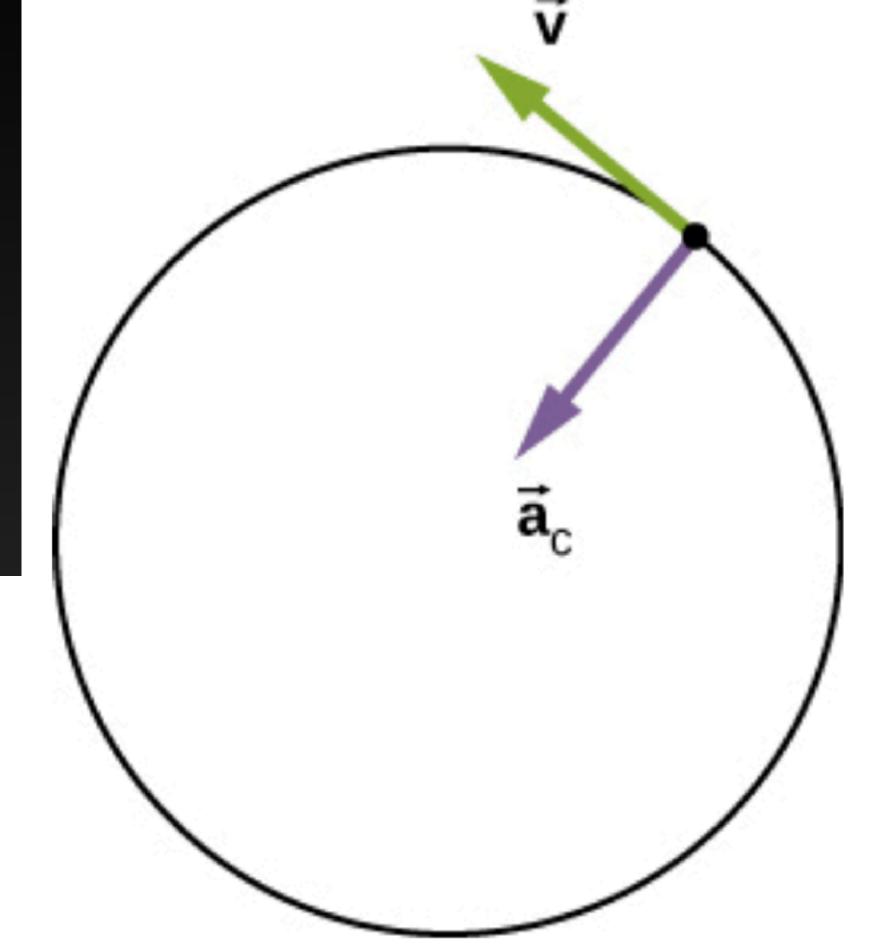


Figure 4.19 The centripetal acceleration vector points toward the center of the circular path of motion and is an acceleration in the radial direction. The velocity vector is also shown and is tangent to the circle.

#### Centripetal Motion

By substituting the expressions for centripetal acceleration  $a_c$  ( $a_c = \frac{v^2}{r}$ ;  $a_c = r\omega^2$ ), we get two expressions for the centripetal force  $F_c$  in terms of mass, velocity, angular velocity, and radius of curvature:

$$F_{\rm c} = m \frac{v^2}{r}; \quad F_{\rm c} = m r \omega^2.$$

6.6





#### Drag Force

#### **DRAG FORCE**

Drag force  $F_{
m D}$  is proportional to the square of the speed of the object. Mathematically,

$$F_{\rm D} = \frac{1}{2} C \, \rho \, A v^2,$$

where C is the drag coefficient, A is the area of the object facing the fluid, and  $\rho$  is the density of the fluid.

#### Drag Force

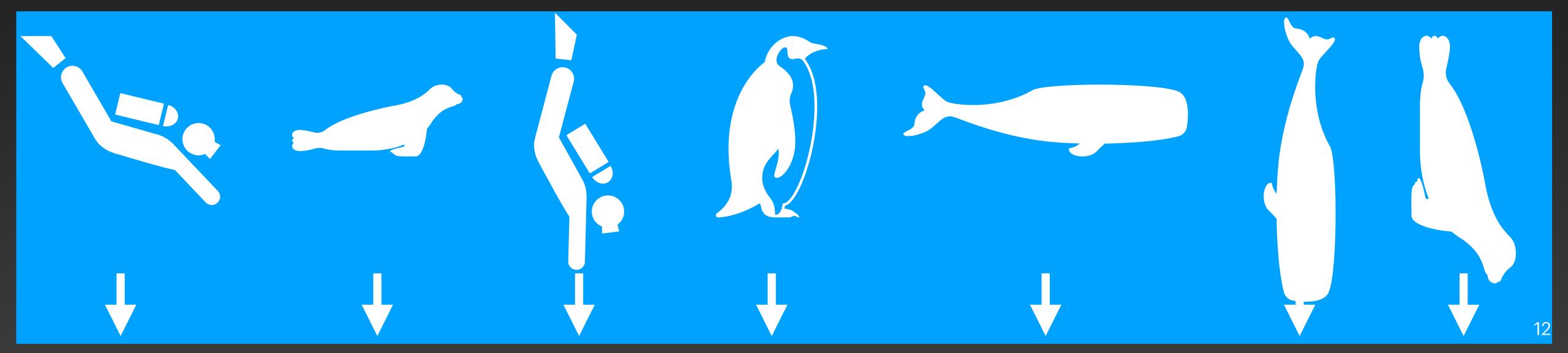
#### **DRAG FORCE**

Drag force  $F_{
m D}$  is proportional to the square of the speed of the object. Mathematically,

$$F_{\rm D} = \frac{1}{2} C \, \rho \, A v^2,$$

where C is the drag coefficient, A is the area of the object facing the fluid, and  $\rho$  is the density of the fluid.

#### Rank the drag force on these specimens from highest (1) to lowest (7)



## Terminal Velocity



### Terminal Velocity

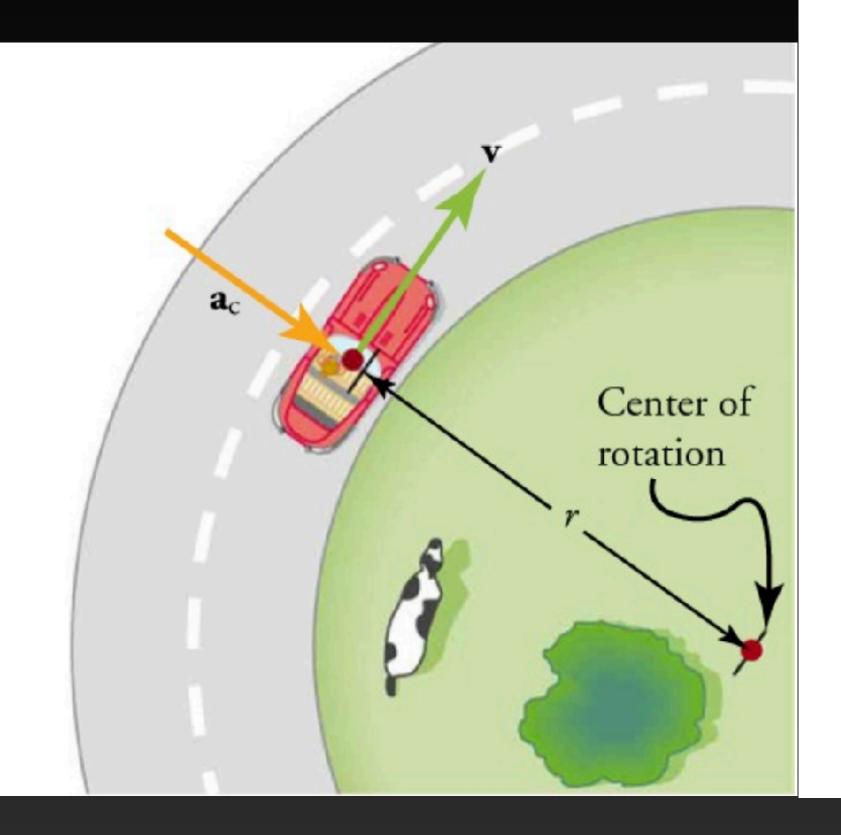
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#### Key Equations

Magnitude of static friction	$f_{\rm s} \leq \mu_{\rm s} N$
Magnitude of kinetic friction	$f_k = \mu_k N$
Centripetal force	$F_{\rm c} = m \frac{v^2}{r}$ or $F_{\rm c} = m r \omega^2$
Ideal angle of a banked curve	$\tan\theta = \frac{v^2}{rg}$
Drag force	$F_D = \frac{1}{2} C \rho A v^2$
Stokes' law	$F_{\rm s}=6\pi r\eta v$

#### Clicker Questions



A car follows a curve of radius  $500 \,\mathrm{m}$  at a speed of  $25.0 \,\mathrm{m/s}$  (about  $90 \,\mathrm{km/h}$ ). What is the magnitude of the car's centripetal acceleration? Compare the centripetal acceleration for this fairly gentle curve taken at highway speed with acceleration due to gravity g.

The centripetal acceleration is  $0.1\,\mathrm{m/s}$  and is  $0.1\,\mathrm{times}$  the acceleration due to gravity.

b) The centripetal acceleration is  $1.25\,\mathrm{m/s^2}$  and is  $0.1\,\mathrm{times}$  the acceleration due to gravity.

c) The centripetal acceleration is  $0.1 \, \text{m/s}$  and is  $0.01 \, \text{times}$  the acceleration due to gravity.

d) The centripetal acceleration is  $1.25\,\mathrm{m/s^2}$  and is 0.01 times the acceleration due to gravity.

Is an object in uniform circular motion accelerating? Why or why not?

- a) Yes, because the velocity is not constant.
- b) No, because the velocity is not constant.
- c) Yes, because the velocity is constant.
- d) No, because the velocity is constant.

An object is in uniform circular motion. Suppose the centripetal force was removed. In which direction would the object now travel?

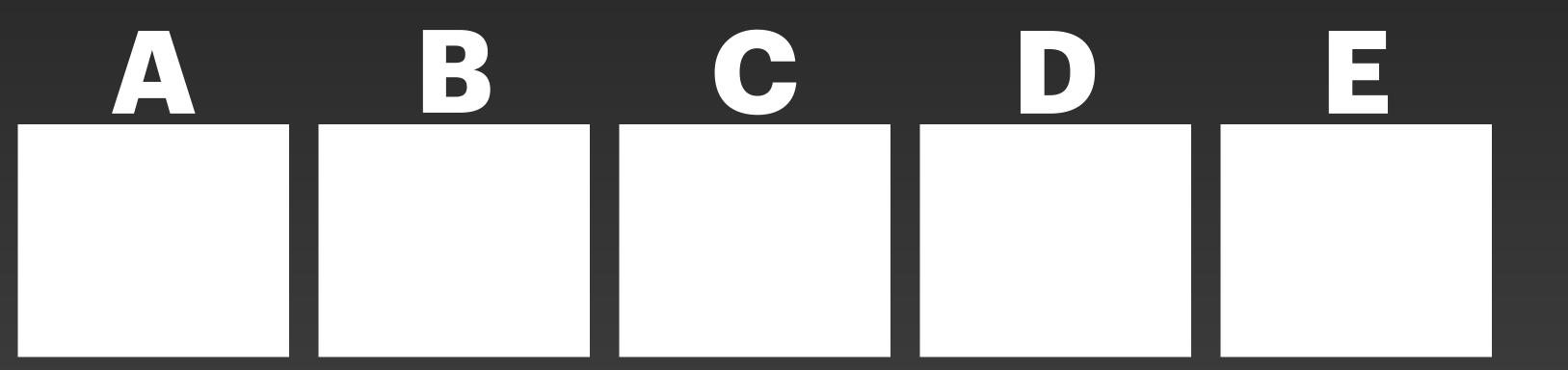
- a) in the direction of the centripetal force
- b) in the direction opposite to the direction of the centripetal force
- c) in the direction of the tangential velocity
- d) in the direction opposite to the direction of the tangential velocity

A 50 kg bicyclist starts his ride down the road with an acceleration of 1m/s<sup>2</sup> in air with a density of 1.2 kg/m<sup>3</sup>. If his velocity at a given moment is 2m/s, how much force is he exerting? Assume the area of his body is 0.5m<sup>2</sup>.

- a) The bicyclist is exerting 1.1 N of force.
- b) The bicyclist is exerting 49 N of force.
- c) The bicyclist is exerting 50 N of force.
- d) The bicyclist is exerting 51 N of force.

A 2.20 kg toy plane takes off with an acceleration of 3.30 m/s<sup>2</sup>. The engine supplies a force of 8.15 N. Determine the magnitude of drag force acting on the plane as it accelerates.

- a) 7.26 N
- b) 15.4 N
- c) 0.89 N
- d) 0.0 N

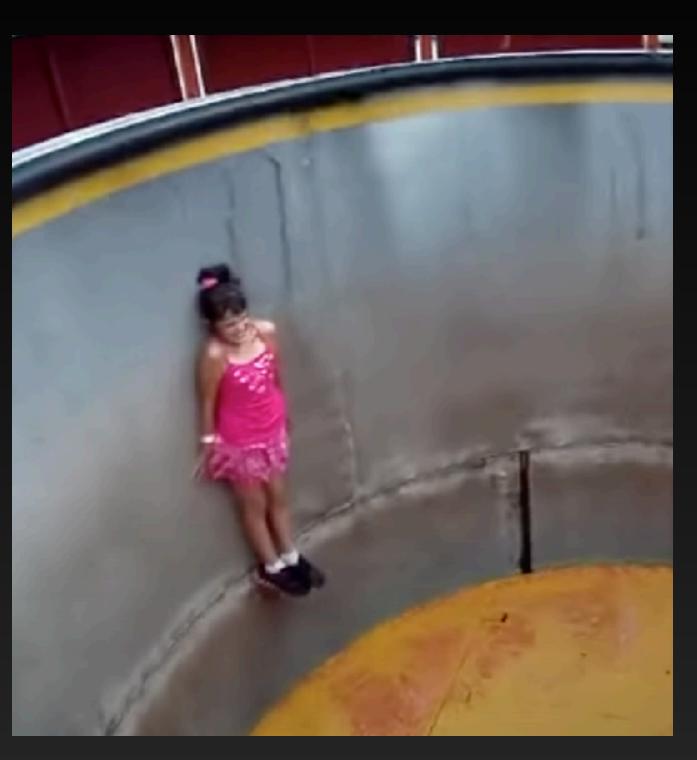


## Activity: Worked Problems

#### WP 7.3 - Rotor Ride: Friction & Centripetal Motion



#### WP 7.3 - Rotor Ride: Friction & Centripetal Motion



## WP 7.3

#### See you next class!

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