

Welcome to “Computer Organization and Design Logic”

**CS 64: Computer Organization and Design Logic
Lecture #1
Winter 2018**

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A Word About Registration for CS64

FOR THOSE OF YOU NOT YET REGISTERED:

- This class is currently **FULL**
- No one else is getting into this class, unless others drop it... ☹
 - If you want to add this class, see me after lecture
 - I will resolve all reg.s by NO LATER THAN *tomorrow*

Your Instructor

Your instructor: **Ziad Matni**

(zee-ahd mat-knee)

Email: ***zmatni@cs.ucsb.edu***

(please put **CS64** at the start of the
subject header – I teach 2 other
classes!!!)

My office hours: Mondays **12:00 PM – 1:00 PM**, at **SMSS 4409**
(or by appointment)

Your TAs

All labs will take place in **PHELPS 3525**
All TA office hours will take place in “Open Lab” Time in **PHELPS 3525**

LAB TAs

Bay-Yuan Hsu

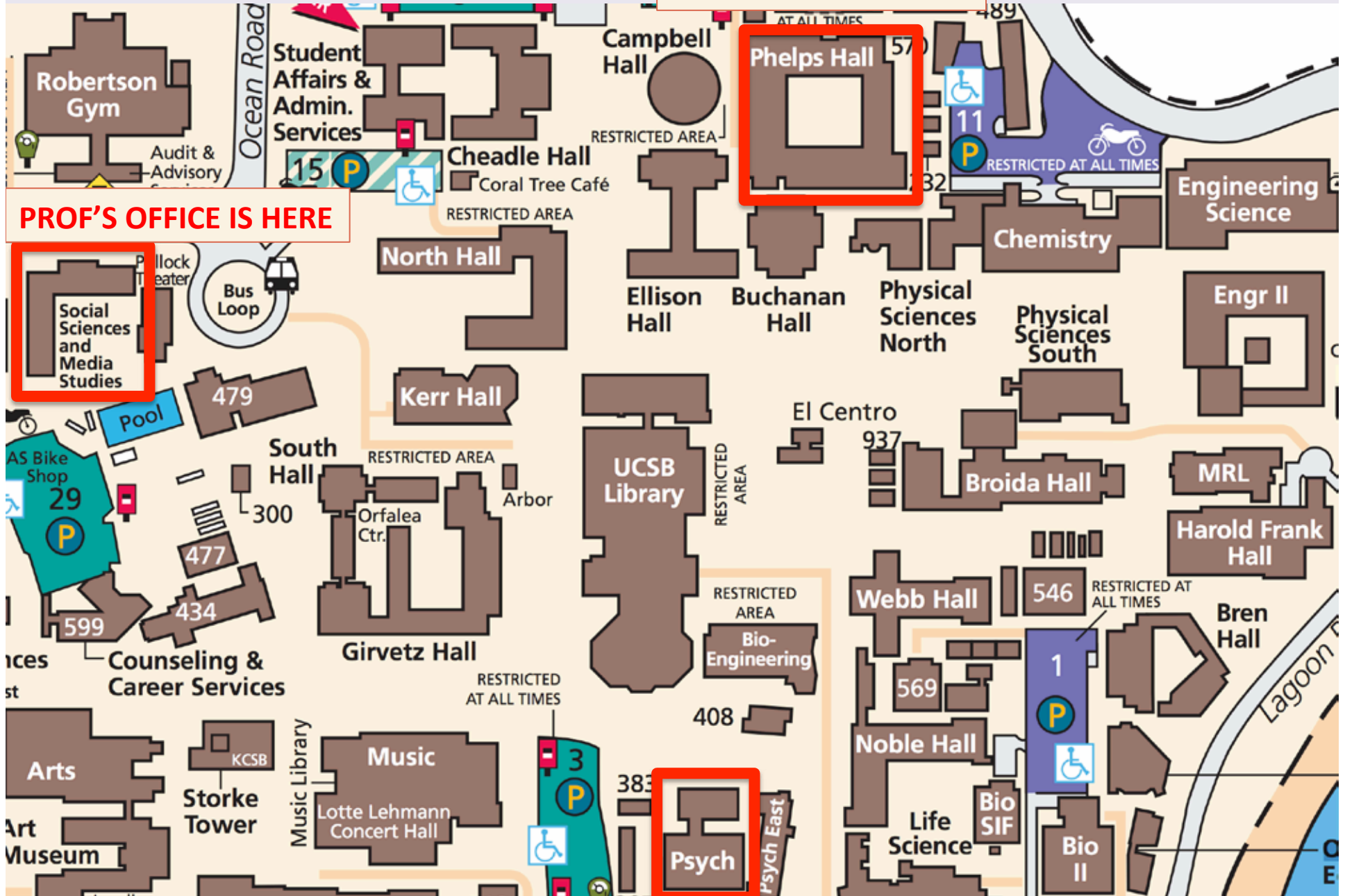
Fatih Bakir

GRADER

Zimu Yang

YOUR LABS ARE HERE

PROF'S OFFICE IS HERE



4/3/18

YOUR LECTURES ARE HERE

You!

With a show of hands, tell me... how many of you...

- A. Are Freshmen? Sophomores? Juniors? Seniors?
- B. Are CS majors? Other?
- C. Know: C, C++, Java, Python, JavaScript, PERL, Bash programming?
- D. Have NOT used a Linux or UNIX system before?
- E. Have *seen* actual “assembly code” before?
- F. *Programmed* in assembly before?
- G. Written/seen code for *firmware*?
- H. Understand basic binary logic (i.e. OR, AND, NOT)?
- I. Designed a digital circuit before?

This Class

- This is an **introductory** course in **low-level programming** and **computer hardware**.
 - Two separate but very intertwined areas
- What happens between your C/C++/Java/Python command:
int a = 3, b = 4, c = a + b;
and the actual “***digital mechanisms***” in the CPU that process this “simple” command?
- This class will move *fast* – so please prepare accordingly.

Lecture Etiquette!

- I need you INVOLVED and ACTIVE!
- **Phones OFF!** and laptops/tablets are for **NOTES** only
 - No tweeting, texting, FB-ing, surfing, gaming, Snapchatting, spitting, etc.!
 - I will ask you to leave class if you do not follow this policy. Especially if you are disrupting others.
- To succeed in this class, you need to take thorough notes
 - I'll provide my slides, but not class notes
 - Studies show that *written* notes are *superior* to typing them into a laptop!

Class Website

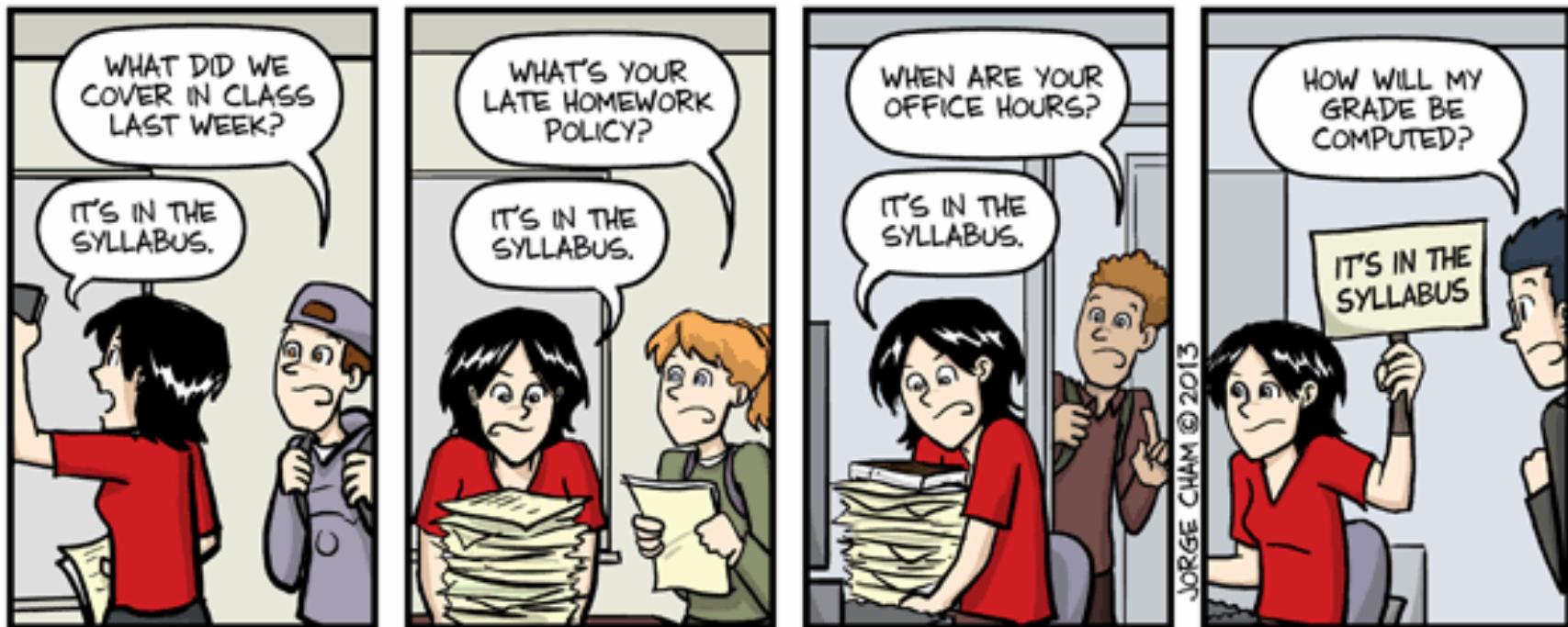
Website:

<https://ucsb-cs64-s18.github.io>

On there, I will keep:

- Latest syllabus
- Class assignments
- Lecture slides (after I've given them)
- Interesting handouts and articles

Just in Case...



IT'S IN THE SYLLABUS

This message brought to you by every instructor that ever lived.

WWW.PHDCOMICS.COM

Matni, CS64, Sp18

So... let's take a look at that syllabus...

Electronic version found at:

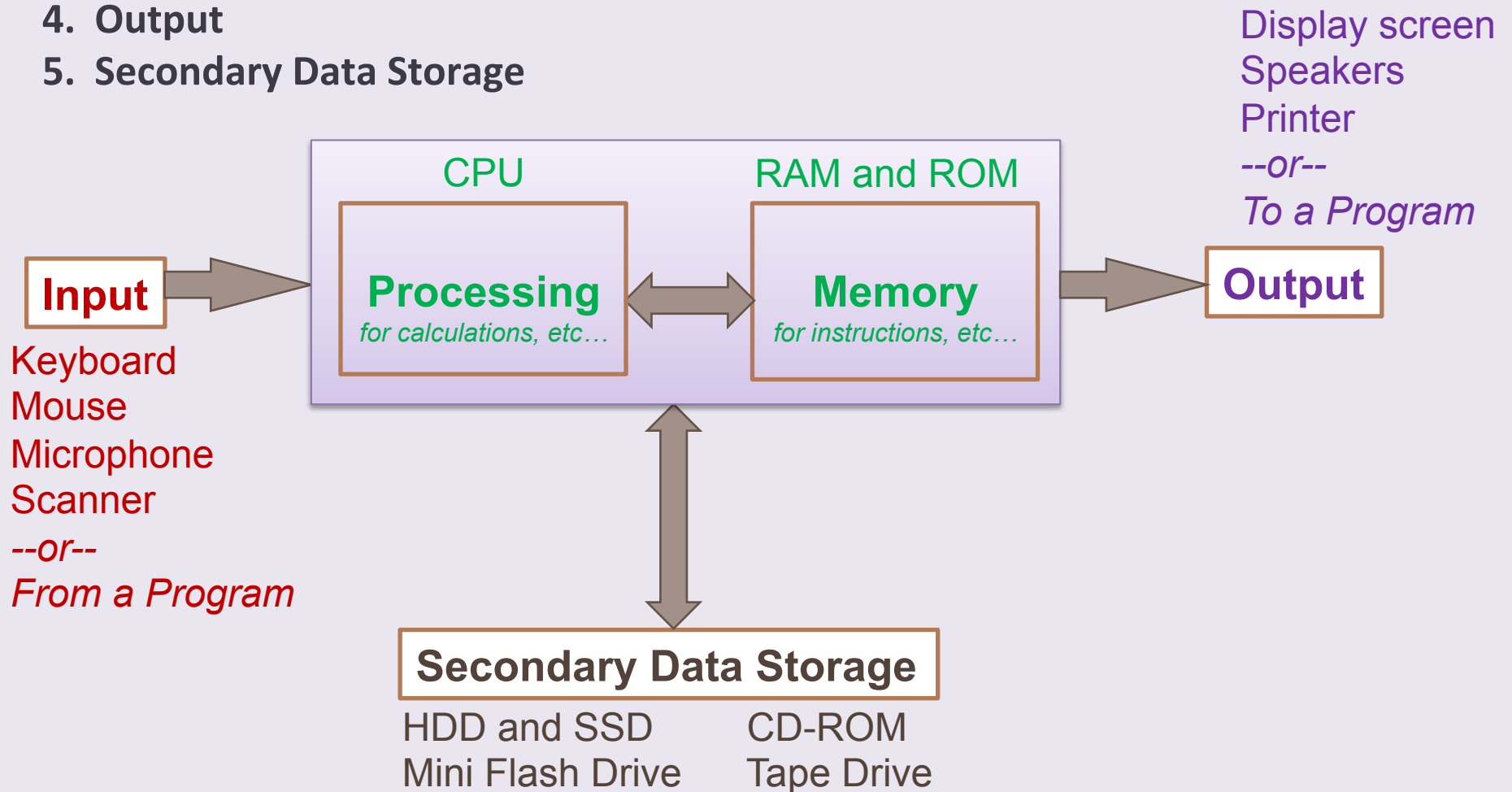
http://cs.ucsb.edu/~zmatni/syllabi/CS64S18_syllabus.pdf

A Simplified View of Modern Computer Architecture

a.k.a von Neumann Architecture

The 5 Main Components of a Computer:

1. Processor
2. Memory
3. Input
4. Output
5. Secondary Data Storage



Computer Memory

- Usually organized in two parts:
 - Address: **Where** can I find my data?
 - Data (payload): **What** is my data?
- The smallest representation of the data
 - A binary *bit* (“0”s and “1”s)
 - A common collection of bits is a *byte*
 - 8 bits = 1 byte
 - What is a *nibble*?
 - 4 bits = 1 nibble – not used as often...
 - **What is the minimum number of bits needed to convey an alphanumeric character? And WHY?**

What is the Most Basic Form of Computer Language?

- Binary *a.k.a* Base-2
- Expressing data AND instructions in either “1” or “0”
 - So,
“01010101 01000011 01010011 01000010 00100001 00100001”
could mean an *instruction* to “calculate 2 + 3”
Or it could mean an *integer number* (856,783,663,333)
Or it could mean a *string of 6 characters* (“UCSB!!”)
Or other things...!

So... Like...

What Processes Stuff In A Computer?

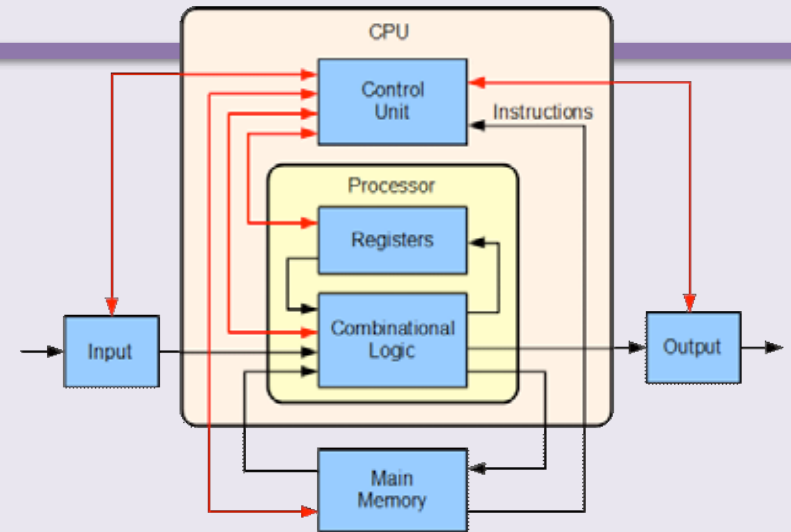


- The Central Processing Unit (CPU)
 - Executes program instructions
- Typical capabilities of CPU include:
 - Add
 - Subtract
 - Multiply
 - Divide
 - Move data from location to location

You can do just about anything with a computer with just these simple instructions!

Parts of the CPU

- The CPU is made up of 2 main parts:
 - The Arithmetic Logic Unit (ALU)
 - The Control Unit (CU)
- The ALU does the calculations in binary using “registers” (small RAM) and logic circuits
- The CU handles breaking down instructions into control codes for the ALU and memory



The CPU's Fetch-Execute Cycle

- **Fetch** the next instruction
- **Decode** the instruction
- **Get data** if needed
- **Execute** the instruction
- ***Why is it a cycle???***

This is what happens inside a computer interacting with a program at the “lowest” level

Computer Languages and the F-E Cycle

- Instructions get executed in the CPU in machine language (i.e. all in “1”s and “0”s)
- Even *small* instructions, like “add 2 to 3 then multiply by 4”, need *multiple* cycles of the CPU to get executed fully
- But **THAT’S OK!** Because, typically, CPUs can run *many millions* of instructions per second

Computer Languages and the F-E Cycle

- But **THAT'S OK!** Because, typically,
CPUs can run *many millions* of instructions per second
- In *low-level languages*, you need to spell those cycles out
- In *high-level languages*, you don't
 - 1 HLL statement, like " $x = c * (a + b)$ " is enough to get the job done
 - This would translate into multiple statements in LLLs

“high level” vs. “low level” Programming

- High Level computer languages, like C++ or Java,
are A LOT simpler to use!
- Uses syntax that “resembles” human language
- Easy to read and understand:

$x = c * (a + b)$ vs. `101000111010111`

- But, still... the CPU *NEEDS* machine language to do what it's supposed to do!
- So *SOMETHING* has to “translate” high level code
into machine language...

Compilers

- *SOMETHING* has to “translate” high level code into machine language...
- Compilers are programs that do this
- Compilers are “language-specific”

Machine vs. Assembly Language

- **Machine language** is the actual 1s and 0s

Example:

```
1011110111011100000101010101000
```

- **Assembly language** is one step above
 - Instructions are given **mnemonic codes** but still displayed one step at a time
 - Advantage? Better human readability

Example:

```
lw    $t0, 4($gp)    # fetch N
mult  $t0, $t0, $t0   # multiply N by itself
                        # and store the result in N
```

```
int main(int argc, char** argv) {
```

```
...
```



```
3.14956
```

```
}
```



```
int main(int argc, char** argv) {
```

```
...
```

In reality...



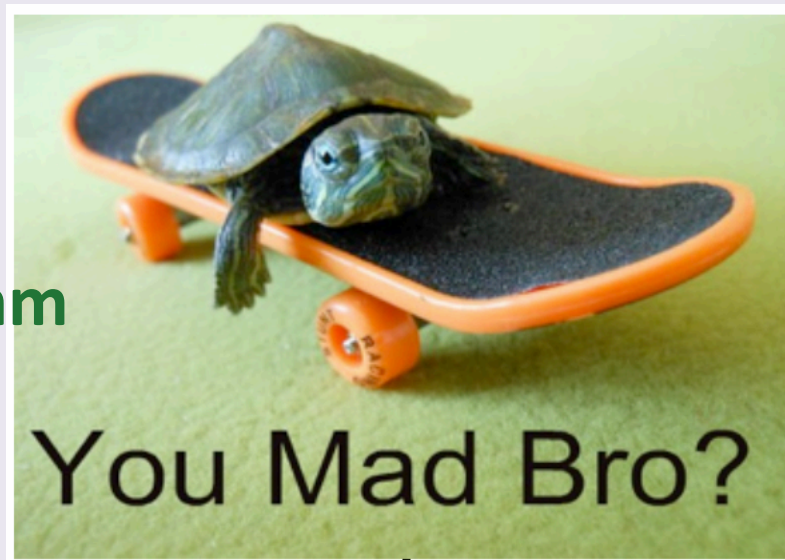
3.14956

```
}
```

```
int main(int argc, char** argv) {
```

```
...
```

With a more
efficient algorithm



3.14956

```
}
```

Why Can Programs be Slow?

- After all, isn't just as "simple" as
 1. getting an instruction,
 2. finding the value in memory,
 3. and doing stuff to it???
- Yes... except for the "simple" part...
- **Ordering** the instructions matters
Where in memory the value is matters
How instructions get "broken down" matters
What order these get "pipelined" matters

The Point...

- If you really want performance, you need to know how the “magic” works

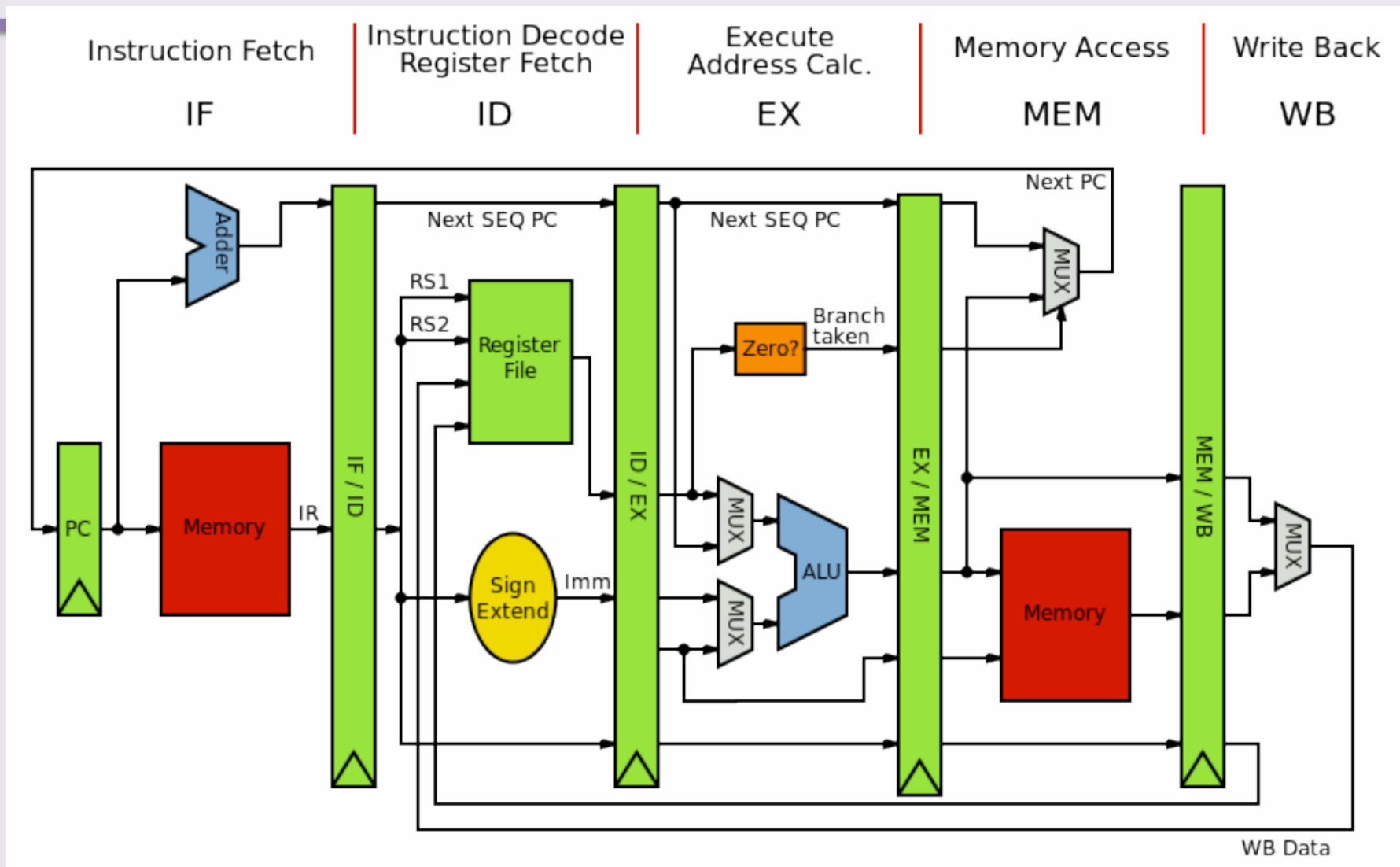


- If you want to write a naive compiler (CS 160), you need to know some low-level details of how the CPU does stuff
- If you want to write a *fast* compiler, you need to know tons of low-level details

So Why Digital Design?

- Because that's where the “magic” happens
- Logical decisions are made with 1s and 0s
- Physically (*engineering-ly?*), this comes from electrical currents switching one way or the other
- These currents modify semiconducting material that obeys the laws of electromagnetism that is... physics...

So Why Digital Design?



Digital Design in this Course

- We will not go into “deep” dives with digital design in this course
 - For that, check out CS 154 (Computer Architecture) and also courses in ECE
- We will, however, delve deep enough to understand the *fundamental* workings of digital circuits and how they are used for *computing purposes*.

COMPUTERS ARE DIGITAL MACHINES

THEY ARE DESIGNED
TO COUNT IN...

2

Counting Numbers in Different Bases

- We “normally” count in 10s
 - Base 10: **decimal** numbers
 - We use 10 numerical symbols in Base 10: “0” thru “9”
- Computers count in 2s
 - Base 2: **binary** numbers
 - We use 2 numerical symbols in Base 2: “0” and “1”
- Represented with **1 bit** ($2^1 = 2$)

Counting Numbers in Different Bases

Other convenient bases in computer architecture:

- Base 8: **octal** numbers
 - Number symbols are 0 thru 7
 - Represented with **3 bits** ($2^3 = 8$)
- Base 16: **hexadecimal** numbers
 - Number symbols are 0 thru F:
A = 10, B = 11, C = 12, D = 13, E = 14, F = 15
 - Represented with **4 bits** ($2^4 = 16$)
- **Why are 4 bit representations convenient???**

What's in a Number?

642

What *is* that???

Well, what NUMERICAL BASE are you expressing it in?

Decimal Numbers

Counting **642** as $600 + 40 + 2$
is counting in TENS (aka BASE 10) --- what we're used to

There are 6 HUNDREDS 6×100

There are 4 TENS 4×10

There are 2 ONES 2×1

6	4	2
100	10	1

$$642 = 600 + 40 + 2$$

Positional Notation in Decimal

Continuing with our example...

642 in base 10 *positional notation* is:

$$\begin{aligned} 6 \times 10^2 &= 6 \times 100 = 600 \\ + 4 \times 10^1 &= 4 \times 10 = 40 \\ + 2 \times 10^0 &= 2 \times 1 = 2 \end{aligned} = 642 \text{ in base 10}$$

6	4	2
100	10	1

$$642_{\text{(base 10)}} = 600 + 40 + 2$$

Numerical Bases and Their Symbols

- How many “symbols” or “digits” do we use in Decimal (Base 10)?
- Base 2 (Binary)?
- Base 16 (Hexadecimal)?
- Base N?

Positional Notation

This is how you convert any base number into decimal!

What if “642” is expressed in the base of 13?

$$\begin{aligned} 6 \times 13^2 &= 6 \times 169 = 1014 \\ + 4 \times 13^1 &= 4 \times 13 = 52 \\ + 2 \times 13^0 &= 2 \times 1 = 2 \end{aligned}$$

6	4	2
13^2	13^1	13^0

$$\begin{aligned} 642_{(\text{base } 13)} &= 1014 + 52 + 2 \\ &= 1068_{(\text{base } 10)} \end{aligned}$$

Positional Notation in Binary

11101 in base 2 *positional notation* is:

$$\begin{aligned} &1 \times \mathbf{2^4} = 1 \times 16 = 16 \\ + &1 \times 2^3 = 1 \times 8 = 8 \\ + &1 \times 2^2 = 1 \times 4 = 4 \\ + &0 \times 2^1 = 0 \times 2 = 0 \\ + &1 \times 2^0 = 1 \times 1 = 1 \end{aligned}$$

So, **11101** in base 2 is $16 + 8 + 4 + 0 + 1 = \mathbf{29}$ in base 10

YOUR TO-DOs

- Read Handout #1
- Assignment #1
 - Meet up in the lab on Monday
 - Do the lab assignment: setting up CSIL + exercises
 - You have to submit it using *turnin*
 - Due on **Friday, 4/13, by 11:59 PM**

</LECTURE>