

Lecture 4: Unicode & bitwise operations

CSE 29: Systems Programming and Software Tools

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Announcements

- Problem set I released
- TA office hours today during discussion

What about non-English characters?

What about non-English characters?

- Thousands more characters used in languages around the world
- ASCII does not define:
 - Spanish: é
 - Chinese: 中
 - Emoji: 🐪
- char datatype of 1 byte only encodes 256 possible bit patterns
- **Challenge**: Millions of lines of code written that assumed 1 byte ASCII chars

UTF-8: Unicode encoding

- Use more bits to encode more characters!
- Code point: an integer representing a character (e.g., 'A' == 65)
- Normal ASCII code point: Highest order bit of byte is 0xxxxxxx
 - UTF-8 is backwards compatible with ASCII! ←
- Multi-byte code point: Highest order bit of byte is 1xxxxxxx

How many bytes do you need?

- Multi-byte code point: Highest order bit of byte is 1xxxxxxx

- Bit flags indicate code point length

- 110xxxxx = 2 bytes

- 1110xxxx = 3 bytes

- 11110xxx = 4 bytes

→ $\frac{110xxxx}{1st\ byte} \quad \frac{10xxxxxx}{2nd\ byte} \quad \frac{10xxxxxx}{3rd\ byte}$

- Bytes after the first byte start with

- 10xxxxxx

2 bytes: $\frac{110xxxx}{\text{flag}} \quad \frac{xxxx}{\text{code point part}}$
└──────────┘
1st byte

$\frac{10xxxxxx}{\text{flag}} \quad \frac{xxxxxx}{\text{code point part}}$
└──────────┘
2nd byte

Code point construction

0xC3
↓ ↓
1100 0011

0xA9
↓ ↓
1010 1001

- é = 11000011 10101001
 - bit flags : only encodes metadata (i.e., only provides information about)
 - the code point = 000011 101001 = 233

$$128 + 64 + 32 + 8 + 1$$

$$\begin{array}{ccccccc} 1 & 1 & 0 & 1 & 0 & 0 & 1 \\ \downarrow & & & & & & \\ 2^7 & 2^6 & 2^5 & 2^4 & 2^3 & 2^2 & 2^0 \end{array} = 233$$

$$\begin{array}{r} 192 \\ + 32 \\ \hline 224 \\ + 8 \\ \hline 232 \end{array}$$

Demo

- printing codepoints

How many bytes do you need?

1 byte char 0xxxxxxx

- Multi-byte code point: Highest order bit of byte is 1xxxxxxx
- Bit flags indicate code point length
 - 110xxxxx = 2 bytes
 - 1110xxxx = 3 bytes
 - 11110xxx = 4 bytes
- Bytes after the first byte start with
 - 10xxxxxx
- How do we check for these specific bit flags to know how many bytes we have?
 - Need a way of inspecting individual bits!

Bit operations

- Special mathematical operations in C for manipulating bits
 - `&:AND`
 - `|:OR`
 - `~:NOT`
 - `^:XOR`
 - `>>: shift right`
 - `<<: shift left`

AND: &

$$T \& T = T$$

0 = "false"
1 = "true"

- AND each bit together

Truth table

| input_a | input_b | Result |
|---------|---------|--------|
| 0 | 0 | 0 |
| 0 | 1 | 0 |
| 1 | 0 | 0 |
| 1 | 1 | 1 |

↓

$$\begin{array}{r} 00001010 \\ \& 00001111 \\ \hline 00001010 \end{array}$$

What is the result?

$$\begin{array}{r} 00110011 \\ \& 10100101 \\ \hline 00100011 \end{array}$$

OR: |

$$\begin{array}{l} T | F = T \\ F | T = T \\ T | T = 1 \end{array}$$

0 = "false"
1 = "true"

- OR each bit together

Truth table

| input_a | input_b | Result |
|---------|---------|--------|
| 0 | 0 | 0 |
| 0 | 1 | 1 |
| 1 | 0 | 1 |
| 1 | 1 | 1 |

$$\begin{array}{r} 00010001 \\ | 11001010 \\ \hline 11011011 \end{array}$$

What is the result?

$$\begin{array}{r} 00100111 \\ | \quad 10101100 \\ \hline 10101111 \\ \hline \end{array}$$

~~10101111~~

A F

NOT: ~ operates on 1 operand

- NOT each bit together

Truth table

| input_a | Result |
|---------|--------|
| 0 | 1 |
| 1 | 0 |

~ 1010 1100

0101 0011

Shift right: >> Ex: 4 bits two's complement

- Shift the bits "off a cliff" to the right

$$\begin{array}{l} 0100 \\ \swarrow 4 \end{array} >> 2 = \begin{array}{c} 0001 \\ \hline \end{array} \begin{array}{c} \cancel{x} \\ \cancel{x} \end{array} = \begin{array}{c} 0001 \\ \hline 1 \end{array} \leftarrow \begin{array}{l} \text{sign extending} \\ \text{by 0} \end{array}$$

$$\begin{array}{l} 0100 \\ \swarrow 4 \end{array} >> 1 = \begin{array}{c} 0010 \\ \hline \end{array} \begin{array}{c} \cancel{x} \end{array} = \begin{array}{c} 0010 \\ \hline 2 \end{array}$$

$$\begin{array}{l} 1000 \\ \swarrow 4 \end{array} >> 1 = \begin{array}{c} 1200 \\ \hline \end{array} \begin{array}{c} \cancel{x} \end{array} = \begin{array}{c} 1100 \\ \hline -4 \end{array} \leftarrow \begin{array}{l} \text{sign extending} \\ \text{by 1} \end{array}$$

4 bits 2's complement

What is the result in binary and decimal?

• $\boxed{1010} \gg 3 = \underline{1111} \quad -1$

• $\underline{1000} \gg 2 = 1110 \quad -2$

• $1011 \gg 4 = 1111 \quad -1$
 $-5 // 2 = -2 // 2 = -1 // 2 = 0 \neq -1$ } division pattern breaks

• $1101 \gg 2 = 1111 \quad -1$

Shift left: <<

4 bits unsigned

- Shift the bits "off a cliff" to the left

$$0001 \ll 1 = \frac{00010}{1} = 0010_2$$

$$0001 \ll 3 = \cancel{000}1000 = 1000$$

$$1 \quad * 2 * 2 * 2 \quad \quad \quad = 8$$

What is the result in binary and decimal (unsigned)?

- $0010 \ll 2 = 1000$ 8
- $0001 \ll 3 = 1000$ 8
- $1000 \ll 4 = 0000$ 0
- $0110 \ll 2 = 1000$ 8

Demo: practice with bitwise operators

```
int bitwise_is_even(int8_t num);
```



```
int count_1_bits(int32_t num);
```

How to use bit operators to select specific bits?

How to use bit operators to select specific bits?

- Bit masking: select specific individual bits out of a binary representation of a number

- Examples:

◦ `lowest_four_bits(0b01010101) =`

$$\begin{array}{r} 00001101 \\ \hline 00001111 \\ \hline 00001101 \end{array}$$

◦ `highest_four_bits(0b10110011) =`

$$\begin{array}{r} 11110000 \\ \hline 11110000 \\ \hline 11110000 \end{array}$$

◦ `lowest_four_bits(192) =`

$$128 + 64 = 192$$

$$\begin{array}{r} 11000000 \\ \hline 00001111 \\ \hline 00000000 \end{array}$$

$$= 00000000$$

◦ `highest_four_bits(lowest_four_bits(200)) =`

$$128 + 64 + 8 = 200 \rightarrow \begin{array}{r} 11001000 \\ \hline 00001111 \\ \hline 00001000 \end{array} \Rightarrow \begin{array}{r} 00001000 \\ \hline 11110000 \\ \hline 00000000 \end{array}$$

$$= 00000000$$

How to implement masking?

```
char lowest_four_bits(char c) {  
    return c & 0b00001111;  
}
```

```
char highest_four_bits(char c) {  
    return c & 0b11110000;  
}
```

The bitwise **& operator** selects **specific bit positions** based on the **pattern of 1's** that the variable is &d with.

| & truth table | Result |
|---------------|--------|
| 0 & 0 | 0 |
| 0 & 1 | 0 |
| 1 & 0 | 0 |
| 1 & 1 | 1 |

Why can't we use the bitwise **| operator**?

How do we check the codepoint bit flags?

- Bit masking!
- codepoint_size(char string[])

2 byte codepoint

110xxxxx 10xxxxxx
~~110~~
11100000
11000000