



# UCSG-NET - Unsupervised Discovering of Constructive Solid Geometry Tree



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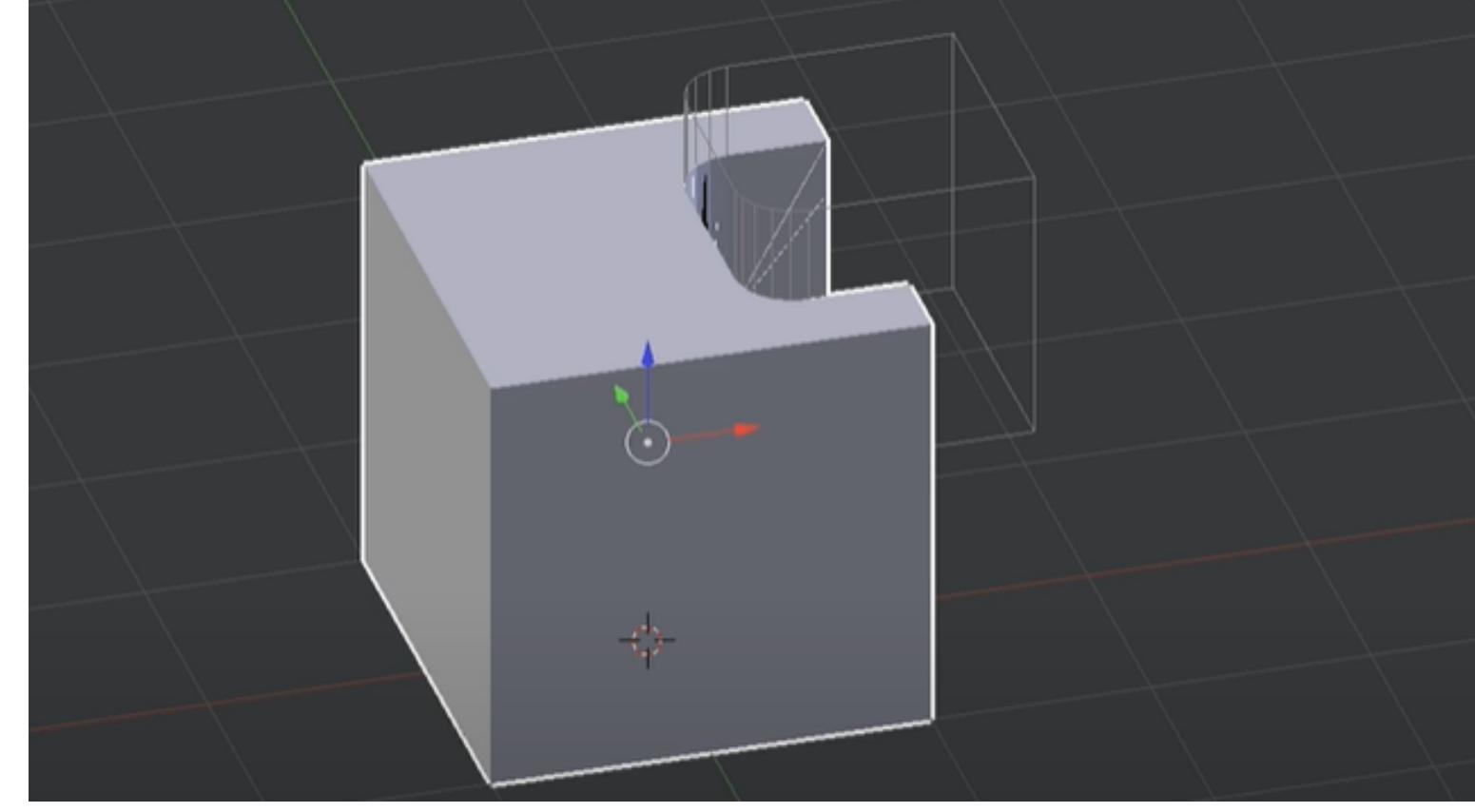


## Contributions

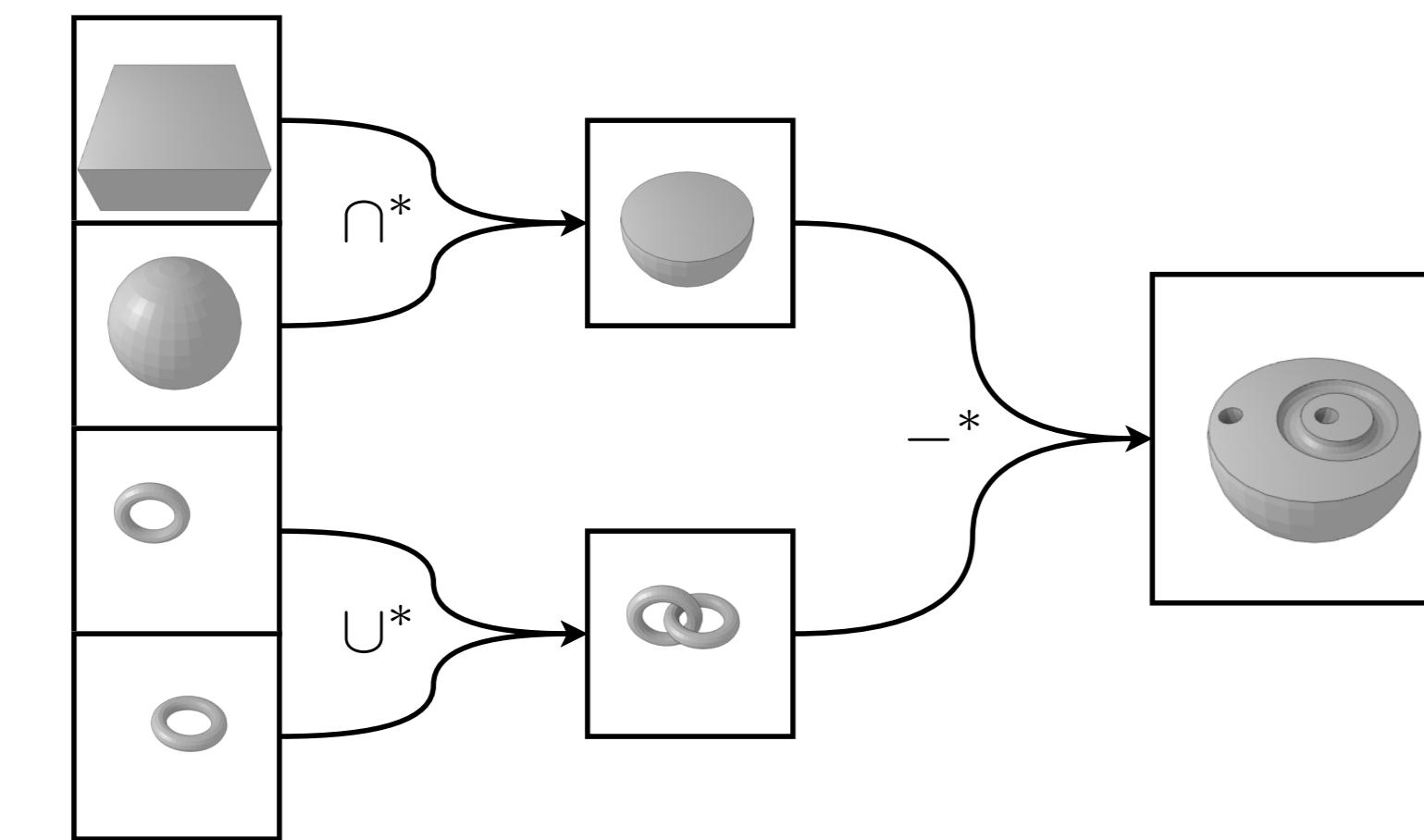
- The first method that learns CSG operations in **unsupervised manner**.
- Predicted CSG trees are fully **interpretable** and **controllable**. They can aid design of 3D objects.
- In terms of reconstruction quality, our model is **on par** with existing methods that aim for interpretable 3D object reconstruction.

## Motivation

CSG is a common tool that can be in 3D graphics software for modeling objects with complex topology.

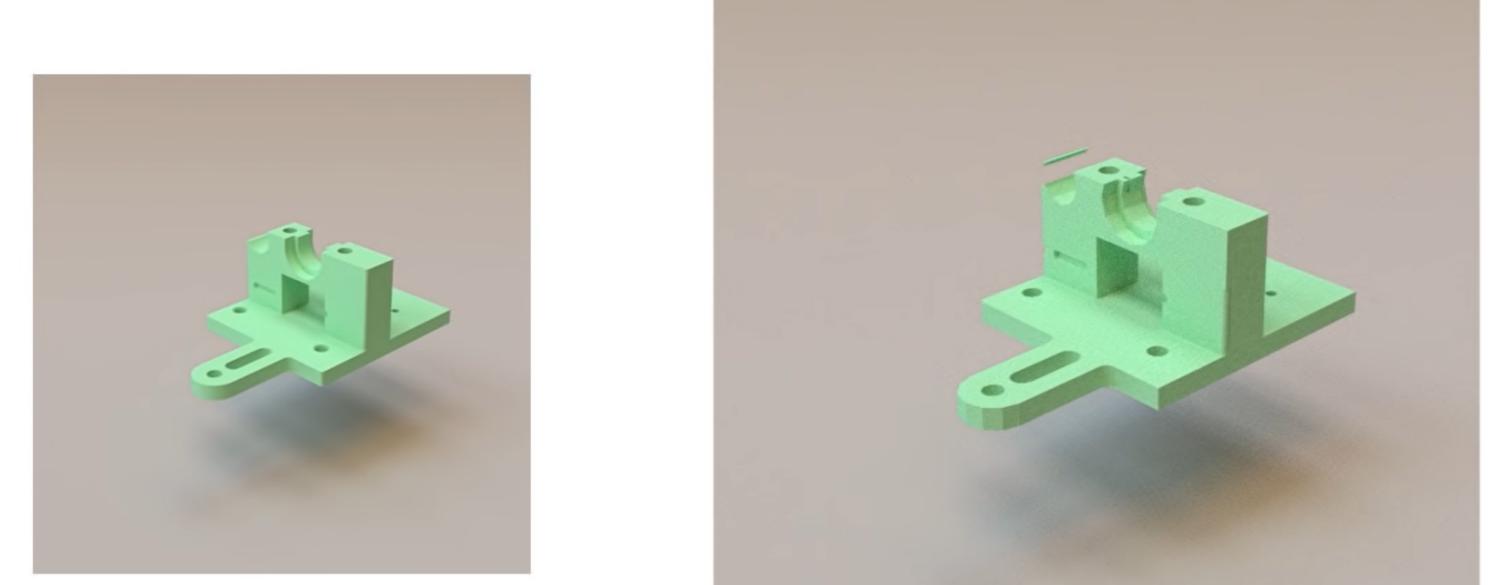


We aim to automate the process by predicting CSG trees that create these objects.



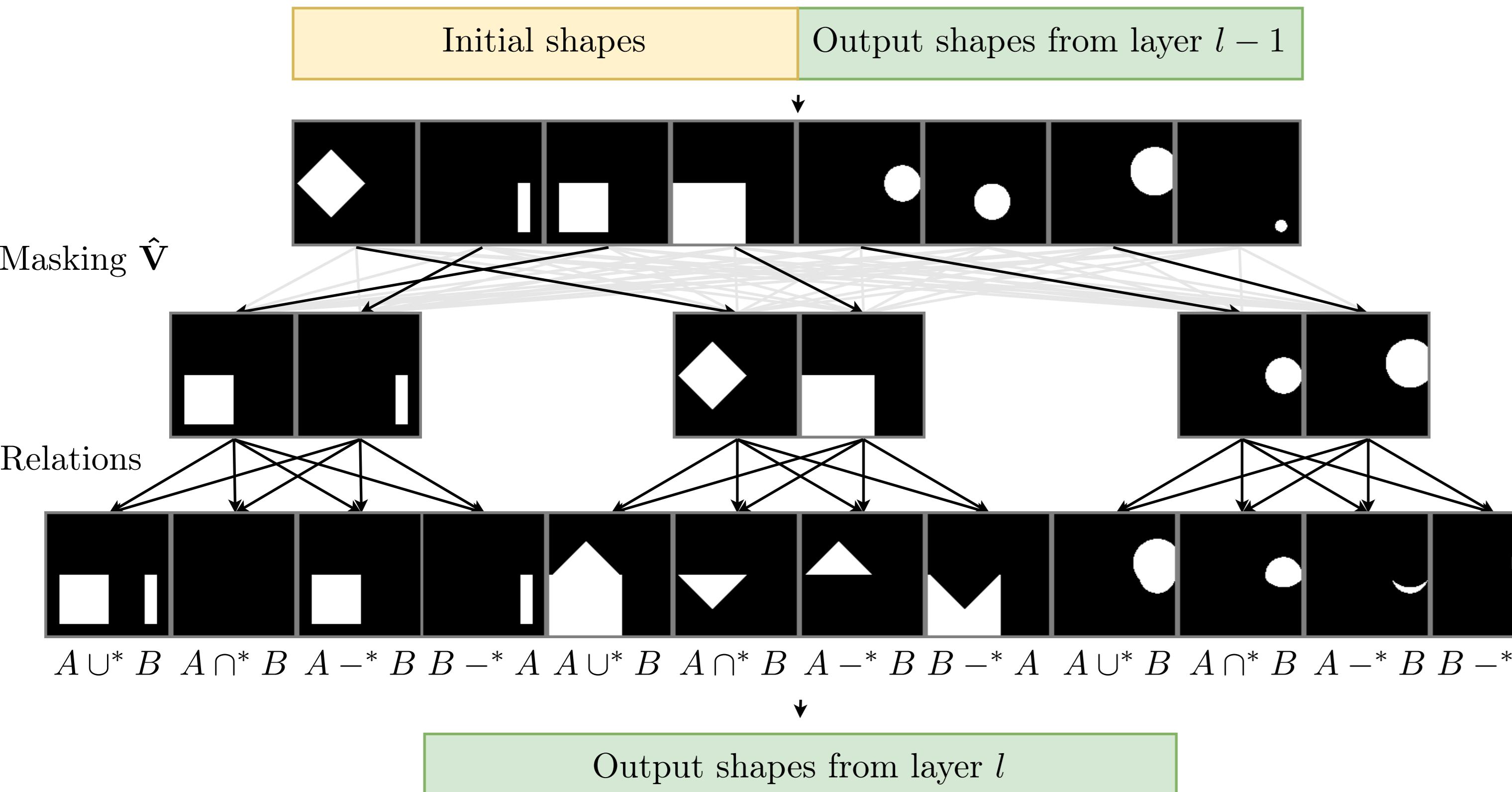
## Existing approaches

Time consuming inference



input  
77 leaves  
(solid primitives)  
46 internal modes  
(boolean operations)

## Learnable CSG Layer



- Masks (separate for left and right operands of CSG operations) select pair of elements:

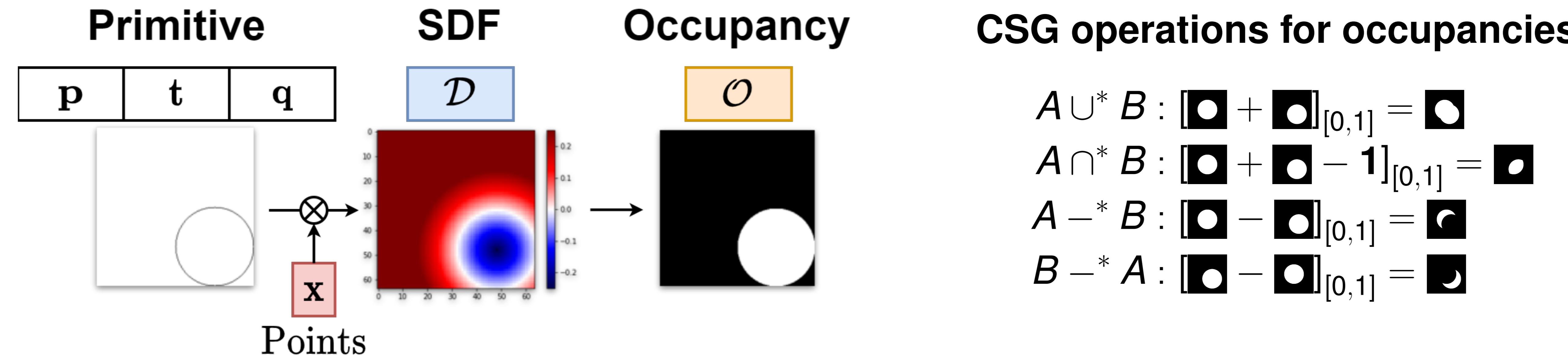
$$\mathbf{v}_{\text{left}} = \text{softmax}(\mathbf{K}_{\text{left}} \mathbf{z}) \quad \mathbf{v}_{\text{right}} = \text{softmax}(\mathbf{K}_{\text{right}} \mathbf{z})$$

- Masked shapes  $\hat{\mathbf{v}}_{\text{side},i}$  are obtained by sampling Gumbel-Softmax.

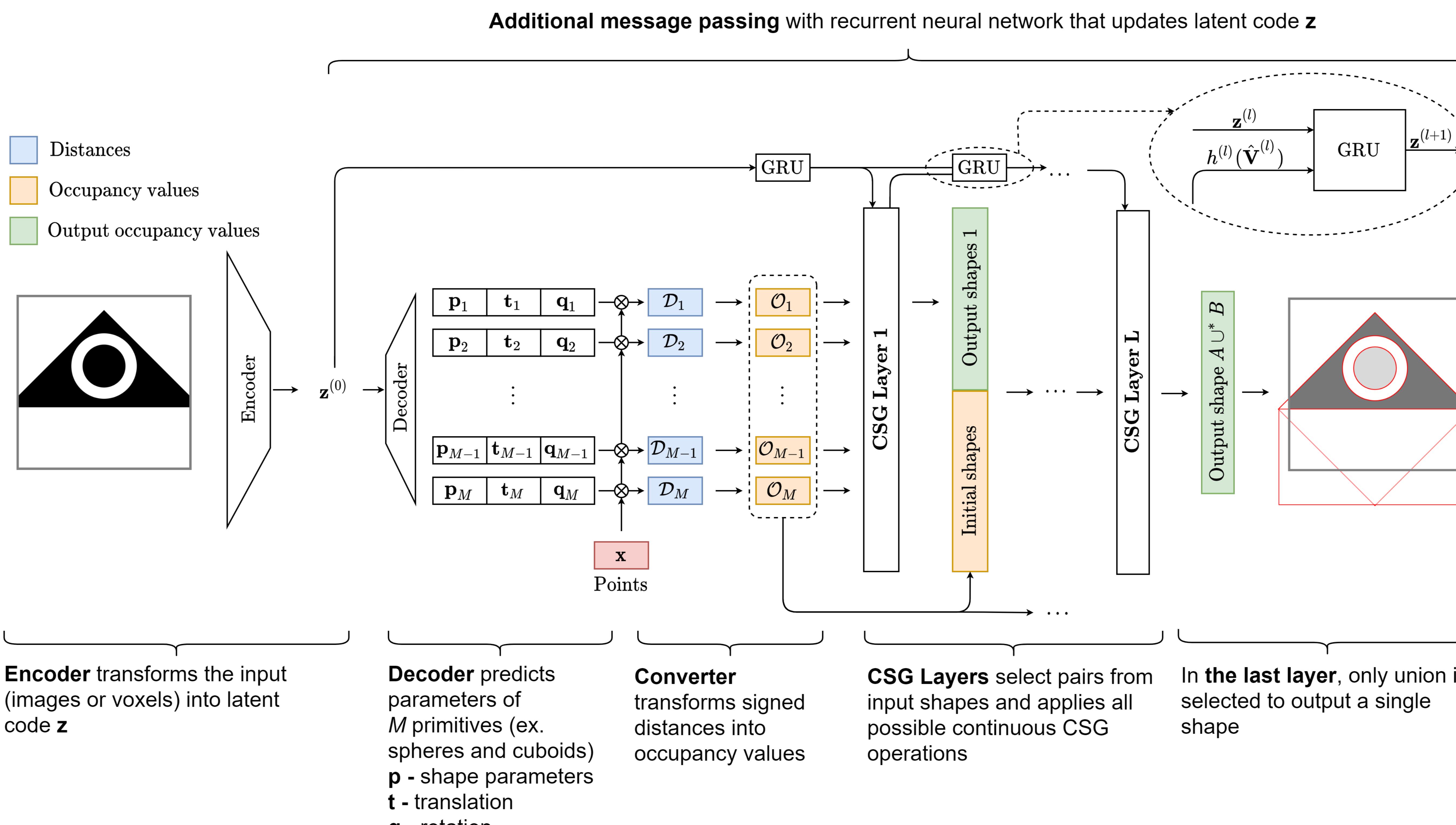
- Operands for  $l$ -th layer are obtained as:

$$A = \mathcal{O}_{\text{left}} = \sum_{i=1}^M \mathcal{O}_i \hat{\mathbf{v}}_{\text{left},i} \quad B = \mathcal{O}_{\text{right}} = \sum_{i=1}^M \mathcal{O}_i \hat{\mathbf{v}}_{\text{right},i}$$

## Representing a single shape and CSG operations



## UCSG-NET



## Training UCGS-NET

$$\begin{aligned} \mathcal{L}_{\text{MSE}} &= \mathbb{E}_{\mathbf{x} \in \mathbf{X}}[(\mathcal{O}^{(L)} - \mathcal{O}^*)^2] \\ \mathcal{L}_{\text{total}} &= \underbrace{\mathcal{L}_{\text{MSE}}}_{\text{Reconstruction error}} + \underbrace{\lambda_T \mathcal{L}_T}_{\text{Maintain feasible parameters of primitives}} + \underbrace{\lambda_\alpha |\alpha|}_{\text{Pushes occupancy values towards } \{0, 1\}} \\ \mathcal{L}_P &= \sum_{i=1}^M \sum_{p_i \in \mathbf{p}_i} \max(-p_i, 0) \end{aligned}$$

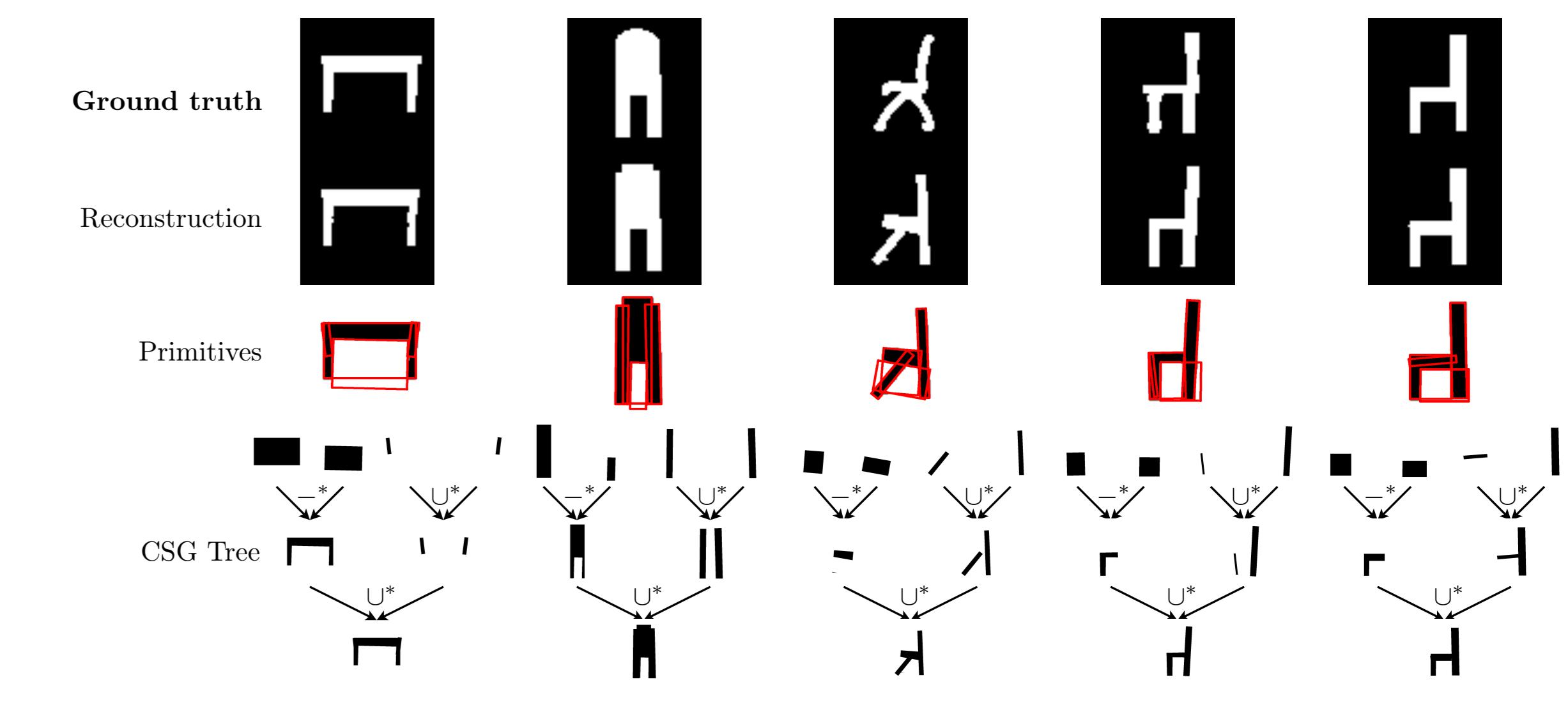
## Second stage - when $\alpha \leq 0.05$

$$\mathcal{L}_{\text{total}}^* = \mathcal{L}_{\text{total}} + \lambda_\tau \sum_{l=1}^L |\tau^{(l)}|$$

Pushes CSG operations towards one-hot vectors

## Results - 2D CAD Dataset

Method	Mode	$k$	$i = 0$	$i = \infty$
CSG-NETSTACK	Supervised	1	3.98	2.25
CSG-NETSTACK	Supervised	10	1.38	0.39
CSG-NETSTACK	RL	1	1.27	0.57
CSG-NETSTACK	RL	10	1.02	<b>0.34</b>
Our	Unsupervised	1	<b>0.32</b>	-



## Results - 3D ShapeNet

CD - Chamfer Distance $\times 10^3$	High interpretability		Low interpretability		
	Ours	VP	SQ	BAE	BSP-Net
CD	2.085	2.259	1.656	1.592	<b>0.446</b>

