



0	1	2	3	4	5	6	7	8	9
-3	4	-2	5	3	-2	8	2	-1	4

length k
 $0 \rightarrow k-1$

size = 3

$[0-2]$

$[1-3]$

$[2-4]$

$[3-5]$

\vdots

$[7-9]$

last k left

$(N-k \rightarrow N-1)$

$0 \rightarrow N-k$

$(N-k) - 0 + 1$
 $= \underline{N-k+1}$

- arr [N]. Find the max subarray sum of length k.

0	1	2	3	4	5	6	7	8	9
-3	4	-2	5	3	-2	8	2	-1	4

k=5

↓
16

s	e	sum
0	4	7
1	5	8
2	6	12
3	7	16
4	8	10
5	9	11

B.F: → consider all subarray of len k.

s=0, e=k-1, ans=INT_MIN
while(e < N) // s <= N-k

{

int sum=0;

for(int i=s; i<=e; i++)
sum += arr[i];

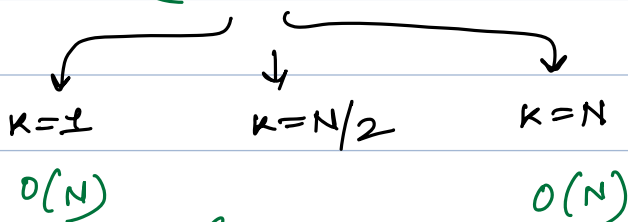
if(sum > ans)
ans = sum;

s++; e++;

}

TC: ?

$(N-k+1) \times k$



$(N - N/2 + 1) \times N/2$

$= N^2/4$

$O(N^2)$

• using pf sum

// Build^a pf sum

$s = 0$, $e = k - 1$, $ans = \underline{INT_MIN}$

while($e < N$) // $s \leq \underline{N - k}$

{

int sum = 0;

if($s == 0$) sum = pf[e];

else sum = pf[e] - pf[s-1];

if(sum > ans)

ans = sum;

s++; e++;

}

($N - k + 1$)
⇒ T.C: $O(N)$
S.C: $O(N)$

0	1	2	3	4	5	6	7	8	9
-3	4	-2	5	3	-2	8	2	-1	4

$0 - k - 1$

$0 - 4$

iterate & find sum:

sum = 7

0	1	2	3	4	5	6	7	8	9
-3	4	-2	5	3	-2	8	2	-1	4

$1 - 5$

sum + arr[5] - arr[0]

sum = 7 + (-2) - (-3)

Sum = 8

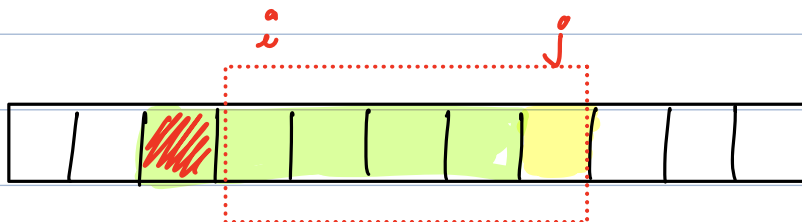
0	1	2	3	4	5	6	7	8	9
-3	4	-2	5	3	-2	8	2	-1	4

$2 - 6$

sum + arr[6] - arr[1]

sum = 8 + 8 - 4

Sum = 12



$$\text{sum}(i-j) = \text{sum} + \text{arr}[j] - \text{arr}[i-1]$$

whenever subarray length is fixed \rightarrow sliding window

// calculate the sum for first window

```
ans = INT_MIN, sum = 0;  
for (int i = 0; i < k; i++)  
    sum += arr[i];  
ans = sum;
```

} K

// consider remaining windows

```
s = 1, e = k  
while (e < N)  
{  
    sum = sum + arr[e] - arr[s-1];  
    if (sum > ans)  
        ans = sum;  
    s++; e++;  
}
```

total = $k + N - k$
= N

T.C: $O(N)$
S.C: $O(1)$

$N - k$

• Given $arr[N]$ and a number B . Find and return minimum no of swaps to bring all number $\leq B$ together.

0	1	2	3	4	5	6
1	12	10	3	14	10	5

$B = 8$

ans = 2

0	1	2	3	4	5	6	7	8
25	30	2	18	7	6	9	50	3

$B = 10$

ans = 1

0	1	2	3	4	5	6	7	8
19	11	3	9	7	25	6	20	4

$B = 10$

ans = 1

• Bring all elements together \rightarrow form a subarray

size ?

can we calculate ?

iterate & count

• subarray size is fixed

We'll prefer a subarray of calculated size
which have least number of Bad elements
 \downarrow
 $> B$

B.F:- consider all subarrays
 \rightarrow iterate the subarray } $\rightarrow O(N^2)$

0	1	2	3	4	5	6	7	
25	30	2	18	7	6	9	50	3

7B

0 - 4

1 - 5

$cnt = 3$

$if (arr[i] > B)$

$cnt++;$

$if (arr[s-1] > B)$

$cnt--;$

$ans = \min(ans, cnt);$

// find length of subarray

k = 0;

for (int i = 0; i < N; i++)

if (arr[i] <= B)

k++;

↑ (> B)

// calculate the cnt for first window

ans = INT_MIN, cnt = 0;

for (int i = 0; i < k; i++)

if (arr[i] > B) cnt++;

ans = cnt;

} k

// consider remaining windows

s = 1, e = k

while (e < N)

{ if (arr[e] > B) cnt++;

if (arr[s-1] > B) cnt--;

ans = min(ans, cnt);

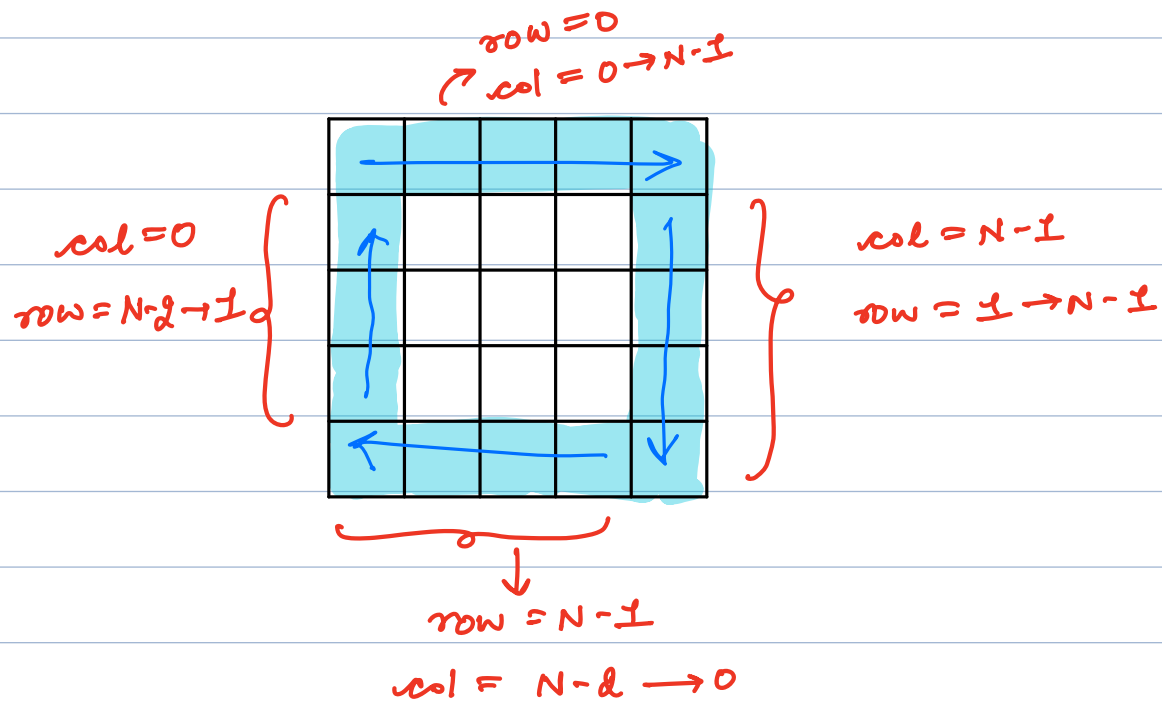
s++; e++;

}

// k

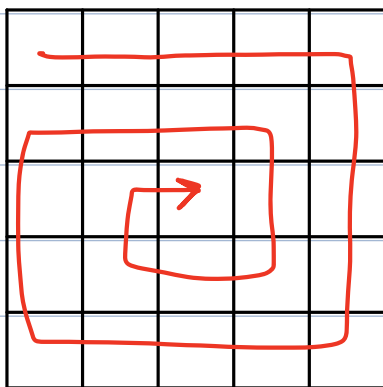
10:40 pm

matrix $[N][N]$ \rightarrow print the boundary

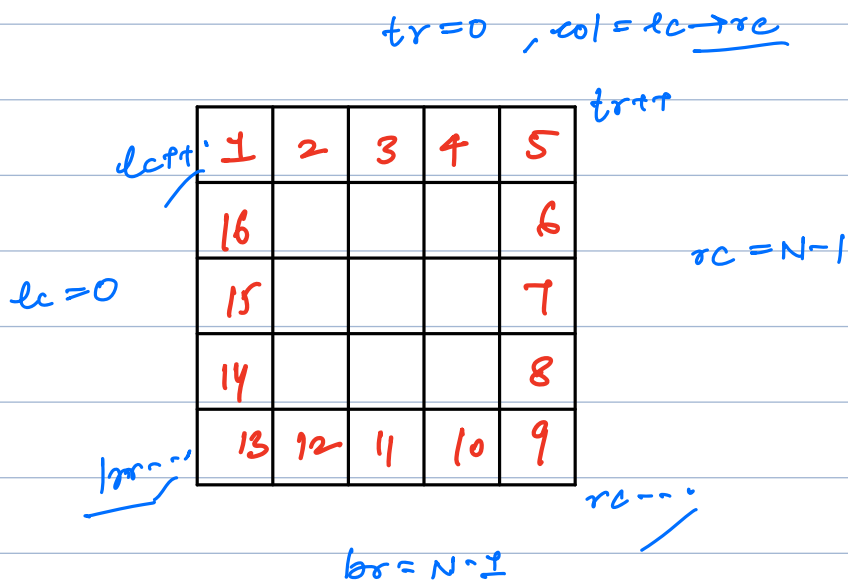


Spiral order Matrix

matrix $[N][N]$ \rightarrow 1 \rightarrow N^2 spiral order



1	2	3	4	5
16	17	18	19	6
15	24	25	20	7
14	23	22	21	8
13	12	11	10	9



```
int tr=0, br=N-1, lc=0, rc=N-1;
```

```
int x=1;
```

```
while(x <= N*N)
```

```
{
```

```
// top-row
```

```
for(j=lc; j<=rc; j++)
```

```
{ arr[tr][j] = x;
```

```
...
```

```
x++;
```

```
}
```

```
tr++;
```

```
// right col
```

```
for(i=tr; i<=br; i++)
```

```
{ arr[i][rc] = x;
```

```
x++;
```

```
}
```

```
rc--;
```

```
// bottom row, left col — finish it up
```

```
}
```