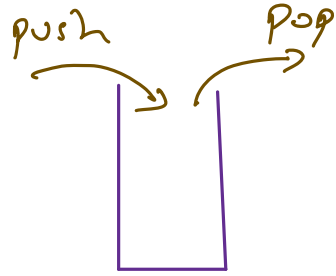


Welcome 😊

Agenda : Stacks
Implementation Arrays / LL
Operaⁿs
2 quesⁿs

Introduction

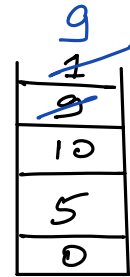
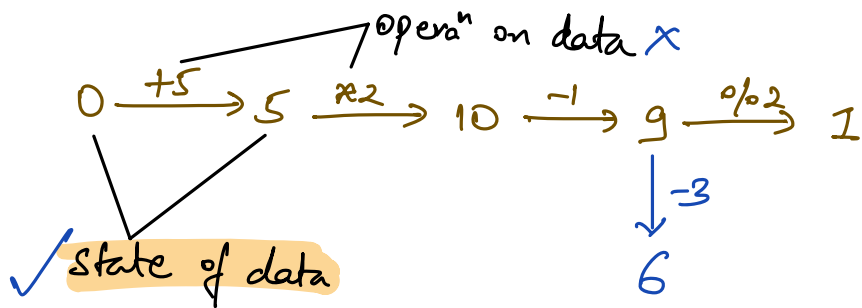
- 1) Glass of water
2) Pile of plates
3) Recursion
- } LIFO
↓ ↓
Last In First



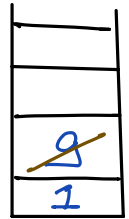
⇒ A stack is a linear D.S that stores information in sequence from bottom to top

⇒ It follows LIFO.

4) Calculator. \Rightarrow UNDO / REDO



UN DO



RED

→ empty REDO stack if any new operation is performed.

Operations on Stack

- 1) Push(n) \rightarrow insert n at top of stack.
- 2) Pop() \rightarrow remove top element from stack
- 3) Peek/Top() \rightarrow gets the topmost element from stack
- 4) IsEmpty() \rightarrow checks if stack is empty.

Q Implement stack using arrays.

push(2)

push(3)

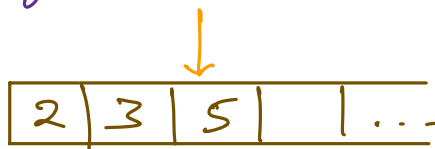
push(5)

pop() \rightarrow

peek() \rightarrow 3

isEmpty() \rightarrow false

push(10)



0 \longrightarrow t

```
t = -1
void push(x)
{
    t++;
    A[t] = x;
}
```

```
void pop()
{
    if (!isEmpty())
        t--;
}
```

```
int peek()
{
    if (!isEmpty())
        return A[t];
    return -1;
}
```

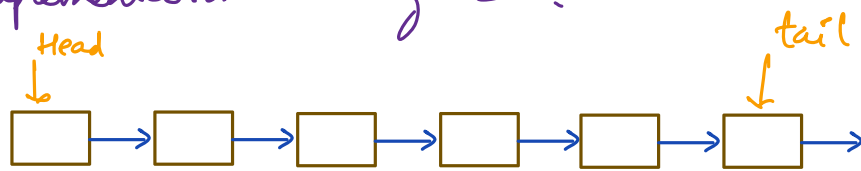
```
bool isEmpty()
{
    return t == -1;
}
```

1) Overflow

\rightarrow use dynamic arrays.

2) Underflow

Q // Stacks implementation using LL.



1) push \rightarrow insert at head

2) pop \rightarrow remove from head

3) peek \rightarrow return Head. data.

4) isEmpty() \rightarrow return (Head == NULL)

\forall T.C \Rightarrow $O(1)$

Q // Balanced Parenthesis

Check whether the given sequence of parenthesis is valid / invalid.

()

eg: () () (()) \checkmark
(() (()) \times
 $\downarrow \times$

\rightarrow 1) \forall closing bracket \rightarrow the last opening bracket should match

2) \forall opening bracket \rightarrow there should be a corresponding closing bracket.

\rightarrow while travelling $L \rightarrow R$

1) opening ' (' $>$ ')' at all indices.

2) Total # open '(' == Total # close ')'

code

```
open = 0    close = 0
for ( i → 0 to N-1 )
{
    if ( A[i] == '(' )
        open ++
    else
        close ++
    if ( close > open ) return false.
}
if ( open == close ) return True
else return false.
```

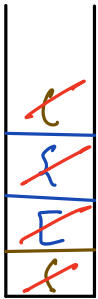
T.C $O(N)$

S.C $O(1)$

eg:

✓ ✓ ✓ ✓ ✓ ✓ ✓
[] [{ } ()]

() ⇒ () [()] { } ✓
{ } ⇒ () [()] ✗
[] ⇒ { ([) }] ✗



⇒ ∀ closing bracket → check
if it is matching the last
open bracket

code

```
for ( i → 0 to N-1 )
{
    if ( A[i] == '(' || A[i] == '[' || A[i] == '{' )
        st.push ( A[i] )
    elseif ( A[i] == ')' )
    {
        if ( st.empty() || st.pop() != '(' ) return false
    }
    elseif ( A[i] == '}' )
    {
        if ( st.empty() || st.pop() != '{' ) return false
    }
    elseif ( A[i] == ']' )
    {
        if ( st.empty() || st.pop() != '[' ) return false
    }
}
return st.isEmpty()
```

T.C ⇒ $O(N)$

S.C ⇒ $O(N)$

Q. Given a string s , remove equal pair of consecutive elements multiples times till possible & return the final string.

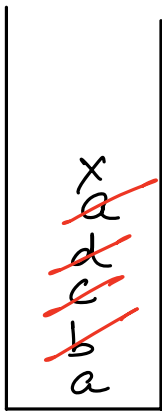
eg: $abbc \Rightarrow ac$

$abccbde \Rightarrow abde \Rightarrow ade$

$abbbe \Rightarrow abe$

\Rightarrow last element travelled should be removed first.

eg: $abcdcaabx$



H.W

T.C $\Rightarrow O(N)$

S.C $\Rightarrow O(N)$

Infix Expression

$a + b$

$a * b - c$

$a * (b - c)$

Postfix Expression

$ab +$

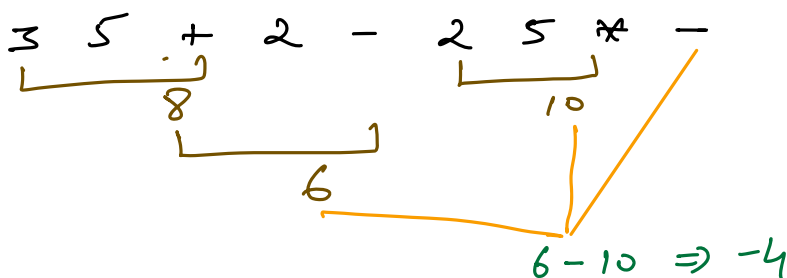
$ab * c -$

$abc - *$

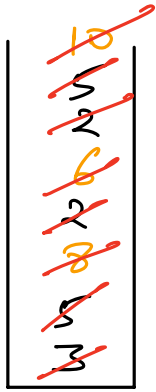
Op1 operator Op2

Op1 Op2 Operator

eg: $10 \ 6 \ - \Rightarrow 4$



✓ ✓ ✓ ✓ ✓ ✓ ✓ ✓
3 5 + 2 - 2 5 * -



$$3 + 5 = 8$$

$$8 - 2 = 6$$

$$2 * 5 = 10$$

$$6 - 10 = \underline{\underline{-4}} \quad \underline{\underline{\text{Ans}}}$$

* operand \rightarrow push it in the stack

* operator \rightarrow pop last two values/operands from the stack and perform operation
And push the resultant value back to stack.

op2 \rightarrow pop()

op1 \rightarrow pop()

push (op1 operator op2)

T.C $O(N)$

S.C $O(N)$