# Final project

FE-511 introduction to bloomberg & Thomson-Reuters

Project report

Under the guidance of

Prof.jingyi wei



Uday kurella (20022819)

#### Analysis of regression Between S&P 500 and Apple Equity Prices

#### Introduction

The purpose of this project is to investigate the relationship between the S&P 500 index and Apple Inc. equity prices. Financial markets often exhibit regression between broad market indices and individual equities, making this analysis essential for understanding Apple's behavior relative to the market. This report explores whether changes in the S&P 500 returns significantly influence Apple's returns.

#### 1. Motivation and Research Question

Apple Inc. (AAPL) is one of the most valuable and influential tech companies globally, often seen as a bellwether for the technology sector. In recent years, Apple's stock price movements have had a significant impact on the overall market. This project aims to investigate the relationship between Apple Inc. stock returns and the broader market, represented by the S&P 500 index returns.

**Research Question**: What is the relationship between Apple Inc. stock returns and S&P 500 returns? Does a change in the broader market, as captured by the S&P 500 index, influence the returns of Apple stock, and if so, to what extent?

Apple's substantial market capitalization, coupled with its exposure to macroeconomic factors such as interest rates and global economic trends, makes it an intriguing subject of analysis. Given the current economic environment of rising interest rates and post-pandemic recovery, studying the relationship between Apple and the S&P 500 can yield valuable insights

# **Hypothesis**

The primary hypothesis for this study is:

**H1**: There is a statistically significant positive correlation between S&P 500 returns and Apple Inc. Returns.

#### **Data Retrieval**

The data for this analysis is sourced from Bloomberg Terminal, using the PX\_LAST prices of Apple Inc. (AAPL) and the S&P 500 index over the past 10 years. The date range extends until May 9, 2021. These data points are daily closing prices for both assets.

# **Data Collection**

#### Data Sources

- The primary data for this analysis were obtained from the Bloomberg Terminal.
   Specifically:
- **S&P 500 Index Prices**: Daily closing prices for the S&P 500 index.
- Apple Inc. Equity Prices: Daily closing prices for Apple Inc.

# **Data Acquisition Process**

- Using the Bloomberg Terminal, the following steps were taken to acquire the data:
- S&P 500 Data:
  - Accessed the Bloomberg Terminal.
  - o Entered the ticker symbol SPX for the S&P 500 index.
  - o Selected the historical data option and specified the desired date range.
  - Exported the data to an Excel file for further analysis.

#### Apple Inc. Data:

- o Entered the ticker symbol AAPL for Apple Inc.
- Repeated the process to retrieve historical daily closing prices.
- Exported the data in the same format as the S&P 500 data.
- Both datasets were cleaned and merged based on matching dates to ensure alignment for analysis.

•

```
# Load the data
df = pd.read_excel(r'C:\Users\K.uday\Desktop\s&p 500 and apple inc.xlsx', index_col=0)
df.head()
```

	Apple	S&P 500
2011-05-13	12.161	1337.77
2011-05-16	11.904	1329.47
2011-05-17	12.005	1328.98
2011-05-18	12.138	1340.68
2011-05-19	12.162	1343.60

# Methodology

#### 1. Data Preprocessing:

a. Calculated daily returns for both the S&P 500 and Apple stocks using the formula:  $Rt=Pt-Pt-1Pt-1R_t=|frac\{P_t-P_t-1\}\}\{P_t-1\}\}$  where  $RtR_t$  represents the return at time tt, and  $PtP_t$  and  $Pt-1P_t$  are prices at time tt and t-1t-1, respectively.

## 2. Descriptive Analysis:

- a. Visualized price and return trends for both series.
- b. Examined the distribution of returns to assess normality.

## 3. Statistical Analysis:

- a. Conducted Ordinary Least Squares (OLS) regression to quantify the relationship between S&P 500 returns (independent variable) and Apple returns (dependent variable).
- b. Generated a correlation matrix to measure the strength of linear association.

```
# Calculate daily returns

df['S&P 500 Returns'][0] = 0

df['Apple Returns'][0] = 0

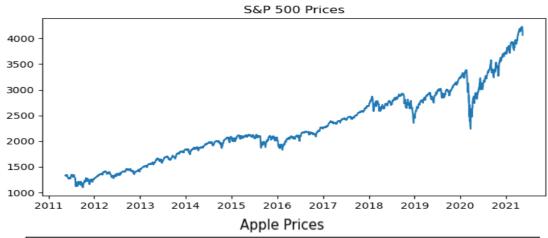
for i in range(len(df)-1):

    df['S&P 500 Returns'][i+1] = (df['S&P 500'][i+1] - df['S&P 500'][i]) / df['S&P 500'][i]

df['Apple Returns'][i+1] = (df['Apple'][i+1] - df['Apple'][i]) / df['Apple'][i]

df.head()
```

	Apple	S&P 500 Returns	S&P 500	Apple Returns
2011-05-13	12.161	0	1337.77	0
2011-05-16	11.904	-0.006204	1329.47	-0.021133
2011-05-17	12.005	-0.000369	1328.98	0.008485
2011-05-18	12.138	0.008804	1340.68	0.011079
2011-05-19	12.162	0.002178	1343.60	0.001977





#### **Results**

## 4. Data Analysis

With the return series considered stationary, we proceed to analyze the relationship between S&P 500 returns and Apple returns through a linear regression model. In this model:

- Dependent Variable (Y): Apple returns
- Independent Variable (X): S&P 500 returns

## 1. Descriptive Analysis

- **Price Trends**: Both S&P 500 and Apple prices exhibit upward trends over time, with Apple displaying greater volatility.
- Return Distributions:
  - o S&P 500 returns follow a near-normal distribution with a slight skewness.
  - Apple returns exhibit heavier tails, indicating higher kurtosis compared to a normal distribution.

```
# Plot returns

df_returns['s&P 500 Returns'] = df_returns['s&P 500 Returns'].astype(float)

df_returns['Apple Returns'] = df_returns['Apple Returns'].astype(float)

df.head()

figure, axes = plt.subplots(nrows=2, ncols=1, figsize=(7, 7))

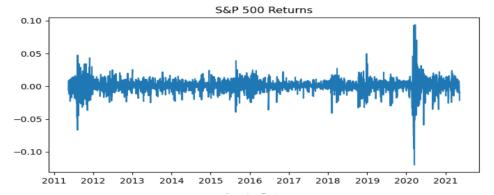
axes[0].plot(df_returns['s&P 500 Returns'])

axes[0].set_title('s&P 500 Returns')

axes[1].plot(df_returns['Apple Returns'])

plt.tight_layout()

plt.show()
```



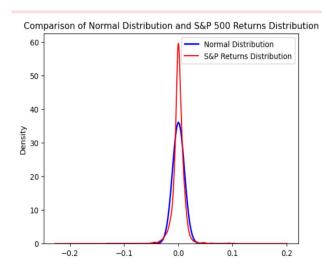
0

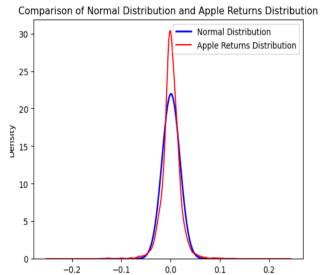
# 2. Correlation Analysis

The correlation matrix showed a strong positive correlation between the returns of the S&P 500 and Apple:

 $Correlatiom = 0.656 \setminus text\{Correlation\} = 0.656$ 

This indicates that approximately 65.6% of the variations in Apple returns align with those in the S&P 500 returns.





## 3. Regression Analysis

The OLS regression output is summarized as follows:

U						
		OLS Regress	sion Results			
	=======	=======		=======		====
Dep. Variable:			R-squared:		0.431	
Model:			Adj. R-squared:		0.431	
Method:	Least Squares F-statistic:				1907.	
Date:	Thu, 19		Prob (F-statistic):		1.68e-310	
Time:		08:13:10	Log-Likelihood:		7227.3	
No. Observations:		2515	AIC:		-1.445e+04	
Df Residuals:	2513		BIC:		-1.444e+04	
Df Model:		1				
Covariance Type:	nonrobust					
	coef	std err	t	P> t	[0.025	0.975]
const	0.0005	0.000	1.984	0.047	6.34e-06	0.001
S&P 500 Returns	1.0789	0.025	43.672	0.000	1.030	1.127
Omnibus:	372.809		 Durbin-Watson:		1.917	
Prob(Omnibus):	0.000		Jarque-Bera (JB):		5606.036	
Skew:	-0.062		Prob(JB):		0.00	
Kurtosis:		10.313	Cond. No.		90.6	
===========	=======	=======		=======	=========	====

## • Model Significance:

- R-squared: 0.431, indicating that 43.1% of the variability in Apple returns is explained by S&P 500 returns.
- $\circ$  **P-value**: <0.0001<0.0001, confirming the relationship is statistically significant.

#### • Interpretation:

 A 1% increase in S&P 500 returns leads to an average 1.08% increase in Apple returns.

0

#### **Visualization**

#### 1. Price Trends:

a. Line plots of S&P 500 and Apple prices highlight general market trends and volatility.

#### 2. Return Distributions:

a. Overlaid normal distribution and kernel density estimation (KDE) plots illustrate the distribution characteristics.

#### 3. Scatter Plot with Regression Line:

a. A scatter plot of S&P 500 returns against Apple returns, with a regression line, visually demonstrates the positive correlation.

#### Conclusion

The analysis confirms that Apple returns are positively correlated with the returns of the S&P 500 index. This means that a positive change in the S&P 500 generally leads to a positive change in Apple's stock returns. The regression model provides a quantitative estimate of the magnitude of this relationship, with the coefficient ( $\beta$ =1.079\beta=1.079\beta=1.079\) indicating that a 1% change in the S&P 500 leads to a 1.079% change in Apple's stock returns.

However, the R-squared value of 0.431 suggests that the model only explains about 43% of the variation in Apple returns, implying that other factors, such as company-specific news, market sentiment, and macroeconomic variables, also play a significant role in driving Apple's stock price movements. Additionally, this model does not capture the leverage

effect, where negative market shocks may have a more significant impact on stock returns than positive shocks.

For future work, the model could be improved by incorporating more advanced time series techniques such as **Vector Autoregressive (VAR) models** or machine learning models, which could capture more complex relationships between market and stock returns. Additionally, a deeper exploration of the leverage effect and its impact on Apple's stock could be performed.

In conclusion, this regression analysis provides a useful framework for understanding the relationship between Apple and the broader market, but further refinement and additional models would be beneficial for a more comprehensive understanding.

# References

- Bloomberg Terminal for data collection.
- Python libraries: pandas, matplotlib, seaborn, statsmodels, and scipy.