## **O'REILLY®**



#### **General Poll**

How comfortable are you programming in Python?

Very comfortable

Somewhat comfortable

Never programmed in Python before



#### **General Poll**

How familiar are you with machine learning?

3+ years experience

1+ years experience

Never worked with machine learning models before



#### **General Poll**

Have you attend Data Cleaning Essentials (Part - I) and Data Preparation

Essentials (Part - II) of the data quality series?

Yes

No, but I am familiar with the topics covered (cleaning data, standardization, working with text data)

#### **Problems with Data**

Insufficient data

Too much data

Non-representative data

Missing data

Duplicate data

Outliers



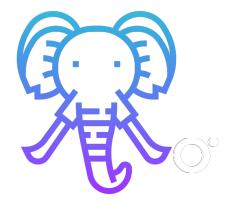
#### **Problems with Data**





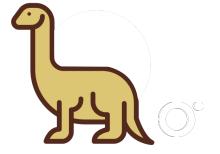
#### **Too Much Data**

- Data might be excessive in two ways
  - Curse of dimensionality: Too many columns
  - Outdated historical data: Too many rows



#### **Outdated Data**

- Outdated historical data is a serious issue in specific applications
  - Financial trading
- Usually requires human expert to judge which rows to leave out



## **Curse of Dimensionality**

- Two specific problems arise when too much data is available
  - Deciding which data is actually relevant
  - Aggregating very low-level data into useful features



#### Curse of Dimensionality: As number of **x** variables grows, working with data poses several problems

#### **Curse of Dimensionality**

Visualizing data

**Training ML models** 

Using ML models for prediction



#### **Problems in Visualization**

- Exploratory Data Analysis (EDA) is an essential precursor to model building
- Essential for
  - Identifying outliers
  - Detecting anomalies
  - Choosing functional form of relationships
- Higher dimensional data may not be explored properly before fitting predictive models





## **Problems in Training**

- Training is the process of finding best model parameters
- Complex models have thousands of parameter values
- If we do not train for long enough, model parameters may not have converged to best possible values



## **Problems in Training**

- Number of parameters to be found grows rapidly with dimensionality
- Extremely time-consuming, may require additional resources
- Training on the cloud can get very expensive



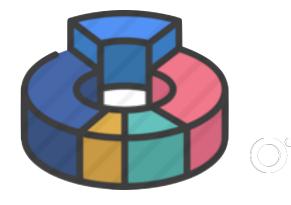
#### **Problems in Prediction**

- As dimensionality grows, size of search space explodes
- Higher number of feature leads to data sparsity
- Higher risk of overfitting on the training data



## **Curse of Dimensionality**

- Easier problems to solve
  - Feature selection: Deciding which data is actually relevant
  - Feature engineering: Aggregating very lowlevel data into useful features
  - Dimensionality Reduction: Reduce complexity without losing information



# Drawbacks of Reducing Complexity

Information loss

Performance degradation

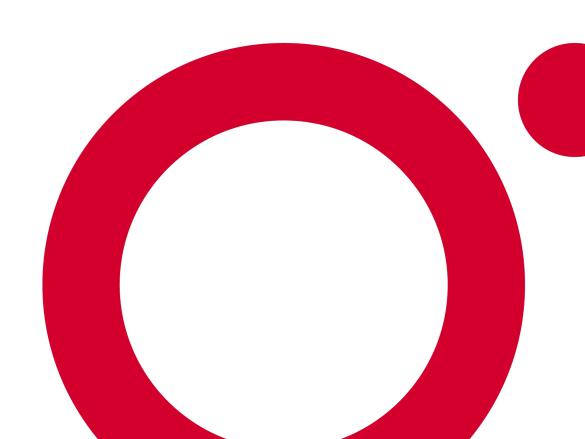
Computational intensive

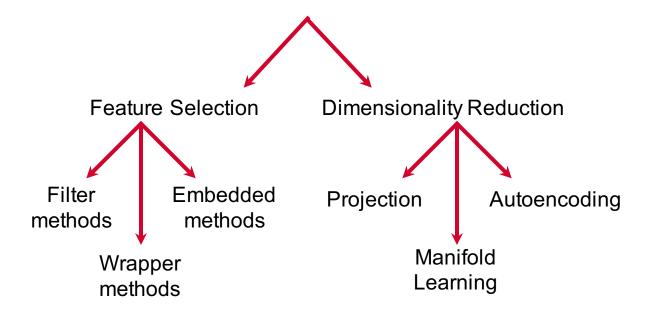
Transformed features hard to interpret



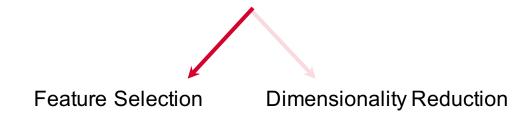
# **O'REILLY**®

Feature Selection and Dimensionality Reduction



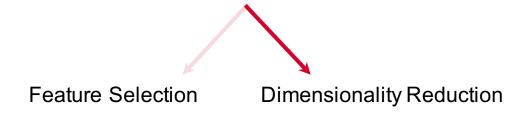






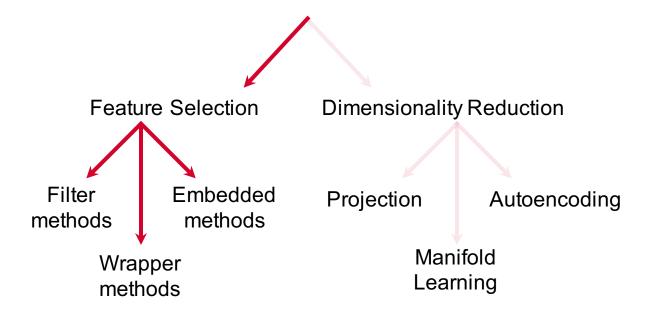
Choose the most relevant X variables from the existing data





Transform the original X variables into new dimensions

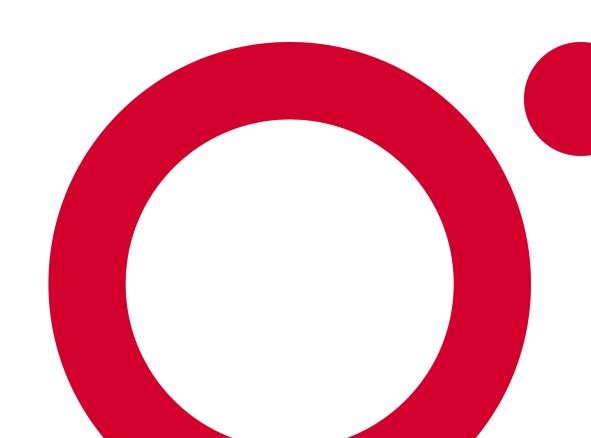






# **O'REILLY**®

**Feature Selection** 



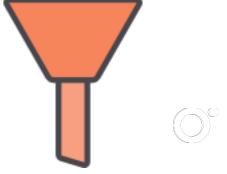
## **Choosing Feature Selection**

- Many X-variables i.e. many features in the input data
- Most of which contain little information
- Several features might be irrelevant
- Some of which are very meaningful
- Meaningful variables are independent of each other



#### **Filter Methods**

- Features selected based on statistical properties of features
- Either individually (univariate) or jointly (multi-variate)



## **Statistical Techniques**





Variance Thresholding

If all points have the same value for an X-variable, that variable adds no information.

Extend this idea and drop columns with variance below a minimum threshold.



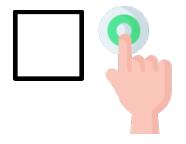
## **Chi-square Feature Selection**

For each X-variable, use the Chi-square test to evaluate whether that variable and Y are independent. If yes, drop that feature. Used for categorical X and Y.



## **Chi-square Feature Selection**

- Does observed data deviate from those expected in a particular analysis?
- Tests the effect of one variable on the target, univariate analysis
- Sum of the squared difference between observed and expected data in all categories





ANOVA

#### *AN*alysis *O*f *VA*riance



#### **ANOVA**

Looks across multiple groups of populations, compares their means to produce one score and one significance value



#### **ANOVA Feature Selection**

For each X-variable, use the ANOVA F-test to check whether mean of Y category varies for each distinct value of X. If not, drop that X-variable.



## Wrapper Methods

- Features are chosen by building different candidate models
- Forward and backward stepwise regression are examples



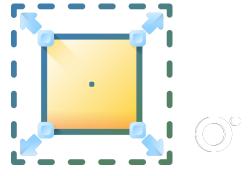
## Wrapper Methods

- Each candidate model has different subset of features
- However all candidate models are similar in structure
- Features may be added or dropped to see whether the model improves



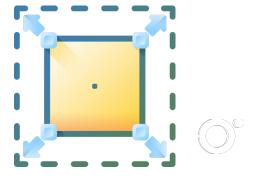
#### **Embedded Methods**

- Features (columns) selected during model training
- Feature selection effectively embedded within modeling
- Only specific types of models perform feature selection



#### **Embedded Feature Selection**

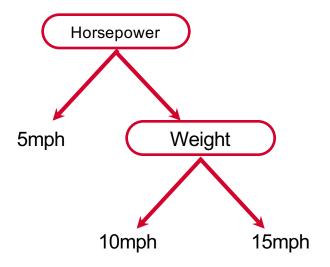
- Some machine learning algorithms automatically perform feature selection
  - Decision trees
  - Lasso regression





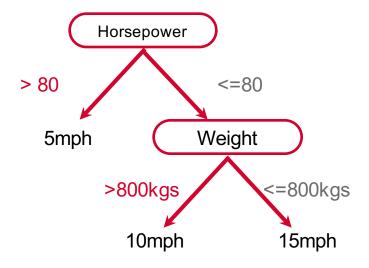
Decision trees set up a tree structure on training data which helps make decisions based on rules

#### **Decisions Based on Rules**





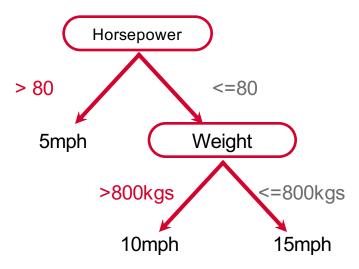
#### **Decisions Based on Rules**





#### **Decision Tree**

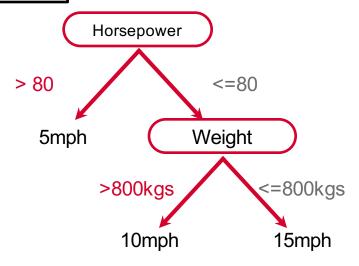
- Order of decision variables matters
- Rules and order found using ML





### **Decision Tree**

- Order of decision variables matters
- Order determines feature importance





### Lasso regression performs model selection by setting coefficients of unimportant

features to be close to zero

## **Ordinary MSE Regression**

Minimize 
$$(y^{actual} - y^{predicted})^2$$

To find

A, B

The value of A and B define the "best fit" line

 $y = A + Bx$ 



### Lasso Regression



To find

A, B

α is a hyperparameter

The value of A and B still define the "best fit" line

$$y = A + Bx$$



### **Lasso Regression**

- Add penalty for large coefficients
- Penalty term is L-1 norm of coefficients
- Penalty weighted by hyperparameter α





### **Lasso Regression**

- "Lasso" ~ <u>Least Absolute Shrinkage and Selection Operator</u>
- Math is complex
- No closed form, needs numeric solution
- Performs model selection by setting the coefficients of unimportant features to zero





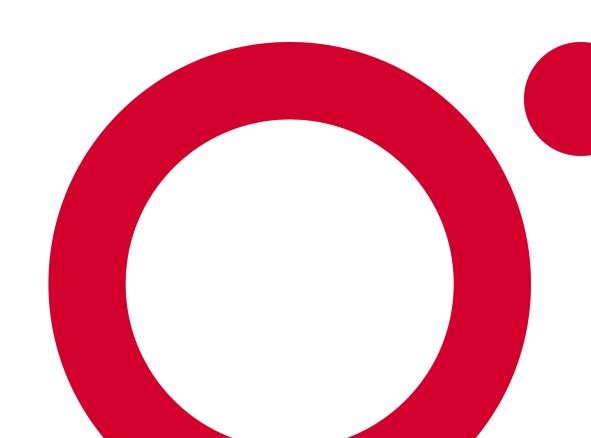
# O'REILLY®

Hands-on demos on feature selection



# O'REILLY®

Polls



Which of the following is an example of a feature selection technique?

• Chi2

Principal Components Analysis

Manifold Learning



Which of the following is an example of a feature selection technique?

Chi2

Principal Components Analysis

Manifold Learning



Which of the following statistical tests could you use to find features that are the most statistically significant?

Recursive Feature Elimination

ANOVA



Which of the following statistical tests could you use to find features that are the most statistically significant?

Recursive Feature Elimination

ANOVA



Which of the following is NOT a feature selection technique?

Wrapper methods

Filter methods

Projection methods



Which of the following is NOT a feature selection technique?

Wrapper methods

Filter methods

Projection methods



Which of the following regression algorithms sets the coefficients of unimportant

features to zero?

Support vectors

Ridge



Ordinary least squares

Which of the following regression algorithms sets the coefficients of unimportant features to zero?

Support vectors

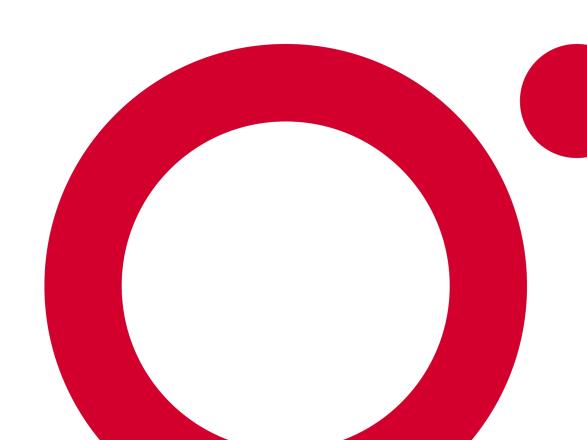
Ridge



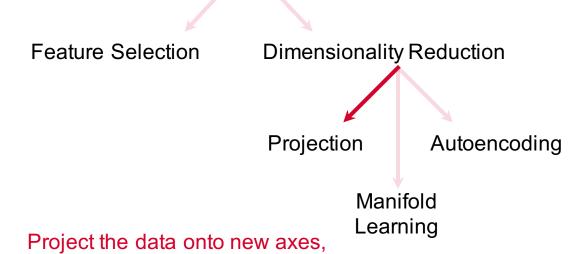
Ordinary least squares

# **O'REILLY**®

**Dimensionality Reduction** 



### **Reducing Complexity**

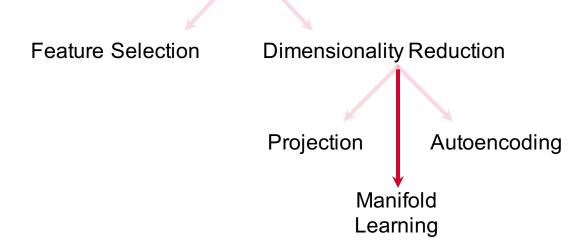


entirely re-orients the data e.g.

PCA, factor analysis, LDA



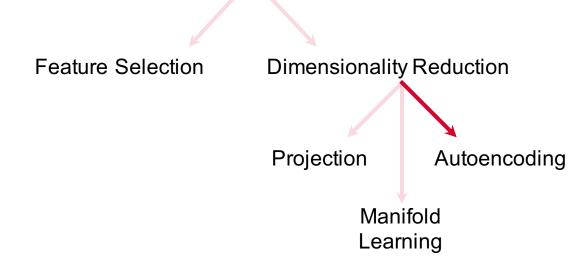
### **Reducing Complexity**

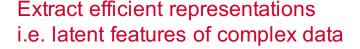


Unrolls the data, onto lower dimensional space e.g. MDS, LLE, Isomap



### **Reducing Complexity**







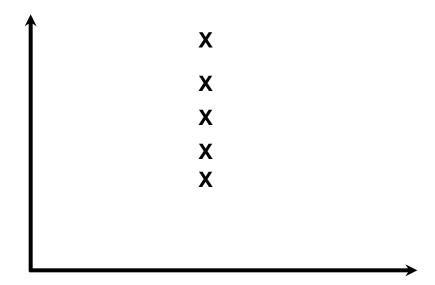
## **Choosing Projection Techniques**

- Large number of X-variables in the input data
- Most of which are meaningful
- Highly correlated to each other i.e. linearly related to each other
- Reduce multicollinearity in data

- Principal Component Analysis (PCA) and Factor Analysis for regression models
- Linear Discriminant Analysis (LDA) for classification models



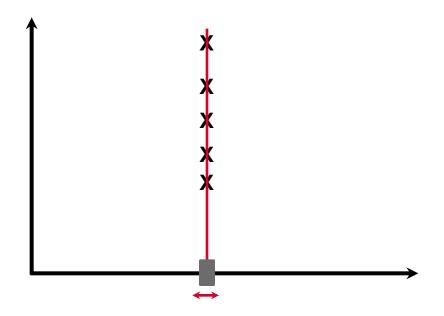
### Representing Data



How many dimensions do we need to represent this data?

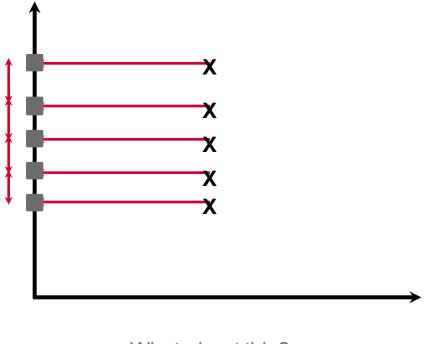


### **Choosing Dimensions?**

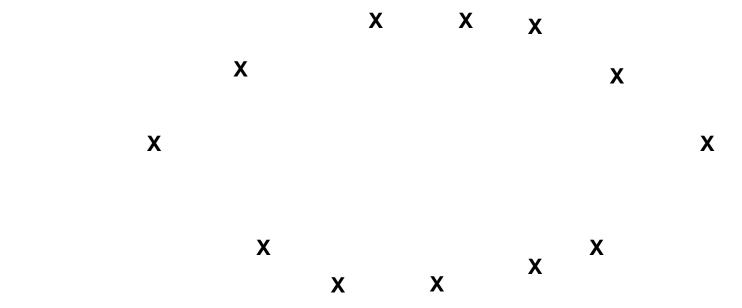




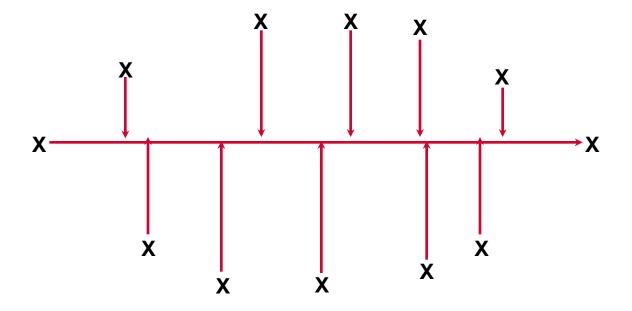
## **Choosing Dimensions?**



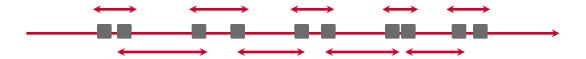








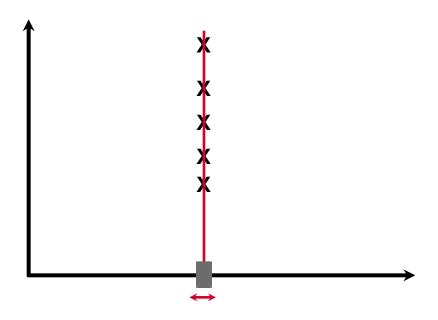




Try maximizing the distance between data points on the projected axis



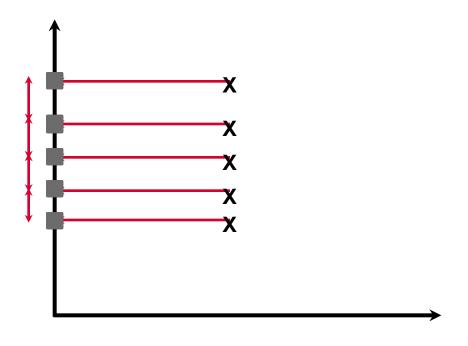
# **Bad Projection**



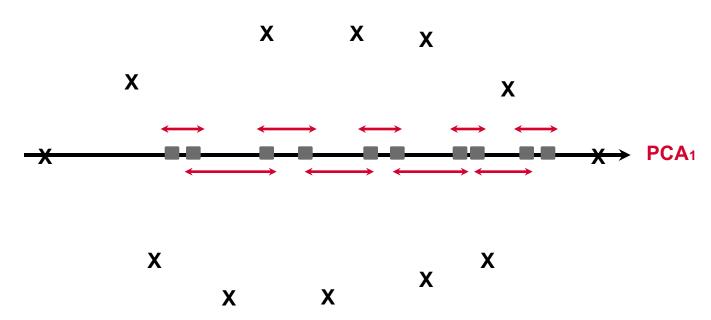




## **Good Projection**

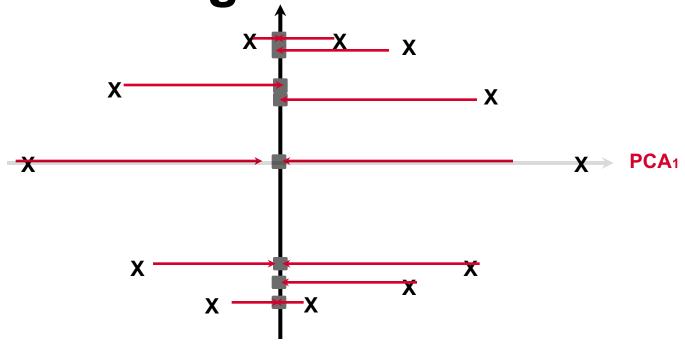






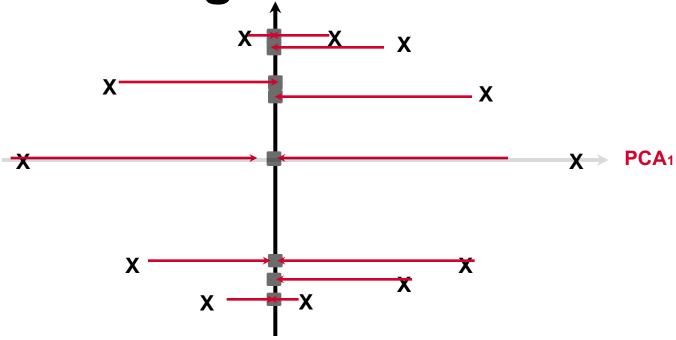
The direction along which this variance is maximized is the first principal component of the original data





The second principal component, is at right angles to the first





Directions at right angles help express the most variation with the smallest number of directions

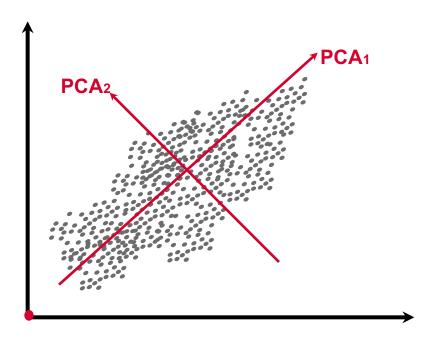


# Understanding PCA PCA<sub>1</sub>

The variances are clearly smaller along this second principal component than along the first



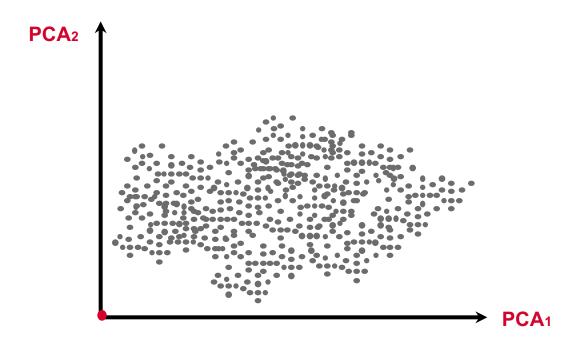
#### **Understanding PCA**



In general, there are as many principal components as there are dimensions in the original data



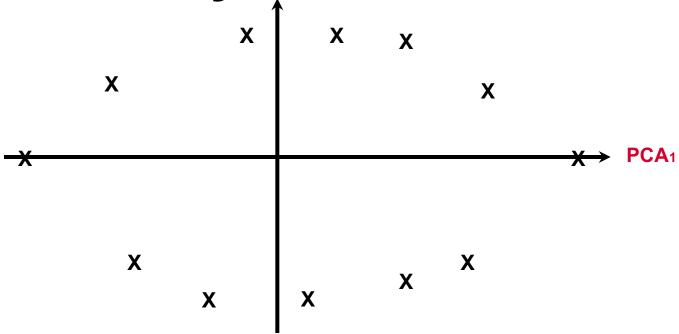
#### **Understanding PCA**



Re-orient the data along these new axes



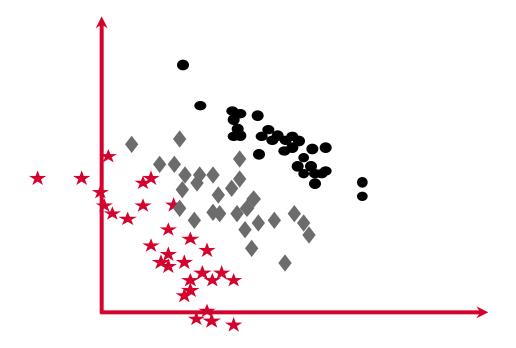
#### **Dimensionality Reduction**



If the variance along the second principal component is small enough, we can just ignore it and use just 1 dimension to represent the data

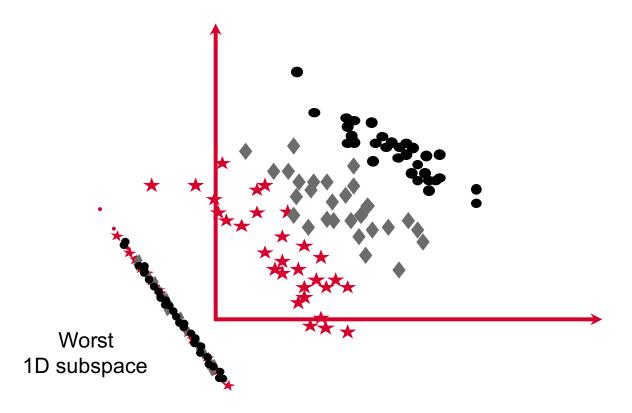


#### **Understanding LDA**



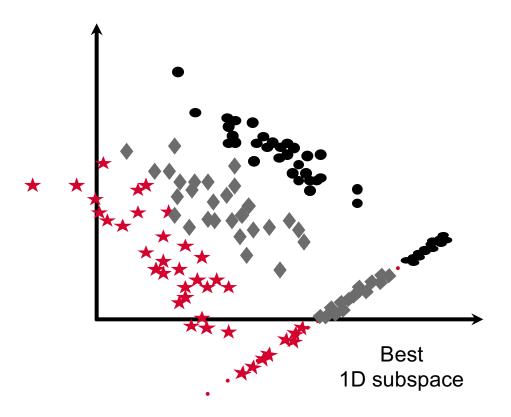


#### **Choosing Axes**



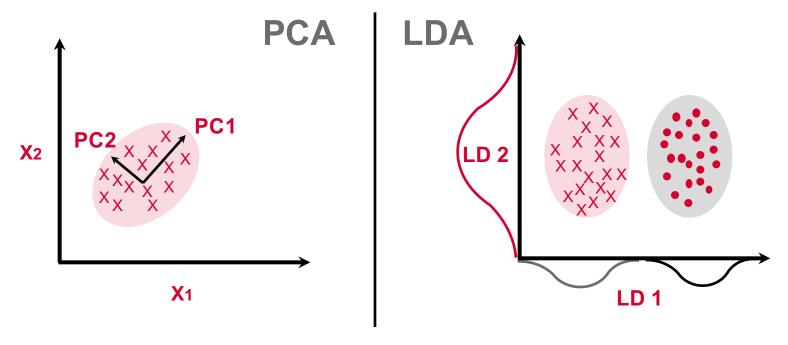


#### **Choosing Axes**





#### PCA vs. LDA





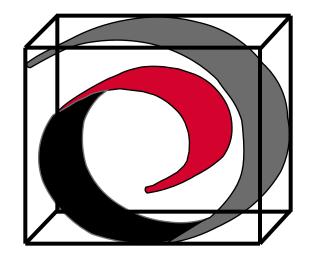
#### **Choosing Manifold Learning**

- Y not linearly related to X
- Very high dimensionality of X (e.g. pixel counts in image data)
- Sparse features, points are not dense clustered together in space
- Three-dimensional plots of indicate manifold shape

Manifold shape - a **simpler shape** in lower dimensions has been folded up to form a more complex shape in higher dimensions

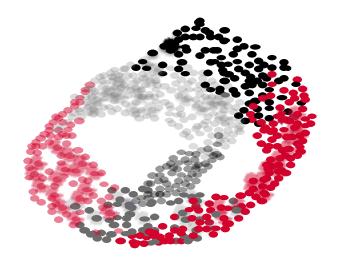


#### **Manifold Data**





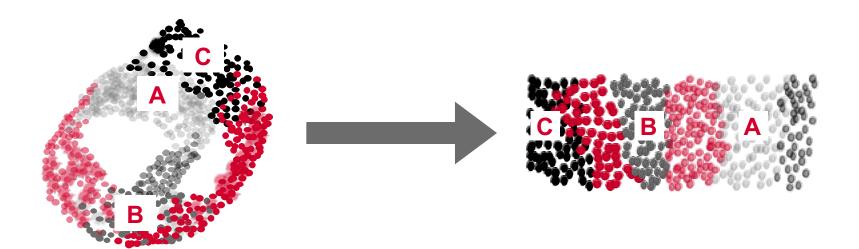
#### **Manifold Hypothesis**



Many high-dimensional datasets can be easily unrolled so that they lie along a much lower dimensional manifold



#### **Manifold Learning**

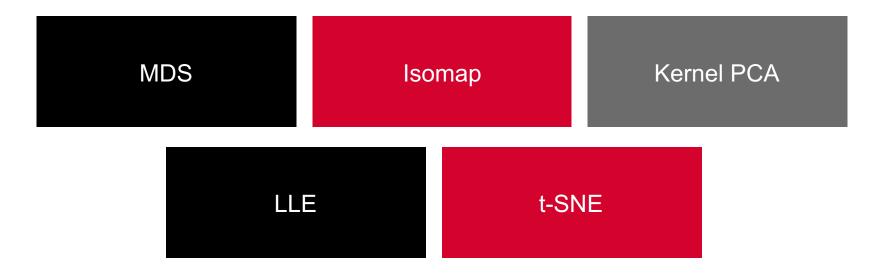


High-dimensional data

Unrolled to a simpler shape in low dimensions



#### Manifold Learning Techniques





Multidimensional Scaling (MDS)

Aims to preserve pair-wise Euclidean distances between all points while reducing dimensionality. Some intuitive similarities to MSE regression in underlying math.



#### Isomap

Aims to preserve pair-wise Euclidean distances between neighboring points only (not all points) while reducing dimensionality; works out equivalent to preserving geodesic distance between all points.



#### **Locally Linear Embedding**

Expresses each point as centroid (weighted average) of nearest neighbors; then tries to maintain same weights upon conversion to new dimensions.



# t-distributed Stochastic Neighbor Embedding (t-SNE)

Aims to keep similar points together and dissimilar points apart. First fits a Student-t probability distribution to the data, hence the name. Widely used in visualizing clusters.



#### Kernel PCA

First apply the kernel trick to map data into very high dimensional space. Then perform PCA to come down to lower-dimensional space.



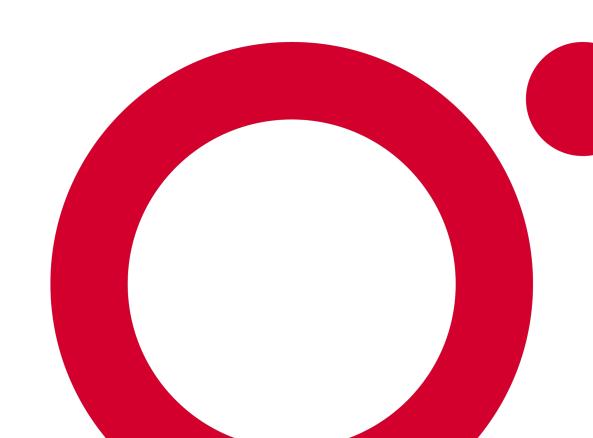
### O'REILLY®

Hands-on demos on dimensionality reduction



## O'REILLY®

Polls



Each of the following techniques is used in manifold unrolling, with the exception of:

Factor Analysis

Locally Linear Embedding

Multidimensional Scaling



Each of the following techniques is used in manifold unrolling, with the exception of:

Factor Analysis

Locally Linear Embedding

Multidimensional Scaling



Isomap is a manifold learning technique that:

Seeks to preserve geodesic distance between all points in the lower-dimensionality space

Seeks to preserve pair-wise Euclidean distances between all points in the lowerdimensionality space



The primary difference between PCA and LDA is:

PCA is a linear technique while LDA is a manifold learning technique

PCA finds axes that maximize variance, LDA finds axes that maximize inter-class separation

PCA is a manifold learning technique while LDA is a linear technique



The primary difference between PCA and LDA is:

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