

## CN Asynchronous Activity

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### Diffie Hellman Key Exchange Algorithm

Diffie Hellman is a standard method of User A & User B being able to communicate and end up with the same secret encryption key. This will make the attacker very difficult to retrieve the secret key.

#### Algorithm

Consider User A and User B, who wants to exchange their message.

User A will have his private key (say  $a$ ) and User B will have his private key (say  $b$ )

So first they will make a cipher text

$$A = p^a \text{ mod } q$$

$$B = p^b \text{ mod } q$$

Where  $p$  = primitive root  
 $q$  = prime number  
 $a$  = A's private key

where  $b$  = B's private key.

Now they will exchange their cipher texts.

Then they will find the private keys of each others message (Secret key)

Now to find their private key,

For User A

$$S = B^a \text{ mod } q$$

User B

$$S = A^b \text{ mod } q$$

Now the result (S) will be same, that is, that have successfully exchanged and decrypted the messages (secret encryption key)

Numerical Example

Consider  $q = 13, p = 6$

( $q$  = prime number  
 $p$  = primitive root)

User A

~~Private~~ Private Key  $a = 3$

$$A = 6^3 \text{ mod } 13$$

$$A = 8$$

User B

~~Private~~ Private Key  $b = 10$

$$B = 6^{10} \text{ mod } 13$$

$$B = 4$$

Now they exchange their public values  
A & B.

Now User A after Exchange

$$B = 4$$

Now for retrieving the actual value,

$$S = B^a \text{ mod } 13$$

Where  $a = A$ 's private Key

$B = \text{User B's public value (key)}$

$$S = 4^3 \text{ mod } 13$$

$$S = 12$$

Hence they received the result (secret encryption Key) successfully.

User B

$$A = 8$$

$$S = A^b \text{ mod } 13$$

Where  $b = B$ 's private Key

$A = \text{User A's public value (key)}$

$$S = 8^{10} \text{ mod } 13$$

$$S = 12$$