## CSE428: Image Processing

Lecture 3: Point Processing - Part 1

June 9, 2022

## **Spatial Image Processing**

#### Introduction

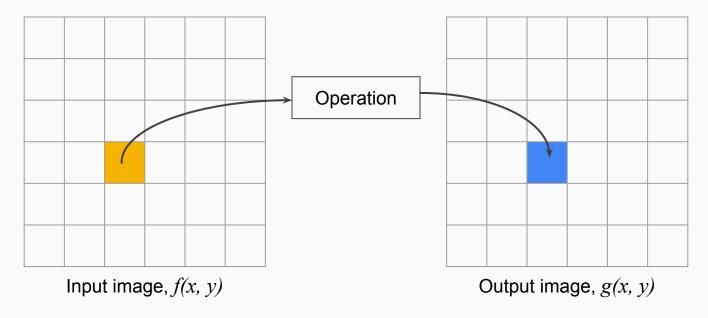
#### Typical image processing pipeline



- **Transform**: pixel values in some other, but equivalent form.
  - For example, fourier, wavelet, unity (no transform)
- Spatial processing: direct manipulation of pixels (i.e. unity transform)
- g(x, y) = T[f(x, y)], where f = input image, g = output image, T[] = mapping function
- Scope: (i) Enhancement improved visual quality (ii) Improved recognition rate

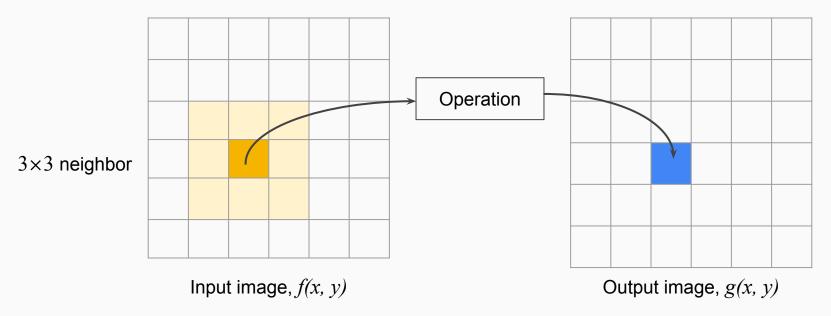
# Spatial Image Processing Types

#### **Point Processing**



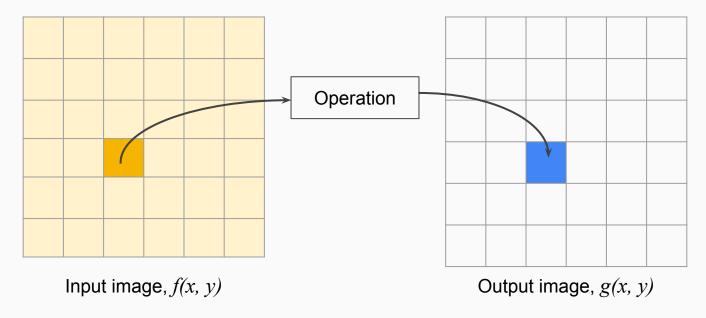
# Spatial Image Processing Types

#### **Neighborhood Processing (Filtering)**



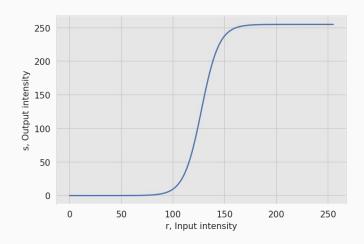
# Spatial Image Processing Types

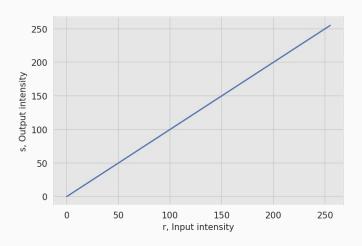
#### **Global Processing**



## **Mapping Function**

- s = T[r], where r = input intensity, s = output intensity, T[] = mapping function
- Mapping functions can be visualized graphically



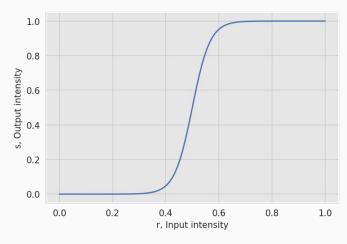


Contrast stretching

Unity mapping

## **Mapping Function**

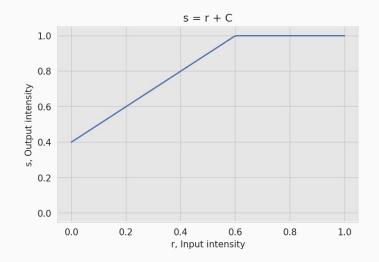
• Will consider [0, 1] range for simplicity

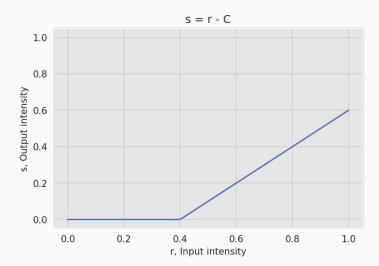


Contrast stretching Unity mapping

#### Addition and Subtraction - Brightness Adjustment

- $s = r \pm C$ , where r = input intensity, s = output intensity, C = a positive constant
- Have to make sure the outputs are <u>clipped</u> between [0, 1]
- Increases (+) or decreases (-) the overall brightness





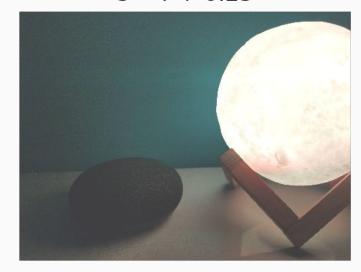
#### Addition and Subtraction - Brightness Adjustment

Addition might saturate high intensity levels

Original



$$s = r + 0.25$$



#### Addition and Subtraction - Brightness Adjustment

Subtraction might saturate low intensity levels

Original

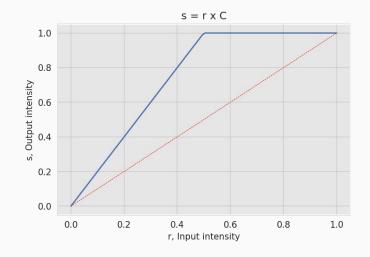


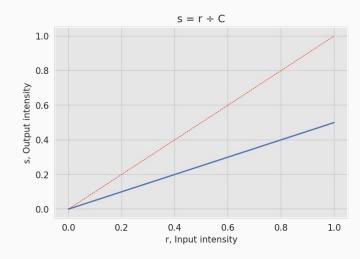
$$s = r - 0.25$$



#### Multiplication and Division - Contrast Adjustment

- $s = r \times C$  or  $r \div C$ , r = input intensity, s = output intensity, C = a positive constant
- Have to make sure the outputs are <u>clipped</u> between [0, 1]
- Combined with addition/subtraction, can be used for <u>contrast adjustment</u>





#### Multiplication and Division - Contrast Adjustment

Overall brightness increased, contrast increased

Original



$$s = r \times 2$$



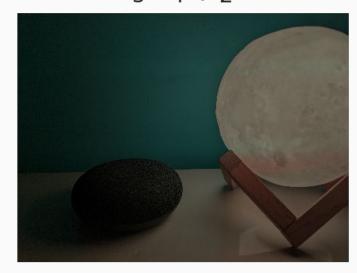
#### Multiplication and Division - Contrast Adjustment

Overall brightness decreased, contrast decreased

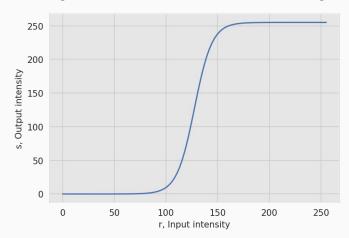
Original

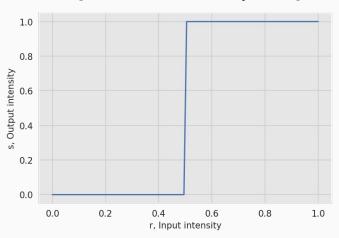


$$s = r \div 2$$



- A wide range near black/white is **compressed** to a corresponding narrow range
- A small range near the middle is **expanded** to a wide range
- Limiting case of contrast stretching is thresholding. Produces binary image.



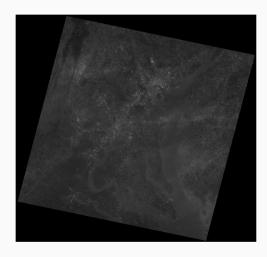


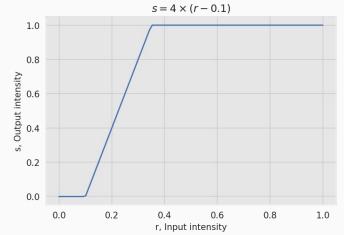
Contrast stretching

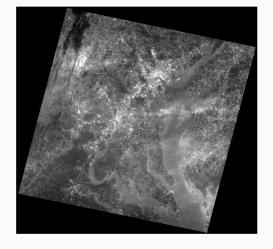
Thresholding

#### Using arithmetic operation

- $s = C_1 \times (r C_2)$ Some loss of information near low and high intensity levels







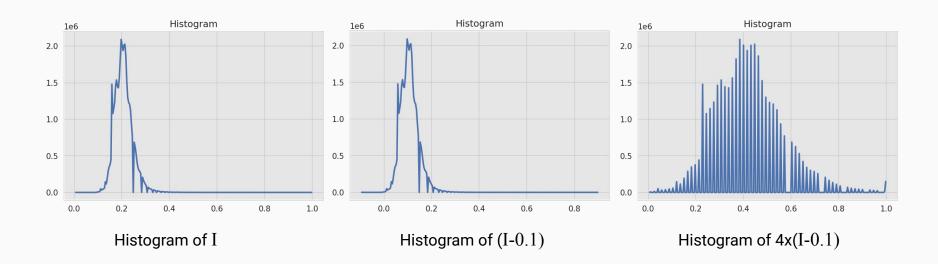
Input image (LANDSAT band 1)

Stretching function

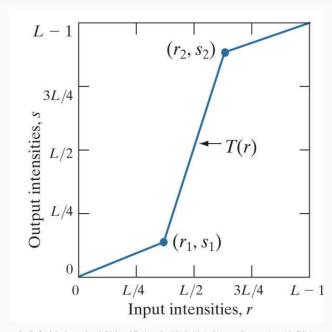
Output image

#### Using arithmetic operation

How to calculate C<sub>1</sub> and C<sub>2</sub>?

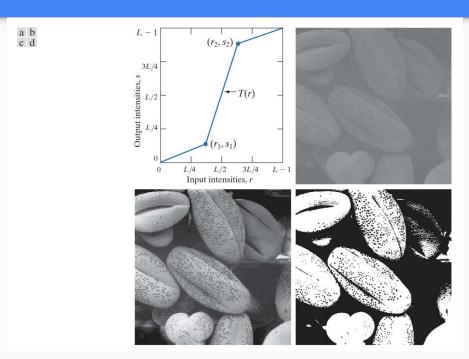


#### **Using Piecewise Linear Mapping**



- $[0, r_{I}]$  is mapped to  $[0, s_{I}]$  where  $s_{I} < r_{I}$  [Compressed]
- $[r_2, 1]$  is mapped to  $[s_2, 1]$  where  $s_2 > r_2$  [Compressed]
- $[r_1, r_2]$  is mapped to  $[s_1, s_2]$  [Stretched]
- No clipping, hence no loss of information

## Contrast Stretching Using Piecewise Linear Mapping



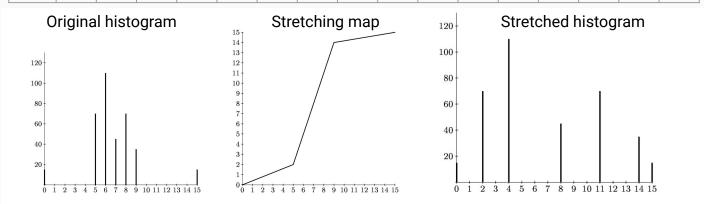
- (a) Piecewise linear transformation function.
- (b) A low-contrast electron microscope image of pollen, magnified 700 times.
- (c) Result of contrast stretching.
- (d) Result of thresholding.

(Original image courtesy of Dr. Roger Heady, Research School of Biological Sciences, Australian National University, Canberra, Australia.)

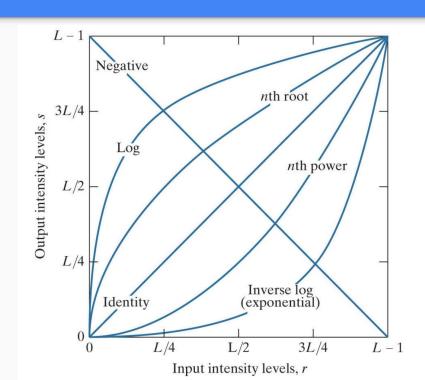
#### What is happening

#### **Example Histogram**

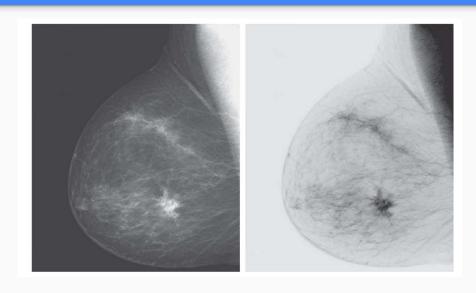
r	0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15
n <sub>r</sub>	15	0	0	0	0	70	110	45	70	35	0	0	0	0	0	15

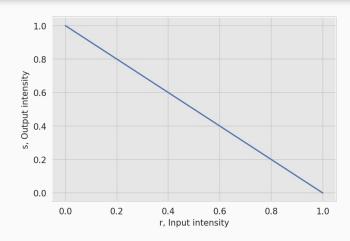


Basic transformations



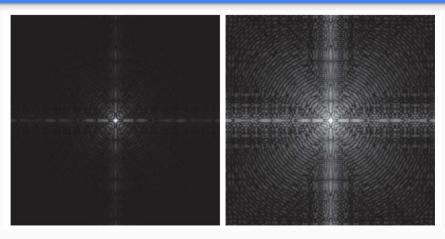
#### Negative Image

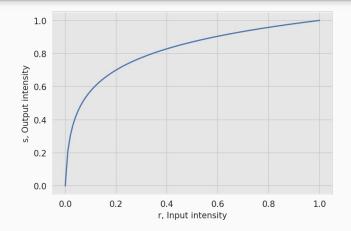




- $\bullet$  s = 1 r
- Mammogram with better tissue structure

#### Log Transformation - Dynamic Range Compression

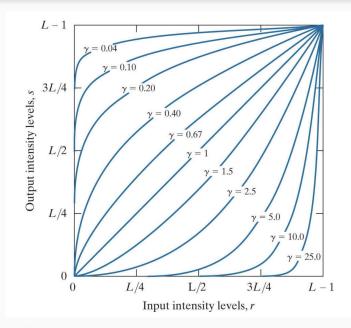




By Rafael C. Gonzalez & Richard E. Woods, 2018, Digital Image Processing, 4th Edition

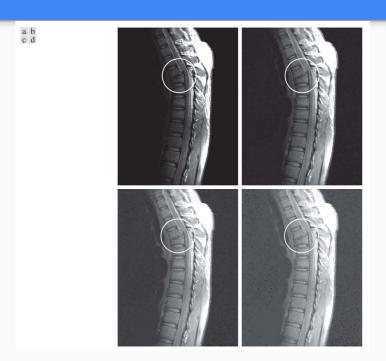
- $s = c \log(1 + r), r \ge 0, c \ge 0$
- Low range gray levels expanded
- High range gray levels compressed
- ^ Visualization of fourier spectra of an image before and after log compression

#### Power Law Transformation



- $s = cr^{\gamma}, r \ge 0, c, \gamma > 0$
- A generalized version of log transformation
- $\gamma > 1$  Inverse log transformation, dynamic range expansion
- $\gamma$  < 1 Log transformation, dynamic range compression

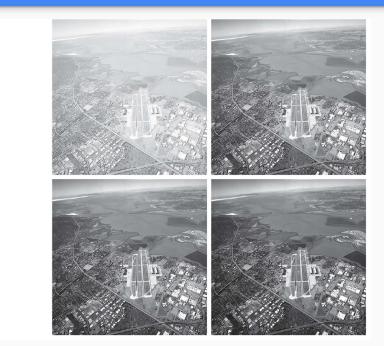
Power Law Transformation - Dynamic Range Compression



- (a) Magnetic resonance image (MRI) of a fractured human spine (the region of the fracture is enclosed by the circle).
- (b)–(d) Results of applying the transformation in Eq. (3-5) with c = 1 and  $\gamma$  = 0.6, 0.4, 0.3, respectively.

(Original image courtesy of Dr. David R. Pickens, Department of Radiology and Radiological Sciences, Vanderbilt University Medical Center.)

Power Law Transformation - Dynamic Range Expansion



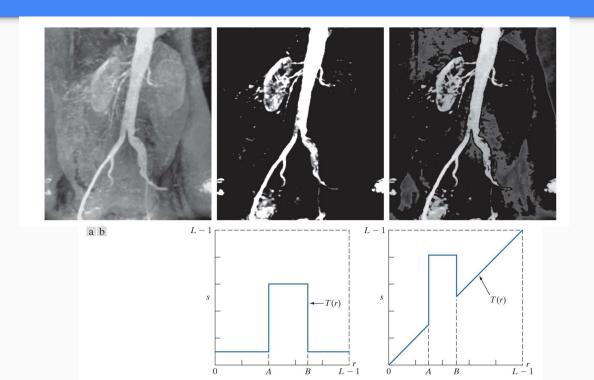
(a) Ariel Image

(b)–(d) Results of applying the transformation in Eq. (3-5) with c = 1 and  $\gamma = 3, 4, 5$ , respectively.

(Original image courtesy of NAS)

a b c d

**Gray-Level Slicing** 



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#### Discord

Link: <a href="https://discord.gg/vM2Npk3V2q">https://discord.gg/vM2Npk3V2q</a>

## Questions?