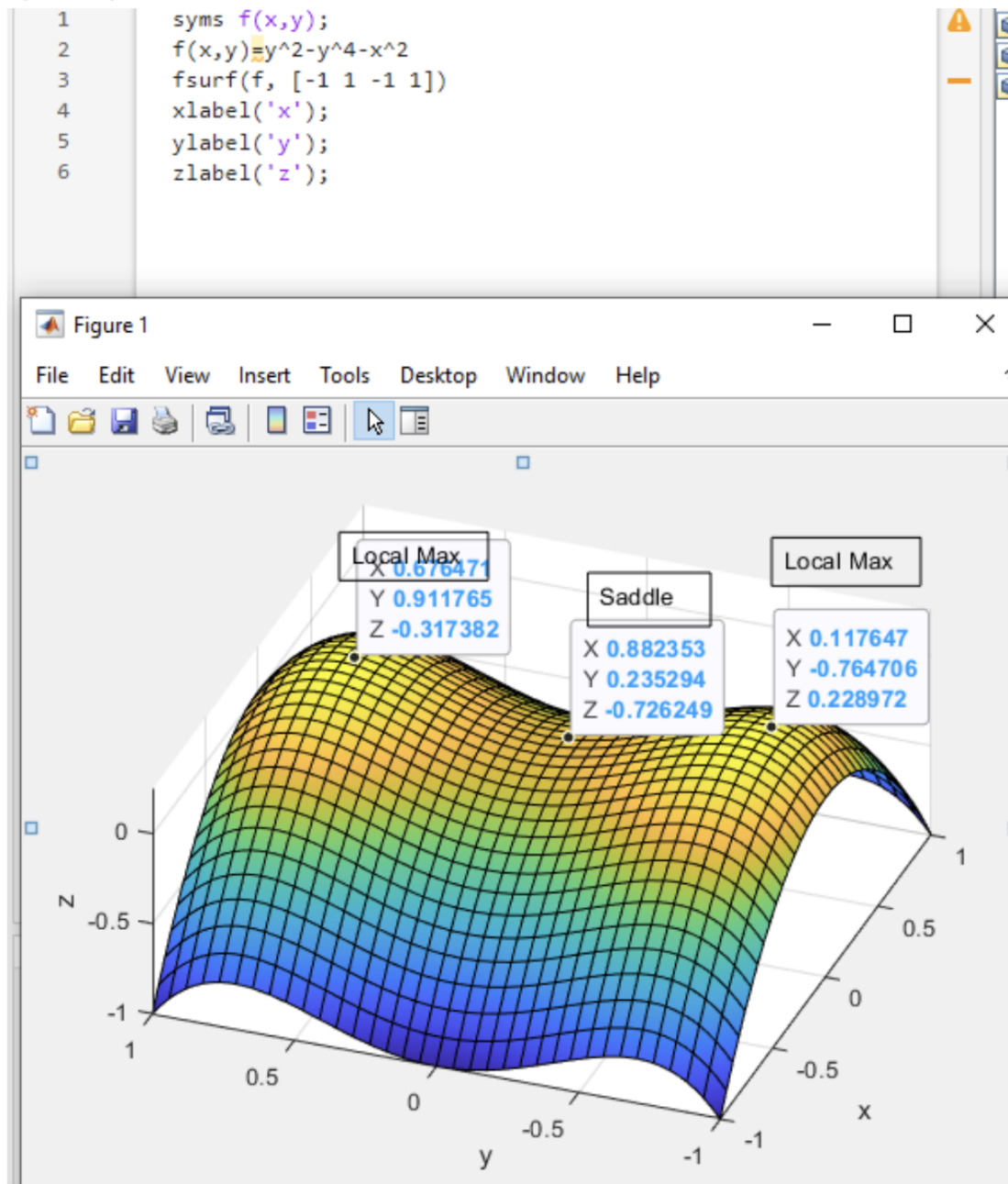


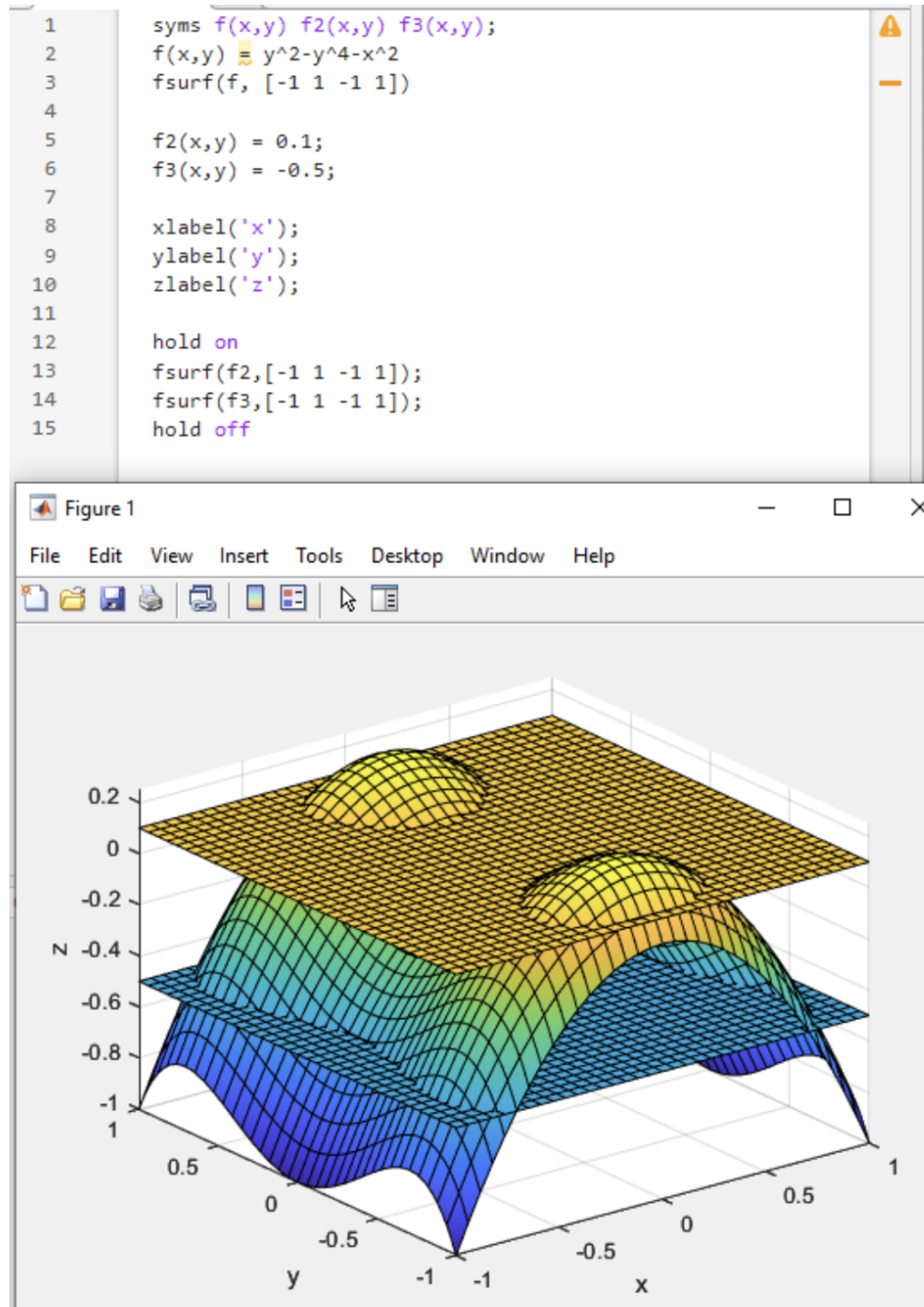
1).

a).



1) .

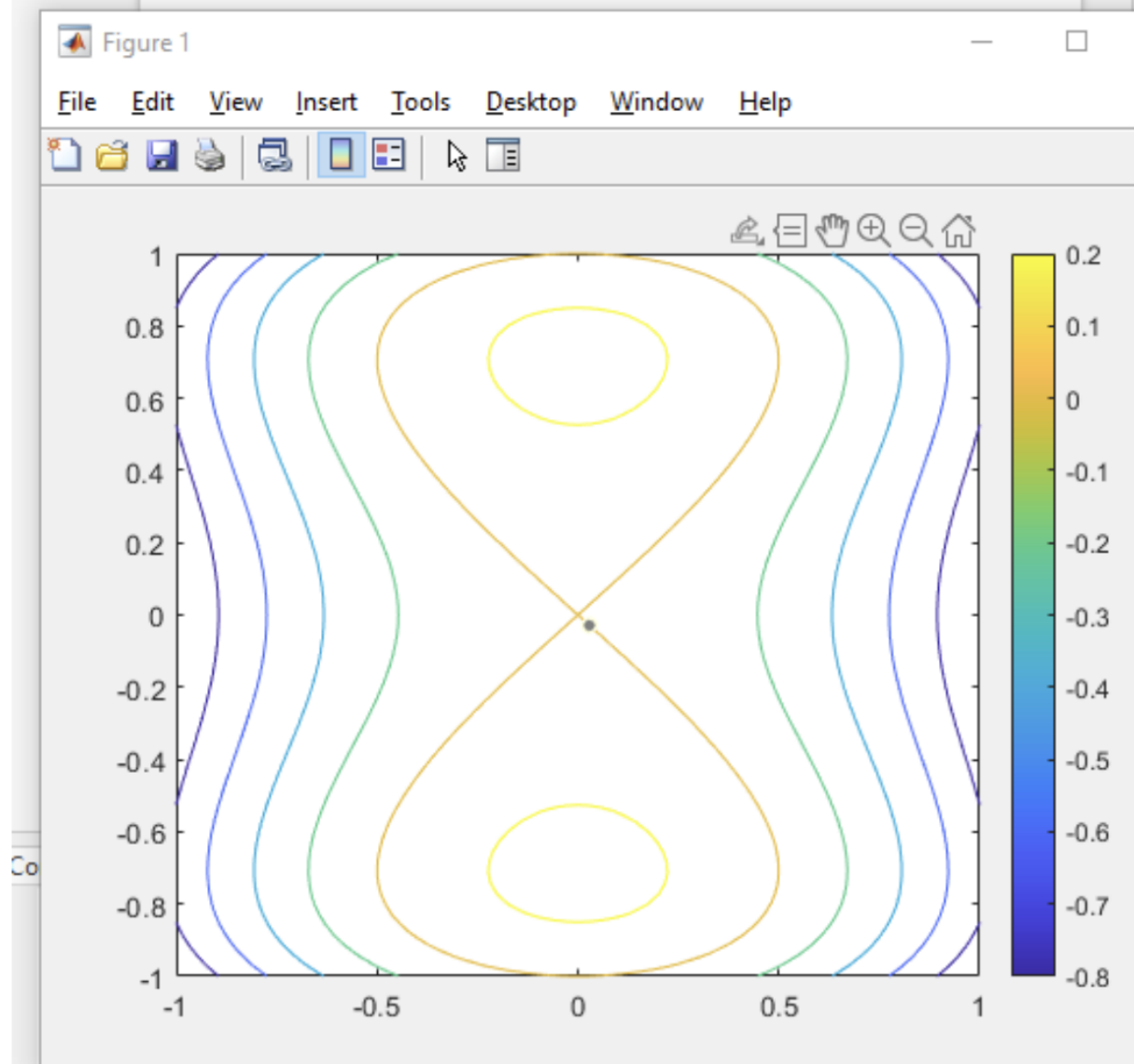
b) .



1).

c).

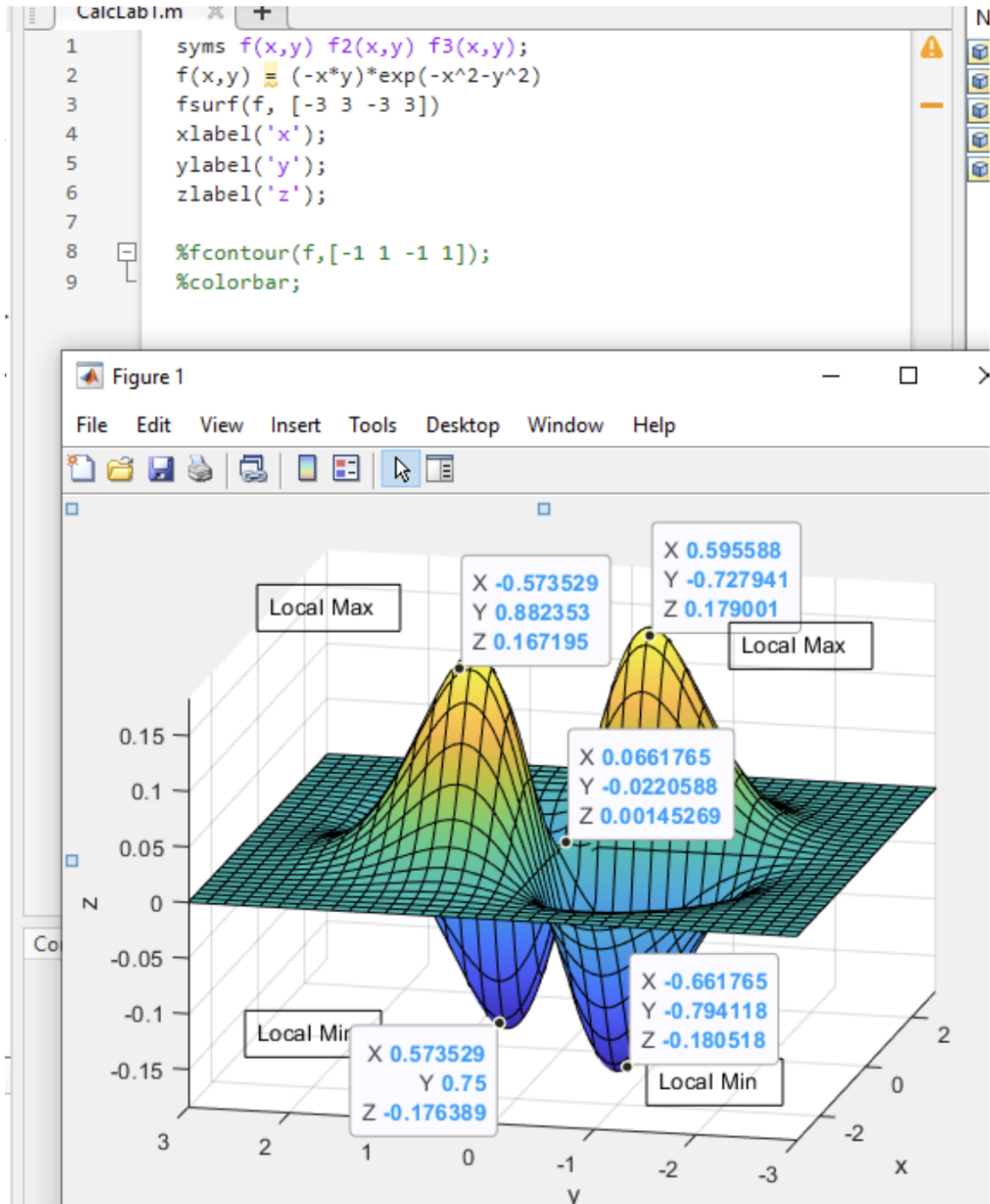
```
1 syms f(x,y);  
2 f(x,y) = y^2-y^4-x^2  
3 fsurf(f, [-1 1 -1 1])  
4  
5 fcontour(f,[-1 1 -1 1]);  
6 colorbar;
```



miss label \rightarrow pt

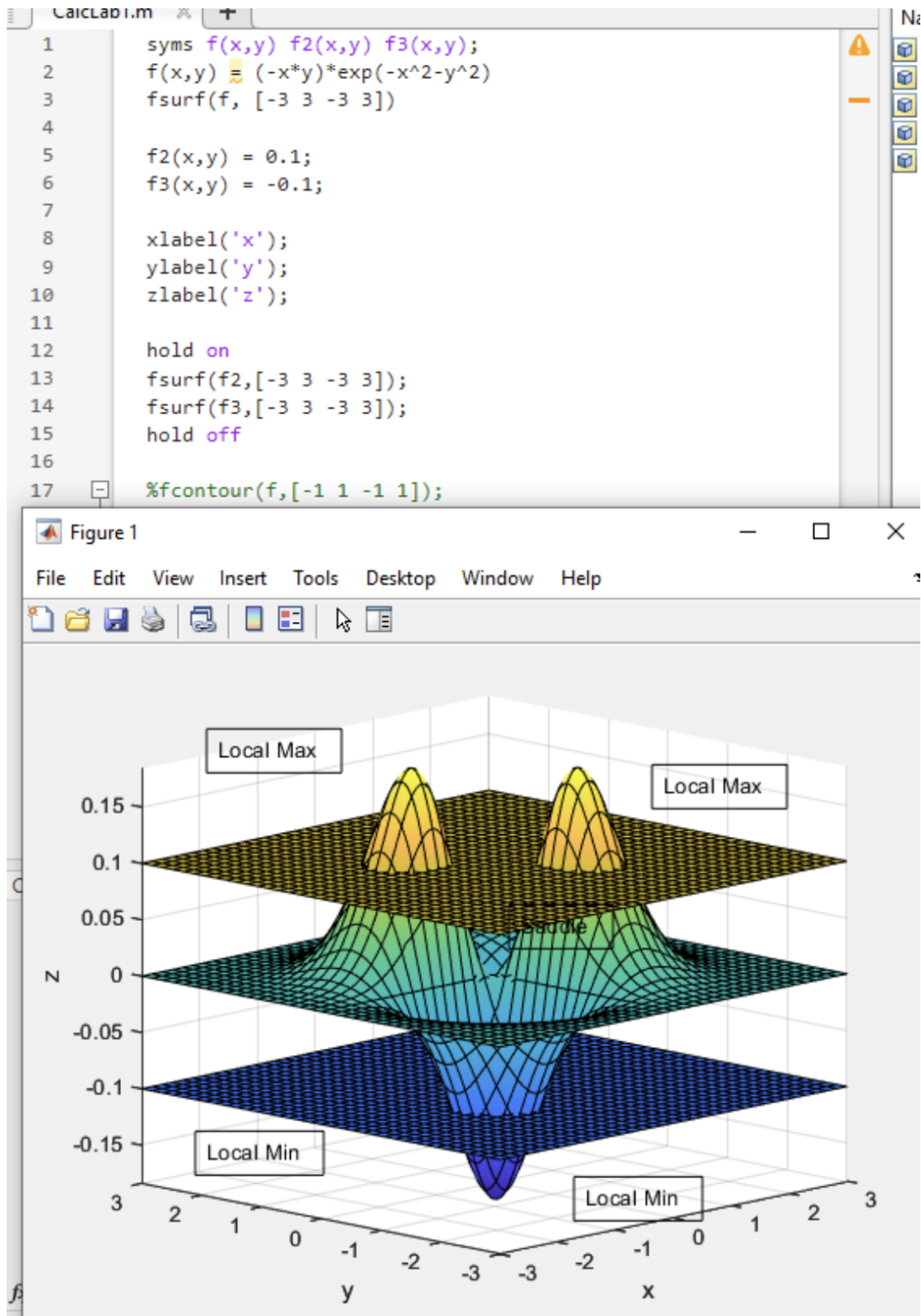
2) .

a) .



2).

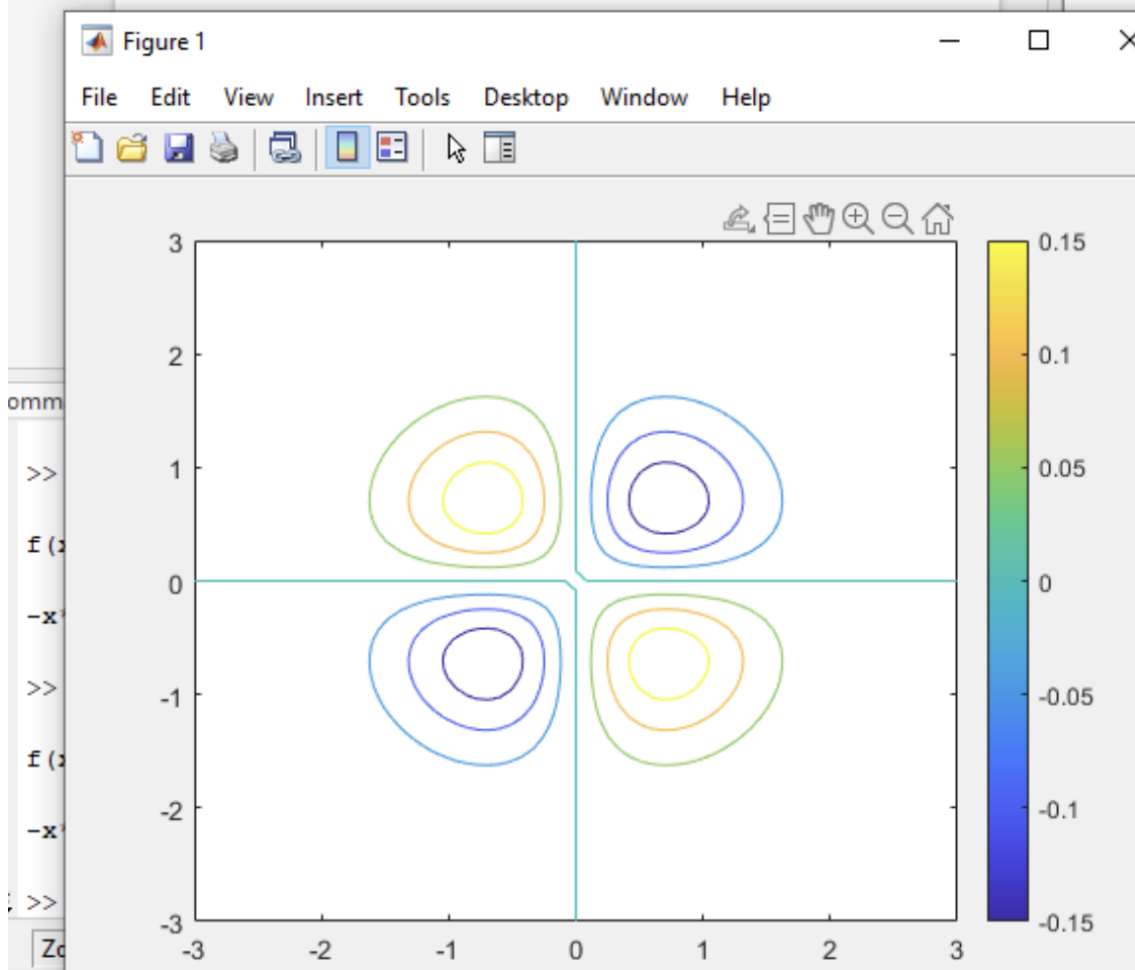
b).



2).

c).

```
1  syms f(x,y) f2(x,y) f3(x,y);
2  f(x,y) = (-x*y)*exp(-x^2-y^2)
3  fsurf(f, [-3 3 -3 3])
4
5  f2(x,y) = 0.1;
6  f3(x,y) = -0.1;
7
8  xlabel('x');
9  ylabel('y');
10 zlabel('z');
11
12 %hold on
13 %fsurf(f2,[-3 3 -3 3]);
14 %fsurf(f3,[-3 3 -3 3]);
15 %hold off
16
17 fcontour(f,[-3 3 -3 3]);
18 colorbar;
```



3).

a).

$$f(x, y, z) = e^{x^2+y^2+z^2}$$

$$c = e^{x^2+y^2+z^2}, c \geq 1$$

$$\ln c = x^2 + y^2 + z^2$$



b).

The contour map of the function will resemble a group of concentric circles, with the inside shaded blue and the outside red. The level surfaces will appear as concentric spheres centered at the origin, this is because the function $x^2 + y^2 + z^2$ is the equation for a sphere. The radius of these spheres will be equal to $\ln(c)$. For instance, when c equals e , the sphere will have a radius of 1, and when c equals e^4 , the sphere will have a radius of 2.

