# Improving Monte Carlo Tree Search with Memory in Go Project Report

Zeyi Wang

February 26, 2021

## 1 Summary

A previous work introduced Memory-Augmented Monte Carlo Tree Search (MMCTS) and showed incorporating a memory structure in Monte Carlo Tree Search (MCTS) could improve the search performance [3]. MMCTS was built on top of Fuego, a Go program that plays Go using Monte Carlo Tree Search. MMCTS also utilized a deep convolutional neural network (DCNN) to produce features for states [1]. Later on, stronger open-source Go programs such as *KataGo* were made available to researchers [2]. A natural question to ask is that, could MMCTS work on these stronger Go programs that have neural networks baked in?

In this project, we tried to answer that question. More specifically, we implemented a memory structure similar to one in MMCTS in KataGo. We called this new program M-KataGo and we evaluated its performance against the unmodified KataGo. Our experiments were not sufficient to show that M-KataGo is statistically better than KataGo. Here we report the designs we tried, the way we evaluated our algorithms, and lessons we learned from the experiments.

## 2 Methods

This project involved heavy experimentation and we did not obtain a "final form" of the algorithm. In the following section we will describe the methods we tried and the parameters we used. The combinations of all the methods and parameters described here define the search space of a class of M-KataGo algorithms. Unfortunately, we did not find a candidate algorithm in that space that consistently outperforms the original KataGo.

#### 2.1 Feature Selections

We utilized two types of features to measure state similarities. The first one is board ownership map that indicates the predicted board ownership when the game ends. This feature is trained in KataGo as an auxiliary learning target and could be extracted from neural network query outputs when a MCTS is performed. The dimension of the feature depends on the board size. We usually use board sizes of 9x9 or 19x19, which corresponds to feature sizes of 81 and 361 respectively. The other feature we used was the representations of the states from the middle layers of the neural network. The size of this feature depends the layer it is extracted from, ranging from 2000 to 15000.

#### 2.2 Memory Instance

The memory is responsible for storing state information that could be later used to improve search statistics. When a new M-KataGo instance is created, a memory is created with these following parameters:

• Feature Dim, then dimension of the feature

- MemorySize, the size of the memory, usually  $2000 \sim 20000$
- NumNeighbors, the number of nearest neighbors to select for querying, usually  $4\sim64$
- Aggregator, the aggregator to use for aggregating candidates statistics, either mean or softmax

#### 2.3 Memory Entry

An entry in the memory is a tuple of:

- ID, a unique identifier of the state
- Touch Counter, a counter to decide the oldest entry in the memory
- Feature Vector, a vector of floating point numbers that represents the state's features
- Value, the estimated value of the state
- Visits, the number of visits of the state

#### 2.4 Memory API

The memory's API supports two types of operations: *Update* and *Query*. (In [?] there's also *Add*, but we treated as a special case of *Update*.)

Update takes an ID and update that entry's Feature Vector, Value, and Visits. If an entry with that ID is not found, then a new entry is added to the memory with the statistics. The entry being updated will have the largest TouchCounter. If the memory is full, then the oldest entry (the one with the smallest TouchCounter) be kicked from the memory.

Query takes a Feature Vector and returns Value and Visits aggregated from best candidates within the memory. First, a linear sweep in the memory is performed. The distances between the input Feature Vector and the entries are calculated and the top NumNeighbors candidates are selected. Then, based on the Aggregator, we either aggregate the statistics of the candidates by averaging them (mean) or proportional to their Visits (softmax).

We tried to use a library for searching nearest neighbors (such as Annoy) to hold the entries. However, we found out that most of these libraries assumed data are relatively static (each update) and this is not the case with *M-KataGo* where thousands of states are inserted on-the-fly. As a result, we implemented our own nearest neighbor component that stores data in a hash-table and uses a linear search to find the nearest neighbors in the table. We found out that in practice a simpler linear search based memory outperforms libraries, and this is even more true when the memory size is small.

#### 2.5 Memory Usage in the MCTS

To use the memory with MCTS, we first define a procedure called *BlendWithMemory*. This procedure takes a search node as an input, queries the memory, and returns a pair of blended statistics with the original node statistics. If the memory is not full yet, which means the search just started, the procedure returns the original statistics without modification. If the state is not in the memory, then the memory is updated with *Update* based on the state and its associated statistics.

We considered these two parameters for this procedure:

- MemoryLambda, the amount of blending from (0, 1), but usually within (0.1, 0.7). 0 means the memory is ignored, 1 means the original node is ignored and we only use the memory. Denoted as  $\lambda$ .
- DiscountFactor, the amount from (0, 1) that denotes the discounts of blending when the original node have more visits. Usually within (0.5, 0.99). A smaller number means we discount the blending more when the original node has more visits. Denoted as  $\alpha$ .

Also, let v denotes the node's value and w denotes the node's weight (usually number of visits of the node). Then, let  $v_M$  denotes the value aggregated by the memory and  $w_M$  denotes the weight aggregated by the memory. Given a node, we blend the node's statistics with the memory using this formula:

$$\beta = \lambda \alpha^{\frac{\log w * w}{w_M}}$$

$$v' = (1 - \beta)v + \beta v_M$$

$$w' = (1 - \beta)w + \beta w_M$$

This is the general formula and we also tried a few variants of it. For example, the update to w' isn't necessary and only updating v' makes sense too.

There are two main places where we call this procedure in the MCTS. The first one is where the MCTS adds a new leaf node. In this case, we first follow the usual procedure of estimating the state's value by querying the value network. In KataGo, this value is directly used as the value of the new node with a visit count of 1. On the other hand, M-KataGo updates both the value and the visit count with BlendWithMemory then uses the updated statistics for the new node. The other place where we use this procedure is when the MCTS backups and the node statistics are recomputed. In KataGo, the new statistics of a node are recomputed based on the statistics of its children and the estimation of the value network. In addition to that, M-KataGo further updates those statistics with BlendWithMemory and now the recomputed statistics also depend on similar states in the memory. Notice that this is different from the method in [?] where parent nodes do not query the memory. In our experiments, the latency of querying the memory in all nodes was acceptable so we used parent queries in most of the experiments doing so. We also tried only updating the leaf nodes, but did not notice much difference.

#### 2.6 Source Code

The source code is hosted publicly on GitHub ( $\rightarrow$  link). All M-KataGo related branches are prefixes with mmcts/. The update formula described above can be viewed on branch mmcts/bias-utility-discount ( $\rightarrow$  link). The latest change was made on branch mmcts/debug101 ( $\rightarrow$  link). Utilities like the judge program is also hosted publicly on GitHub ( $\rightarrow$  link).

## 3 Evaluations

KataGo (version: 1.4.2) was trained through self-playing so it has a built-in function of playing with itself. However, this built-in function does not handle different versions of the source code so we could not use it to compare KataGo and M-KataGo. As a result, we have use an external program that acts like a server and organizes games between two Go engines. More specifically, KataGo supports Go Text Protocol (GTP), which means it can take instructions and play games through this interface. We do not modify this part of KataGo that communicates through this interface so M-KataGo has the same functionalities.

We first used gogui-twogtp, a judge program that supports GTP, to orchestrate games between KataGo and M-KataGo. There were two major limitations to gogui-twogtp that made us decided to switch to a different program. The first problem is that it does not handle exceptions well. Depending on the type of the exceptions, gogui-twogtp would either suppress the message or log the message to the screen with other regular messages. This made tracing bugs with error messages difficult, especially with a large number of concurrent games where all games logs are dumped on the screen. The other problem is that it cannot be modified easily. gogui-twogtp is actually a sub-command of gogui, a toolkit that does much more than orchestrating games between two Go programs. In addition, it is written in Java and none of us know it well enough to make surgical changes.

Due to the limitations to gogui-twogtp, we switched to a different program called gomill. gomill is also a judge program that supports GTP, so it communicates with *KataGo* and *M-KataGo* instances the same way as gogui-twogtp does. gomill overcame the gogui-twogtp's error handling problem by

```
m-katago v katago (1000/1000 games)
board size: 9 komi: 5.5
```

	wins	black	white	avg cpu
m-katago	514 51.40%	294 58.80%	230 46.00%	891.91
katago	486 48.60%	276 55.20%	220 44.00%	108.70
		560 56.00%	440 44.00%	

m-katago config:
memorySize = 10000
memoryNumNeighbors = 5
memoryLambda = 0.5
memoryTemperature = 0.2

Figure 1: An example run report for evaluation where *M-KataGo* wins 514 games out of 1000 games vs *KataGo*. The calculated 95% confidence interval of this run is (0.4830, 0.5449), which means there's only a weak sign of m-katago outperforming katago. Most runs we conducted have results similar to this, where the win rate difference between *M-KataGo* and *KataGo* is small and no statistically significant conclusion could be drawn. The avg cpu column reports the average CPU time to make a move, and *M-KataGo* usually spends significantly more time than *KataGo* in planning. In this run it spent 825% more time than *KataGo*, and in general *M-KataGo* spends 50% to 2000% (depends on configuration) more time than *KataGo*. According to the *KataGo*'s author, doubling number of simulations (linearly proportional to avg cpu) should yield a roughly 5% gain in win rate. This means even if the win rate gain in this example is real, the trade-off between computational cost and win rate is worse than simply increasing the number of simulations.

dumping logs of each competitors into separate files and never suppress useful error messages. Moreover, it is written in Python with minimum dependencies, so we could patch it easily when we need some extra functionalities.

There were two changes we made to customize gomill. We made the first change to cope with the problem of duplicate games. To reduce the number of duplicated games, we created a pool of games starting rules in which gomill will randomly select one for each pair of competitors. These rules included different Go rule sets ("chinese", "japanese", "tromp-taylor", e.t.c.) and different komi settings (5.5, 6.5, 7.5).

Our early experiments were done on local computers and Cirrus Cloud at the University of Alberta. We soon realized the experiments weren't fast enough and switched to using Compute Canada clusters. We evaluated M-KataGo by using the judge program mentioned above to play against KataGo. To test a specific version of M-KataGo, we spawn a job with 4 - 32 CPU cores and 1 GPU that runs 300 - 2000 games. The rule sets were either fixed or randomized by a customized judge program. The board size was one of 9x9, 13x13, 19x19. We also tried adjusting match specific parameters, such as the number of total node visits and the temperature of move selection. We always keep this type of parameters the same for both competitors. Once the games finish, we then calculate the 95% confidence interval for M-KataGo's win rates in these games. Our goal were to find a version of M-KataGo for which the lower bound of its win rate confidence interval is above 55%. Unfortunately, the lower bounds we got usually lie between 45% and 50%, meaning either our methods were not in fact better or we did not obtain enough samples to show its statistical significance.

## 4 Conclusion

In this project we tried to implement MMCTS on top of KataGo. We experimented with various methods and parameter settings and evaluated each version of M-KataGo carefully. We did not find any version of M-KataGo that beats KataGo consistently. This means either our methods were not superior or the number of samples were not enough to show statistical significance. We suspect KataGo is not compatible with MMCTS for some reason but we couldn't isolate the reason since there was too much noise in the experiments. A possible direction for future study could be implementing MMCTS for a smaller game on top of a simpler MCTS. This could help understanding MMCTS better without involving the complexity of Go and integration with a massive C++ project like KataGo.

## References

- [1] Christopher Clark and Amos J. Storkey. Teaching deep convolutional neural networks to play Go. *CoRR*, abs/1412.3409, 2014.
- [2] David J. Wu. Accelerating self-play learning in Go. CoRR, abs/1902.10565, 2019.
- [3] Chenjun Xiao, Jincheng Mei, and Martin Müller. Memory-augmented monte carlo tree search. In *Proceedings of the AAAI Conference on Artificial Intelligence*, volume 32, 2018.