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HOG Person Detector Tutorial

09 May 2013

One of the most popular and successful "person detectors" out there right now is the HOG with SVM approach. When I attended the Embedded Vision Summit in April 2013, it was the most common algorithm I heard associated with person detection.

HOG stands for Histograms of Oriented Gradients. HOG is a type of "feature descriptor". The intent of a feature descriptor is to generalize the object in such a way that the same object (in this case a person) produces as close as possible to the same feature descriptor when viewed under different conditions. This makes the classification task easier.

The creators of this approach trained a Support Vector Machine (a type of machine learning algorithm for classification), or "SVM", to recognize HOG descriptors of people.

The HOG person detector is fairly simple to understand (compared to SIFT object recognition, for example). One of the main reasons for this is that it uses a "global" feature to describe a person rather than a collection of "local" features. Put simply, this means that the entire person is represented by a single feature vector, as opposed to many feature vectors representing smaller parts of the person.

The HOG person detector uses a sliding detection window which is moved around the image. At each position of the detector window, a HOG descriptor is computed for the detection window. This descriptor is then shown to the trained SVM, which classifies it as either "person" or "not a person".

To recognize persons at different scales, the image is subsampled to multiple sizes. Each of these subsampled images is searched.

Original Work

The HOG person detector was introduced by Dalal and Triggs at the CVPR conference in 2005. The original paper is available here.

The original training data set is available here.

Gradient Histograms

The HOG person detector uses a detection window that is 64 pixels wide by 128 pixels tall.

Below are some of the original images used to train the detector, cropped in to the 64x128 window.











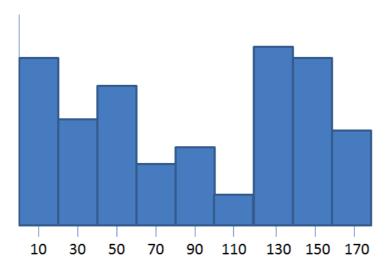
To compute the HOG descriptor, we operate on 8x8 pixel cells within the detection window. These cells will be organized into overlapping blocks, but we'll come back to that.

Here's a zoomed-in version of one of the images, with an 8x8 cell drawn in red, to give you an idea of the cell size and image resolution we're working with.

D



Within a cell, we compute the gradient vector at each pixel (see my post on gradient vectors if you're unfamiliar with this concept). We take the 64 gradient vectors (in our 8x8 pixel cell) and put them into a 9-bin histogram. The Histogram ranges from 0 to 180 degrees, so there are 20 degrees per bin.



Note: Dalal and Triggs used "unsigned gradients" such that the orientations only ranged from 0 to 180 degrees instead of 0 to 360.

For each gradient vector, it's contribution to the histogram is given by the magnitude of the vector (so stronger gradients have a bigger impact on the histogram). We split the contribution between the two closest bins. So, for example, if a gradient vector has an angle of 85 degrees, then we add 1/4th of its magnitude to the bin centered at 70 degrees, and 3/4ths of its magnitude to the bin centered at 90.

I believe the intent of splitting the contribution is to minimize the problem of gradients which are right on the boundary between two bins. Otherwise, if a strong gradient was right on the edge of a bin, a slight change in the gradient angle (which nudges the gradient into the next bin) could have a strong impact on the histogram.

Why put the gradients into this histogram, rather than simply using the gradient values directly? The gradient histogram is a form of "quantization", where in this case we are reducing 64 vectors with 2 components each down

to a string of just 9 values (the magnitudes of each bin). Compressing the feature descriptor may be important for the performance of the classifier, but I believe the main intent here is actually to generalize the contents of the 8x8 cell.

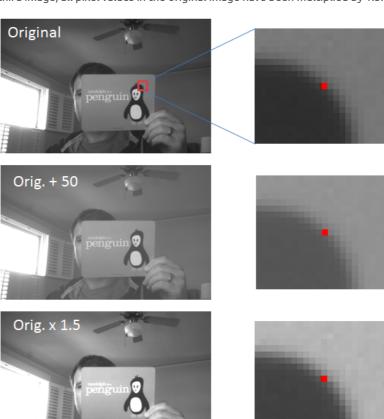
Imagine if you deformed the contents of the 8x8 cell slightly. You might still have roughly the same vectors, but they might be in slightly different positions within the cell and with slightly different angles. The histogram bins allow for some play in the angles of the gradients, and certainly in their positions (the histogram doesn't encode _where _each gradient is within the cell, it only encodes the "distribution" of gradients within the cell).

Normalizing Gradient Vectors

The next step in computing the descriptors is to normalize the histograms. Let's take a moment to first look at the effect of normalizing gradient vectors in general.

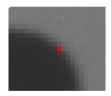
In my post on gradient vectors, I show how you can *add or subtract* a fixed amount of brightness to every pixel in the image, and you'll still get the same the same gradient vectors at every pixel.

It turns out that by normalizing your gradient vectors, you can also make them invariant to *multiplications* of the pixel values. Take a look at the below examples. The first image shows a pixel, highlighted in red, in the original image. In the second image, all pixel values have been increased by 50. In the third image, all pixel values in the original image have been multiplied by 1.5.

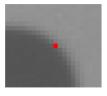


Notice how the third image displays an increase in contrast. The effect of the multiplication is that bright pixels became much brighter while dark pixels only became a little brighter, thereby increasing the contrast between the light and dark parts of the image.

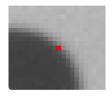
Let's look at the actual pixel values and how the gradient vector changes in these three images. The numbers in the boxes below represent the values of the pixels surrounding the pixel marked in red.



$$\nabla f = \begin{bmatrix} 38\\38 \end{bmatrix}$$
 $|\nabla f| = \sqrt{(38)^2 + (38)^2} = 53.74$



$$\nabla f = \begin{bmatrix} 38 \\ 38 \end{bmatrix}$$
$$|\nabla f| = \sqrt{(38)^2 + (38)^2} = 53.74$$



$$\nabla f = {57 \brack 57}$$
 $|\nabla f| = \sqrt{(57)^2 + (57)^2} = 80.61$

The gradient vectors are equivalent in the first and second images, but in the third, the gradient vector magnitude has increased by a factor of 1.5.

If you divide all three vectors by their respective magnitudes, you get the same result for all three vectors: [0.71 0.71]'.

So in the above example we see that by dividing the gradient vectors by their magnitude we can make them invariant (or at least more robust) to changes in contrast.

Dividing a vector by its magnitude is referred to as normalizing the vector to unit length, because the resulting vector has a magnitude of 1. Normalizing a vector does not affect its orientation, only the magnitude.

Histogram Normalization

Recall that the value in each of the nine bins in the histogram is based on the magnitudes of the gradients in the 8x8 pixel cell over which it was computed. If every pixel in a cell is multiplied by 1.5, for example, then we saw above that the magnitude of all of the gradients in the cell will be increased by a factor of 1.5 as well. In turn, this means that the value for each bin of the histogram will also be increased by 1.5x. By normalizing the histogram, we can make it invariant to this type of illumination change.

Block Normalization

Rather than normalize each histogram individually, the cells are first grouped into blocks and normalized based on all histograms in the block.

The blocks used by Dalal and Triggs consisted of 2 cells by 2 cells. The blocks have "50% overlap", which is best described through the illustration below.





This block normalization is performed by concatenating the histograms of the four cells within the block into a vector with 36 components (4 histograms x 9 bins per histogram). Divide this vector by its magnitude to normalize it.

The effect of the block overlap is that each cell will appear multiple times in the final descriptor, but normalized by a different set of neighboring cells. (Specifically, the corner cells appear once, the other edge cells appear twice each, and the interior cells appear four times each).

Honestly, my understanding of the rationale behind the block normalization is still a little shaky. In my earlier normalization example with the penguin flash card, I multiplied every pixel in the image by 1.5, effectively increasing the contrast by the same amount over the *whole* image. I imagine the rationale in the block normalization approach is that changes in contrast are more likely to occur over smaller regions within the image. So rather than normalizing over the entire image, we normalize within a small region around the cell.

Final Descriptor Size

The 64 x 128 pixel detection window will be divided into 7 blocks across and 15 blocks vertically, for a total of 105 blocks. Each block contains 4 cells with a 9-bin histogram for each cell, for a total of 36 values per block. This brings the final vector size to 7 blocks across x 15 blocks vertically x 4 cells per block x 9-bins per histogram = 3,780 values.

HOG Detector in OpenCV

OpenCV includes a class for running the HOG person detector on an image.

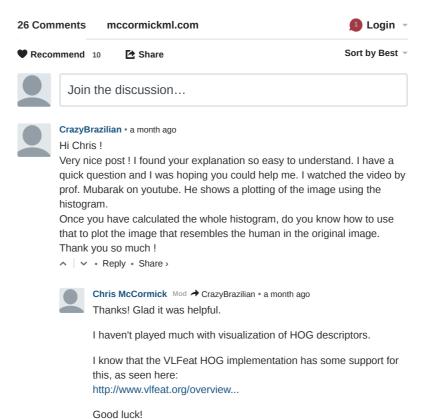
Check out this post for some example code that should get you up and running quickly with the HOG person detector, using a webcam as the video source.

HOG Descriptor in Octave / MATLAB

To help in my understanding of the HOG descriptor, as well as to allow me to easily test out modifications to the descriptor, I've written a function in Octave for computing the HOG descriptor for a 64x128 image.

As a starting point, I began with the MATLAB code provided by another researcher here. That code doesn't implement all of the features of the original HOG person detector, though, and didn't make very effective use of vectorization.

I've dedicated a separate post to the Octave code, check it out here.





Glassies Adamson • 2 months ago

Hill I was wondering if it could still detect images of person if it is half hody

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or top view only? Can you help me with this, please. Thank you so much :D



Chris McCormick Mod → Glassies Adamson • a month ago

I think this is a weakness of the original HOG detector--the person can't be too occluded for it to work well. There was some later work done that used gradient histograms but with a connected components model--I think this was supposed to handle occlusion better.

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aamer aamer • 2 months ago

can u provide some code in python opency like the one provided in c++

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Bhakti • 2 months ago

Here You mention the detection window is 64 pixel wide and 128 pixel tall. so my question is the can I changes in Detection window size? Here u can extract feature of Person. but instead of person I have use Car then its Detection window is in Horizontal form...like 128 pixel wide and 64 pixel tall...so What is the answer of my question....Thank you So much...



Chris McCormick Mod → Bhakti • a month ago

Sorry for the delayed response, but yes, absolutely. The HOG detector has been modified to detect cars and bicycles--you can definitely play with the dimensions of the detection window.



Bhakti → Chris McCormick • a month ago

thank you so much



Tobias Becker • 2 months ago

Your description helped a lot—in contrast to the original paper, which is quite terse when it comes to the implementation. I have one question though: What do I do when my x-gradient is zero? Because division naturally would blow up. And when the y-gradient is not zero there's definetely some magnite to vote with.



Tobias Becker → Tobias Becker • 2 months ago

Oh, I just solved it. Using atan2 instead of dividing yourself makes life easier.



Chris McCormick Mod → Tobias Becker • 2 months ago

Cool; I used atan2 in my code as well.

Glad the article was helpful, thanks!



Tapas • 2 months ago

Thanks for nice explanation.



Chris McCormick Mod → Tapas • 2 months ago

Thanks, glad it was helpful!



Vadim Timoftica • 3 months ago

Hi people how convert HOGDescriptor hog; to int?



Chris McCormick Mod → Vadim Timoftica • 2 months ago

Do you mean converting the floating point values in the descriptor to integers?



Alvaro Gregorio Gómez • 3 months ago

Really clarifies a lot the paper, I've been searchin for this for one month in order to do my bachelor thesis. I was wondering how much time it requires to train a decent classifier



Yutian Li • 4 months ago

Thanks for the illustration and explanation. That makes much more sense to me. I feel sometimes the paper tries to be generic and gloss over implementation details.



Chris McCormick Mod → Yutian Li • 3 months ago

Thanks, glad it was helpful!



Raymond Phan • 4 months ago

Very good explanation on HOG. The original paper was somewhat confusing and the material I've found on Wikipedia and other Computer Vision course websites was rather unclear. This is the first treatise on the topic that is simple to understand and as a bonus you've included MATLAB / Octave code. Thank you for your efforts!



Chris McCormick Mod → Raymond Phan • 4 months ago

Thanks for the kind words, so glad to hear it was helpful!

1 ^ V • Reply • Share >



Raymond Phan → Chris McCormick • 4 months ago

No problem at all. If I may suggest something, inside your getHistogram.m code where you're calculating the contribution of the magnitudes per bin, I see you've computed the dot product between the weight vector and the magnitude for both the left and right bin contributions. After, you use the sum function. Because you are transposing the weight vector so that it becomes a row (i.e. leftPortion(pixels)') and with the multiplication with the magnitudes being a column, this already calculates the sum of products (i.e. the dot product) for you and so sum is not necessary to be called... actually it's redundant. This obviously provides little computational boost but it's something to consider. Or if you wish the sum to remain, explicitly do an element-wise product of the two vectors while maintaining that the weight vector is a column (i.e. sum(leftPortion(pixels) .* magnitudes(pixels));). Otherwise, great code!



MJ • 4 months ago

Love how you make it look so simple! Thanks allot!

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Sidharth Bhagwan Bhorge • 5 months ago

very nice explanation sir



Sanjaya Nayak • 6 months ago

Great explanation Sir, Thank you.



Ahmed • 6 months ago

Thank you. Simple and neat



Faraz • 7 months ago

Fantastic post, thank you.

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