

$h \in C(K)$ such that $Tf(s) = h(s)f(\phi(s))$ holds for all $s \in K$. ϕ is continuous in every point t with $h(t) \neq 0$.

(ii) Let X be locally compact, $T \in L(C_0(X))$. T is a lattice isomorphism if and only if there is a homeomorphism ϕ from X onto X and a bounded continuous function h on X such that $h(s) \geq \delta > 0$ for all s and $Tf(s) = h(s)f(\phi(s))$ ($s \in X$). T is an algebraic $*$ -isomorphism if and only if T is a lattice isomorphism and the function h above is $\equiv 1$.