

↓ Higher ranked types (EH4)

↓ Polymorphic type inference (EH3)

↓ Simply typed λ calculus (EH1)

Example →

```
let id :: a → a
    id = λx → x
f  :: (∀ a. a → a) → ...
f  = λf' → (id 3, id 'x')
```

```
let i :: Int
    i = 5
in i
```

```
let id = λx → x
    (id 3, id 'x')
```

Semantics →

$$\frac{\Gamma; \square \rightarrow \sigma^k \vdash^e e_1 : \sigma_a \rightarrow \sigma \quad \Gamma; \sigma_a \vdash^e e_2 : _}{\Gamma; \sigma^k \vdash^e e_1 e_2 : \sigma}$$

(E.APP_K)

$$\frac{\sigma^k \vdash^e e_1 : \sigma_a \rightarrow \sigma \rightsquigarrow C_f \quad \sigma_a \vdash^e e_2 : _ \rightsquigarrow C_a}{\sigma^k \vdash^e e_1 e_2 : C_a \sigma \rightsquigarrow C_a}$$

Implementation →

```
sem Expr
  | App (func.gUniq, loc.uniq1)
    = mkNewLevUID @lhs.aUniq
```

```
sem Expr
  | App (func.gUniq, loc.uniq1)
    = mkNewLevUID @lhs.gUniq
    func.knTu = [mkTuVar @uniq1] 'mkArrow' @lhs.knTy
```

```
sem Expr
  | App func.knTy = [Ty_Any] 'mkArrow' @lhs.knTy @func.ty
    (loc.ty_a_, loc.ty_)
    = tyArrowArgRes @func.ty
    arg .knTy = @ty_a_
    loc .ty   = @ty_
```