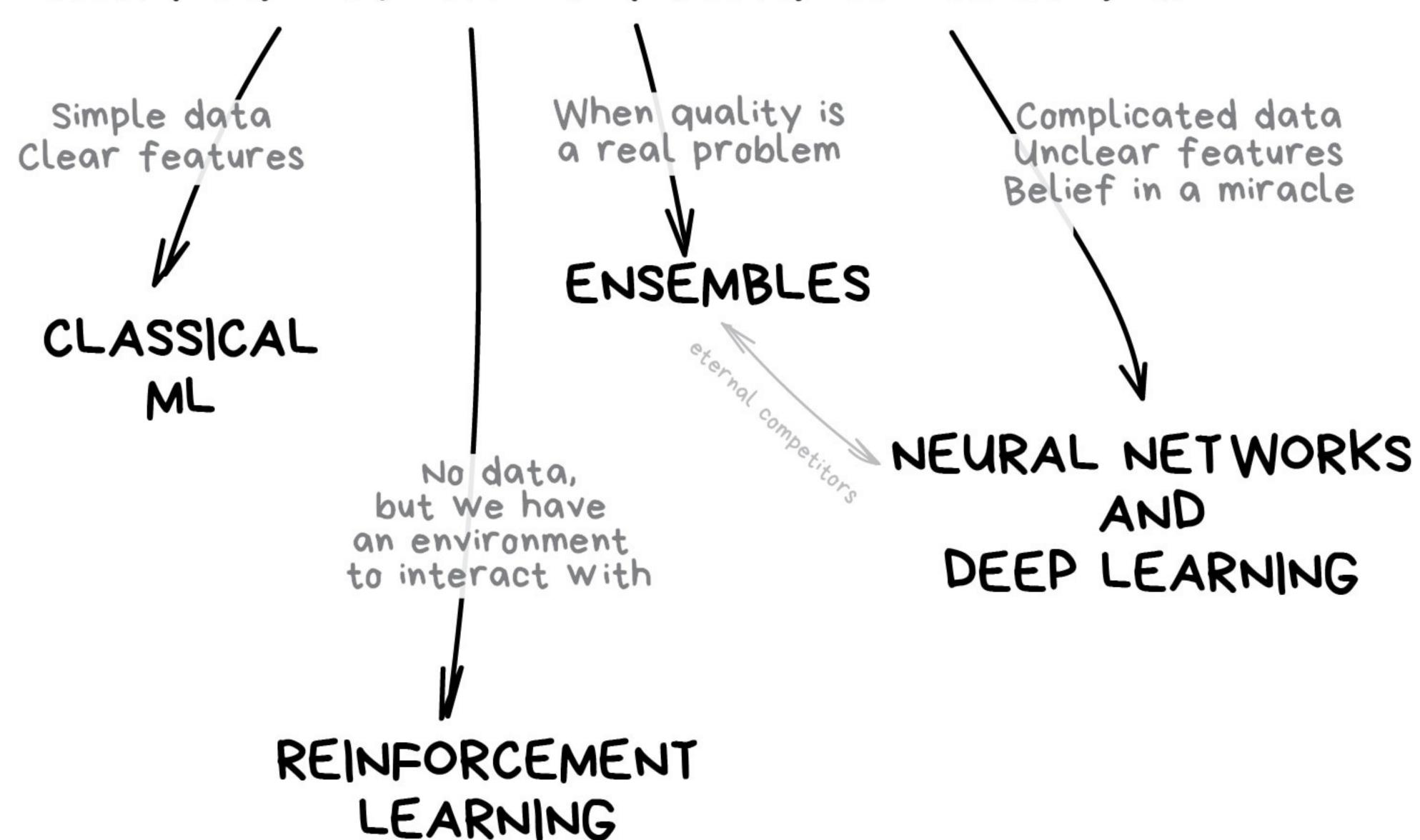
# Linear Regression

And some ML

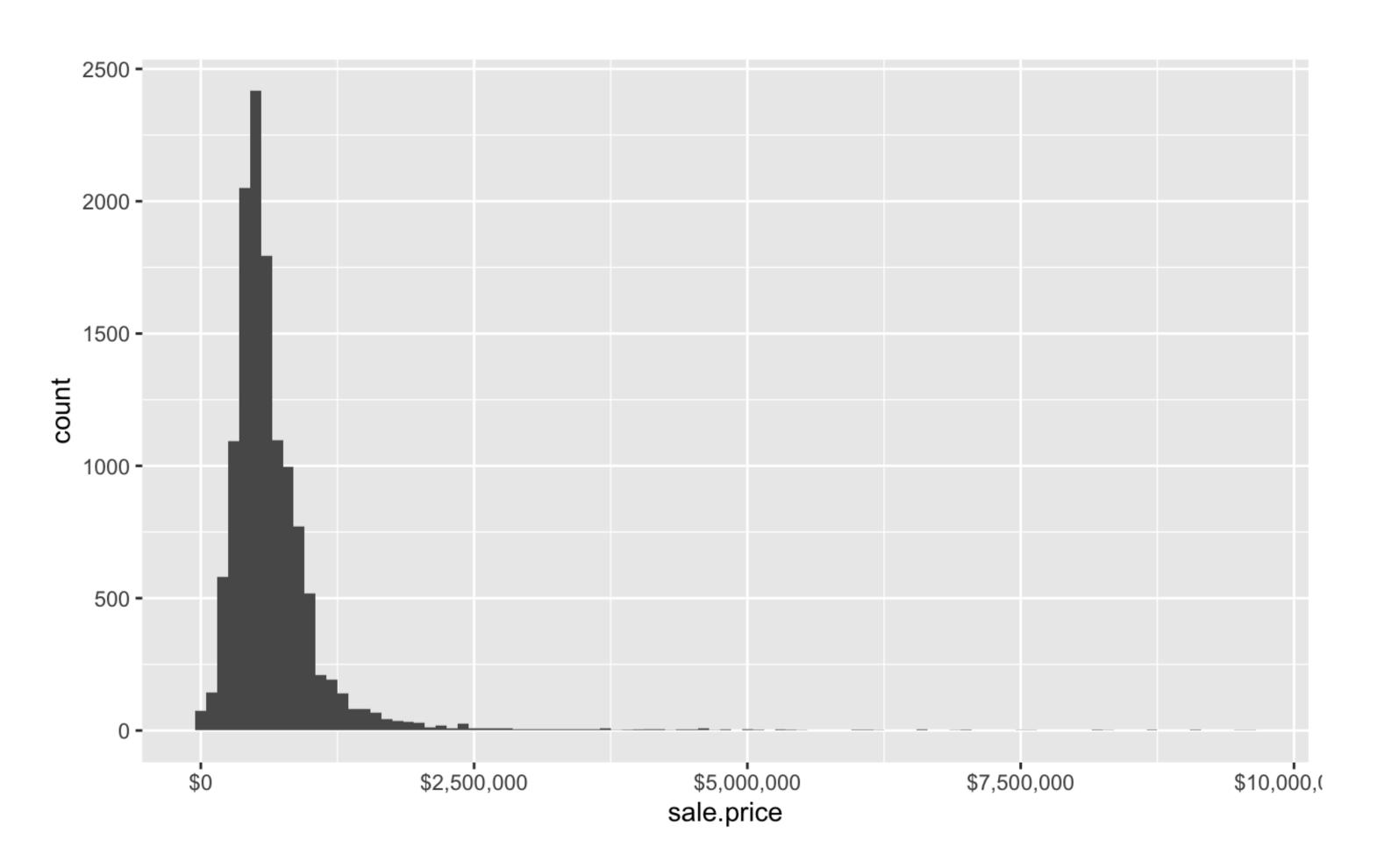
#### THE MAIN TYPES OF MACHINE LEARNING

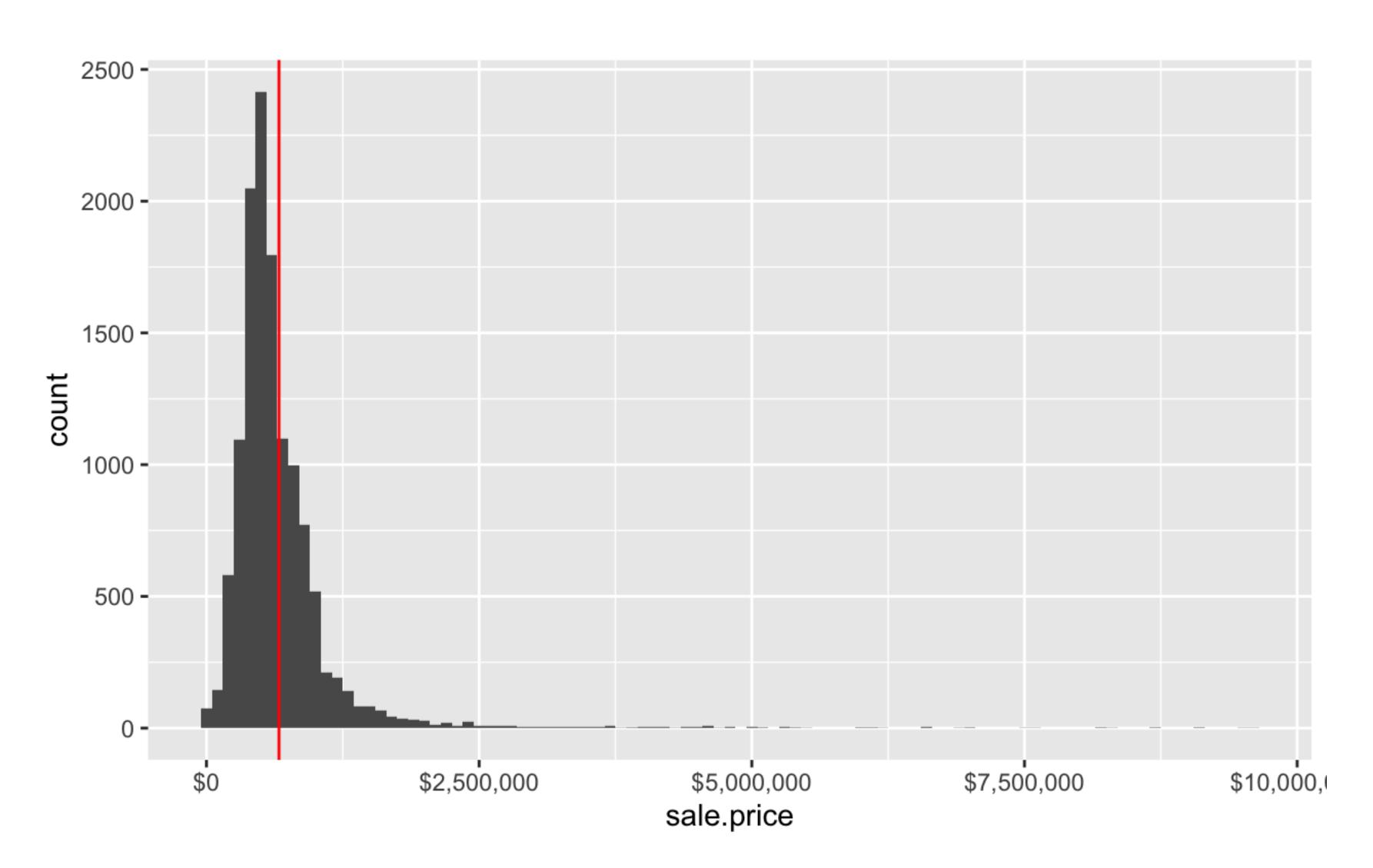


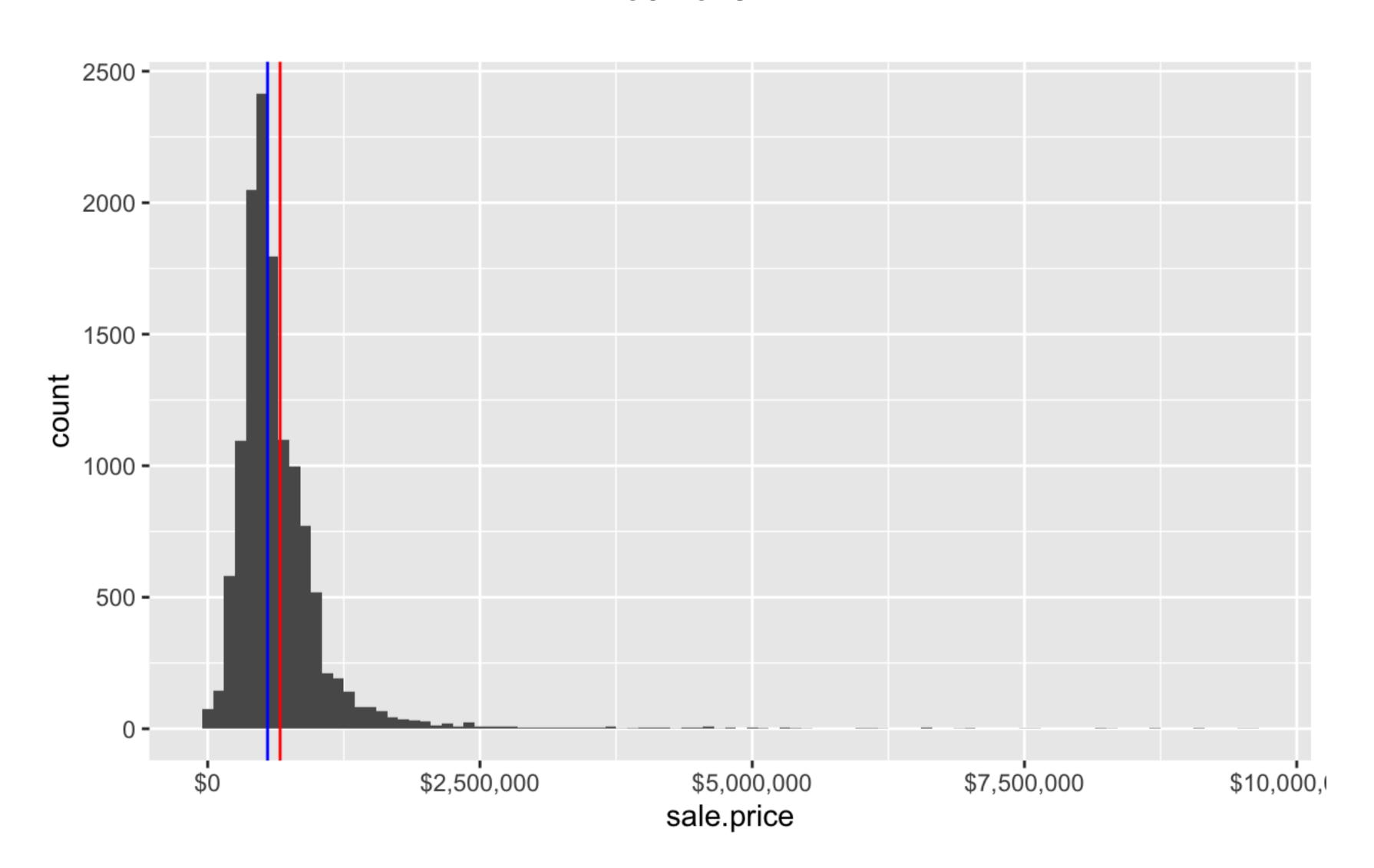
### Classical ML

- Can be broken down into two main categories
  - Supervised ML
    - Regression Predict value based on past
    - Classification Predict group based on past
  - Unsupervised ML
    - Clustering Break into groups
    - Dimensionality Reduction "Important" components
    - Anomaly Detection "Weirdness"

[1] 241500 180000 246000 255000 380250 325000 340000 210000 305000 365000 365000 375000 420000







### What is the error?

```
home_sales_nyc %>%
           mutate(
             error = (sale.price - mean(sale.price)),
            ) %>%
           summarise(mean_error = mean(error))
A tibble: 1 \times 3
  mean_error
        <dbl>
1 row
```

#### What is the error?

```
home_sales_nyc %>%
          mutate(
             sq_error = (sale.price - mean(sale.price))^2,
            ) %>%
          summarise(mean_sq_error = mean(sq_error))
A tibble: 1 \times 3
 mean_error
                mean_sq_error
       <dbl>
                         <dbl>
                288431380698
           0
```

1 row

#### What is the error?

```
home_sales_nyc %>%

mutate(
    sq_error = (sale.price - mean(sale.price))^2,
    ) %>%

summarise(root_mean_sq_error = sqrt(mean(sq_error)))
```

A tibble:  $1 \times 3$ 

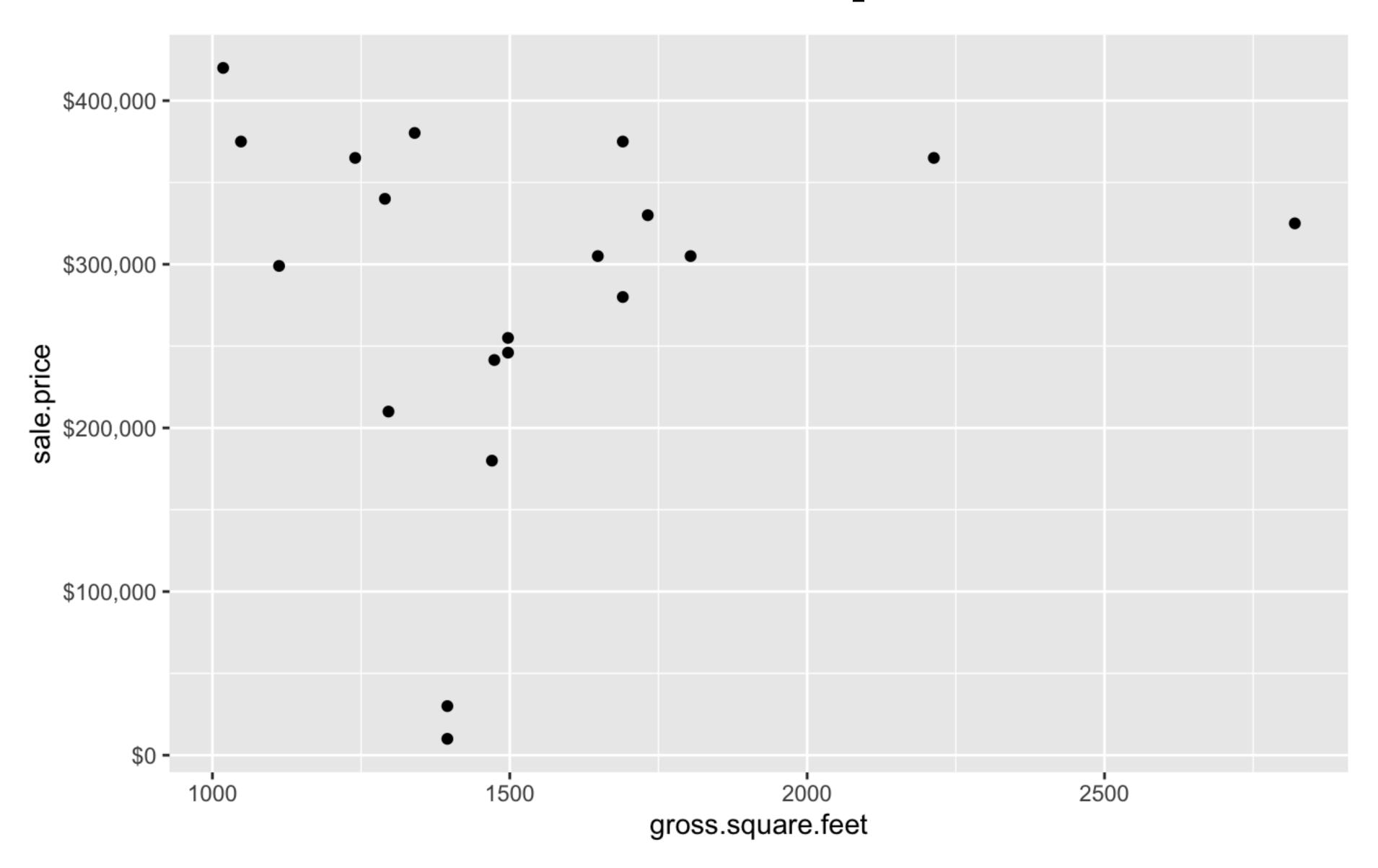
mean_error	mean_sq_error	root_mean_sq_error	
<dbl></dbl>	<dbl></dbl>	<dbl></dbl>	
0	288431380698	537058	

1 row

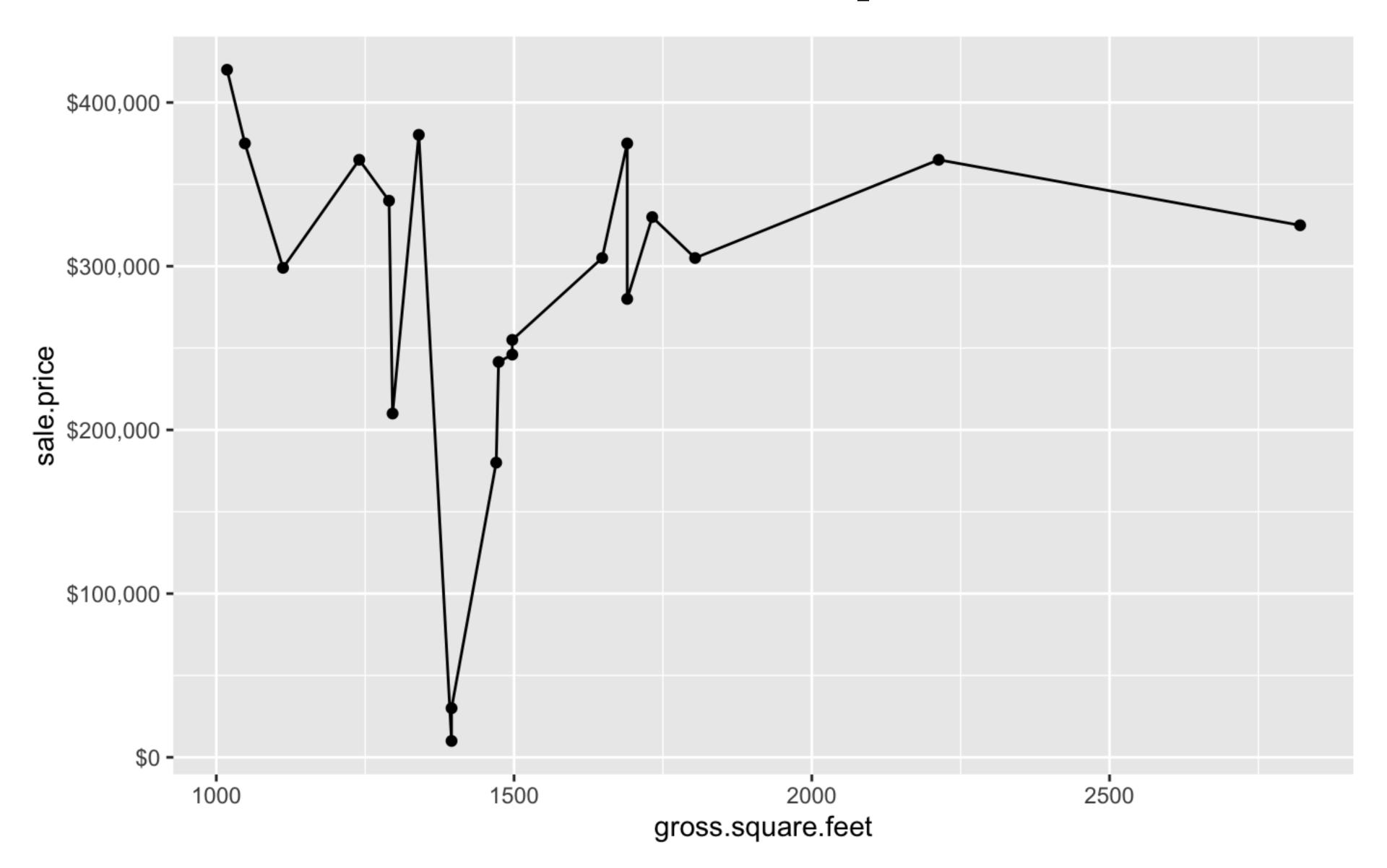
A tibble: 12,668 × 2

land.square.feet <dbl></dbl>	sale.price <dbl></dbl>	
2500	241500	
1578	180000	
1694	246000	
1694	255000	
3525	380250	
1293	325000	
1103	340000	
1650	210000	
1791	305000	
2356	365000	

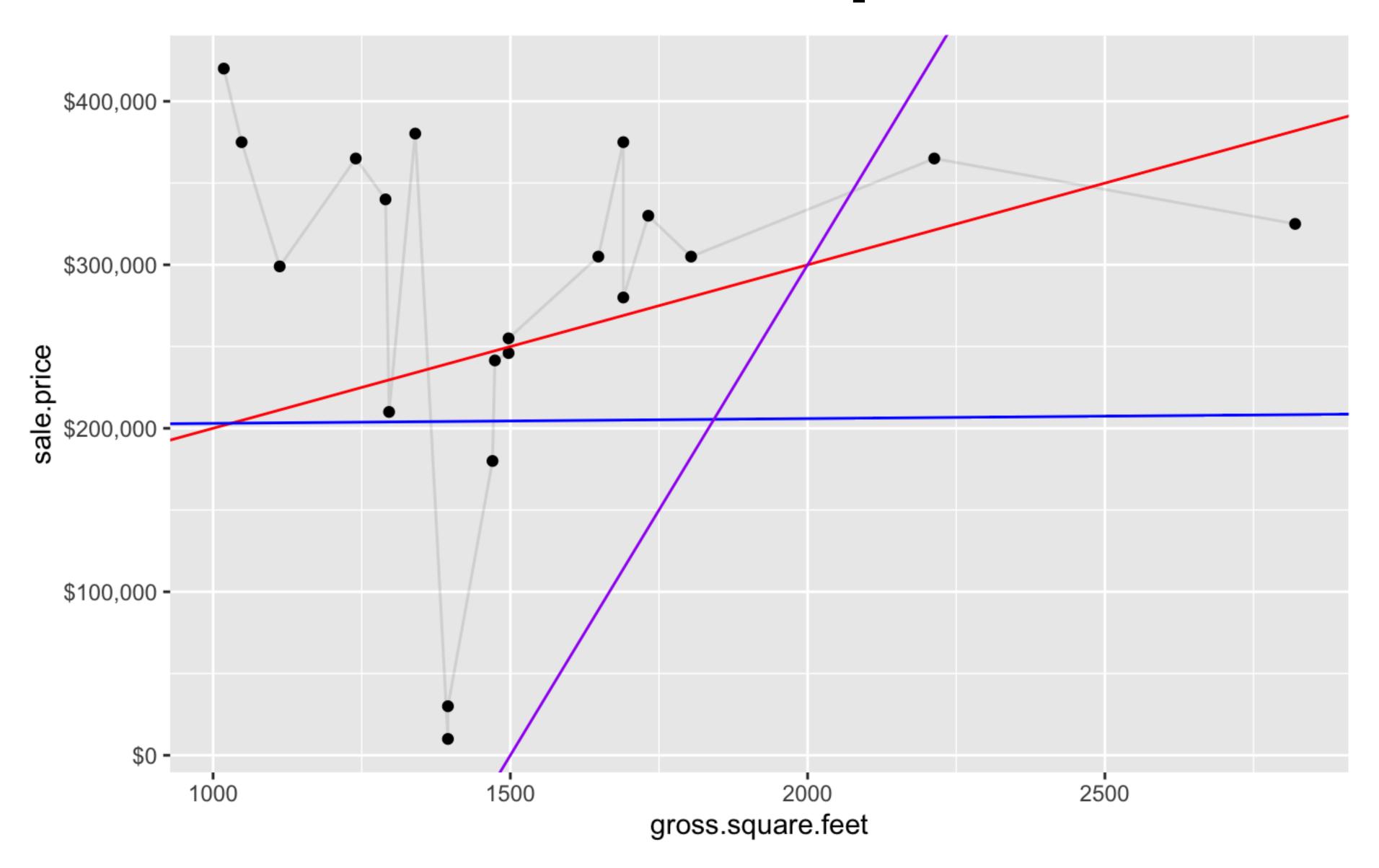
### Relationship?



### Relationship?



## Relationship?



### Let's define this process

- Let there be some **feature(s)** x
- Let there be some outcome y
- Then, there exist some  $\emph{hypothesis}\ \emph{h}$  of the relationship between  $\emph{x}$  and  $\emph{y}$
- This hypothesis relies on parameters K
- Using some  $\log L$  that we try to minimize, we estimate the best parameters for the given hypothesis

## Bias Variance tradeoff

overfitting and underfitting