

Exercise 6.3 (12%) 每小題3分

- (a) {a is correct, b is correct, c is correct, d is correct, e is correct}
- (b) $P(a \text{ is correct}) = P(b \text{ is correct}) = P(c \text{ is correct}) = P(d \text{ is correct}) = P(e \text{ is correct}) = 1/5 = 0.2$
- (c) Classical approach
- (d) In the long run all answers are equally likely to be correct.

Exercise 6.17 (12%) 每小題3分

With Ex6.16, we know there are 62 M Americans speaking a language other than English at home.

- (a) $P(\text{Spanish}) = 38.4/62 = 0.619$
- (b) $P(\text{Other than Spanish}) = 1 - P(\text{Spanish}) = 1 - 0.619 = 0.381$
- (c) $P(\text{Vietnamese or Franch}) = P(\text{Vietnamese}) + P(\text{Franch}) = 1.4/62 + 1.3/62 = 0.435$
- (d) $P(\text{Other}) = 15.2/62 = 0.245$

Exercise 6.31 (9%) 每小題3分

- (a) $P(\text{Promoted} \mid \text{Female}) = P(\text{Promoted and Female}) / P(\text{Female}) = 0.03 / (0.03 + 0.12) = 0.2$
- (b) $P(\text{Promoted} \mid \text{Male}) = P(\text{Promoted and Male}) / P(\text{Male}) = 0.17 / (0.17 + 0.68) = 0.2$
- (c) No, because promotion and gender are independent events. $P(\text{Promoted}) = 0.03 + 0.17 = 0.2 = P(\text{Promoted} \mid \text{Female}) = P(\text{Promoted} \mid \text{Male})$

Exercise 6.39 (9%) 每小題3分

- (a) $P(\text{Insufficient work} \mid 25\text{--}54) = P(\text{Insufficient work and } 25\text{--}54) / P(25\text{--}54) = 0.18 / (0.32 + 0.18 + 0.214) = 0.252$
- (b) $P(65 \text{ and over}) = 0.029 + 0.011 + 0.016 = 0.056$
- (c) $P(65 \text{ and over} \mid \text{plant or company closed or moved}) = P(65 \text{ and over and plant or company closed or moved}) / P(\text{plant or company closed or moved}) = 0.29 / (0.15 + 0.32 + 0.89) = 0.064$

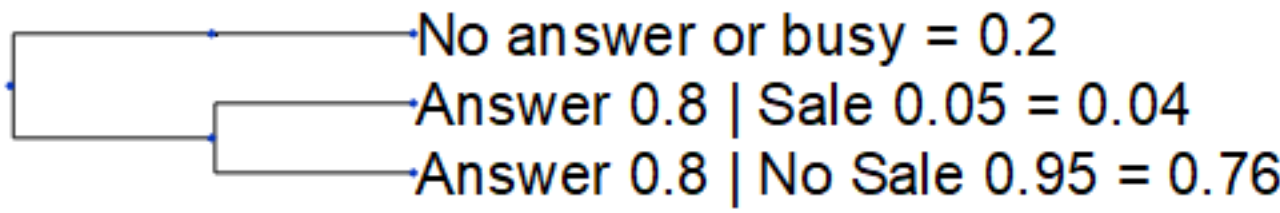
Exercise 6.55 (12%) 每小題3分

- (a) $P(\text{Trust}) = 0.0896 + 0.1386 + 0.1944 + 0.0629 + 0.0144 = 0.4999$
- (b) $P(\text{Distrust} \mid \text{Consistent conservative}) = P(\text{Distrust and Consistent conservative}) / P(\text{Consistent conservative}) = 0.0558 / (0.629 + 0.595 + 0.391 + 0.0085) = 0.6200$
- (c) $P(\text{Neither} \mid \text{Consistent liberal}) = P(\text{Neither and Consistent liberal}) / P(\text{Consistent liberal}) = 0.0576 / (0.0896 + 0.0096 + 0.0576 + 0.0032) = .3600$
- (d) $P(\text{Consistent liberal}) = 0.0896 + 0.0096 + 0.0576 + 0.0032 = 0.1600$

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In [4]: from ete3 import Tree, faces, TreeStyle, TextFace
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Exercise 6.69 (10%) 說明不完整酌量扣1~2分

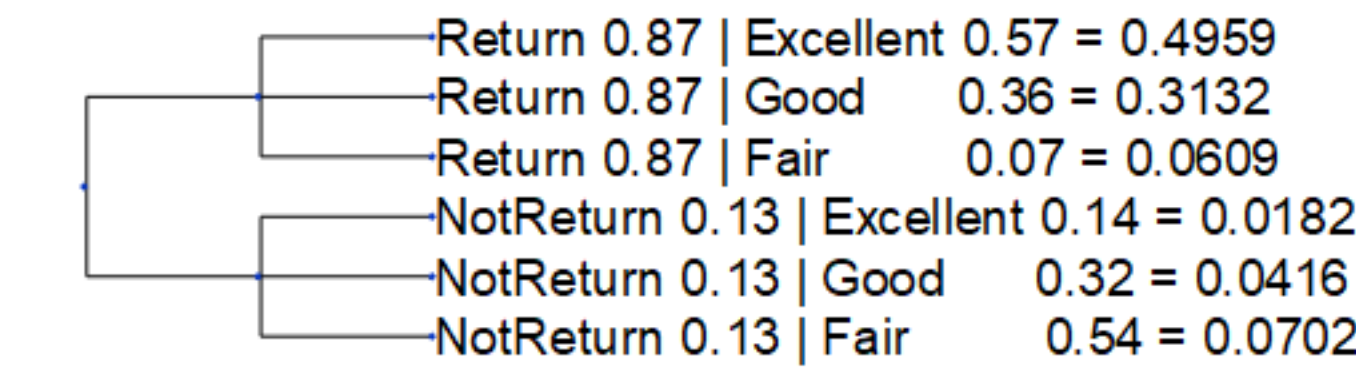
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In [10]: t = Tree("((No answer or busy = 0.2),(Answer 0.8 | Sale 0.05 = 0.04,Answer 0.8 | No Sale 0.95 = 0.76));" )
ts = TreeStyle()
ts.show_leaf_name = True
ts.show_scale = False
t.show(tree_style=ts)
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$P(\text{Sale}) = 0.04$

Exercise 6.75 (10%) 說明不完整酌量扣1~2分

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In [26]: t = Tree("((Return 0.87 | Excellent 0.57 = 0.4959, Return 0.87 | Good 0.36 = 0.3132, Return 0.87 | Fair 0.07 = 0.0609), \
(NotReturn 0.13 | Excellent 0.14 = 0.0182, NotReturn 0.13 | Good 0.32 = 0.0416, NotReturn 0.13 | Fair 0.54 = 0.0702));" )
ts = TreeStyle()
ts.show_leaf_name = True
ts.show_scale = False
t.show(tree_style=ts)
```



$P(\text{Good}) = P(\text{Return and Good}) + P(\text{Not Return and Good}) = 0.3132 + 0.0416 = 0.3548$

Exercise 6.83 (10%) 說明不完整酌量扣1~2分

$P(\text{Bad}) = ((\# \text{ of France and Bad}) + (\# \text{ of Germany and Bad}) + (\# \text{ of Italy and Bad})) / \# \text{ of all respondents} = (630 \times 0.62 + 590 \times 0.74 + 480 \times 0.57) / (630 + 590 + 480) = 0.6475$

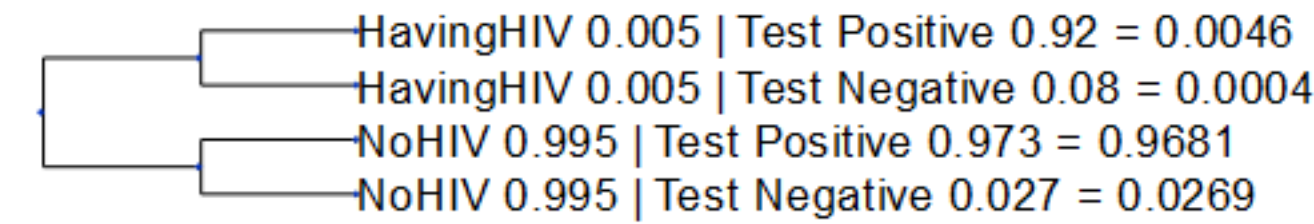
Exercise 6.91 (10%) 說明不完整酌量扣1~2分

CWF: Crash with fatality

$P(\text{CWF} \mid \text{BAC} > 0.09) = P(\text{CWF and BAC} > 0.09) / P(\text{BAC} > 0.09) = P(\text{CWF}) \times P(\text{BAC} > 0.09 \mid \text{CWF}) / P(\text{BAC} > 0.09) = 0.01 \times 0.084 / 0.12 = 0.007$

Exercise 6.99 (10%) 說明不完整酌量扣1~2分

```
In [25]: t = Tree("((HavingHIV 0.005 | Test Positive 0.92 = 0.0046,HavingHIV 0.005 | Test Negative 0.08 = 0.0004), \
(NoHIV 0.995 | Test Positive 0.973 = 0.9681,NoHIV 0.995 | Test Negative 0.027 = 0.0269));" )
ts = TreeStyle()
ts.show_leaf_name = True
ts.show_scale = False
t.show(tree_style=ts)
```



$P(\text{HavingHIV} \mid \text{TestPositive}) = P(\text{HavingHIV and TestPositive}) / P(\text{HavingHIV and TestPositive}) + P(\text{NoHIV and TestPositive}) = 0.0004 / (0.0004 + 0.0269) = 0.146$