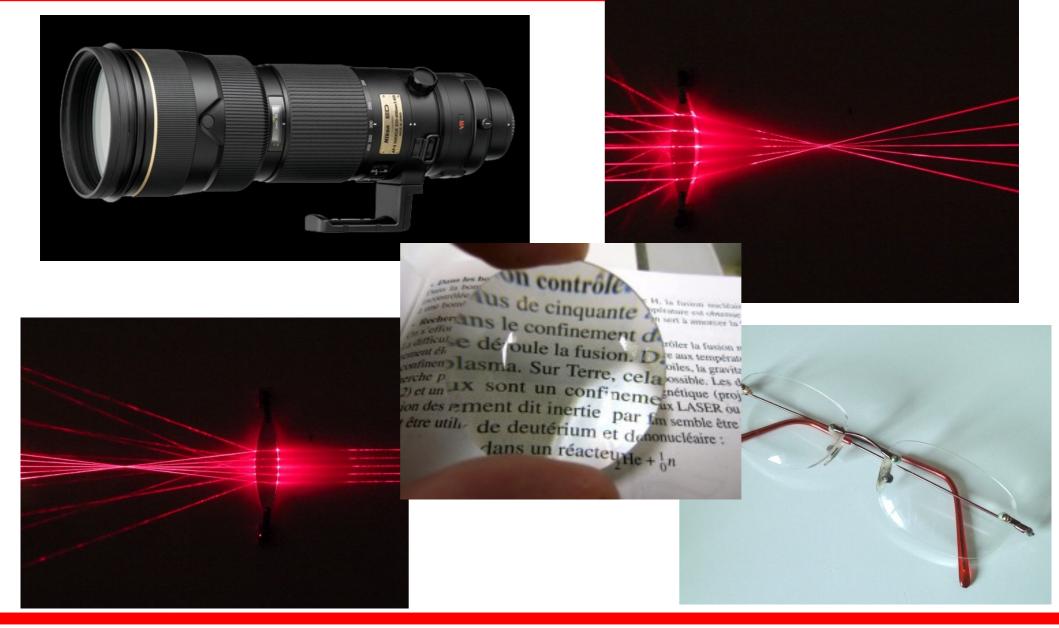
Physique – Optique Chapitre 3 – Lentilles minces

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- Définitions
- Relation de conjugaison
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- Construction d'une image

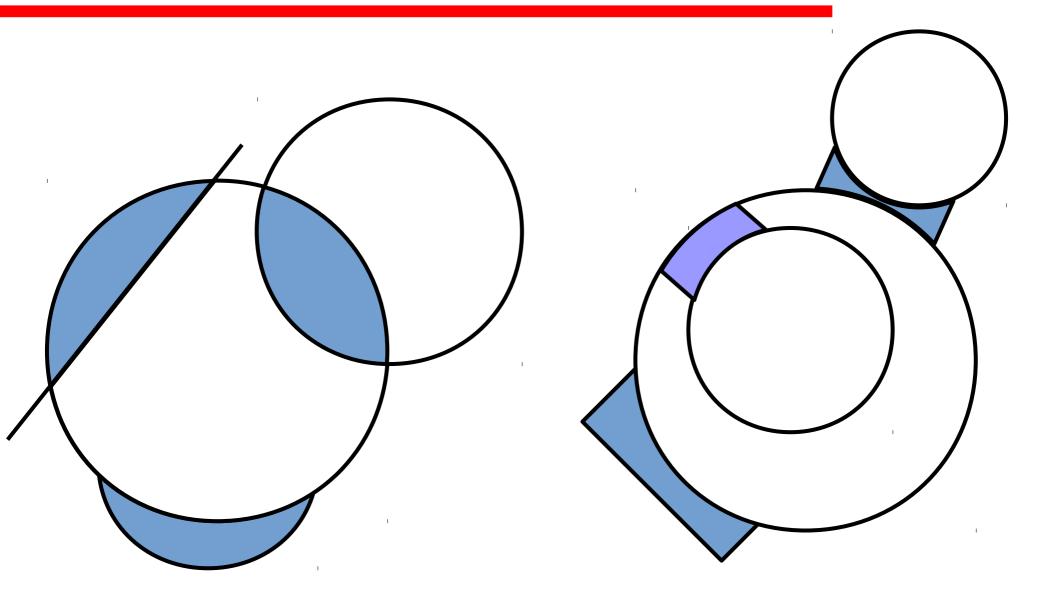


Imagier...





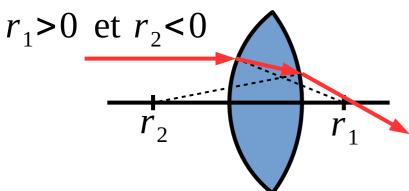
Définition générale



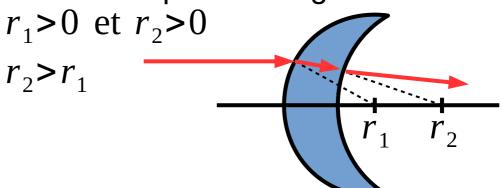


Les lentilles convergentes

Lentille bi-convexe:



Lentille ménisque convergent :

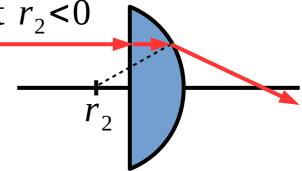


Lentille plan-convexe:

$$r_1 > 0$$
 et $r_2 \to \infty$

$$r_1$$

 $r_1 \rightarrow \infty \text{ et } r_2 < 0$



Symbole:

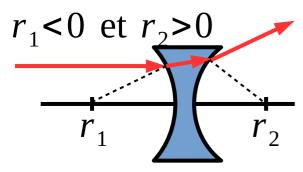


ou

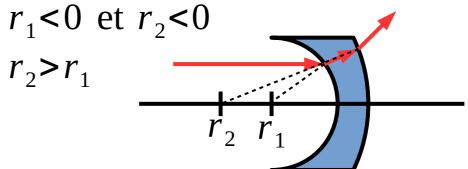


Les lentilles divergentes

Lentille bi-concave:



Lentille ménisque divergent :

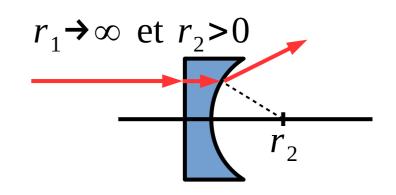


Lentille plan-concave:

$$r_1 < 0 \text{ et } r_2 \rightarrow \infty$$

$$r_1$$

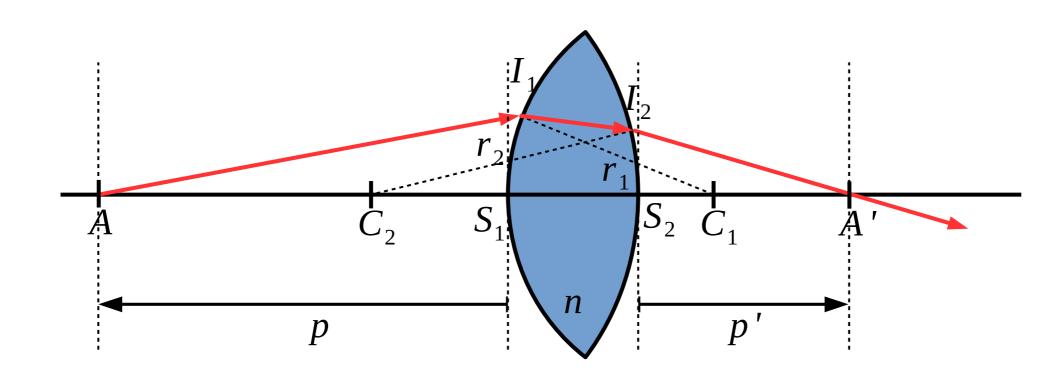
ou



Symbole:



Relation de conjugaison des lentilles minces



Relation de conjugaison:

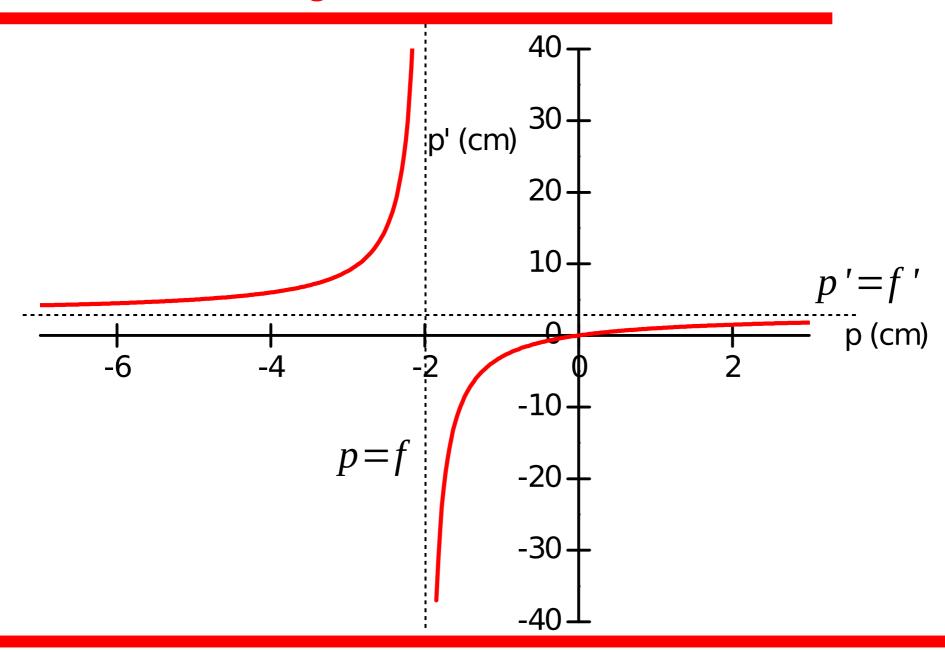
$$\frac{1}{p'} - \frac{1}{p} = (n-1) \left(\frac{1}{r_1} - \frac{1}{r_2} \right)$$

Vergence de la lentille :

$$\phi = (n-1) \left(\frac{1}{r_1} - \frac{1}{r_2} \right)$$

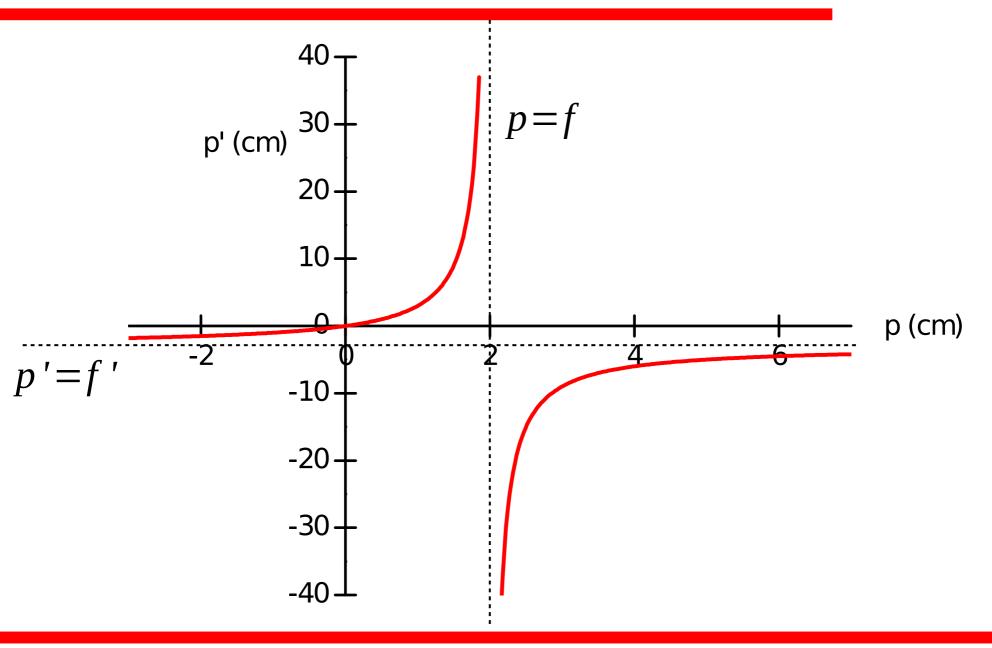


Lentilles convergentes





Lentilles divergentes





Études des foyers

Foyer image F'

Position de l'image lorsque l'objet est à l'infini

$$p \rightarrow \infty$$
 et $p' = f'$

Distance focale image

$$\overline{SF'} = f' = \frac{1}{\Phi}$$

Foyer objet F

- Position de l'objet pour envoyer l'image à l'infini p=f et p'→∞
- Distance focale objet

$$\overline{SF} = f = -\frac{1}{\Phi}$$



Lois de conjugaison

1ière forme

$$\frac{1}{p'_{2}} - \frac{1}{p_{1}} = (n-1) \left(\frac{1}{r} - \frac{1}{r'} \right)$$

2e forme

$$\frac{1}{p'} - \frac{1}{p} = \frac{1}{f'} = -\frac{1}{f}$$

3e forme

$$\frac{f'}{p'} + \frac{f}{p} = 1$$

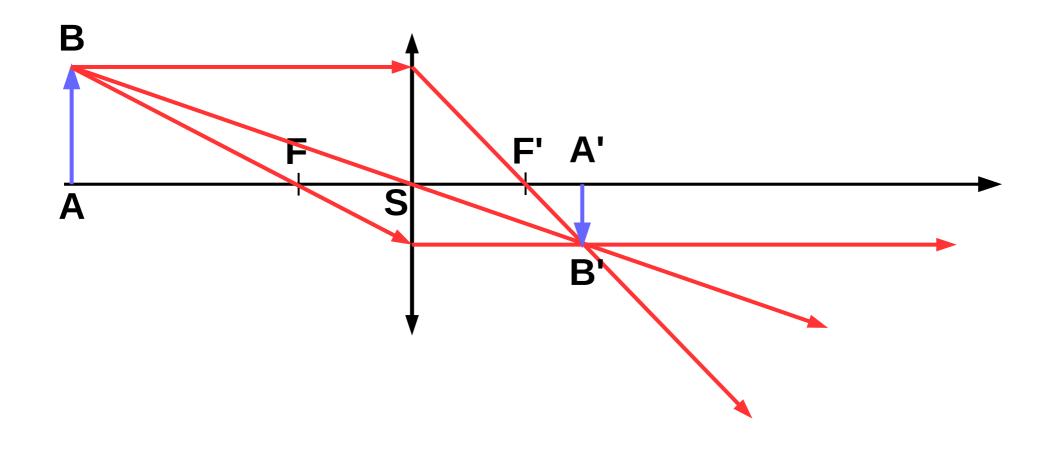
Relation de Newton

$$ff'=(p-f)(p'-f')$$

Même relation que pour le dioptre

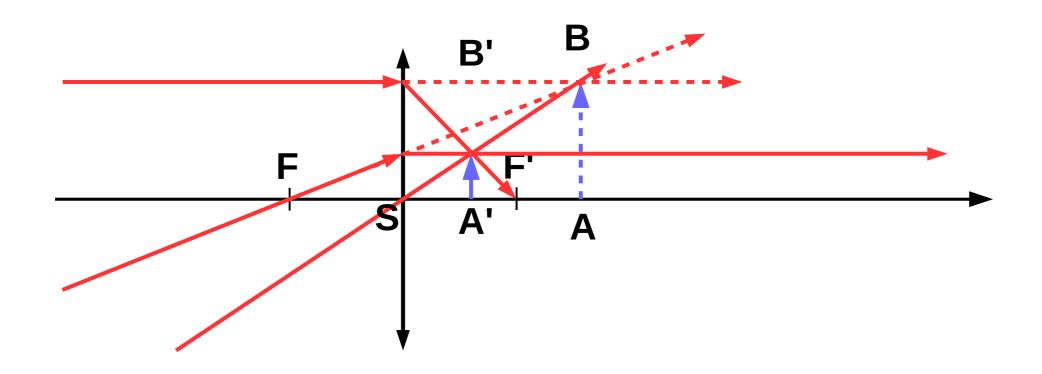


Lentille convergente – Objet réel

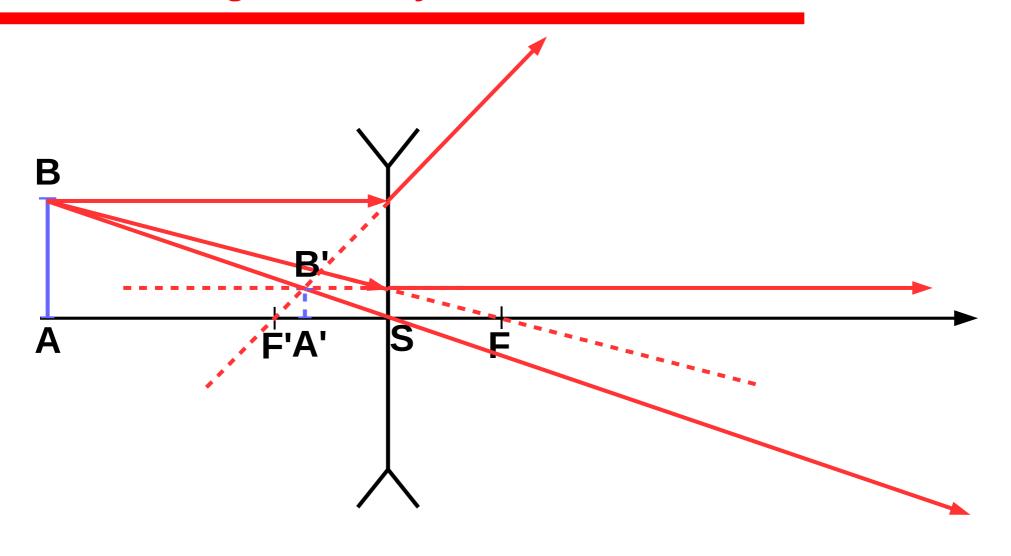




Lentille convergente – Objet virtuel

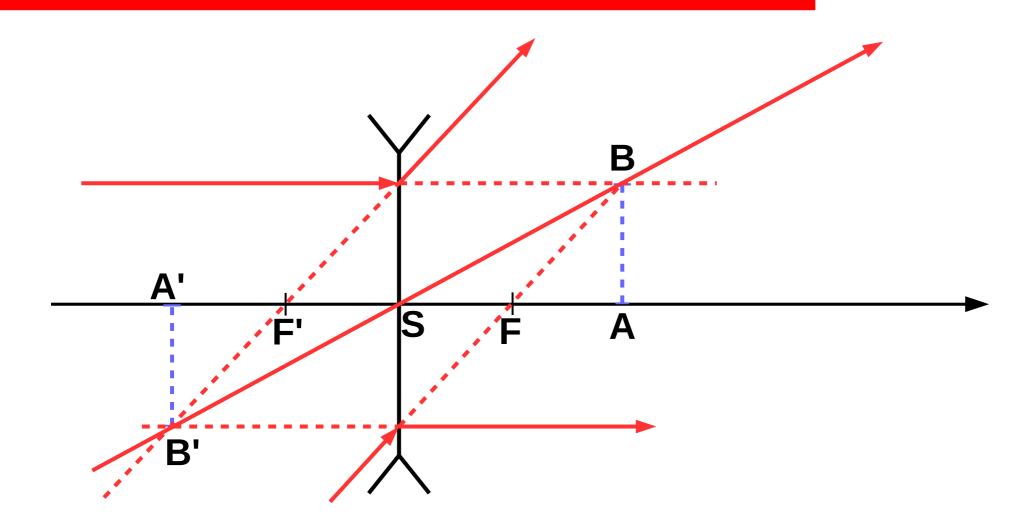


Lentille divergente – Objet réel





Lentille divergente – Objet virtuel



Plan focal

