Information Security
CS3002

Lecture 6
4th September 2024

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Advanced Encryption Standard (AES)

Origins

- Clear a replacement for DES was needed.
  - Have theoretical attacks that can break it.
  - Have demonstrated exhaustive key search attacks.
- US NIST issued call for ciphers in 1997.
- 15 candidates accepted in Jun 98.
- 5 were shortlisted in Aug-99.
- Rijndael was selected as the AES in Oct-2000.
- Issued as FIPS PUB 197 standard in Nov-2001 .

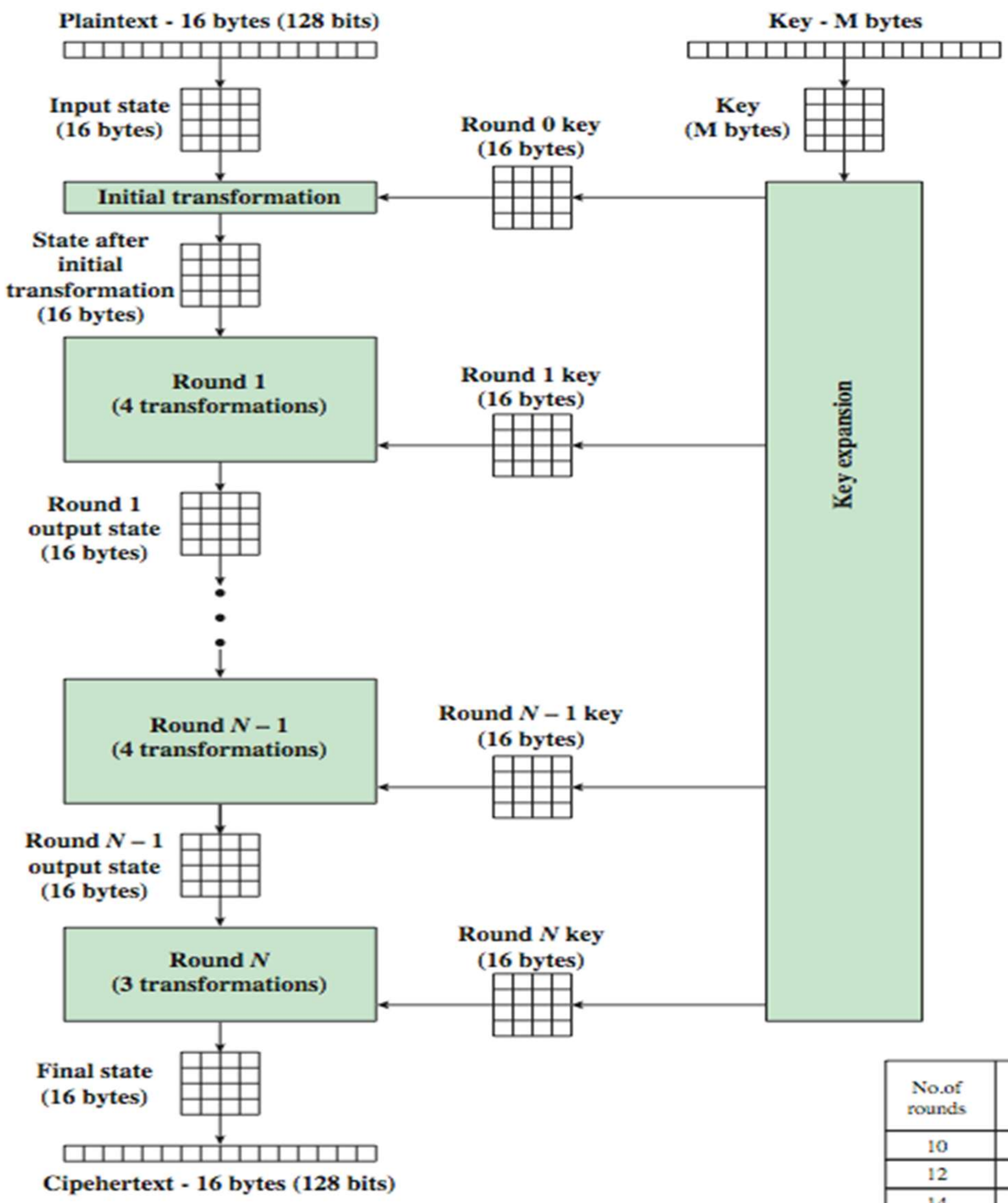
The AES Cipher

- Allows *128, 192, and 256*-bit key sizes .
- Variable block length of *128, 192, or 256* bits. All nine combinations of key/block length possible.
  - A block is the smallest data size the algorithm will encrypt
- Vast speed improvement over DES in both hardware and software implementations
  - with fast XOR & table lookup implementation

The AES Cipher - Rijndael

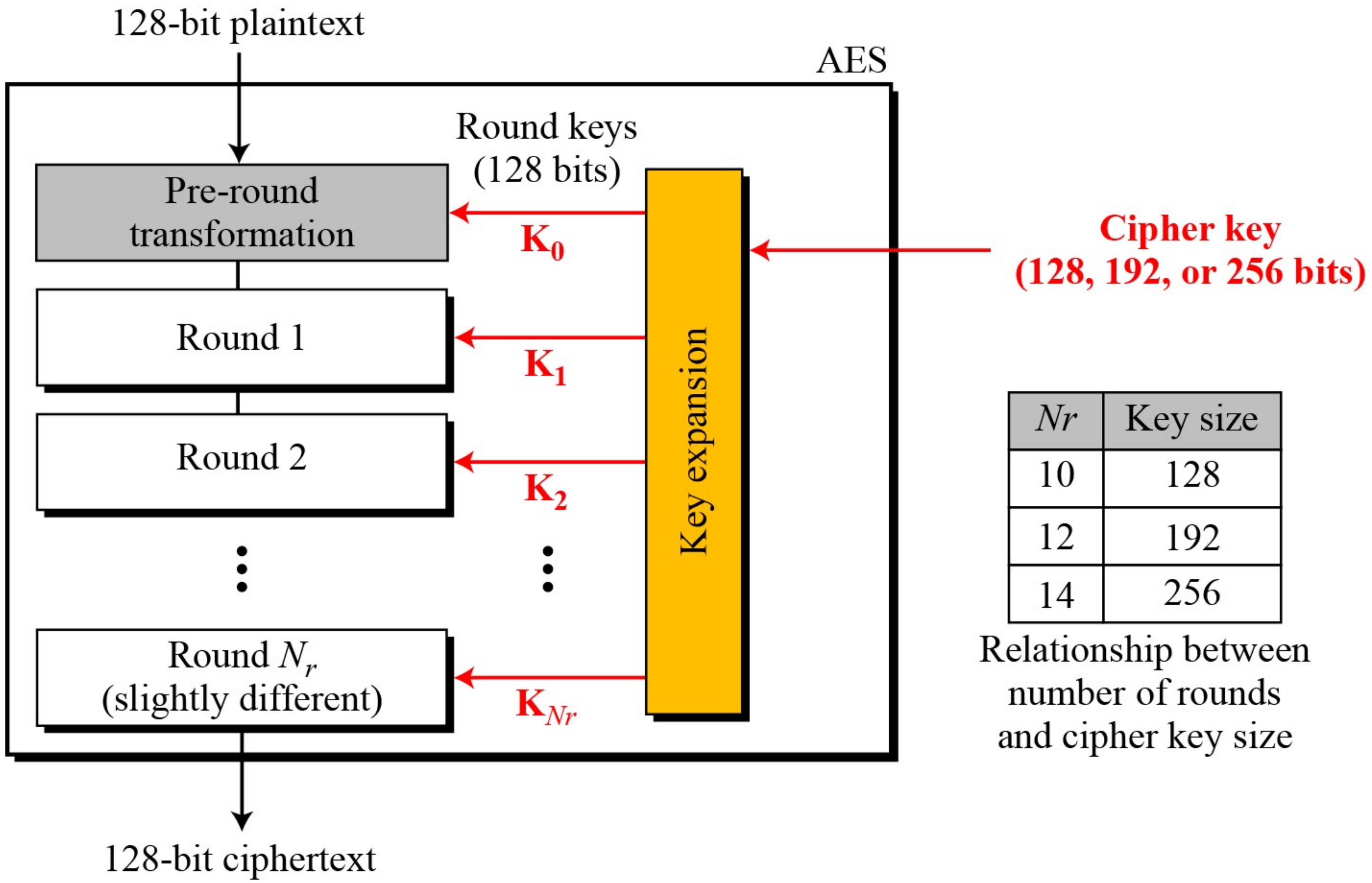
- An **iterative** rather than **feistel** cipher
  - Processes data as block of 4 columns of 4 bytes.
  - Operates on entire data block in every round.
- Designed to be:
  - Resistant against known attacks.
  - Speed and code compactness on many CPUs.
  - Design simplicity.

AES Encryption Process


Plaintext - 16 bytes (128 bits)
Key - M bytes
Input state (16 bytes)
Key (M bytes)
Round 0 key (16 bytes)
Initial transformation
State after initial transformation (16 bytes)
Round 1 (4 transformations)
Round 1 key (16 bytes)
Key expansion
Round 1 output state (16 bytes)
Round N – 1 (4 transformations)
Round N – 1 key (16 bytes)
Round N – 1 output state (16 bytes)
Round N (3 transformations)
Round N key (16 bytes)
Final state (16 bytes)
Cipehertext - 16 bytes (128 bits)

No.of rounds	Key Length (bytes)
10	16
12	24
14	32

AES Encryption Process

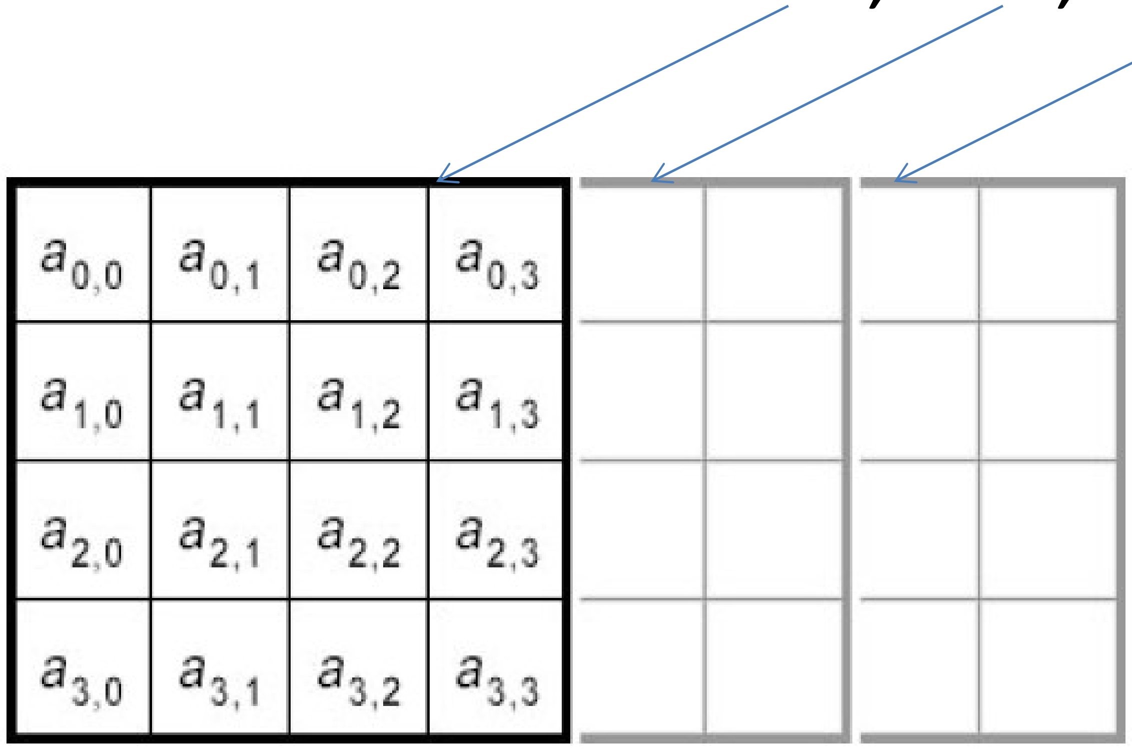


Nr	Key size
10	128
12	192
14	256

Relationship between number of rounds and cipher key size

The AES Cipher- Input Text

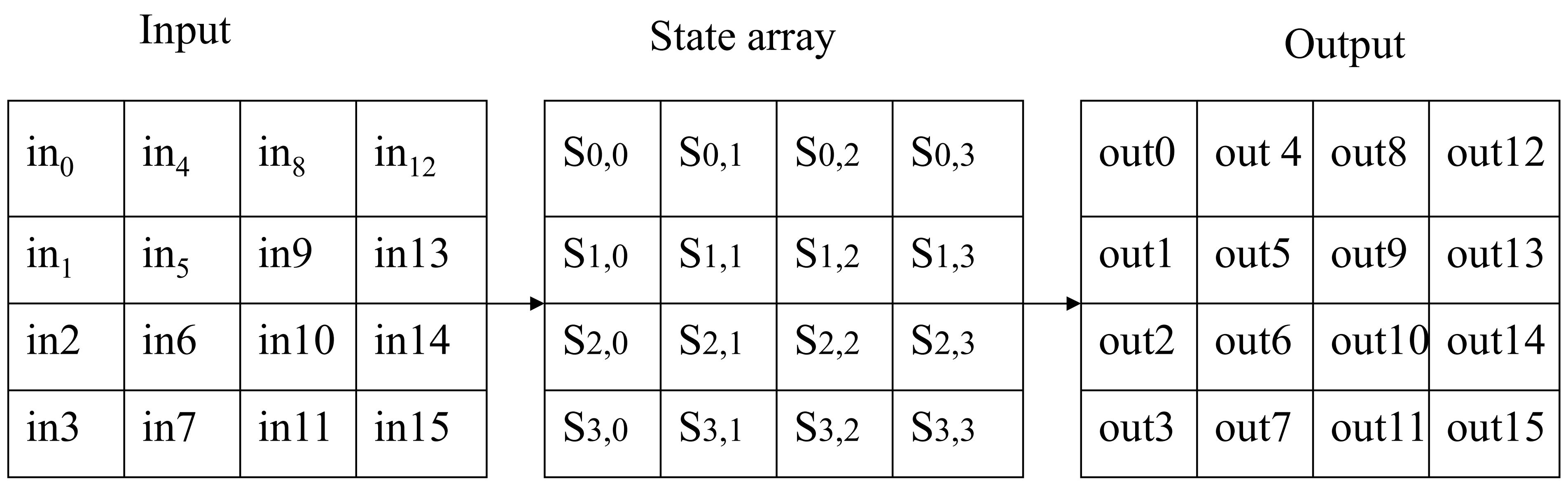
- Possible block sizes: 128, 192, 256 bit


$a_{0,0}$ $a_{0,1}$ $a_{0,2}$ $a_{0,3}$
$a_{1,0}$ $a_{1,1}$ $a_{1,2}$ $a_{1,3}$
$a_{2,0}$ $a_{2,1}$ $a_{2,2}$ $a_{2,3}$
$a_{3,0}$ $a_{3,1}$ $a_{3,2}$ $a_{3,3}$

The state

The AES Cipher

- Assume 128 bit block as input
- Input blocks represented as states at intermediates stages.



Input

in_0	in_4	in_8	in_{12}
in_1	in_5	in9	in13
in2	in6	in10	in14
in3	in7	in11	in15

State array

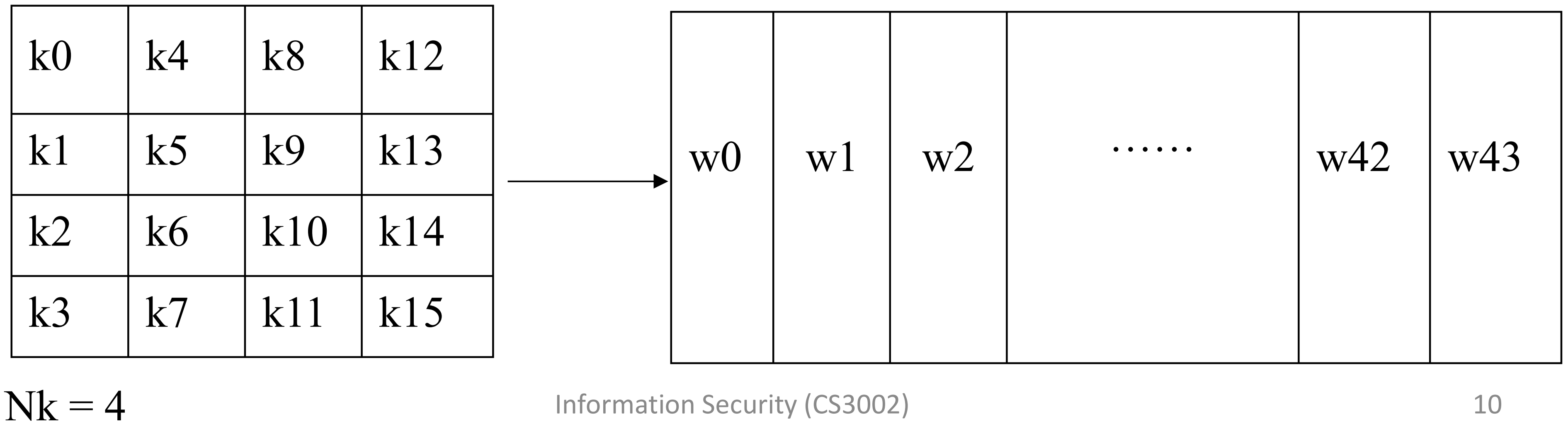
S0,0	S0,1	S0,2	S0,3
S1,0	S1,1	S1,2	S1,3
S2,0	S2,1	S2,2	S2,3
S3,0	S3,1	S3,2	S3,3

Output

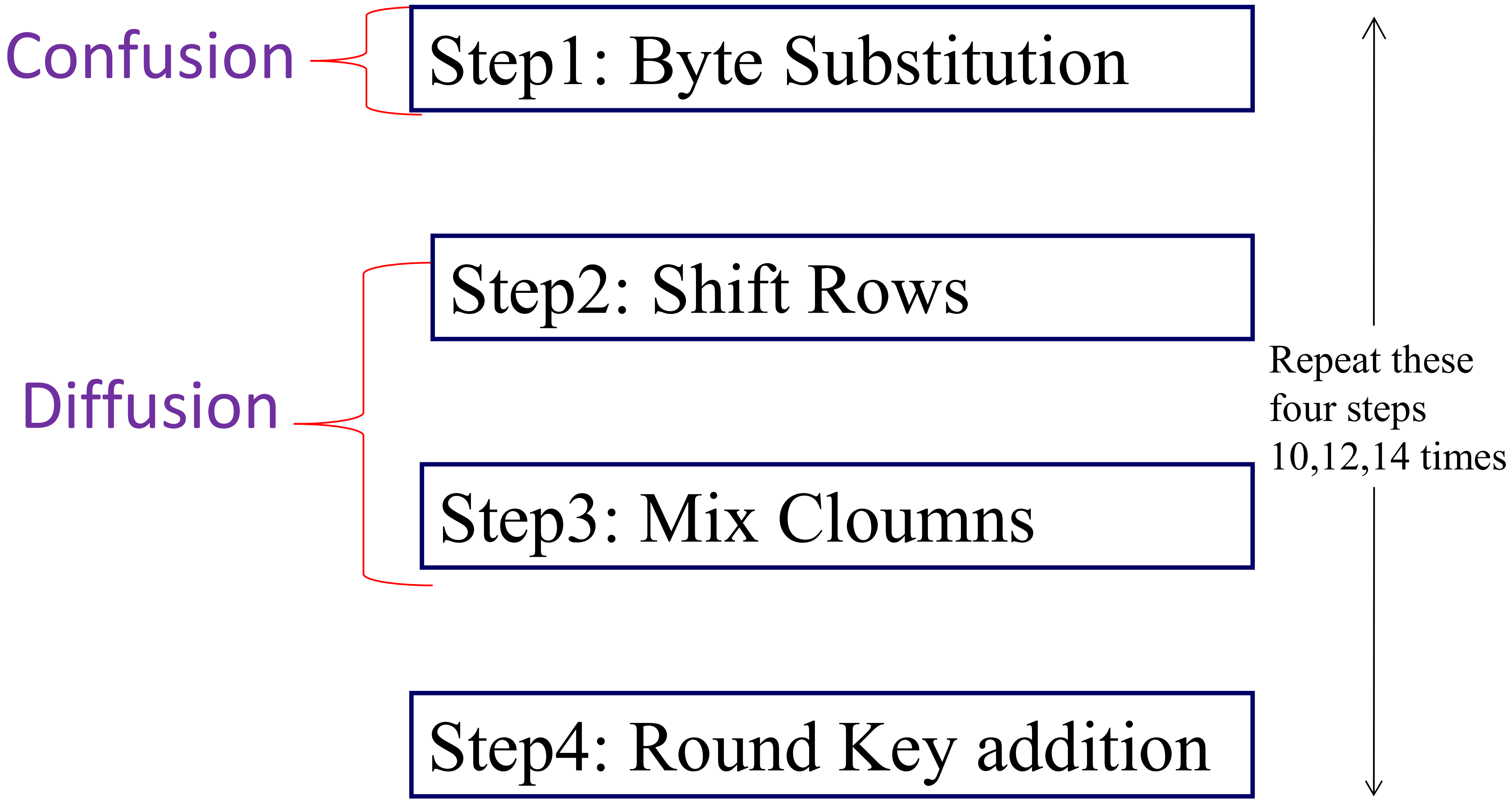
out0	out 4	out8	out12
out1	out5	out9	out13
out2	out6	out10	out14
out3	out7	out11	out15

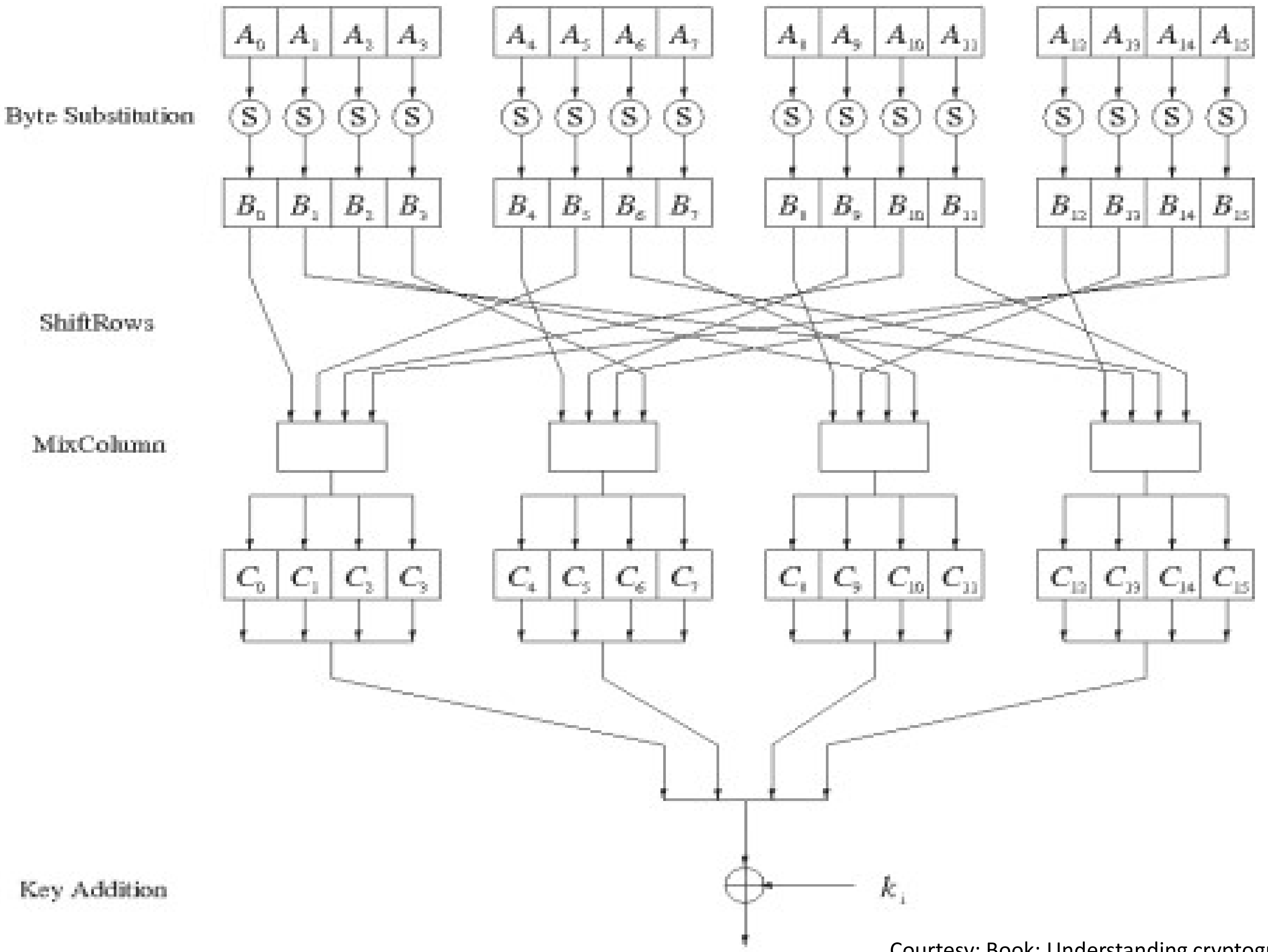
The AES Cipher

- Key received as input array of 4 rows and N_k columns.
- N_k = 4,6, or 8, parameter which depends key size 128,192 or 256.
- Input key is expanded into an array of 44/52/60 words of 32 bits each depending upon key size.
- 4 different words serve as a key for each round.



Steps in Rijndael (AES)




A_0 A_1 A_2 A_3 A_4 A_5 A_6 A_7 A_8 A_9 A_{10} A_{11} A_{12} A_{13} A_{14} A_{15}
Byte Substitution
S
B_0 B_1 B_2 B_3 B_4 B_5 B_6 B_7 B_8 B_9 B_{10} B_{11} B_{12} B_{13} B_{14} B_{15}
ShiftRows
MixColumn
C_0 C_1 C_2 C_3 C_4 C_5 C_6 C_7 C_8 C_9 C_{10} C_{11} C_{12} C_{13} C_{14} C_{15}
Key Addition
k_i

Courtesy: Book: Understanding cryptography

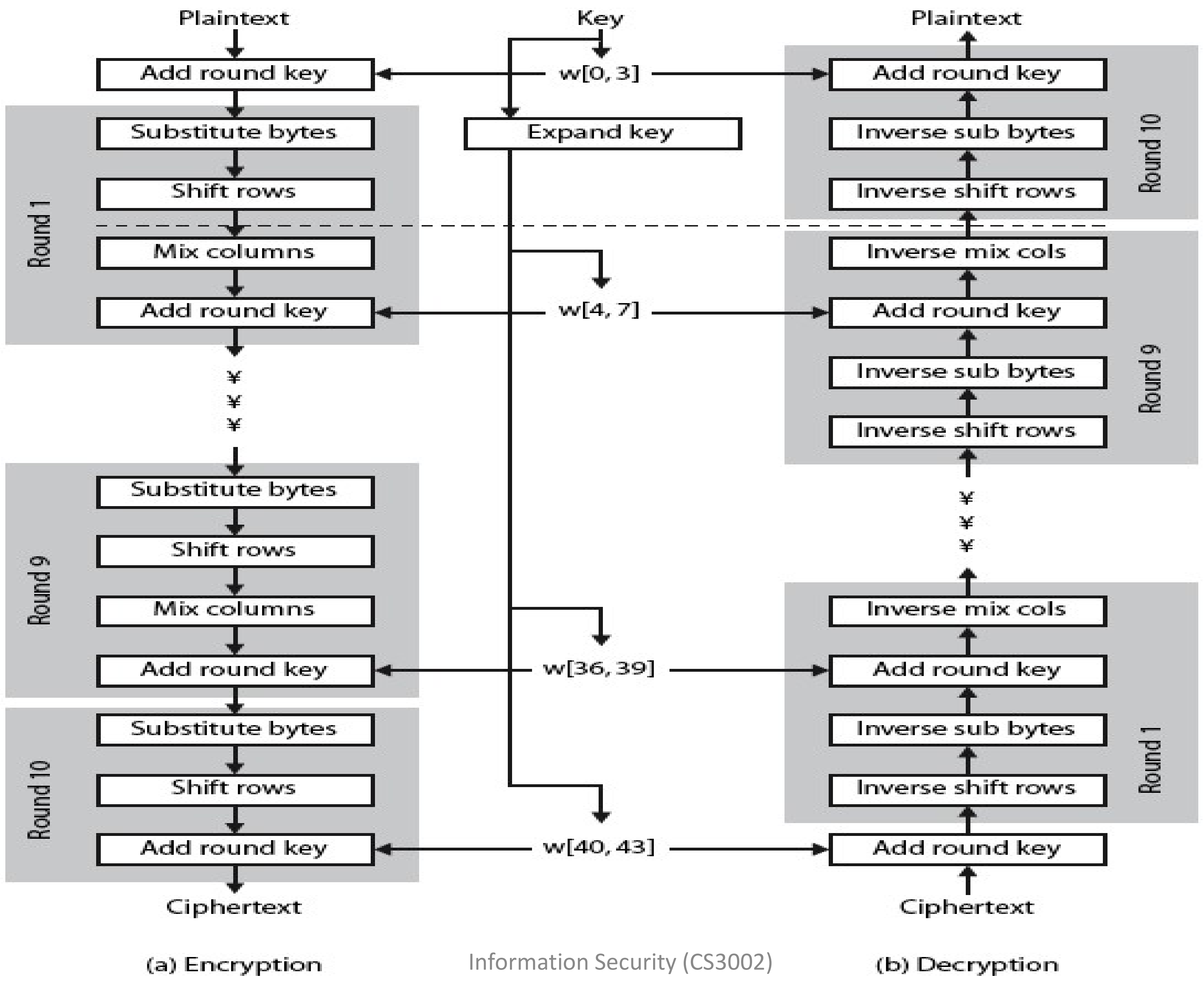
Steps in Rijndael (AES)

- SubBytes() – uses S-box to perform a byte-by-byte substitution of State, making use of arithmetic over GF(2^8).
- ShiftRows() – processes the State by cyclically shifting the last three rows of the State by different offsets.
- MixColumns() – takes all the columns of the State and mixes their data, independently of one another, making use of arithmetic over GF(2^8).
- AddRoundKey() – round key is added to the State using XOR operation.

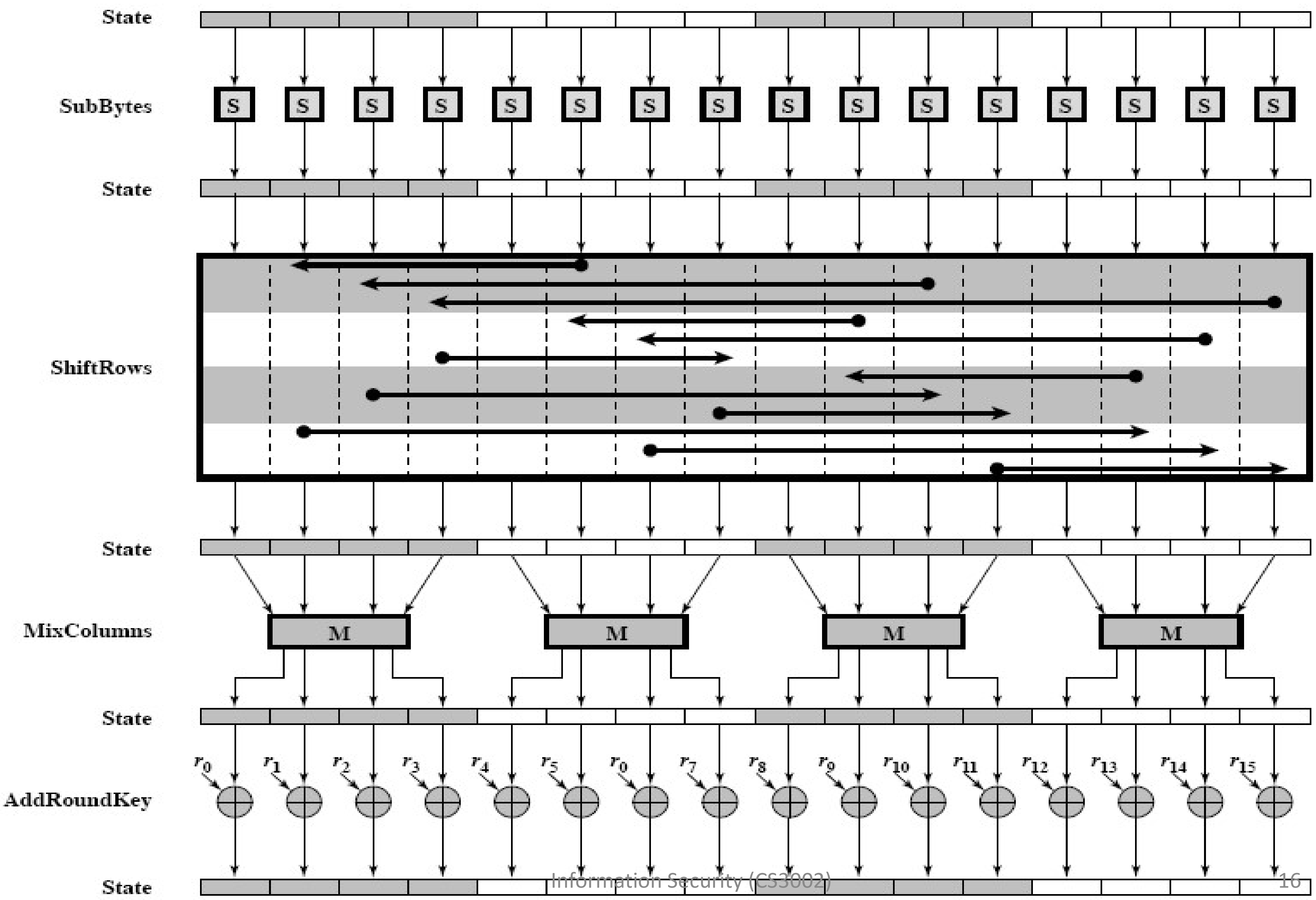
Rijndael (AES)

- Data block of 4 columns of 4 bytes is state and key is expanded to array of words.
- Has 10/12/14 rounds in which state undergoes:
  - Byte substitution (1 S-box used on every byte)
  - Shift rows (permute bytes between groups/columns)
  - Mix columns (subs using matrix multipy of groups)
  - Add round key (XOR state with key material)
  - View as alternating XOR key & scramble data bytes
- Initial XOR key material (1op.) & incomplete last (3ops.) round (so 10 rounds each of 4 ops.)

Rijndael (AES)

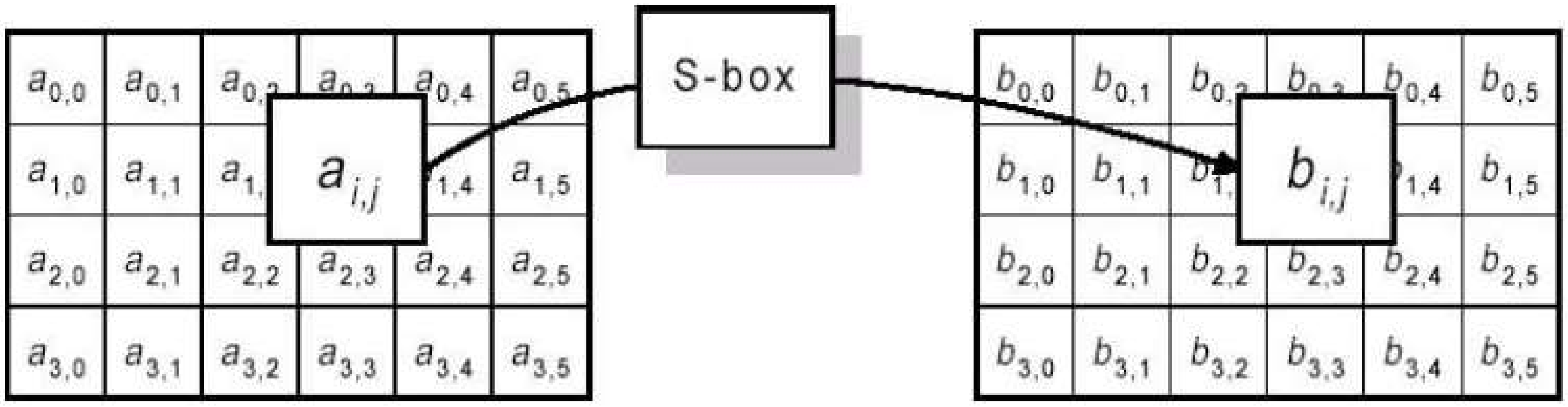


AES Encryption Round


State
SubBytes
S
State
ShiftRows
State
MixColumns
M
State
AddRoundKey
r_0 r_1 r_2 r_3 r_4 r_5 r_6 r_7 r_8 r_9 r_{10} r_{11} r_{12} r_{13} r_{14} r_{15}
State

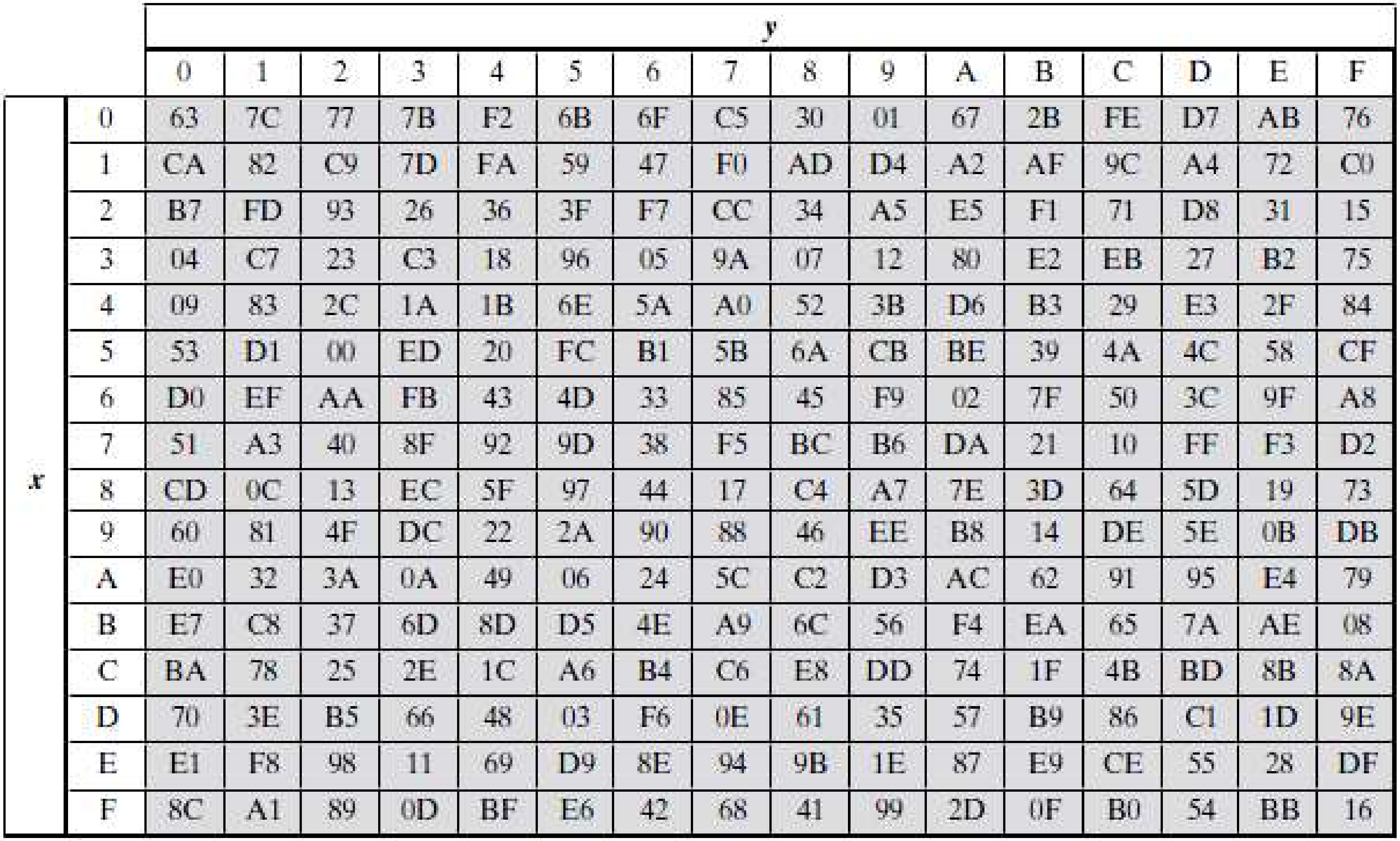
1. Byte Substitution

- Non linear byte substitution
  - Multiplicative inverse in GF(2^8)


$a_{0,0}$ $a_{0,1}$ $a_{0,2}$ $a_{0,3}$ $a_{0,4}$ $a_{0,5}$
$a_{1,0}$ $a_{1,1}$ $a_{1,2}$ $a_{1,3}$ $a_{1,4}$ $a_{1,5}$
$a_{2,0}$ $a_{2,1}$ $a_{2,2}$ $a_{2,3}$ $a_{2,4}$ $a_{2,5}$
$a_{3,0}$ $a_{3,1}$ $a_{3,2}$ $a_{3,3}$ $a_{3,4}$ $a_{3,5}$
$a_{i,j}$
S-box
$b_{i,j}$
$b_{0,0}$ $b_{0,1}$ $b_{0,2}$ $b_{0,3}$ $b_{0,4}$ $b_{0,5}$
$b_{1,0}$ $b_{1,1}$ $b_{1,2}$ $b_{1,3}$ $b_{1,4}$ $b_{1,5}$
$b_{2,0}$ $b_{2,1}$ $b_{2,2}$ $b_{2,3}$ $b_{2,4}$ $b_{2,5}$
$b_{3,0}$ $b_{3,1}$ $b_{3,2}$ $b_{3,3}$ $b_{3,4}$ $b_{3,5}$

ByteSub acts on individual bytes of the state

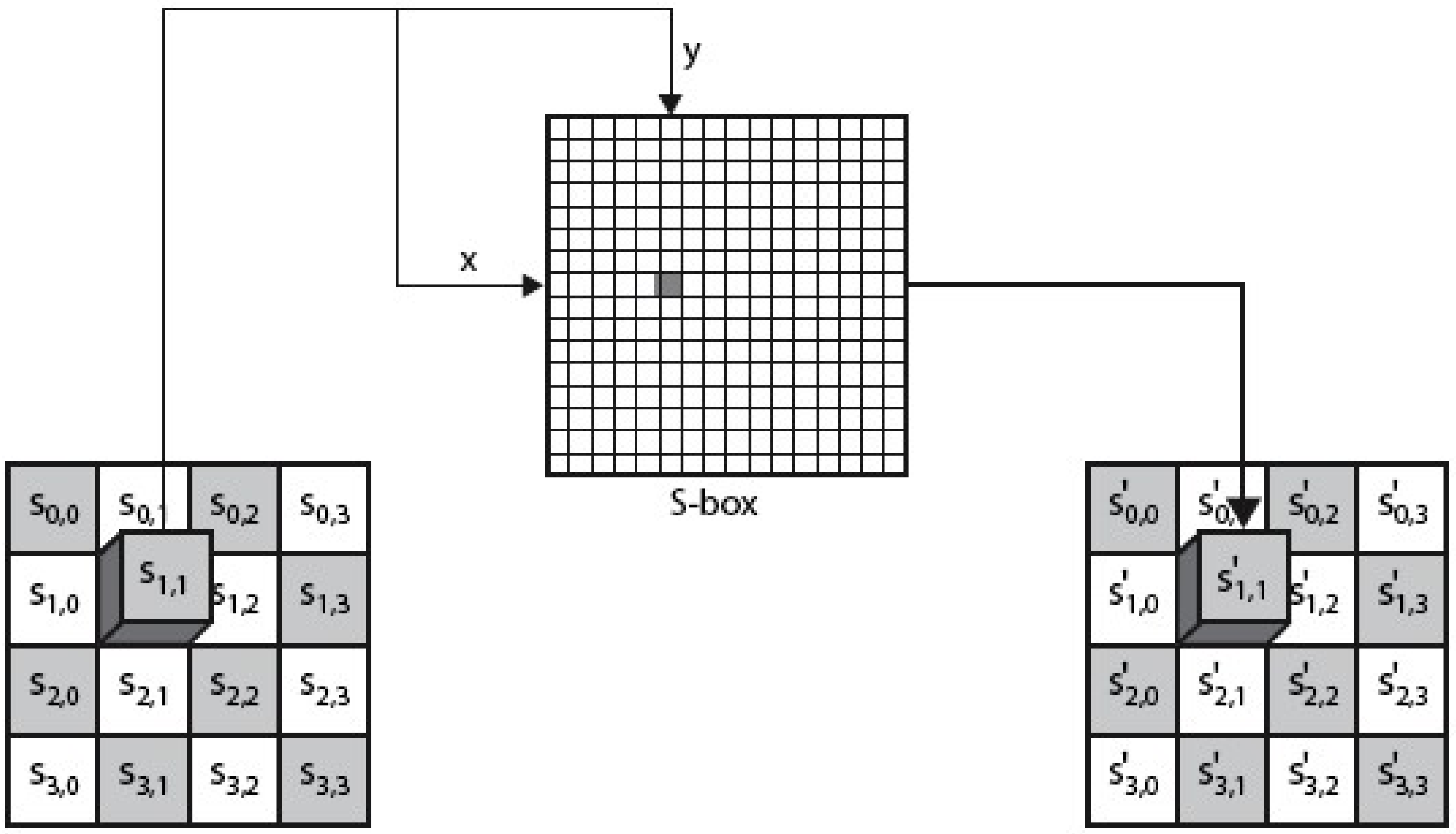
Table 5.2 AES S-Boxes



		y															
		0	1	2	3	4	5	6	7	8	9	A	B	C	D	E	F
x	0	63	7C	77	7B	F2	6B	6F	C5	30	01	67	2B	FE	D7	AB	76
	1	CA	82	C9	7D	FA	59	47	F0	AD	D4	A2	AF	9C	A4	72	C0
	2	B7	FD	93	26	36	3F	F7	CC	34	A5	E5	F1	71	D8	31	15
	3	04	C7	23	C3	18	96	05	9A	07	12	80	E2	EB	27	B2	75
	4	09	83	2C	1A	1B	6E	5A	A0	52	3B	D6	B3	29	E3	2F	84
	5	53	D1	00	ED	20	FC	B1	5B	6A	CB	BE	39	4A	4C	58	CF
	6	D0	EF	AA	FB	43	4D	33	85	45	F9	02	7F	50	3C	9F	A8
	7	51	A3	40	8F	92	9D	38	F5	BC	B6	DA	21	10	FF	F3	D2
	8	CD	0C	13	EC	5F	97	44	17	C4	A7	7E	3D	64	5D	19	73
	9	60	81	4F	DC	22	2A	90	88	46	EE	B8	14	DE	5E	0B	DB
	A	E0	32	3A	0A	49	06	24	5C	C2	D3	AC	62	91	95	E4	79
	B	E7	C8	37	6D	8D	D5	4E	A9	6C	56	F4	EA	65	7A	AE	08
	C	BA	78	25	2E	1C	A6	B4	C6	E8	DD	74	1F	4B	BD	8B	8A
	D	70	3E	B5	66	48	03	F6	0E	61	35	57	B9	86	C1	1D	9E
	E	E1	F8	98	11	69	D9	8E	94	9B	1E	87	E9	CE	55	28	DF
	F	8C	A1	89	0D	BF	E6	42	68	41	99	2D	0F	B0	54	BB	16

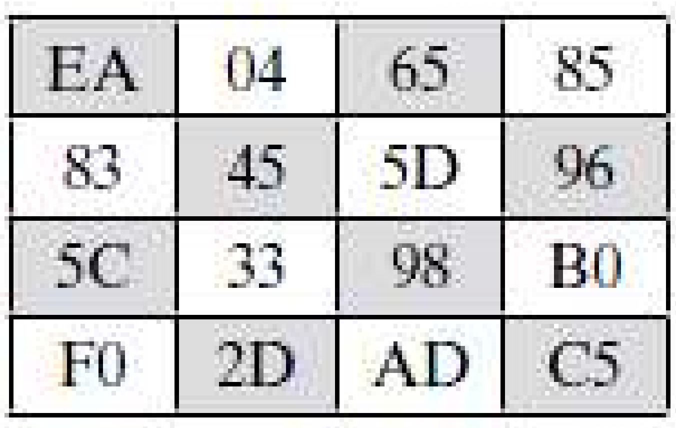
(a) S-box

Byte Substitution (cont.)



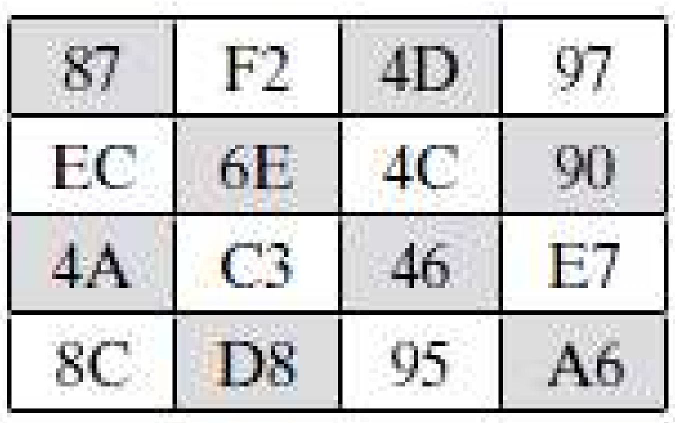
y
x
S-box
$s_{0,0}$ $s_{0,1}$ $s_{0,2}$ $s_{0,3}$
$s_{1,0}$ $s_{1,1}$ $s_{1,2}$ $s_{1,3}$
$s_{2,0}$ $s_{2,1}$ $s_{2,2}$ $s_{2,3}$
$s_{3,0}$ $s_{3,1}$ $s_{3,2}$ $s_{3,3}$
$s'_{0,0}$ $s'_{0,1}$ $s'_{0,2}$ $s'_{0,3}$
$s'_{1,0}$ $s'_{1,1}$ $s'_{1,2}$ $s'_{1,3}$
$s'_{2,0}$ $s'_{2,1}$ $s'_{2,2}$ $s'_{2,3}$
$s'_{3,0}$ $s'_{3,1}$ $s'_{3,2}$ $s'_{3,3}$

Byte Substitution (cont.)



EA	04	65	85
83	45	5D	96
5C	33	98	B0
F0	2D	AD	C5

$\rightarrow$

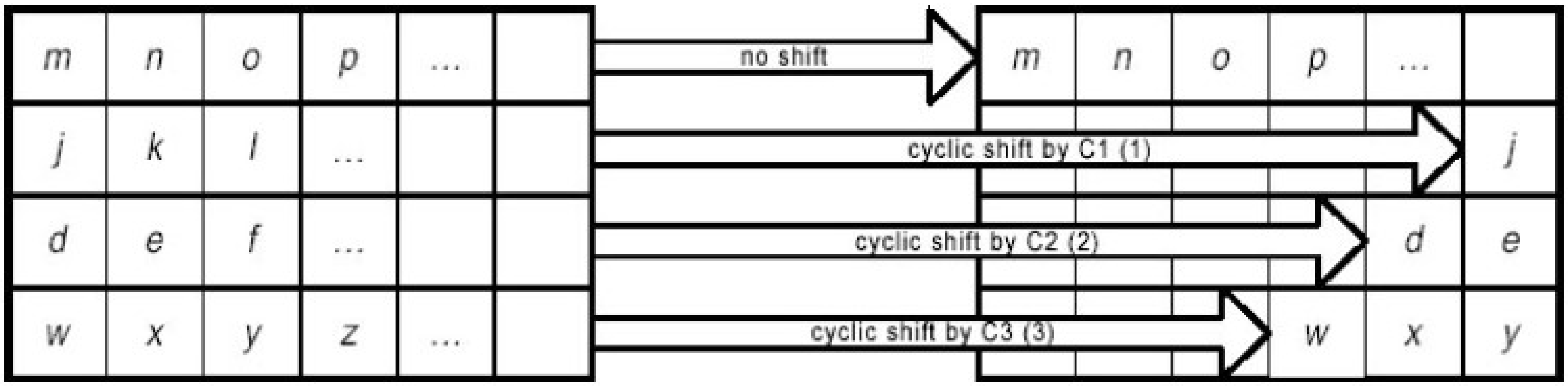


87	F2	4D	97
EC	6E	4C	90
4A	C3	46	E7
8C	D8	95	A6

2. Shift Rows

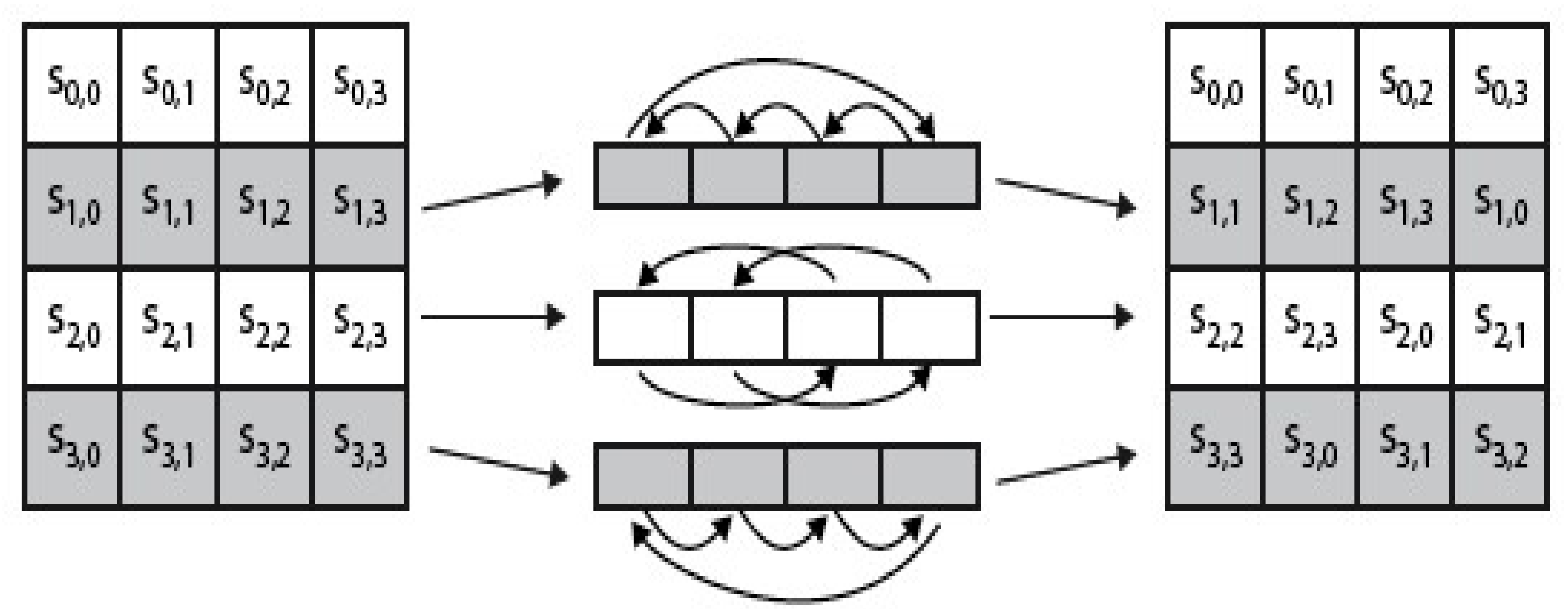
- rotating the rows with different offsets
  - Depending on block size
  - Cyclic Shift left

BlockSize	C1	C2	C3
128	1	2	3
196	1	2	3
256	1	3	4



ShiftRow operates on the rows of the state

Shift Rows (cont.)



$s_{0,0}$ $s_{0,1}$ $s_{0,2}$ $s_{0,3}$
$s_{1,0}$ $s_{1,1}$ $s_{1,2}$ $s_{1,3}$
$s_{2,0}$ $s_{2,1}$ $s_{2,2}$ $s_{2,3}$
$s_{3,0}$ $s_{3,1}$ $s_{3,2}$ $s_{3,3}$
$s_{0,0}$ $s_{0,1}$ $s_{0,2}$ $s_{0,3}$
$s_{1,1}$ $s_{1,2}$ $s_{1,3}$ $s_{1,0}$
$s_{2,2}$ $s_{2,3}$ $s_{2,0}$ $s_{2,1}$
$s_{3,3}$ $s_{3,0}$ $s_{3,1}$ $s_{3,2}$

- Decrypt inverts using *shifts to right*
- Since state is processed by columns, this step permutes bytes between the columns

3. Mix Columns

- Each column is processed separately.
- Each byte is replaced by a value dependent on all 4 bytes in the column.
- Can express each column as 4 equations
  - to derive each new byte in column.
- Decryption requires use of inverse matrix
  - with larger coefficients, hence a little harder

Mix Columns (cont.)

$$\begin{bmatrix} 02 & 03 & 01 & 01 \\ 01 & 02 & 03 & 01 \\ 01 & 01 & 02 & 03 \\ 03 & 01 & 01 & 02 \end{bmatrix} \begin{bmatrix} s_{0,0} & s_{0,1} & s_{0,2} & s_{0,3} \\ s_{1,0} & s_{1,1} & s_{1,2} & s_{1,3} \\ s_{2,0} & s_{2,1} & s_{2,2} & s_{2,3} \\ s_{3,0} & s_{3,1} & s_{3,2} & s_{3,3} \end{bmatrix} = \begin{bmatrix} s'_{0,0} & s'_{0,1} & s'_{0,2} & s'_{0,3} \\ s'_{1,0} & s'_{1,1} & s'_{1,2} & s'_{1,3} \\ s'_{2,0} & s'_{2,1} & s'_{2,2} & s'_{2,3} \\ s'_{3,0} & s'_{3,1} & s'_{3,2} & s'_{3,3} \end{bmatrix}$$

$$s'_{0,j} = (2 \cdot s_{0,j}) \oplus (3 \cdot s_{1,j}) \oplus s_{2,j} \oplus s_{3,j}$$
$$s'_{1,j} = s_{0,j} \oplus (2 \cdot s_{1,j}) \oplus (3 \cdot s_{2,j} \oplus s_{3,j}$$
$$s'_{2,j} = s_{0,j} \oplus s_{1,j} \oplus (2 \cdot s_{2,j}) \oplus (3 \cdot s_{3,j})$$
$$s'_{3,j} = (3 \cdot s_{0,j}) \oplus s_{1,j} \oplus s_{2,j} \oplus (2 \cdot s_{3,j})$$

The following is an example of MixColumns:

87	F2	4D	97
6E	4C	90	EC
46	E7	4A	C3
A6	8C	D8	95

→

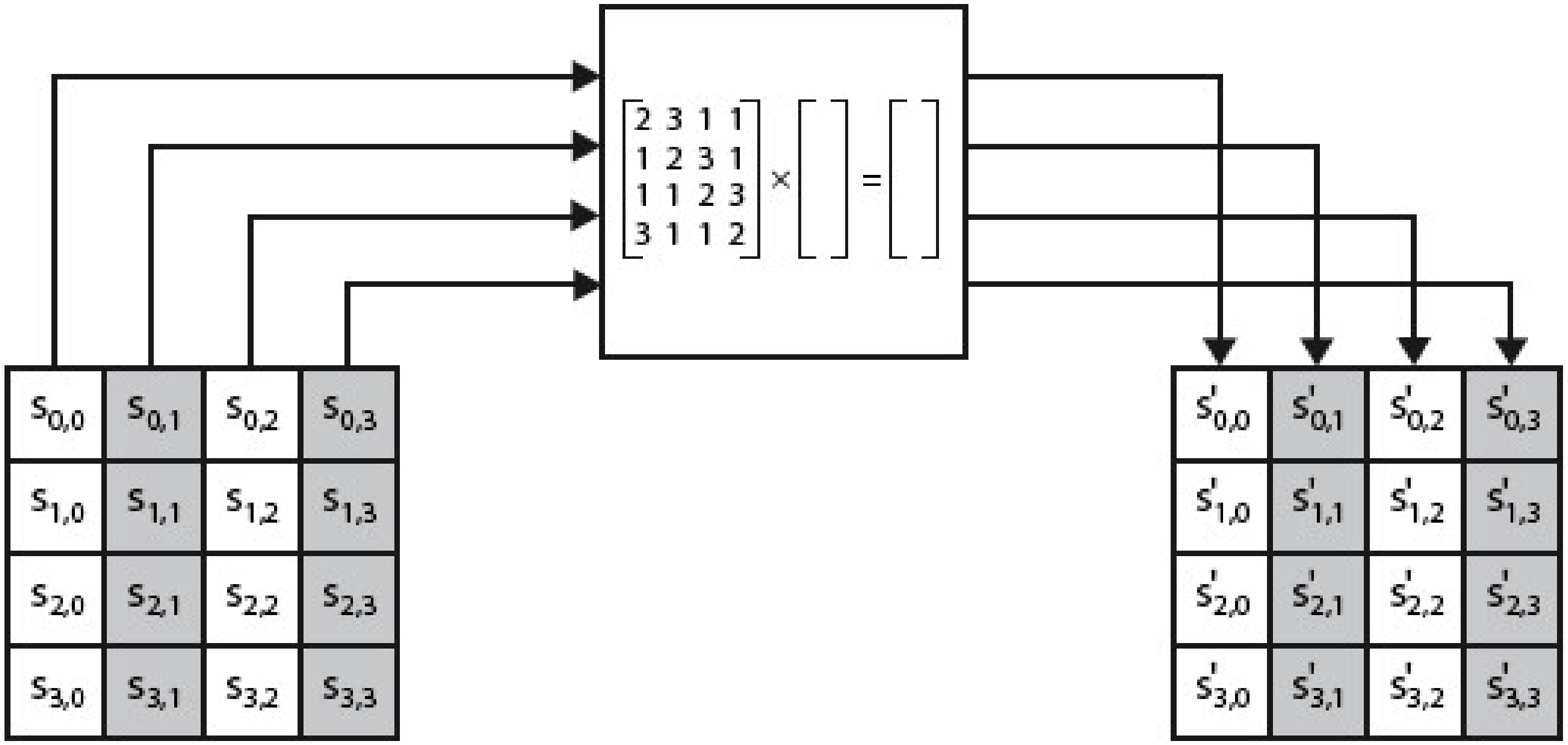
47	40	A3	4C
37	D4	70	9F
94	E4	3A	42
ED	A5	A6	BC

Mix Columns (cont.)

$$\begin{array}{llllll}
(\{02\}\bullet\{87\}) & \oplus(\{03\}\bullet\{6E\}) & \oplus\{46\} & \oplus\{A6\} & =\{47\} \\
\{87\} & \oplus(\{02\}\bullet\{6E\}) & \oplus(\{03\}\bullet\{46\}) & \oplus\{A6\} & =\{37\} \\
\{87\} & \oplus\{6E\} & \oplus(\{02\}\bullet\{46\}) & \oplus(\{03\}\bullet\{A6\}) & =\{94\} \\
(\{03\}\bullet\{87\}) & \oplus\{6E\} & \oplus\{46\} & \oplus(\{02\}\bullet\{A6\}) & =\{ED\}
\end{array}$$

Multiplication and Addition is in GF(2^8).

Mix Columns (cont.)



2 3 1 1
1 2 3 1
1 1 2 3
3 1 1 2
×
=
$s_{0,0}$ $s_{0,1}$ $s_{0,2}$ $s_{0,3}$
$s_{1,0}$ $s_{1,1}$ $s_{1,2}$ $s_{1,3}$
$s_{2,0}$ $s_{2,1}$ $s_{2,2}$ $s_{2,3}$
$s_{3,0}$ $s_{3,1}$ $s_{3,2}$ $s_{3,3}$
$s'_{0,0}$ $s'_{0,1}$ $s'_{0,2}$ $s'_{0,3}$
$s'_{1,0}$ $s'_{1,1}$ $s'_{1,2}$ $s'_{1,3}$
$s'_{2,0}$ $s'_{2,1}$ $s'_{2,2}$ $s'_{2,3}$
$s'_{3,0}$ $s'_{3,1}$ $s'_{3,2}$ $s'_{3,3}$

Fig.5.5 (b)

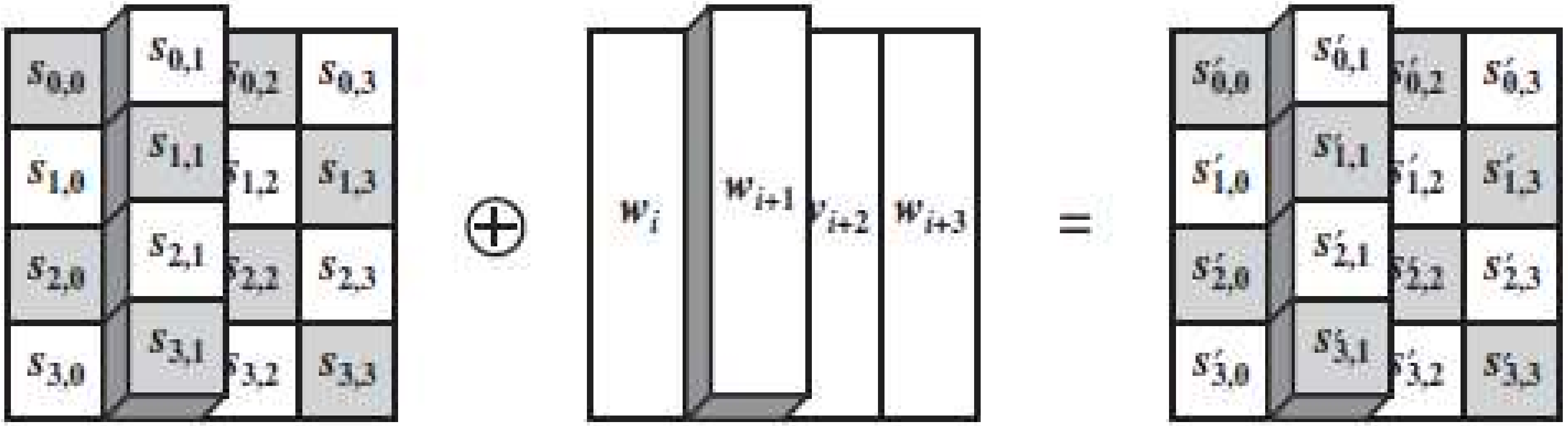
4. Add Round Key

- Apply the roundkey with a bitwise XOR.
- Size of roundkey equals block size.

$$\begin{array}{|c|c|c|c|c|c|}\hline a_{0,0} & a_{0,1} & a_{0,2} & a_{0,3} & a_{0,4} & a_{0,5} \\ \hline a_{1,0} & a_{1,1} & a_{1,2} & a_{1,3} & a_{1,4} & a_{1,5} \\ \hline a_{2,0} & a_{2,1} & a_{2,2} & a_{2,3} & a_{2,4} & a_{2,5} \\ \hline a_{3,0} & a_{3,1} & a_{3,2} & a_{3,3} & a_{3,4} & a_{3,5} \\ \hline \end{array} \oplus \begin{array}{|c|c|c|c|c|c|}\hline k_{0,0} & k_{0,1} & k_{0,2} & k_{0,3} & k_{0,4} & k_{0,5} \\ \hline k_{1,0} & k_{1,1} & k_{1,2} & k_{1,3} & k_{1,4} & k_{1,5} \\ \hline k_{2,0} & k_{2,1} & k_{2,2} & k_{2,3} & k_{2,4} & k_{2,5} \\ \hline k_{3,0} & k_{3,1} & k_{3,2} & k_{3,3} & k_{3,4} & k_{3,5} \\ \hline \end{array} = \begin{array}{|c|c|c|c|c|c|}\hline b_{0,0} & b_{0,1} & b_{0,2} & b_{0,3} & b_{0,4} & b_{0,5} \\ \hline b_{1,0} & b_{1,1} & b_{1,2} & b_{1,3} & b_{1,4} & b_{1,5} \\ \hline b_{2,0} & b_{2,1} & b_{2,2} & b_{2,3} & b_{2,4} & b_{2,5} \\ \hline b_{3,0} & b_{3,1} & b_{3,2} & b_{3,3} & b_{3,4} & b_{3,5} \\ \hline \end{array}$$

Bitwise round key addition

Add Round Key (cont.)

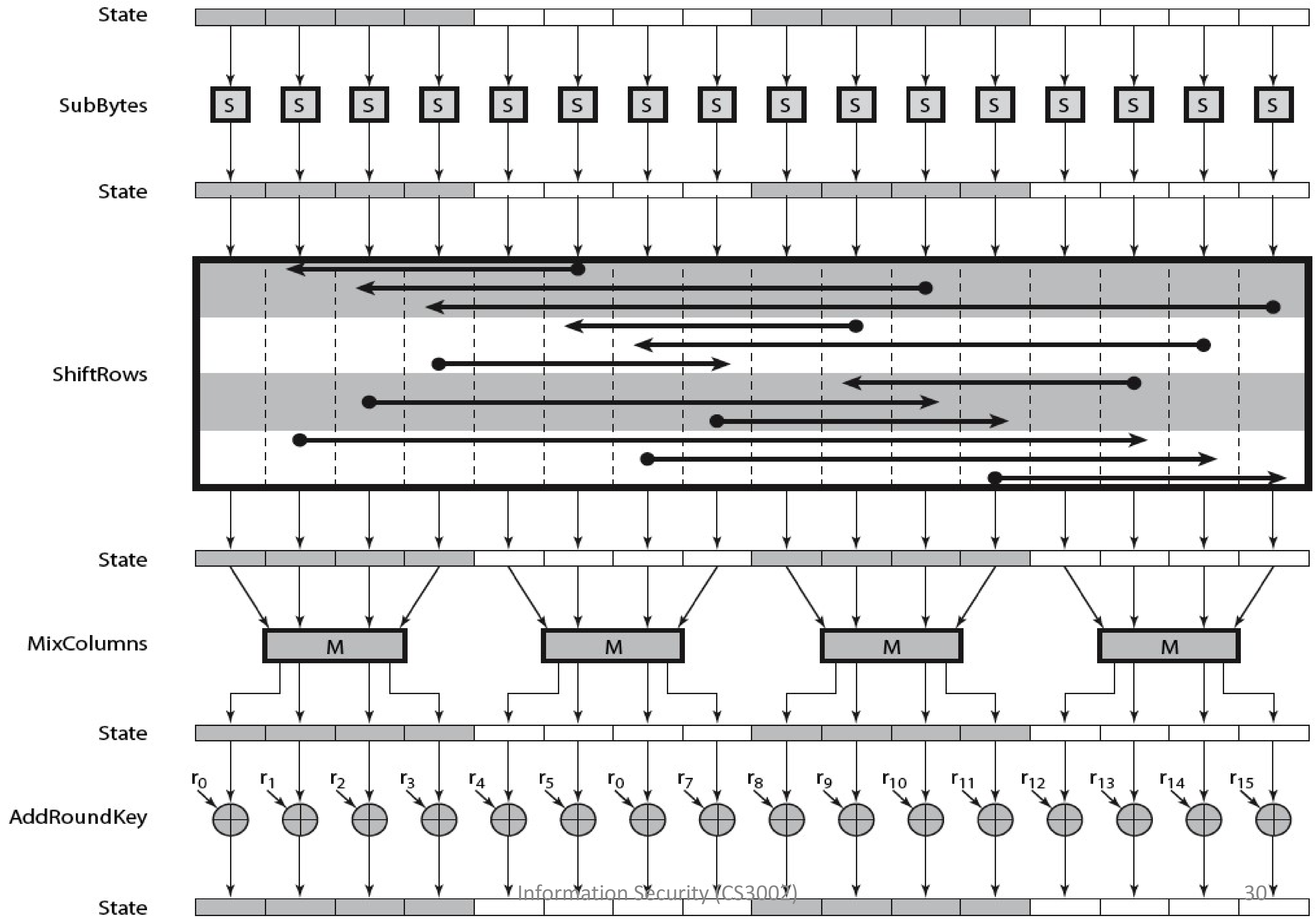


$s_{0,0}$ $s_{0,1}$ $s_{0,2}$ $s_{0,3}$
$s_{1,0}$ $s_{1,1}$ $s_{1,2}$ $s_{1,3}$
$s_{2,0}$ $s_{2,1}$ $s_{2,2}$ $s_{2,3}$
$s_{3,0}$ $s_{3,1}$ $s_{3,2}$ $s_{3,3}$
$\oplus$
w_i w_{i+1} w_{i+2} w_{i+3}
$=$
$s'_{0,0}$ $s'_{0,1}$ $s'_{0,2}$ $s'_{0,3}$
$s'_{1,0}$ $s'_{1,1}$ $s'_{1,2}$ $s'_{1,3}$
$s'_{2,0}$ $s'_{2,1}$ $s'_{2,2}$ $s'_{2,3}$
$s'_{3,0}$ $s'_{3,1}$ $s'_{3,2}$ $s'_{3,3}$

Add Round Key (cont.)

- Inverse for decryption identical.
  - Since XOR own inverse, with reversed keys.
- Designed to be as simple as possible.
  - A form of Vernam cipher on expanded key.
  - Requires other stages for complexity / security.

AES Round


State
SubBytes
S
State
ShiftRows
State
MixColumns
M
State
AddRoundKey
r_0
r_1
r_2
r_3
r_4
r_5
r_0
r_7
r_8
r_9
r_{10}
r_{11}
r_{12}
r_{13}
r_{14}
r_{15}
State

AES Key Expansion

Nk=4,6,8

Nr=10,12,14

AES Key Expansion

- Takes as input a N_k word key and produces a linear array of N_k * (N_r+1) words.
- Expanded key provide a N_k word round key for the initial AddRoundKey() stage and for each of the N_r rounds of the cipher.
- The key is first copied into the first N_k words, the remainder of the expanded key is filled N_k words at a time.

Key Expansion (cont.) Pseudo Code 16 byte key

```
KeyExpansion(byte key[16], word w[44])
{
   word temp;
   for (i = 0; i < 4; i++)  w[i] = (key[4*i], key[4*i+1],
                                     key[4*i+2], key[4*i+3]);
   for (i = 4; i < 44; i++)
   {
        temp = w[i-1];
        if ( i mod 4 = 0 )    temp = SubWord(RotWord(temp))
                                          XOR Rcon[i/4];
        w[i] = w[i-4] XOR temp;
   }
}
```

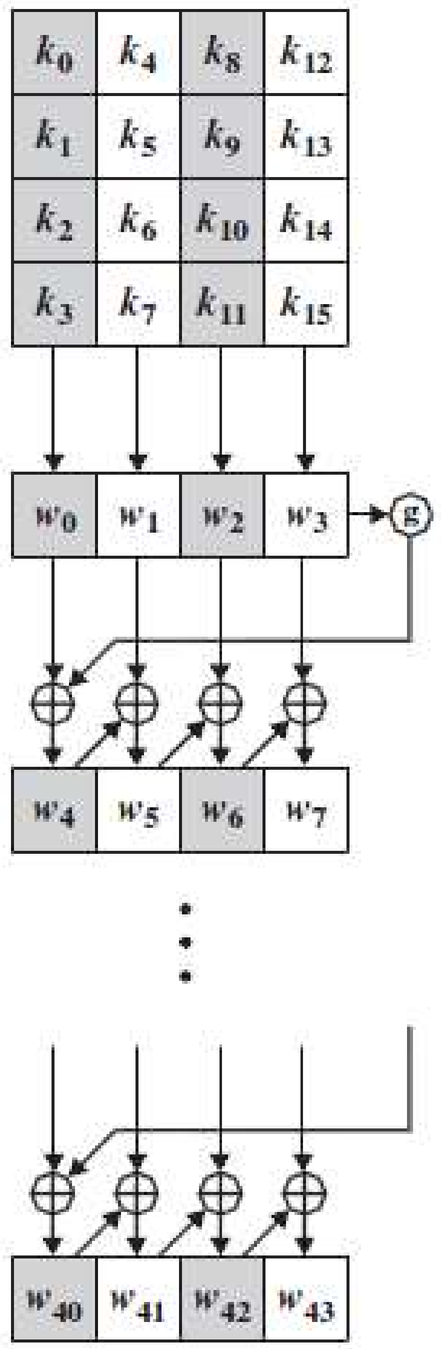
Key Expansion (cont.)

- `RotWord` performs a one byte circular left shift on a word. For example:

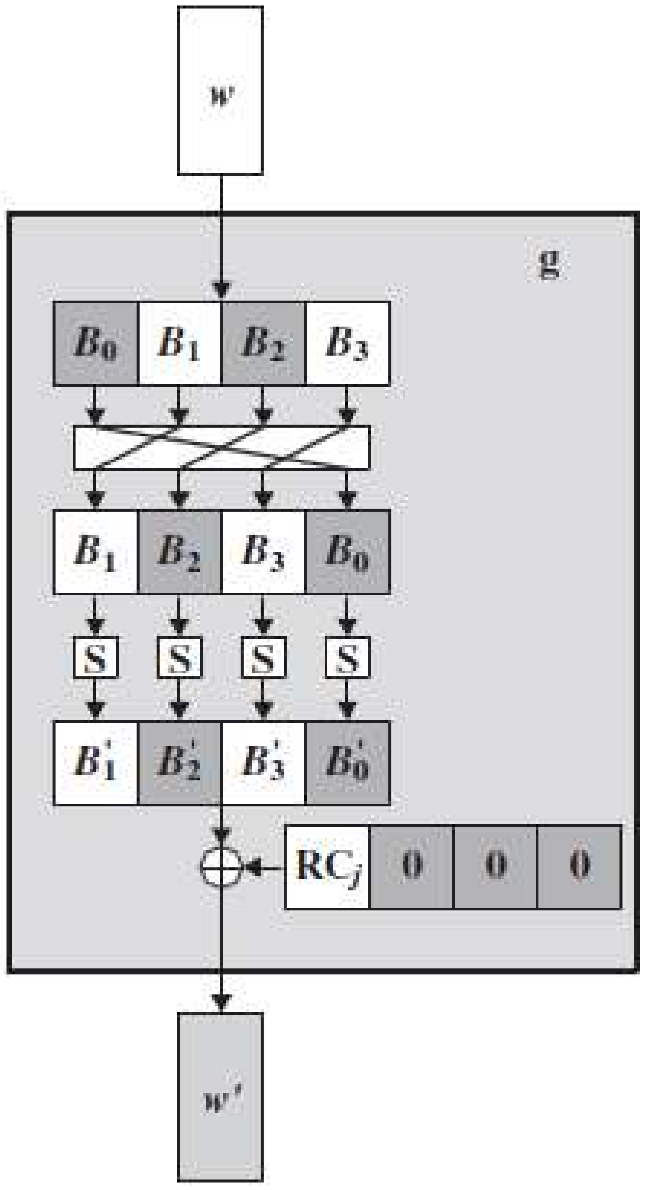
```
RotWord[b0,b1,b2,b3] = [b1,b2,b3,b0]
```

- `SubWord` performs a byte substitution on each byte of input word using the S-box (similar to SubBytes())

- `SubWord(RotWord(temp))` is XORed with Rcon[j] – the round constant.



k_0 k_4 k_8 k_{12}
k_1 k_5 k_9 k_{13}
k_2 k_6 k_{10} k_{14}
k_3 k_7 k_{11} k_{15}
w_0 w_1 w_2 w_3
g
w_4 w_5 w_6 w_7
w_{40} w_{41} w_{42} w_{43}



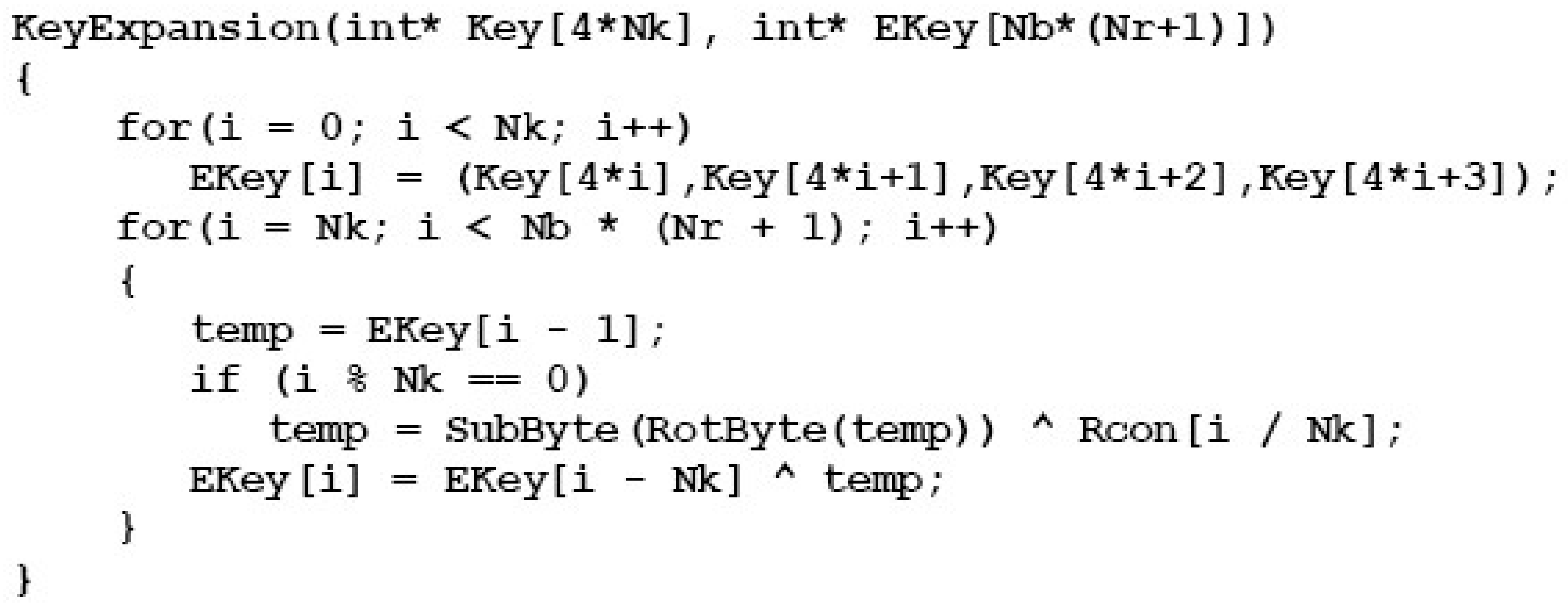
(b) Function g

j	1	2	3	4	5	6	7	8	9	10
RC[j]	01	02	04	08	10	20	40	80	1B	36

Nk=4,6,8

Nr=10,12,14

Pseudo Code for All Key Sizes



```
KeyExpansion(int* Key[4*Nk], int* EKey[Nb*(Nr+1)])
{
    for(i = 0; i < Nk; i++)
        EKey[i] = (Key[4*i],Key[4*i+1],Key[4*i+2],Key[4*i+3]);
    for(i = Nk; i < Nb * (Nr + 1); i++)
    {
        temp = EKey[i - 1];
        if (i % Nk == 0)
            temp = SubByte(RotByte(temp)) ^ Rcon[i / Nk];
        EKey[i] = EKey[i - Nk] ^ temp;
    }
}
```

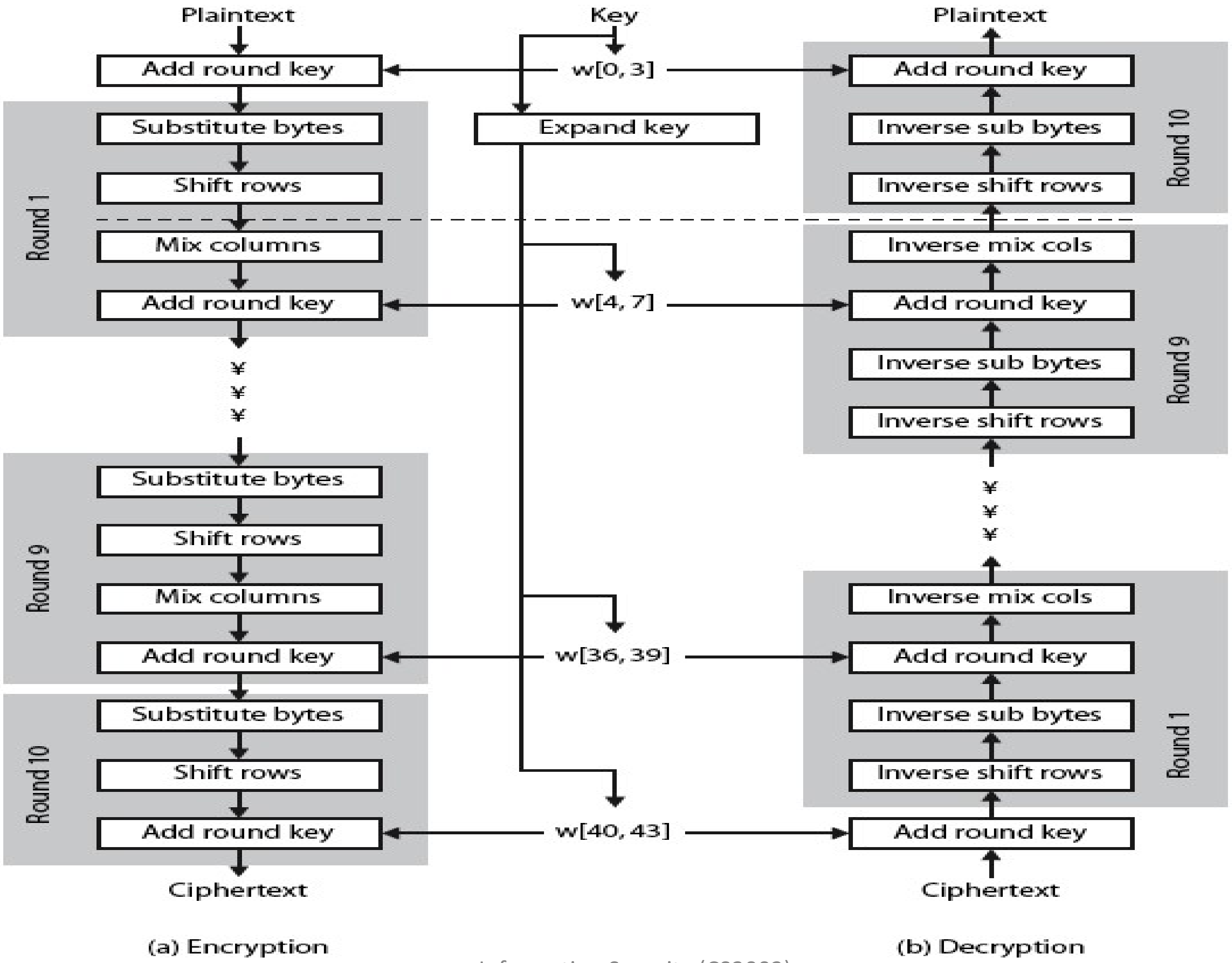
Decryption of AES (Self-Study)

tweak -adjust finely

AES Decryption

- AES decryption is not identical to encryption since steps done in reverse.
- But can define an equivalent inverse cipher with steps as for encryption.
  - but using inverses of each step
  - with a different key schedule
- Works since result is unchanged when
  - swap byte substitution & shift rows
  - swap mix columns & add (tweaked) round key

Rijndael


Plaintext
Key
Plaintext
Add round key
w[0, 3]
Add round key
Substitute bytes
Expand key
Inverse sub bytes
Round 10
Round 1
Shift rows
Inverse shift rows
Mix columns
Inverse mix cols
Add round key
w[4, 7]
Add round key
Inverse sub bytes
Round 9
Inverse shift rows
¥
¥
¥
Substitute bytes
Round 9
Shift rows
Mix columns
Inverse mix cols
Add round key
w[36, 39]
Add round key
Substitute bytes
Inverse sub bytes
Round 10
Round 1
Shift rows
Inverse shift rows
Add round key
w[40, 43]
Add round key
Ciphertext
Ciphertext
(a) Encryption
(b) Decryption

Equivalent Inverse Cipher

- The original sequence is :

Encryption:

`SubBytes ShiftRows MixColumns AddRoundKey`

Decryption:

$$\begin{tikzcd}
\texttt{InvShiftRows} \arrow[r, bend right] & \texttt{InvSubBytes} \arrow[l, bend right] & \texttt{AddRoundKey} \arrow[r, bend right] & \texttt{InvMixColumns} \arrow[l, bend right]
\end{tikzcd}$$

- Thus **`InvShiftRows`** needs to be interchanged with **`InvSubBytes`** and **`AddRoundKey`** with **`InvMixColumns`**.

Equivalent Inverse Cipher

- **`InvShiftRows`** – Affects sequence of bytes but does not alter byte content and does not depend on the byte content to perform transformation.
- **`InvSubBytes`** – Affects content of bytes but does not alter byte sequence and does not depend on the byte sequence to perform transformation.
- Thus **`InvShiftRows and InvSubBytes`** can be interchanged. For given state **`S`**,

```
InvShiftRows(InvSubBytes(S))
                =
    InvSubBytes(InvShiftRows(S))
```

Equivalent Inverse Cipher

- If key is viewed as sequence of words then both **`AddRoundKey`** and **`InvMixColumns`** operate on state one column at a time.

- These operations are linear with respect to the column input: State – S and key - w

  `InvMixColumns`(S XOR w) =

  [**`InvMixColumns`**(S)] XOR **`InvMixColumns`**(w)]

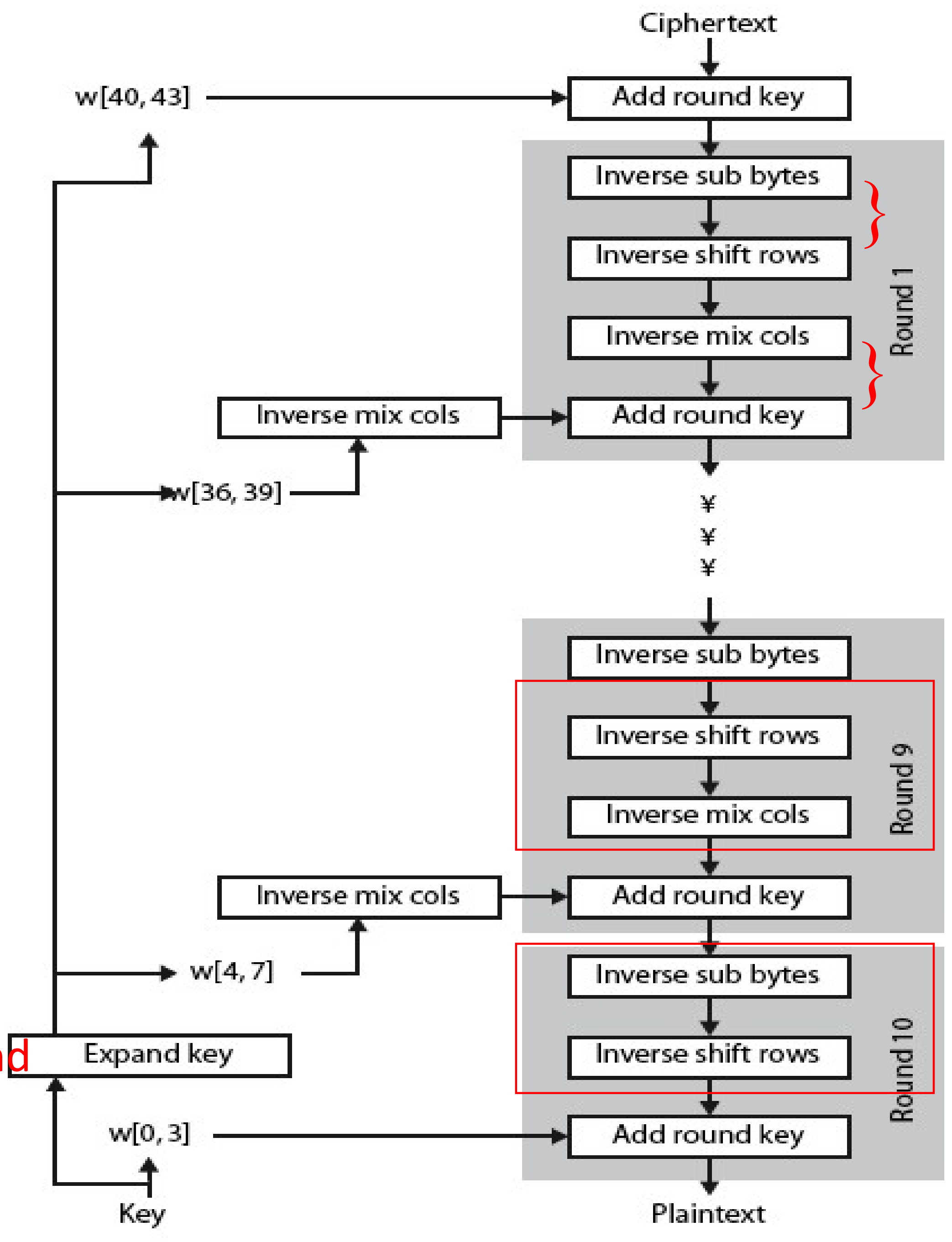
Equivalent Inverse Cipher

$$\begin{bmatrix} 0E & 0B & 0D & 09 \\ 09 & 0E & 0B & 0D \\ 0D & 09 & 0E & 0B \\ 0B & 0D & 09 & 0E \end{bmatrix} \begin{bmatrix} y0 \text{ XOR } k0 \\ y1 \text{ XOR } k1 \\ y2 \text{ XOR } k2 \\ y3 \text{ XOR } k3 \end{bmatrix} = \begin{bmatrix} 0E & 0B & 0D & 09 \\ 09 & 0E & 0B & 0D \\ 0D & 09 & 0E & 0B \\ 0B & 0D & 09 & 0E \end{bmatrix} \begin{bmatrix} y0 \\ y1 \\ y2 \\ y3 \end{bmatrix}$$

$$+ \begin{bmatrix} 0E & 0B & 0D & 09 \\ 09 & 0E & 0B & 0D \\ 0D & 09 & 0E & 0B \\ 0B & 0D & 09 & 0E \end{bmatrix} \begin{bmatrix} y0 \\ y1 \\ y2 \\ y3 \end{bmatrix}$$

- Thus **`InvMixColumns`** and **`AddRoundKey`** can be interchanged.

AES Decryption



- **InvShiftRows ↔ InvSubBytes** and
- **AddRoundKey ↔ InvMixColumns**.

Two Decryptions compared

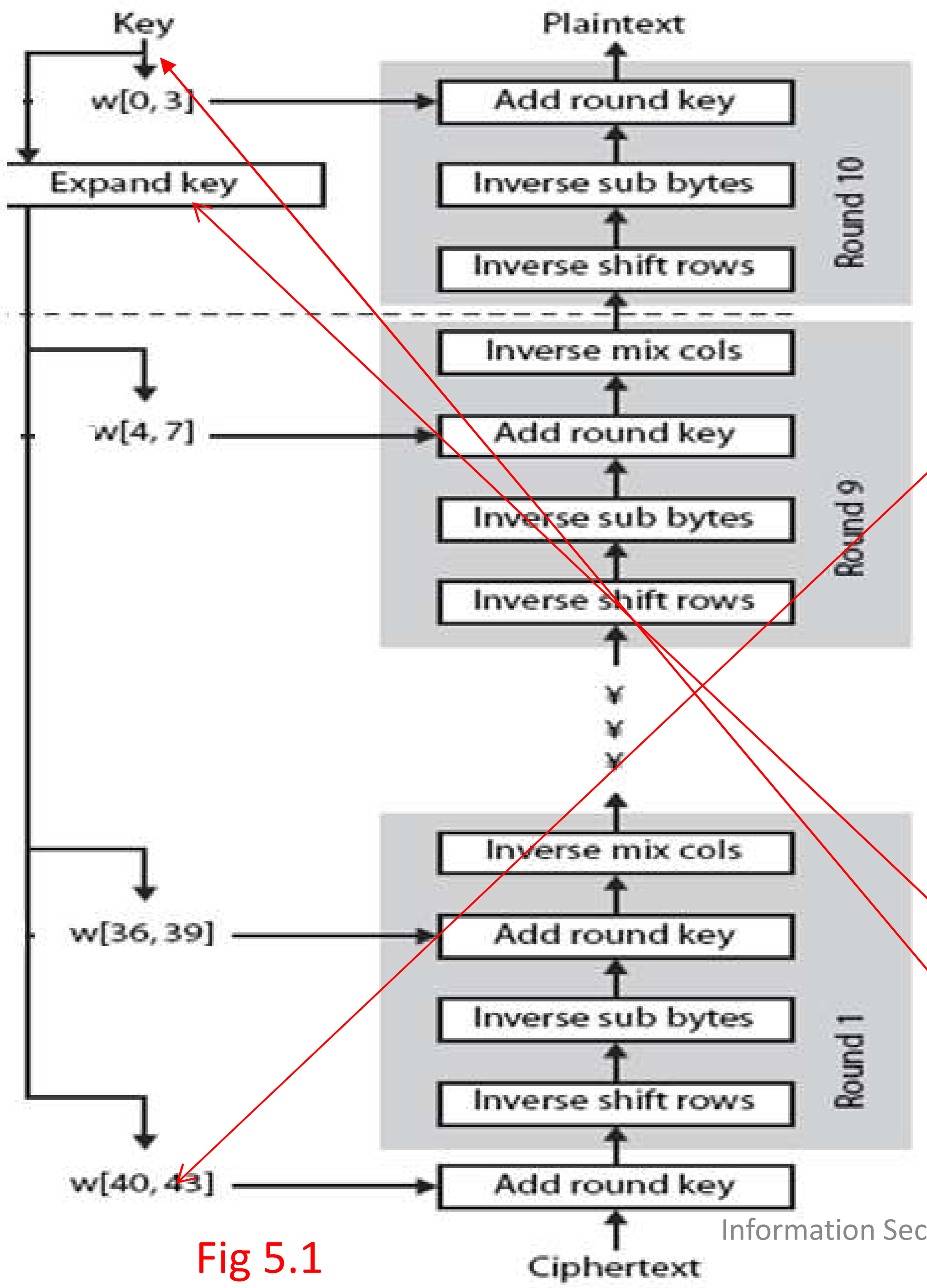


Fig 5.1

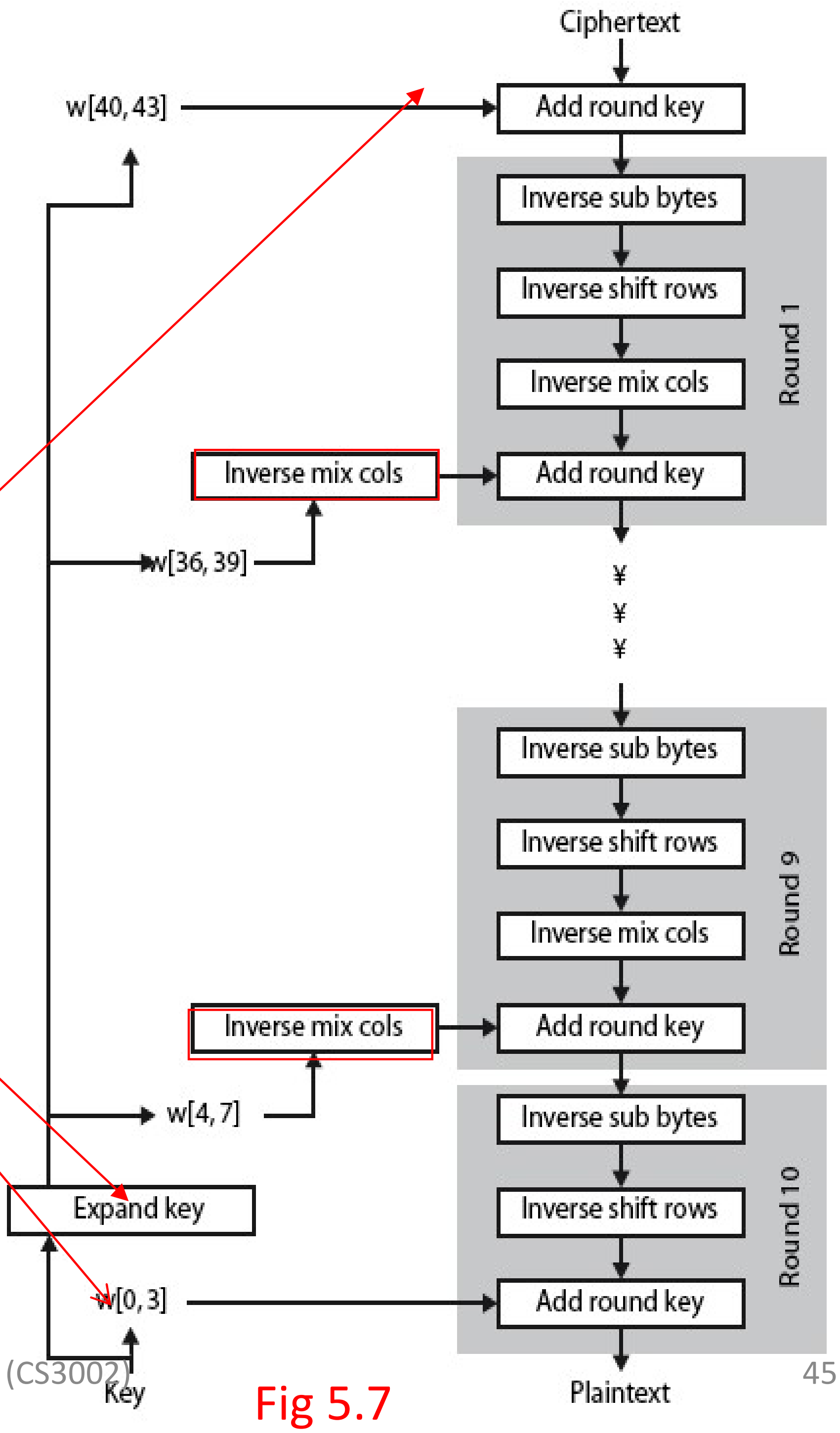


Fig 5.7

Equivalent Inverse Cipher Advantages

- AS AES decryption cipher is not identical to the encryption cipher (Fig 5.1)
- Disadvantage – Two separate software or hardware modules are required if performing both encryption and decryption.
- So equivalent version of the decryption algorithm that has the same structure (the same sequence of transformations) as the encryption algorithm, can use same software (Fig 5.7)