

Network Security

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Digital Signatures

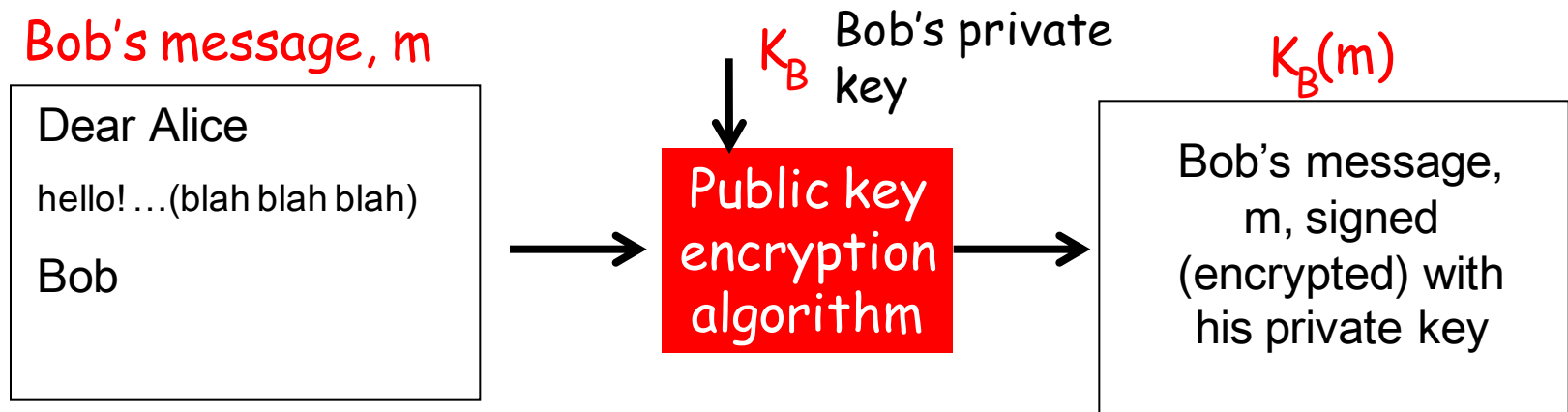
Digital Signatures

- Message Authentication does not address issues of lack of trust between communicating parties
- Digital Signatures
 - Cryptographic technique, analogous to hand-written signatures.
 - sender (Bob) digitally signs document, establishing he is document owner/creator.
 - verifiable, non-forgable: recipient (Alice) can prove to someone that Bob, and no one else (including Alice), must have signed the document

Digital Signatures

Simple digital signature for message m :

- Bob signs m by encrypting with his private key K_B , creating “signed” message, $K_B(m)$



Digital Signature Provides...

- Verification of author, date & time of signature
- Authentication of message contents
- Verification to third parties to resolve disputes
- Hence include authentication function with additional capabilities

Digital Signature Requirements

- Must depend on the message signed
- Must use information unique to sender
 - to prevent both forgery and denial
- Must be relatively easy to produce
- Must be relatively easy to recognize & verify
- Computationally infeasible to forge
 - with new message for existing digital signature
 - with fraudulent digital signature for given message
- Practical to save digital signature in storage

Direct Digital Signature

- Involves only sender & receiver
- Assumption: Receiver has sender's public-key
- Digital signature made by sender signing entire message or hash with private-key
- Can encrypt using receiver's public-key
- Important that signs first, then encrypt message & signature

Direct Digital Signature Security

- Depends on sender's private-key
- Sender may
 - later deny sending a particular message
 - claim that the private key was lost or lost
- One way to stop is use timestamps with signed message

Arbitrated Digital Signatures

- Involves use of an arbiter that
 - Validates any signed message
 - Then the message is dated and sent to recipient
- Sender cannot disown the message
- Requires suitable level of trust in arbiter
- Can be implemented with either private or public-key algorithms
- Arbiter may or may not see message

Arbitrated Digital Signature Technique I

- Conventional Encryption, Arbiter sees message

-X \rightarrow A: $M || E_{K_{xa}} [ID_x || H(M)]$

-A \rightarrow Y: $E_{K_{ay}} [ID_x || M || E_{K_{xa}} [ID_x || H(M)] || T]$

- Sender X and arbiter A share a secret key and so do arbiter A and receiver Y
- Timestamp informs Y that message is not a replay
- Y stores M and the signature; in case of disputes, Y can send it to Arbiter

Requirements for Arbiter

- X must trust A not to reveal their shared key and not to generate false signatures
- Y must trust A to send $E_{K_{ay}}[ID_x || M || E_{K_{xa}}[ID_x || H(M)] || T]$, only if the hash value is correct and signature was generated by X
- Both sides must trust A to resolve disputes

Arbitrated Digital Signature Technique II

- Conventional Encryption, Arbiter does not see message

-X \rightarrow A: $ID_x || E_{K_{xy}}[M] || E_{K_{xa}}[ID_x || H(E_{K_{xy}}[M])]$

-A \rightarrow Y: $E_{K_{ay}}[ID_x || E_{K_{xy}}[M] || E_{K_{xa}}[ID_x || H(E_{K_{xy}}[M])]] || T$

- Ensures confidentiality
- X and Y also share secret key
- A could form alliance with X to deny!

Arbitrated Digital Signature Technique III

- Public key encryption, arbiter does not see message

-X \rightarrow A: $ID_x || E_{K_{R_x}}[ID_x || E_{K_{U_Y}}(E_{K_{R_x}}[M])]$

-A \rightarrow Y: $E_{K_{R_a}}[ID_x || E_{K_{U_Y}}[E_{K_{R_x}}[M]] || T]$

- Secure technique
- Confidentiality is kept
- A only verifies the originator and Y can only decrypt the original message

Authentication Protocols

- Used to convince parties of each others identity and to exchange session keys
- May be one-way or mutual
- Key issues are
 - Confidentiality – to prevent masquerade and compromise of session;
 - Requires prior existence of secret or public keys
 - Timeliness – to prevent replay attacks
 - These attacks can allow an opponent to compromise a session key (at worst)
 - Or can disrupt operations by presenting messages that appear genuine (at minimum)

Replay Attacks

- A valid signed message is copied and later resent
- Examples:
 - Simple replay: opponent simply copies and replays the message
 - Repetition that can be logged: replay a timestamped message within the valid time window
 - Repetition that cannot be detected: original message suppressed and only replay message arrived
 - Backward replay without modification: replay back to the sender

Countermeasures

- Use of sequence numbers

- Message accepted only if in proper order
- Each party keeps track of the last sequence number (overhead)

- Timestamps

- Message is accepted as fresh, only if timestamp is close to receiver's current time
- Need synchronized clocks

- Challenge/Response (using unique nonce)

- One party sends a challenge (nonce) and requires the subsequent message to contain correct nonce value
- Unsuitable for connectionless applications

Using Symmetric Encryption

- Can use a two-level hierarchy of keys
- Usually with a trusted Key Distribution Center (KDC)
 - Each party shares own master key with KDC
 - KDC generates session keys used for connections between parties
 - Master keys used to distribute these to them
 - Example: Kerberos

Needham-Schroeder Protocol

- Original third-party key distribution protocol
- For session between A & B mediated by KDC
- Protocol overview:
 1. $A \rightarrow KDC: ID_A \parallel ID_B \parallel N_1$
 2. $KDC \rightarrow A: E_{K_a}[K_s \parallel ID_B \parallel N_1 \parallel E_{K_b}[K_s \parallel ID_A]]$
 3. $A \rightarrow B: E_{K_b}[K_s \parallel ID_A]$
 4. $B \rightarrow A: E_{K_s}[N_2]$
 5. $A \rightarrow B: E_{K_s}[f(N_2)]$

Needham-Schroeder Protocol

- Used to securely distribute a new session key for communications between A & B
- Vulnerable to replay attack if an old session key has been compromised
 - Then message 3 can be resent convincing B that it is communicating with A
- Modifications to address this require:
 - timestamps
 - using an extra nonce

Using Public-Key Encryption

- Have a range of approaches based on the use of public-key encryption
- Need to ensure have correct public keys for other parties
- Using a central Authentication Server (AS)
- Various protocols exist using timestamps or nonces

Denning AS Protocol

- Denning presented the following:

1. $A \rightarrow AS:$ $ID_A || ID_B$
2. $AS \rightarrow A:$ $E_{K_{R_{as}}}[ID_A || KU_a || T] || E_{K_{R_{as}}}[ID_B || KU_b || T]$
3. $A \rightarrow B:$ $E_{K_{R_{as}}}[ID_A || KU_a || T] || E_{K_{R_{as}}}[ID_B || KU_b || T] || E_{KU_b}[E_{K_{Ra}}[K_S || T]]$

- Note session key is chosen by A, hence AS need not be trusted to protect it
- Timestamps prevent replay but require **synchronized clocks**

Public-Key Encryption using Nonce

• To avoid synchronization Woo and Lam proposed the following:

1. $A \rightarrow KDC:$ $ID_A || ID_B$
2. $KDC \rightarrow A:$ $E_{KR_{auth}}[ID_B || KU_b]$
3. $A \rightarrow B:$ $E_{KU_b}[N_a || ID_A]$
4. $B \rightarrow KDC:$ $ID_B || ID_A || E_{KU_{auth}}[N_a]$
5. $KDC \rightarrow B:$ $E_{KR_{auth}}[ID_A || KU_a] || E_{KU_b}[E_{KR_{auth}}[N_a || K_s || ID_B]]$
6. $B \rightarrow A:$ $E_{KU_a}[E_{KR_{auth}}[N_a || K_s || ID_B] || N_b]$
7. $A \rightarrow B:$ $E_{K_s}[N_b]$

Binds K_s to the two communicating parties

Revision by Woo & Lam

1. $A \rightarrow KDC:$ $ID_A || ID_B$
2. $KDC \rightarrow A:$ $E_{K_{R_{auth}}}[ID_B || KU_b]$
3. $A \rightarrow B:$ $E_{KU_b}[N_a || ID_A]$
4. $B \rightarrow KDC:$ $ID_B || ID_A || E_{KU_{auth}}[N_a]$
5. $KDC \rightarrow B:$ $E_{K_{R_{auth}}}[ID_A || KU_a] || E_{KU_b}[E_{K_{R_{auth}}}[N_a || K_s || ID_A || ID_B]]$
6. $B \rightarrow A:$ $E_{KU_a}[E_{K_{R_{auth}}}[N_a || K_s || ID_A || ID_B] || N_b]$
7. $A \rightarrow B:$ $E_{K_s}[N_b]$

One-Way Authentication

- Required when sender & receiver are not in communications at same time (e.g., email)
- Have header in clear so can be delivered by email system
- May want contents of body protected & sender authenticated

Using Symmetric Encryption

- Decentralized approach is impractical. Exchange of nonces not possible
- Can refine use of KDC but can't have final exchange of nonces:

1. $A \rightarrow KDC: ID_A \parallel ID_B \parallel N_I$

2. $KDC \rightarrow A: E_{K_a}[K_s \parallel ID_B \parallel N_I \parallel E_{K_b}[K_s \parallel ID_A]]$

3. $A \rightarrow B: E_{K_b}[K_s \parallel ID_A] \parallel E_{K_s}[M]$

- Does not protect against replays
 - Could rely on timestamp in message, though email delays make this problematic

Public-Key Approaches

- Public-key approaches require that sender knows the recipient's private key (authentication) or public key (confidentiality)
- If confidentiality is major concern, can use:

$$A \rightarrow B: E_{K_{Ub}}[K_s] \parallel E_{K_s}[M]$$
 - Has encrypted session key, encrypted message
- If authentication is needed use a digital signature with a digital certificate:

$$A \rightarrow B: M \parallel E_{K_{Ra}}[H(M)] \parallel E_{K_{Ra}}[T \parallel ID_A \parallel KU_a]$$
 - With message, signature, certificate

Digital Signature Standard (DSS)

- US Govt approved signature scheme FIPS 186
- Uses the SHA hash algorithm
- Designed by NIST & NSA in early 90's
- DSS is the standard, DSA is the algorithm
- Used to provide digital signatures
- Creates a 320 bit signature, but with 512-1024 bit security
- Security depends on difficulty of computing discrete logarithms

Digital Signature Approaches

RSA approach

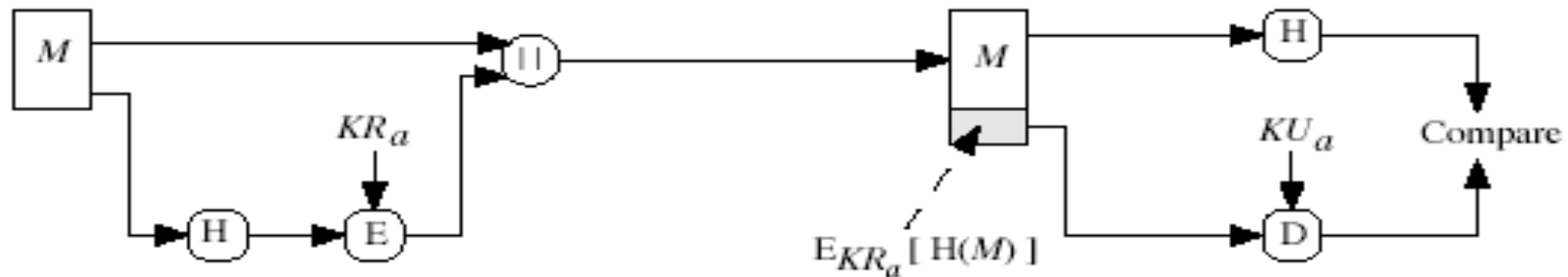
- Message is input to a hash function
- Then encrypted using sender's private key
- Recipient produces a hash code of the message
- Decrypts the signature and compares the hashes

Digital Signature Approaches

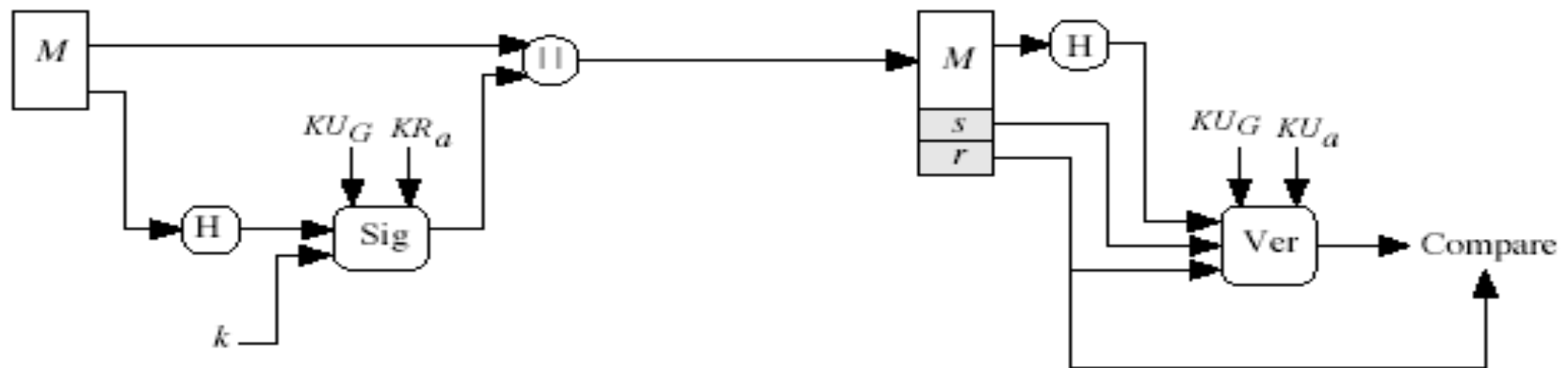
DSS approach

- Message is input to a hash function
- Then hash is input to signature function with random number k
- Signature function also depends upon sender's private key
- s and r are then sent with the message
- Recipient produces a hash code of the message
- Hash, s and r are used to compute the signature and then compared

Digital Signature Approaches



(a) RSA Approach



(b) DSS Approach

DSA Key Generation

- Have shared global public key values (p, q, g) :
 - a large prime $p = 2^L$
 - where $L = 512$ to 1024 bits and is a multiple of 64
 - choose q , a 160 bit prime factor of $p-1$
 - choose $g = h^{(p-1)/q} \bmod p$
 - where $1 < h < p-1$ & $g > 1$
- Each user chooses private key 'x' & computes public key 'y':
 - where $1 \leq x \leq q-1$
 - compute $y = g^x \bmod p$

DSA Signature Creation

- To sign a message M the sender:

- generates a random signature key k , $k < q$

- k must be random and should be unique for each signing

- Then computes signature pair:

$$r = (g^k \pmod{p}) \pmod{q}$$

$$s = [(k^{-1} \cdot \text{SHA}(M) + x \cdot r)] \pmod{q}$$

- Sends signature (r, s) with message M

DSA Signature Verification

- Having received M & signature (r, s)
- To verify a signature, recipient computes:

$$w = s^{-1} \pmod{q}$$

$$u1 = (\text{SHA}(M) \cdot w) \pmod{q}$$

$$u2 = (r \cdot w) \pmod{q}$$

$$v = [g^{u1} \cdot y^{u2} \pmod{p}] \pmod{q}$$

- If $v=r$ then signature is verified

The Digital Signature Algorithm

Global Public Key Components

- p prime number where $2^{L-1} < p < 2^L$
for $512 \leq L \leq 1024$ and L a multiple of 64
i.e., bit length of between 512 and 1024 bits in
increments of 64 bits
- q prime divisor of $(p-1)$, where $2^{159} < q < 2^{160}$
i.e., bit length of 160 bits
- $g = h^{(p-1)/q} \bmod p$
where h is any integer with $1 < h < (p-1)$
such that $h^{(p-1)/q} \bmod p > 1$

User's Private Key

- x random or pseudorandom integer with $0 < x < q$

User's Public Key

- $y = g^x \bmod p$

User's Per-Message Secret Number

- k = random or pseudorandom integer with $0 < k < q$

Signing

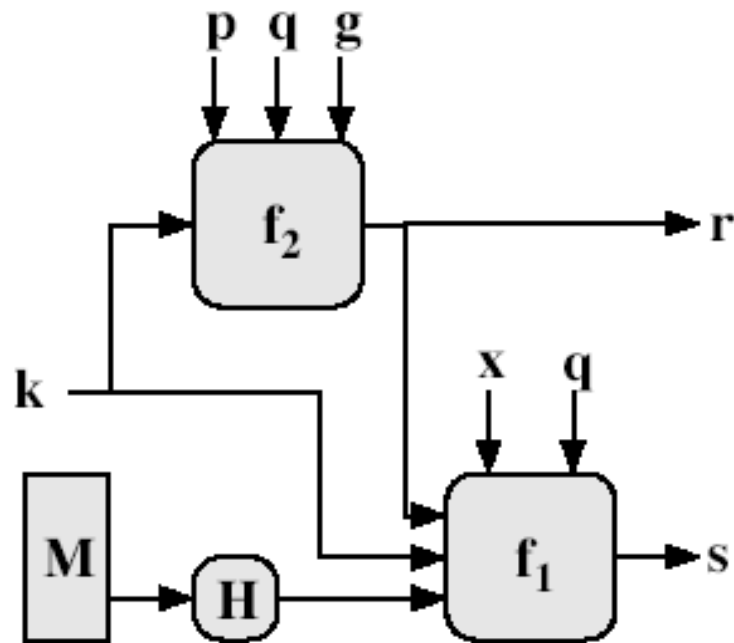
- $r = (g^k \bmod p) \bmod q$
- $s = [k^{-1}(H(M) + xr)] \bmod q$
- Signature = (r, s)

Verifying

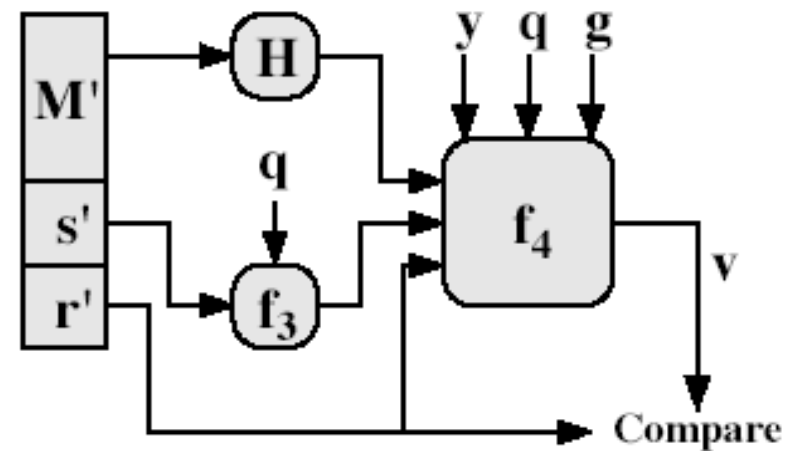
- $w = (s^{-1}) \bmod q$
- $u_1 = [H(M')w] \bmod q$
- $u_2 = (r')w \bmod q$
- $v = [(g^{u_1} y^{u_2}) \bmod p] \bmod q$
- TEST: $v = r'$

- M = message to be signed
 $H(M)$ = hash of M using SHA-1
 M', r', s' = received versions of M, r, s

Signature Verification



Signing



Verification

Summary

- Have considered:
 - Digital signatures
 - Authentication protocols (mutual & one-way)
 - Digital Signature Standard

Any question ?