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Q #2

(9)

```
bool S()  
{  
    if (A())  
        return true;  
    else  
        return false;  
}
```

```
bool A()  
{  
    if (token == '(' && A() && token == ')')  
        return true;  
    else if (A() && token == '*' && X())  
        return true;  
    else if (X())  
        return true;  
    else  
        return false;  
}
```

bool X()

{

if (X() && token == '-' && A())

return true;

else if (token == 'a')

return true;

else if (token == 'b' && X())

return true;

else

return false;

}

input: a - (ba * a)

parsing order:

S called

A "

X "

~~token match with a, return true.~~

→ X " (X - A)

token match with a, return true.

token " " - , ~~token match with a, return true.~~

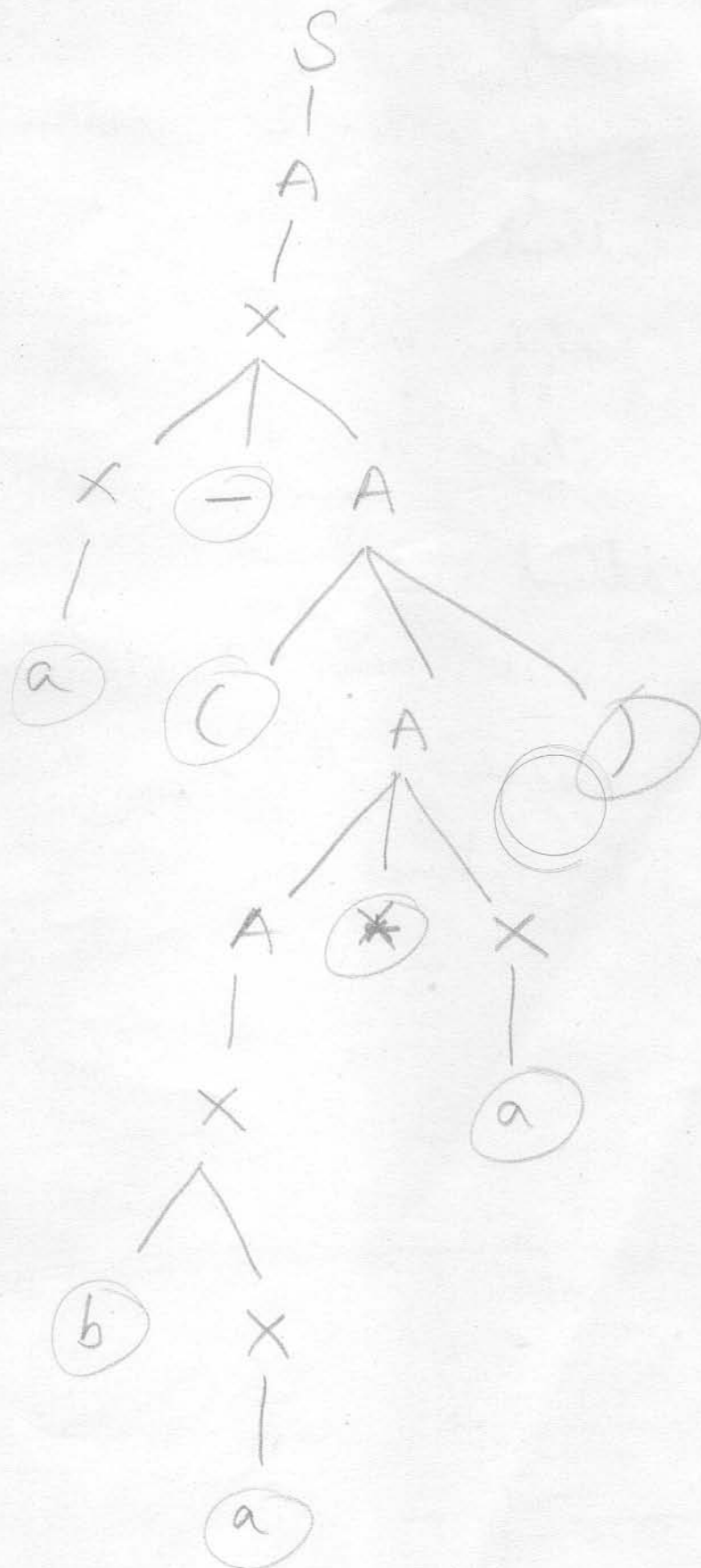
A called

token match with (, ~~return true.~~

→ A called ($A * X$)
→ X called ($X = A$)
token match with b, ~~return true~~.
→ X called
token match with a, return true.
token match " * , " "
→ X called
token match with a, return true.
token match with) , " "
A return true
S " "

(b)

$a - (ba * a).$



C

$$\begin{aligned} \langle \text{ARITH_EXPR} \rangle &\longrightarrow \langle \text{EXPR} \rangle \langle \text{ARITH_OPR} \rangle \langle \text{EXPR} \rangle \\ &\quad \left| \begin{array}{l} \text{LEFT} \\ \langle \text{UNARY_OPR} \rangle \langle \text{IDENT} \rangle \end{array} \right| \\ &\quad \langle \text{IDENT} \rangle \langle \text{RIGHT_UNARY_OPR} \rangle \end{aligned}$$

$\langle \text{TERM} \rangle$

$$\langle \text{ARITH_OPR} \rangle \longrightarrow + \mid - \mid * \mid / \mid \%$$

$$\langle \text{LEFT_UNARY_OPR} \rangle \longrightarrow - \mid -- \mid + \mid ++ \mid \sim$$

$$\langle \text{RIGHT_UNARY_OPR} \rangle \longrightarrow ++ \mid --$$

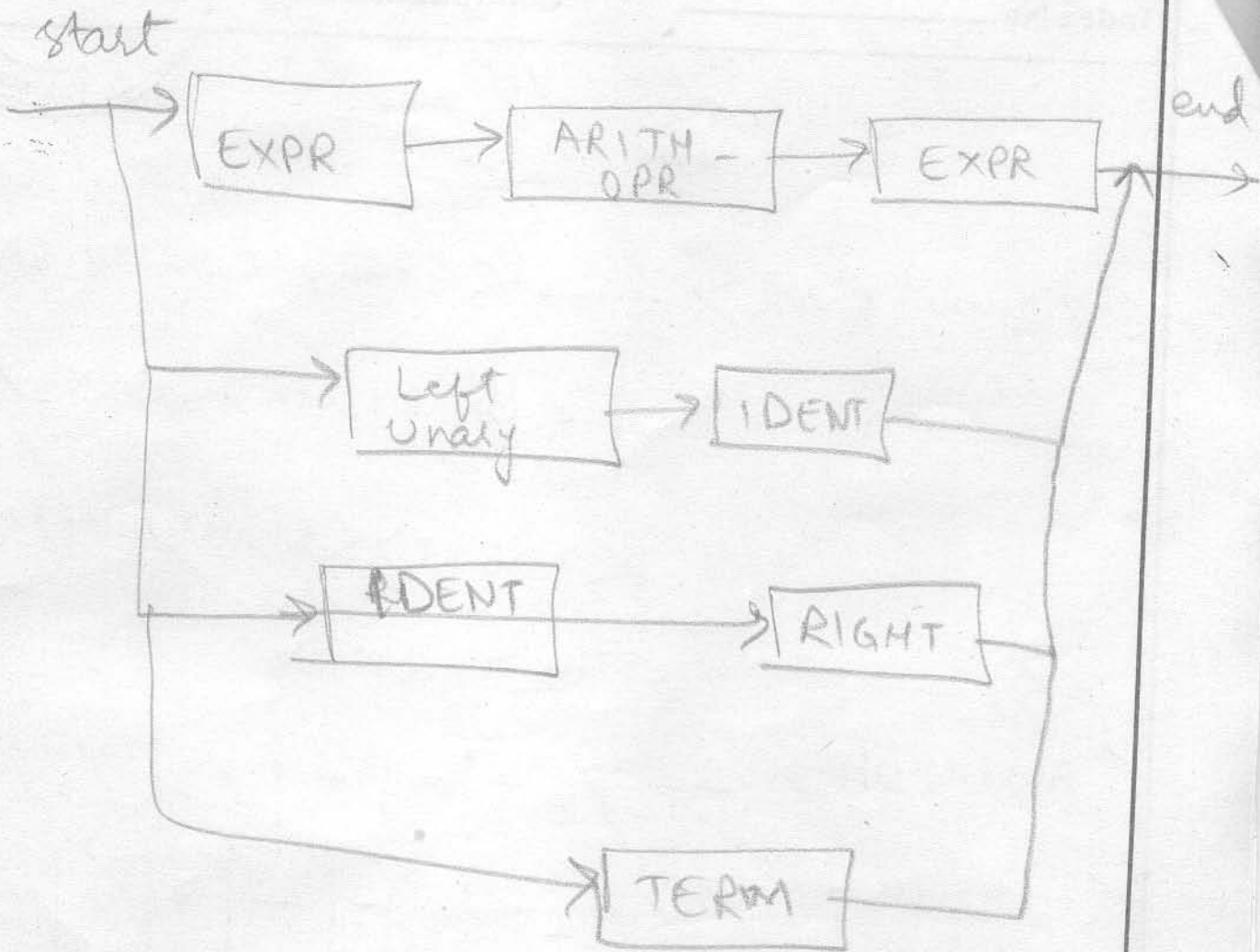
$$\begin{aligned} \langle \text{EXPR} \rangle &\longrightarrow \langle \text{ARITH_EXPR} \rangle \mid \langle \text{LOGICAL_EXPR} \rangle \\ &\quad \left| \langle \text{RELAT_EXPR} \rangle \mid (\langle \text{EXPR} \rangle) \right| \end{aligned}$$

$$\langle \text{TERM} \rangle \longrightarrow \langle \text{LITERAL} \rangle \mid \langle \text{FUN_CALL} \rangle$$

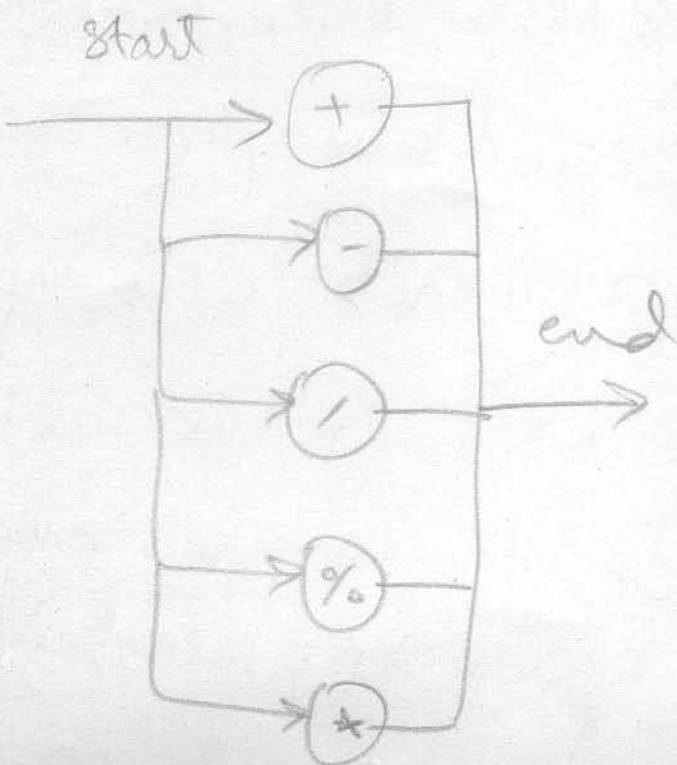
$$\begin{aligned} \langle \text{LITERAL} \rangle &\longrightarrow \langle \text{INT_CONST} \rangle \mid \langle \text{CHAR_CONST} \rangle \mid \\ &\quad \langle \text{FLOAT_CONST} \rangle \mid \langle \text{STRING_CONST} \rangle \end{aligned}$$

$$\langle \text{FUN_CALL} \rangle \longrightarrow \langle \text{IDENT} \rangle (\langle \text{PARAM} \rangle)$$

$$\langle \text{PARAM} \rangle \longrightarrow \epsilon \mid \langle \text{LITERAL} \rangle \langle \text{MORE} \rangle \mid$$



ARITH_OPR

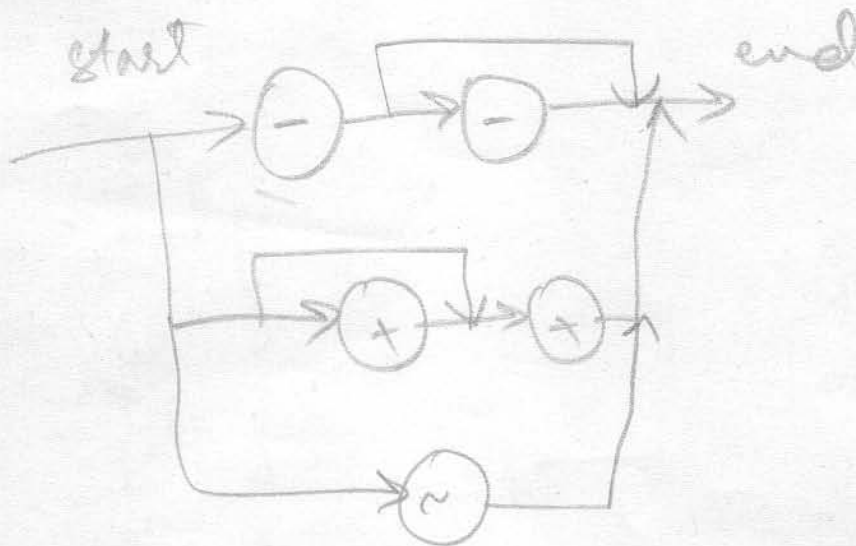


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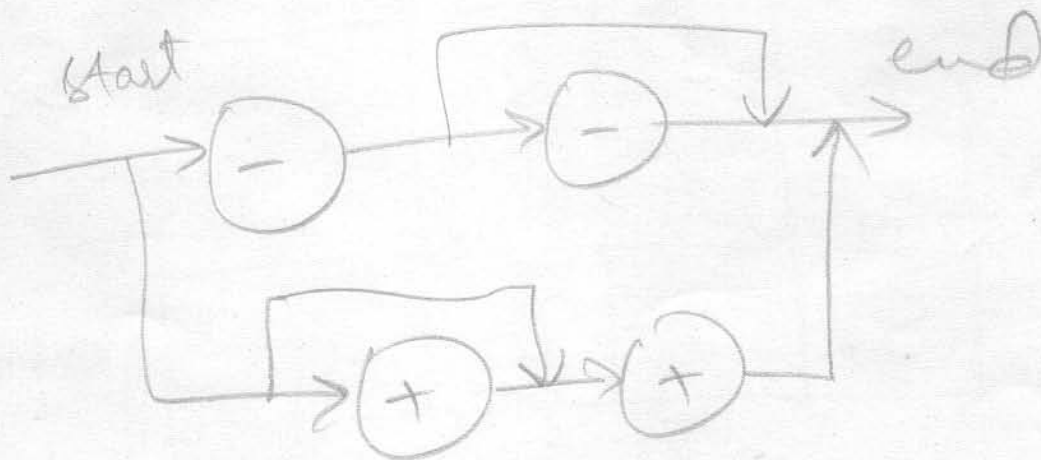
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Left - Unary - Opr



Right - Unary - Opr



and so on

Q: 3

(a)

1. $S \rightarrow xyA$
2. $A \rightarrow Bx$
3. $A \rightarrow y$
4. $B \rightarrow Cz$
5. $C \rightarrow S$
6. $C \rightarrow z$

first
 $\{x\}$
 $\{x, z\}$
 $\{y\}$
 $\{x, z\}$
 $\{x\}$
 $\{z\}$

	x	y	z	ϵ
S	1			
A	2	3	2	
B	4		4	
C	5		6	

Yes it is LL(1)

5



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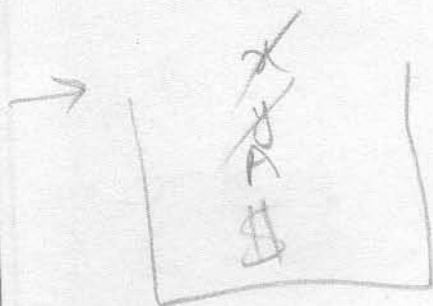
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input =



xyxyyzx\$
↑

prod - 1.

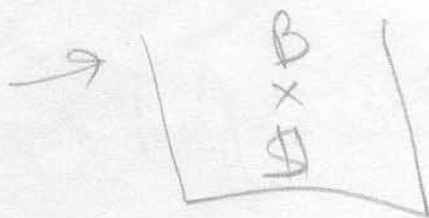


xyxyyzx\$
↑



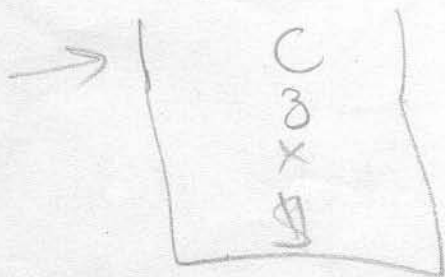
xyxyyzx\$
↑

prod - 2.



xyxyyzx\$
↑

prod - 4



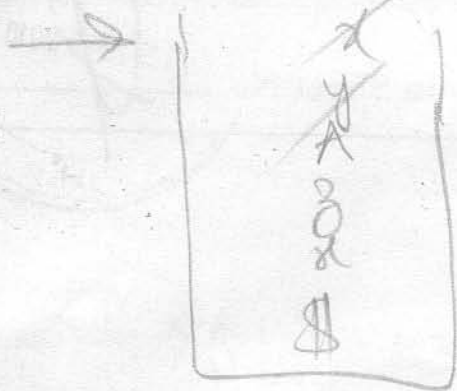
xyxyyzx\$
↑

prod - 5

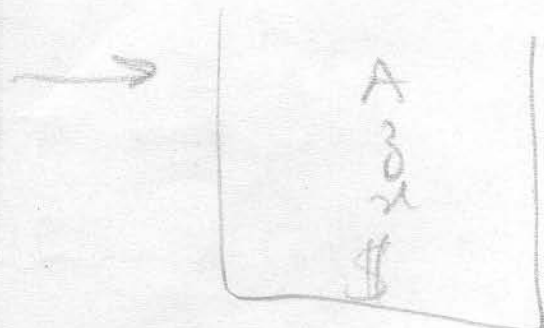


xyxyyzx\$
↑

prod - 1.

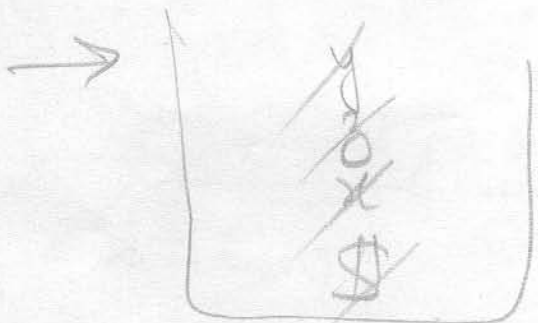


~~x y y z x~~ \$
↑



y z x \$
↑

prod - 3



~~y z x~~ \$

Parsing Successful!





b

$$S \rightarrow a = AB; \quad LL(0)$$

$$A \rightarrow B \mid C$$

$$B \rightarrow aC \mid bA \quad \text{--- } LL(1)$$

$$C \rightarrow \epsilon \mid BC \quad \text{--- } LL(1)$$

$$A \rightarrow aC \mid bA \mid \epsilon \mid BC$$

↓

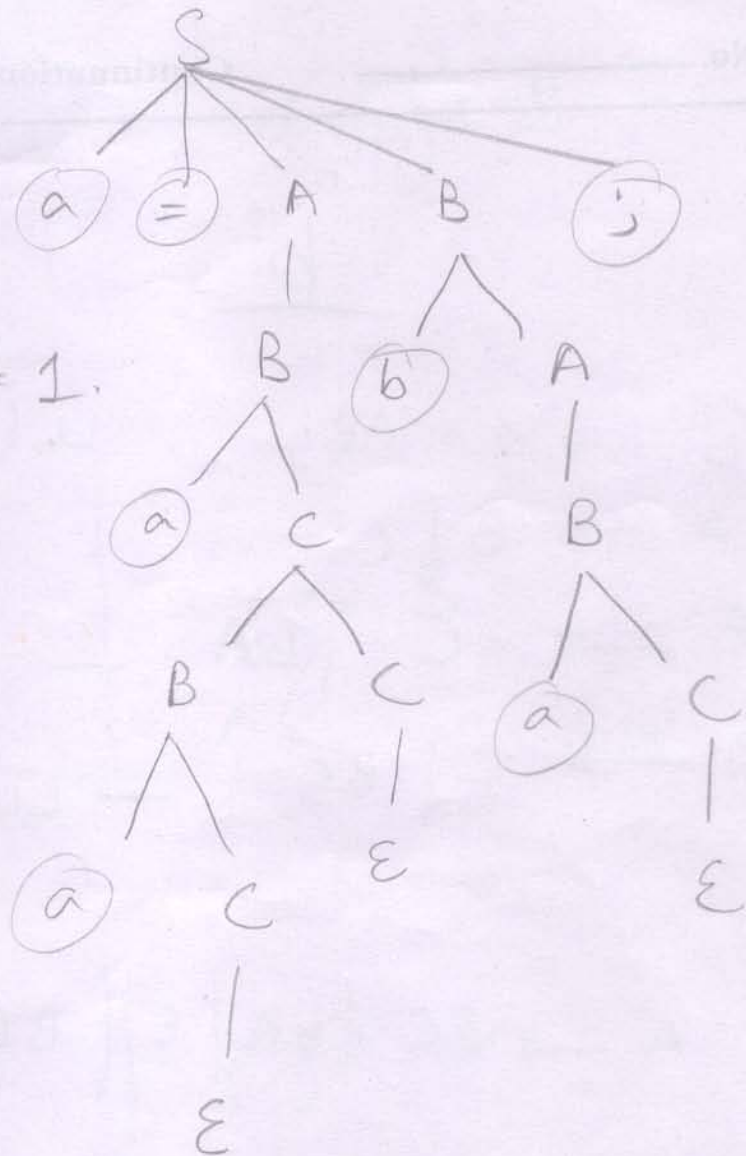
$$A \rightarrow aC \mid bA \mid \epsilon \mid aCC \mid bAC$$

not $LL(1)$

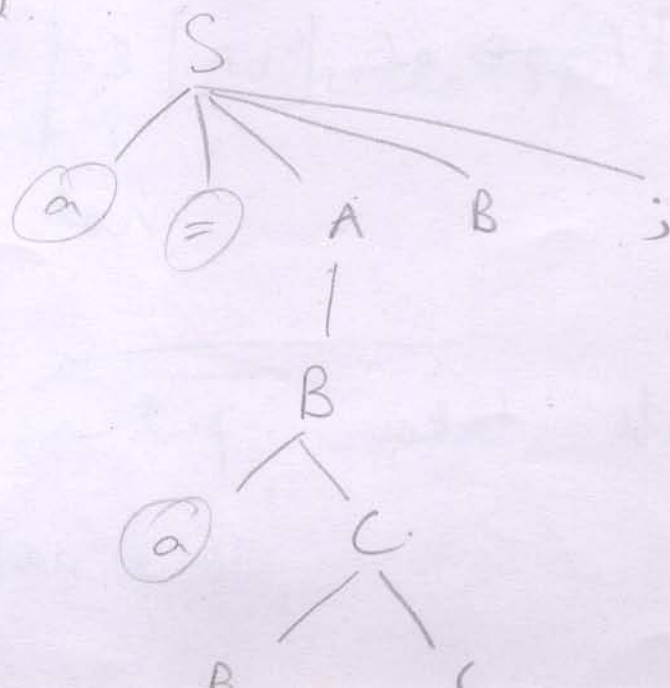
lets take input as

$$a = aaba;$$

parse tree # 1.



parse tree # 2.



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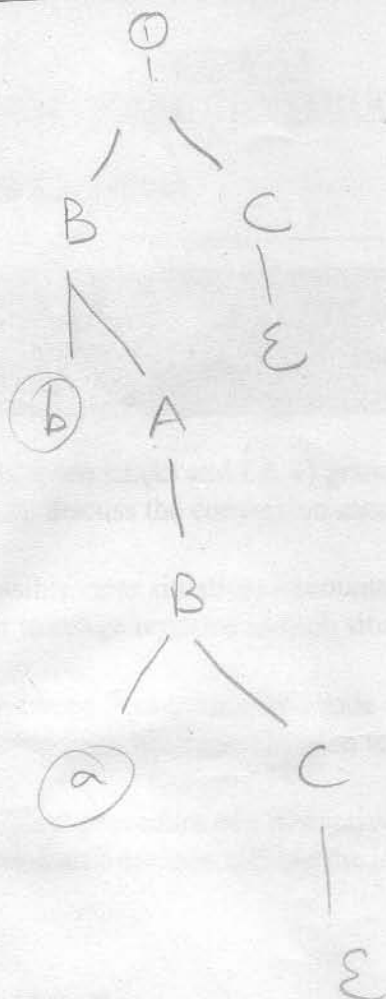
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15 APR 2010

MCS

Pakistan

✓



Yes it is ambiguous!

Not left-recursive

Since no production has the same symbol on L.H.S and R.H.S.

$S \rightarrow a = AB$ x

$a / a / \epsilon / BC$ x