# Lab 03 Group Tue\_3\_2



peak-peak: 3.12 V

(Z

dc (mean): 1.68 V



frequency: 442 Hz



ex speed = frequency \* samples per cycle = 442 Hz \* 120 = 53.04 kHz



minimum: 0.12 V maximum: 3.24 V

amp\_min = dc - minimum = 1.68 V - 0.12 V = 1.56 V amp\_max = maximum - dc = 3.24 V - 1.68 V = 1.56 V

dac\_min: 0 V (gnd, per featherboard specs)
dac\_max: 3.3 V (per featherboard specs)
dac\_range = dac\_max - dac\_min = 3.3 V

read: 2^12 bits

resolution = dac\_range / read = 3.3 V / 2^12 bits = 0.8 mV / bit

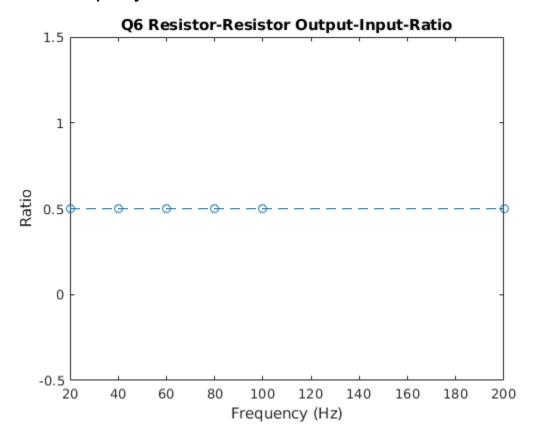


Frequency [Hz]	Input peak-peak [V]	Output peak-peak [V] Ratio (output to inp	
20	3.12	1.56	0.5
40	3.12	1.56	0.5
60	3.12	1.56	0.5
80	3.12	1.56	0.5
100	3.12	1.56	0.5
200	3.12	1.56	0.5

### Trend:

No trend can be observed since the resistors are non-frequency related (no impedance). The resistors used were both 50 kOhm, resulting in the expected 0.5 ratio of the voltage divider.

# Plot Ratio-Frequency:



# **Explanation of time delay calculation:**

n: samples per cycle

f: desired frequency

6: execution speed

8o: execution speed w/o delay

d: delay

do: baseline delay with 
$$d=0$$

$$S = \frac{1}{d_0 + d}$$

$$So = \frac{1}{d_0} = 53.04 \text{ LeHz} \Rightarrow d_0 = 18.85 \text{ µs}$$

$$f = \frac{S}{N} = \frac{1}{N \cdot (d_0 + d)}$$

$$\Rightarrow d(f) = \frac{1}{N \cdot f} \Rightarrow d(f) = \frac{1}{N \cdot f} = \frac{1}{120 \cdot f}$$



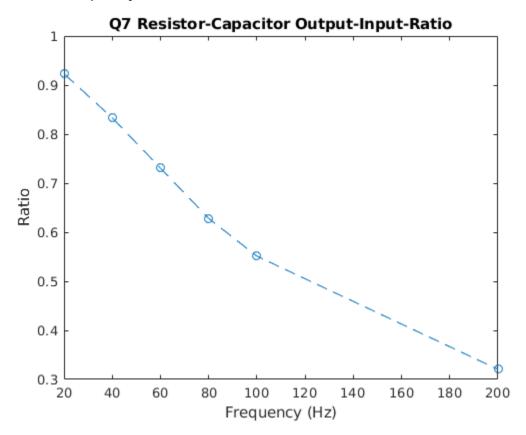
Frequency [Hz]	Input peak-peak [V]	Output peak-peak [V]	Ratio (output to input)	Phase shift (input to output) [degrees]	Phase shift (input to output) [ms]
20	3.12	2.88	0.923	-13.5	2.60
40	3.12	2.60	0.833	-28.0	2.30
60	3.12	2.28	0.731	-37.0	2.00
80	3.12	1.96	0.628	-54.0	1.80
100	3.12	1.72	0.551	-60.0	1.60
200	3.12	1.00	0.321	-72.0	1.00

#### Trend:

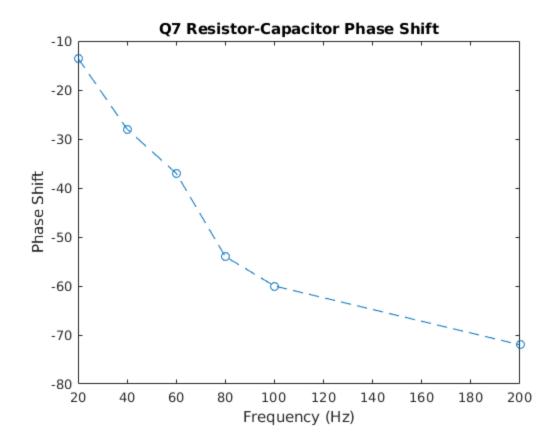
 Behavior of a lowpass filter can be observed. Signals with a high frequency are attenuated while signals at low frequencies can pass the filter with little to no attenuation. This can also be seen in the plot shown below. It can be seen that the ratio coutput decreases the higher the input frequency.

- In addition to attenuating the frequency of the input signal at high frequencies, the output signal also shows a phase shift with respect to the input signal of the filter. The higher the frequency of the input signal the higher the (absolute) phase shift of the output signal measured in degrees.
- When looking at the phase shift measured in ms (measured in delta\_t from peak\_input to peak\_output) we see that the timedelay increases the lower the frequency. This can be understood by taking the frequency into account that the measurement was taken. At lower frequencies, the timeperiod of the signals are much larger and therefore also the timedelay measured in ms.

## **Plot Ratio-Frequency:**



## **Plot Phase-Shift-Frequency:**



## **Measure Resistor specs:**

The three resistors we had were very close to the specs they had and which we calculated from the colorcoding to be 51 kOhm:

50.92 kOhm

50.89 kOhm

50.94 kOhm

No worries here...

The capacitor specs are 47 nF - The capacitor was measured to have 48.6 nF. No worries here as well...



Would be a high-pass filter which lets through high frequencies whilst diminishing the signals of low frequency inputs.





# Matlab Code for Q6 and Q7 Visualization

```
freq = [20 40 60 80 100 200];

%% Q6 Resistor-Resistor
ratio_q6 = [0.5 0.5 0.5 0.5 0.5 0.5];
plot(freq, ratio_q6, '--o');
title('Q6 Resistor-Resistor Output-Input-Ratio'); xlabel('Frequency (Hz)'); ylabel('Ratio');

%% Q7 Resistor-Capacitor Output-Input-Ratio
input_q7 = [3.12 3.12 3.12 3.12 3.12 3.12];
output_q7 = [2.88 2.6 2.28 1.96 1.72 1.00];
ratio_q7 = output_q7./input_q7
plot(freq, ratio_q7, '--o');
title('Q7 Resistor-Capacitor Output-Input-Ratio'); xlabel('Frequency (Hz)'); ylabel('Ratio');

%% Q7 Resistor-Capacitor Phase Shift
phase_shift_q7 = [-13.5 -28.0 -37.0 -54.0 -60.0 -72.0];
plot(freq, phase shift q7, '--o');
```

title('Q7 Resistor-Capacitor Phase Shift'); xlabel('Frequency (Hz)'); ylabel('Phase Shift');