# Planning

Chapter 11.1-11.3

## Overview

- What is planning?
- Approaches to planning
  - -GPS / STRIPS
  - -Situation calculus formalism
  - -Partial-order planning

#### **Planning Problem**

- Find a **sequence of actions** that achieves a **goal** when executed from an **initial state**.
- That is, given
  - A set of operators (possible actions)
  - An initial state description
  - A goal (description or conjunction of predicates)
- Compute a sequence of operations: a plan.

#### **Typical Assumptions (1)**

- Atomic time: Each action is indivisible
  - Can't be interrupted halfway through putting on pants
- No concurrent actions allowed
  - Can't put on socks at the same time
- Deterministic actions
  - The result of actions are completely known no uncertainty

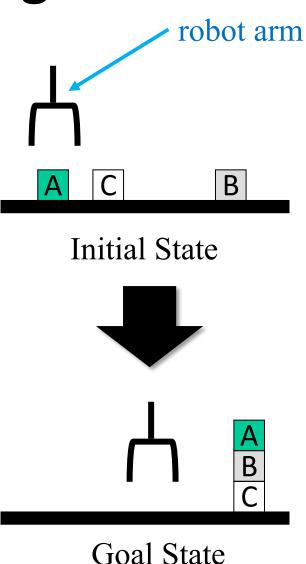
#### **Typical Assumptions (2)**

- Agent is the sole cause of change in the world
  - Nobody else is putting on your socks
- Agent is **omniscient:** 
  - Has complete knowledge of the state of the world
- Closed world assumption:
  - Everything known-true about the world is in the *state description*
  - Anything not known-true is known-false

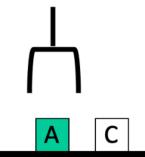
#### **Classic Planning**

Find **sequence of actions** to reach a **goal** in a discrete, deterministic, static, fully-observable environment

- State space search and logical reasoning could be used
- But classic planning developed custom representations & algorithms to do it more effectively
- The approach uses a knowledge base and reasoning about the state of the world and possible actions
- We'll look first at doing this in the simple blocks world



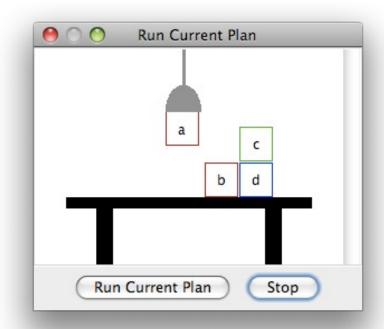
### **Blocks world**



The blocks world is a "micro-world" with a table, a set of blocks, and a robot hand

Some constraints for a simple model:

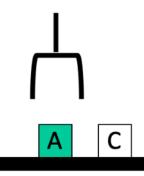
- Only one block can be on another block
- Any number of blocks can be on the table
- The hand can only hold one block



Meant to be a simple model! (Applet demo at:

http://aispace.org/planning/index.shtml)

## **Blocks world**



Typical representation uses a logic notation to represent the state of the world:

ontable(a) ontable(c)

clear(a) clear(c)

handempty

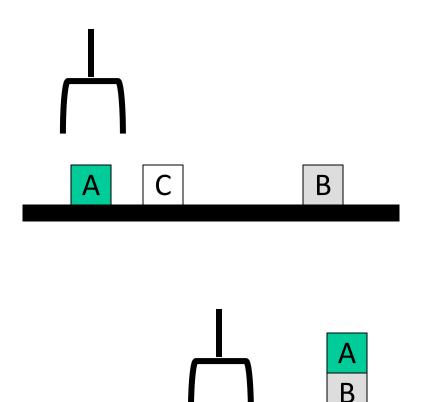
And possible **actions/ operators** with their preconditions and effects:

Pickup Putdown

Stack Unstack

#### Typical BW planning problem

#### Initial state: clear(a) clear(b) clear(c) ontable(a) ontable(b) ontable(c) handempty Goal: on(b,c) on(a,b) ontable(c)

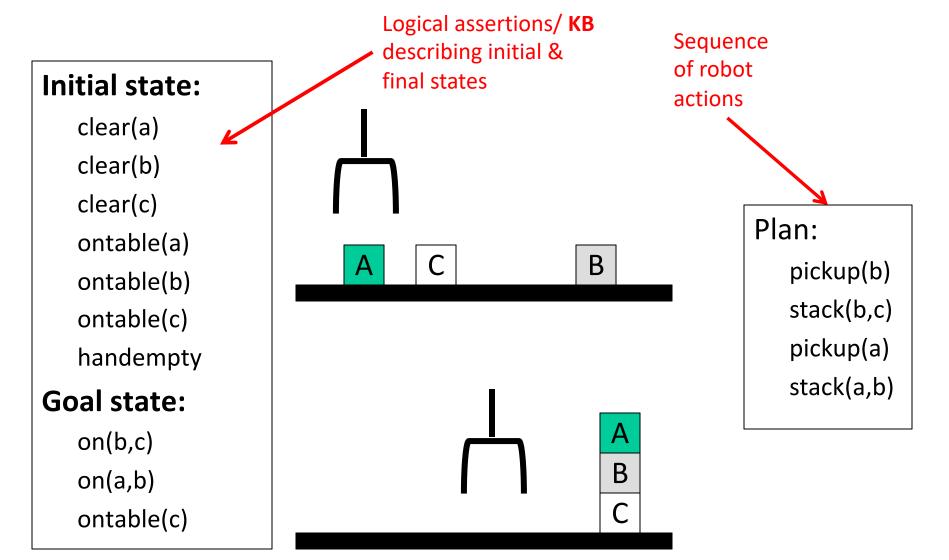


 $\mathsf{C}$ 

Initial state asserts everything that's true initially

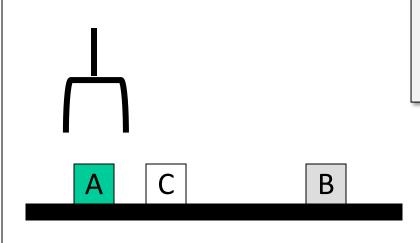
Goal state asserts things we want to be true eventually

#### Typical BW planning problem



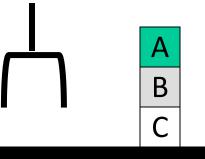
#### **Another BW planning problem**

#### Initial state: clear(a) clear(b) clear(c) ontable(a) ontable(b) ontable(c) handempty Goal: on(a,b) on(b,c) ontable(c)



#### Simple approach:

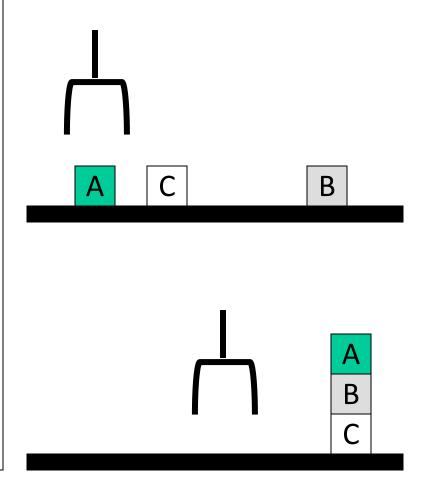
 find a way to achieve each goal in order



Note: Goals in a different order!

#### **Another BW planning problem**

#### Initial state: clear(a) clear(b) clear(c) ontable(a) ontable(b) ontable(c) handempty Goal: on(a,b) on(b,c) ontable(c)



```
A plan:

pickup(a)

stack(a,b)

unstack(a,b)

putdown(a)

pickup(b)

stack(b,c)

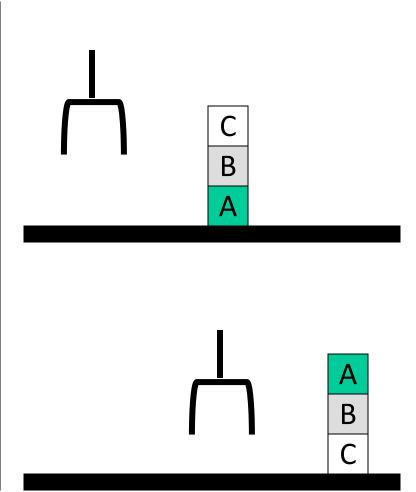
pickup(a)

stack(a,b)
```

Note: Goals in a different order!

#### Yet Another BW planning problem

#### Initial state: clear(c) ontable(a) on(b,a) on(c,b)handempty Goal: on(a,b) on(b,c) ontable(c)



```
Plan:
   unstack(c,b)
   putdown(c)
   unstack(b,a)
   putdown(b)
   pickup(a)
   stack(a,b)
   unstack(a,b)
   putdown(a)
   pickup(b)
   stack(b,c)
   pickup(a)
   stack(a,b)
```

Note: not very efficient!

#### Planning vs. problem solving

- Problem solving methods solve similar problems
- Planning is more powerful and efficient because of the representations and methods used
- States, goals, and actions are decomposed into sets of sentences (usually in first-order logic)
- Search often proceeds through plan space rather than state space (though there are also state-space planners)
- Sub-goals can be planned independently, reducing the complexity of the planning problem

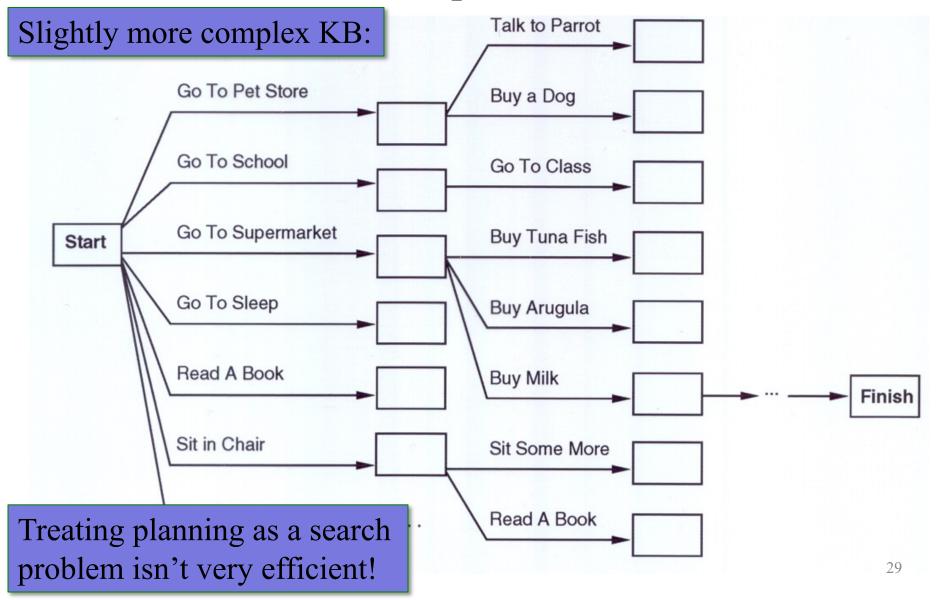
#### Major Approaches

- Planning as search
- GPS / STRIPS
- Situation calculus
- Partial order planning
- Hierarchical decomposition (HTN planning)
- Planning with constraints (SATplan, Graphplan)
- Reactive planning

#### Planning as Search (?)

- Can think of planning as a search problem
  - Actions: generate successor states
  - States: completely described & only used for successor generation, heuristic fn. evaluation & goal testing
  - Goals: represented as a goal test and using a heuristic function
  - Plan representation: unbroken sequences of actions forward from initial states or backward from goal state

## "Get a quart of milk, a bunch of bananas and a variable-speed cordless drill."



#### **General Problem Solver**

- The General Problem Solver (GPS) system
  - An early planner (Newell, Shaw, and Simon)
- Generate actions that *reduce difference* between current state and goal state
- Uses Means-Ends Analysis
  - Compare what is **given** or **known** with what is desired
  - Select a reasonable thing to do next
  - Use a **table of differences** to identify procedures to reduce differences
- GPS is a state space planner
  - Operates on state space problems specified by an initial state, some goal states, and a set of operations

#### **History: Shakey the robot**

First general-purpose mobile robot to be able to reason about its own actions



Shakey the Robot: 1st Robot to Embody Artificial Intelligence (2017, 6 min.)



Shakey: Experiments in Robot Planning and Learning (1972, 24 min)

#### Strips planning representation

- Classic approach first used in the <u>STRIPS</u>
   (Stanford Research Institute Problem Solver) planner
- A State is a conjunction of ground literals
   at(Home) ∧ ¬have(Milk) ∧ ¬have(bananas) ...
- Goals are conjunctions of literals, but may have variables, assumed to be existentially quantified at(?x) \( \triangle \text{have}(\text{Milk}) \( \triangle \text{have}(\text{bananas}) \)...

```
ANTENNA FOR RADIO LIME

ON-BOARD LOGIC

CAMERA CONTROL UNIT

BUMP DETECTOR

CASTER
WHEEL

ORIVE
MOTOR

ORIVE
MOTOR

ORIVE
WHEEL
```

Shakey the robot

- Need not fully specify state
  - Non-specified conditions either don't-care or assumed false
  - Represent many cases in small storage
  - May only represent changes in state rather than entire situation
- Unlike theorem prover, not seeking whether goal is true, but is there a sequence of actions to attain it

#### **Blocks World Operators**

- Classic basic operations for the Blocks World
  - -stack(X,Y): put block X on block Y
  - -unstack(X,Y): remove block X from block Y
  - pickup(X): pickup block X
  - -putdown(X): put block X on the table
- Each represented by
  - -list of preconditions
  - list of new facts to be added (add-effects)
  - list of facts to be removed (delete-effects)
  - -optionally, set of (simple) variable constraints

#### **Blocks World Stack Action**

#### stack(X,Y):

- preconditions(stack(X,Y), [holding(X), clear(Y)])
- adds(stack(X,Y), [handempty, on(X,Y), clear(X)])
- deletes(stack(X,Y), [holding(X), clear(Y)]).
- constraints(stack(X,Y), [X≠Y, Y≠table, X≠table])

#### **Blocks World Operators II**

```
operator(unstack(X,Y),
operator(stack(X,Y),
                                                   [on(X,Y), clear(X), handempty],
      Precond [holding(X), clear(Y)],
                                                   [holding(X), clear(Y)],
      Add [handempty, on(X,Y), clear(X)],
                                                   [handempty, clear(X), on(X,Y)],
      Delete [holding(X), clear(Y)],
                                                   [X \neq Y, Y \neq table, X \neq table]).
     Constr [X \neq Y, Y \neq table, X \neq table]).
                                             operator(putdown(X),
operator(pickup(X),
                                                   [holding(X)],
      [ontable(X), clear(X), handempty],
                                                   [ontable(X), handempty, clear(X)],
      [holding(X)],
                                                   [holding(X)],
      [ontable(X), clear(X), handempty],
                                                   [X≠table]).
      [X≠table]).
```

#### **STRIPS** planning

- STRIPS maintains two additional data structures:
  - State List all currently true predicates.
  - Goal Stack push down stack of goals to be solved, with current goal on top

#### **STRIPS** planning

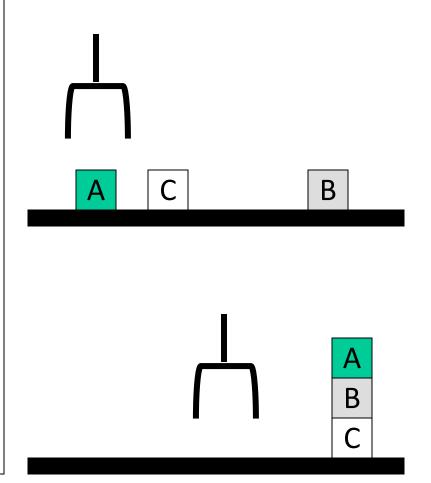
- STRIPS maintains two additional data structures:
  - State List all currently true predicates.
  - Goal Stack push down stack of goals to be solved, with current goal on top
- If current goal not satisfied by present state, find action that adds it and push action and its preconditions (subgoals) on stack

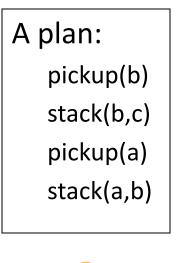
#### **STRIPS** planning

- STRIPS maintains two additional data structures:
  - State List all currently true predicates.
  - Goal Stack push down stack of goals to be solved, with current goal on top
- If current goal not satisfied by present state, find action that adds it and push action and its preconditions (subgoals) on stack
- When a current goal is satisfied, POP from stack
- When an action is on top stack, record its application on plan sequence and use its add and delete lists to update current state

#### Typical BW planning problem

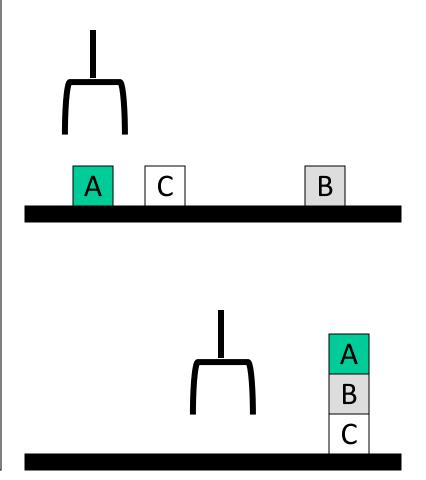
#### Initial state: clear(a) clear(b) clear(c) ontable(a) ontable(b) ontable(c) handempty Goal: on(b,c) on(a,b) ontable(c)

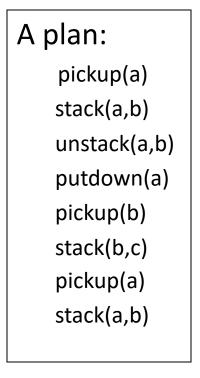




#### **Another BW planning problem**

#### Initial state: clear(a) clear(b) clear(c) ontable(a) ontable(b) ontable(c) handempty Goal: on(a,b) on(b,c) ontable(c)







#### Yet Another BW planning problem



#### Initial state:

clear(c)

ontable(a)

on(b,a)

on(c,b)

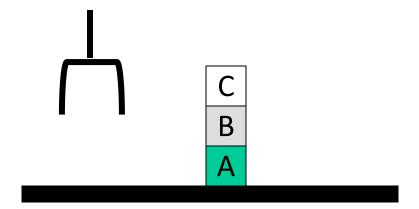
handempty

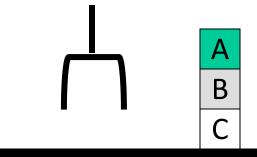
#### Goal:

on(a,b)

on(b,c)

ontable(c)





#### Plan:

unstack(c,b)

putdown(c)

unstack(b,a)

putdown(b)

pickup(b)

stack(b,a)

unstack(b,a)

putdown(b)

pickup(a)

stack(a,b)

unstack(a,b)

putdown(a)

pickup(b)

stack(b,c)

pickup(a)

stack(a,b)

#### Yet Another BW planning problem

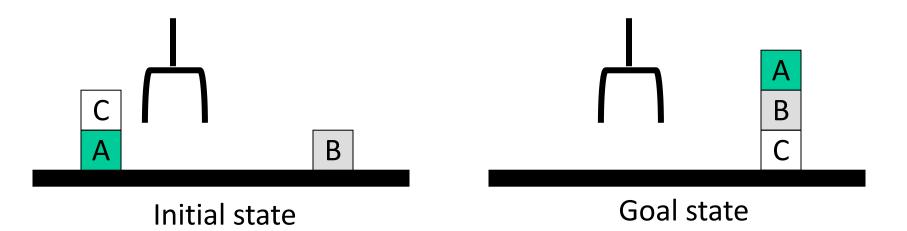
#### Initial state: ontable(a) ontable(b) clear(a) clear(b) В handempty Goal: on(a,b) on(b,a)

Plan:



#### **Goal interaction**

- Simple planning algorithms assume independent sub-goals
  - Solve each separately and concatenate the solutions
- Sussman Anomaly: an example of goal interaction problem:
  - Solving on(A,B) first (via unstack(C,A),stack(A,B)) is undone when solving 2nd goal on(B,C) (via unstack(A,B), stack(B,C))
  - Solving on(B,C) first will be undone when solving on(A,B)
- Classic STRIPS couldn't handle this, although minor modifications can get it to do simple cases



#### **State-Space Planning**

- STRIPS searches thru a space of situations (where you are, what you have, etc.)
- Find plan by searching **situations** to reach goal
- Progression planner: searches forward
  - From initial state to goal state
  - Prone to exploring irrelevant actions
- Regression planner: searches backward from goal
  - Works iff operators have enough information to go both ways
  - Ideally leads to reduced branching: planner is only considering things that are relevant to the goal
  - but it's harder to define good heuristics so most current systems favor forward search

#### Heuristics for Planning Problems

- Need an admissible heuristic to apply to planning states
  - Estimate of the distance (number of actions) to the goal
- Planning typically uses relaxation to create heuristics
  - Ignore all or some selected preconditions
  - Ignore delete lists: Movement towards goal is never undone
  - Use state abstraction (group together "similar" states and treat them as though they are identical) e.g., ignore fluents\*
  - Assume subgoal independence (use max cost; or, if subgoals actually are independent, sum the costs)
  - Use pattern databases to store exact solution costs of recurring subproblems

#### **Plan-Space Planning**

- Alternative: search through space of plans, not situations
- The system represents plans and the actions within those plans. The emphasis is on the order and structure of actions.
- Start from a partial plan; expand and refine until a complete plan that solves the problem is generated
- Refinement operators add constraints to the partial plan and modification operators for other changes
- We can still use STRIPS-style operators:

```
Op(ACTION: PutOnRightShoe, PRECOND: RightSockOn, EFFECT: RightShoeOn)
```

Op(ACTION: PutOnRightSock, EFFECT: RightSockOn)

Op(ACTION: PutOnLeftShoe, PRECOND: LeftSockOn, EFFECT: LeftShoeOn)

Op(ACTION: PutOnLeftSock, EFFECT: LeftSockOn)

#### **Partial-Order Planning**

- A linear planner builds a plan as a totally ordered sequence of plan steps
- A non-linear planner (aka partial-order planner) builds up a plan as a set of steps with some temporal constraints
  - E.g., S1<S2 (step S1 must come before S2)

PutOnRightSock

<

PutOnRightShoe

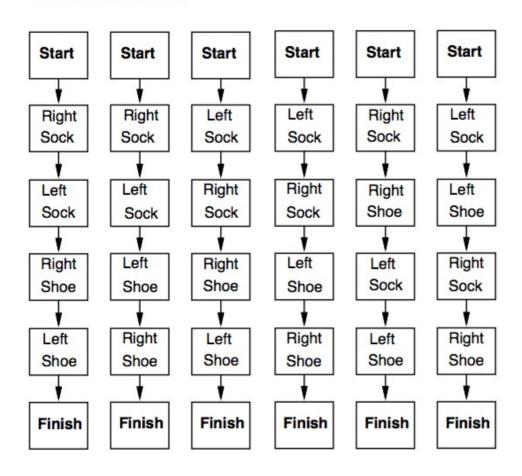
The order here does matter, so the planner has to know that.

#### **Partial-Order Planning**

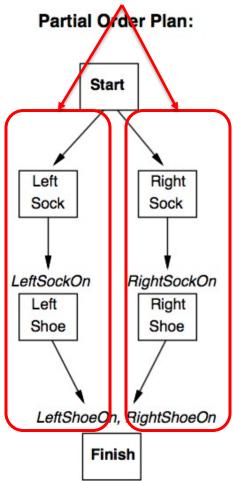
- A linear planner builds a plan as a totally ordered sequence of plan steps
- A non-linear planner (aka partial-order planner) builds up a plan as a set of steps with some temporal constraints
  - E.g., S1<S2 (step S1 must come before S2)
- Partially ordered plan (POP) refined by either:
  - adding a new plan step, or
  - adding a new constraint to the steps already in the plan.
- Linearize a POP by topological sort

#### Linear vs. POP: Shoes

#### **Total Order Plans:**

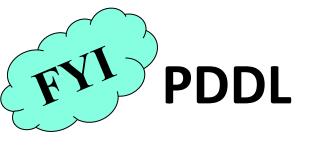


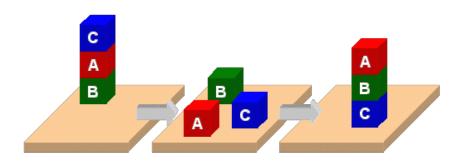
# Do these sequences in any order





#### **PDDL**





- Planning Domain Description Language
- Based on STRIPS with various extensions
- First defined by Drew McDermott (Yale) et al.
  - -Classic spec: PDDL 1.2; good reference guide
- Used in biennial <u>International Planning</u>
   <u>Competition</u> (IPC) series (1998-2020)
- Many planners use it as a standard input



#### **PDDL Representation**

- Task specified via two files: domain file and problem file
  - Both use a logic-oriented notation with Lisp syntax
- Domain file defines a domain via requirements, predicates, constants, and actions
  - Used for many different problem files
- **Problem file:** defines problem by describing its domain, objects, initial state and goal state
- Planner: takes a domain and a problem and produces a plan

```
Allows basic add and
(define (domain BW)
                                 delete effects in actions
 (:requirements :strips)
 (:constants red green blue yellow small large)
 (:predicates (on ?x ?y) (on-table ?x) (color ?x ?y) ... (clear ?x))
 (:action pick-up
   :parameters (?obj1)
   :precondition (and (clear ?obj1) (on-table ?obj1)
                       (arm-empty))
                                                 Variables begin
   :effect (and (not (on-table ?obj1))
                                                 with a?
                (not (clear ?obj1))
                (not (arm-empty))
                (holding ?obj1)))
                                        Blocks Word
 ... more actions ...)
                                         Domain File
```



#### (define (problem 00)

(:domain BW)

(:objects A B C)

(:init (arm-empty)

(on BA)

(on CB)

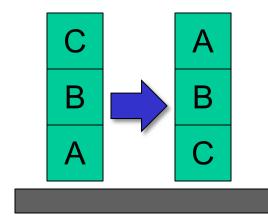
(clear C))

(:goal (and (on A B)

(on B C))))

## Blocks Word Problem File







(define (problem 00)

(:domain BW)

(:objects A B C)

(:init (arm-empty)

(on BA)

(on CB)

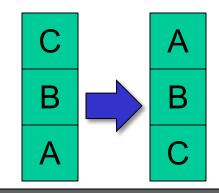
(clear C))

(:goal (and (on A B)

(on B C))))

# Blocks Word Problem File





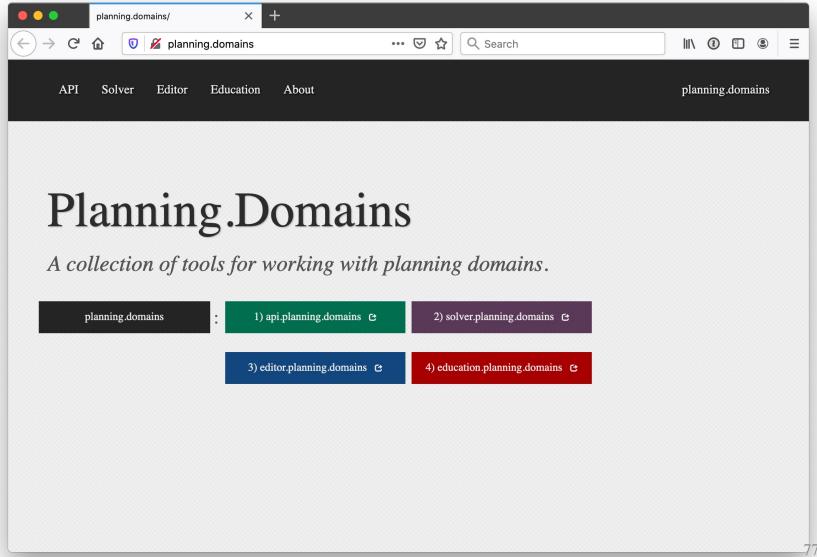
Begin plan

- 1 (unstack c b)
- 2 (put-down c)
- 3 (unstack b a)
- 4 (stack b c)
- 5 (pick-up a)
- 6 (stack a b)

End plan



## http://planning.domains/





#### Planning.domains

- Open-source environment for providing planning services using PDDL (<u>GitHub</u>)
- Default planner is <u>ff</u>
  - very successful forward-chaining heuristic
     search planner producing sequential plans
  - -Can be configured to work with other planners
- Use interactively or call via web-based API

#### Real-World Planning Domains

- Real-world domains are complex
- Don't satisfy assumptions of STRIPS or partial-order planning methods
- Some of the characteristics we may need to deal with:
  - Modeling and reasoning about resources
  - Representing and reasoning about time
  - Planning at different levels of abstractions
  - Conditional outcomes of actions
  - Uncertain outcomes of actions
  - Exogenous events
  - Incremental plan development
  - Dynamic real-time replanning

Schedding

Planning under uncertainty

HTN planning

## **Planning Summary**

- Planning representations
  - Situation calculus
  - STRIPS representation: Preconditions and effects
- Planning approaches
  - State-space search (STRIPS, forward chaining, ....)
  - Plan-space search (partial-order planning, HTNs, ...)
  - Constraint-based search (GraphPlan, SATplan, ...)
- Search strategies
  - Forward planning
  - Goal regression
  - Backward planning
  - Least-commitment
  - Nonlinear planning