



LTM

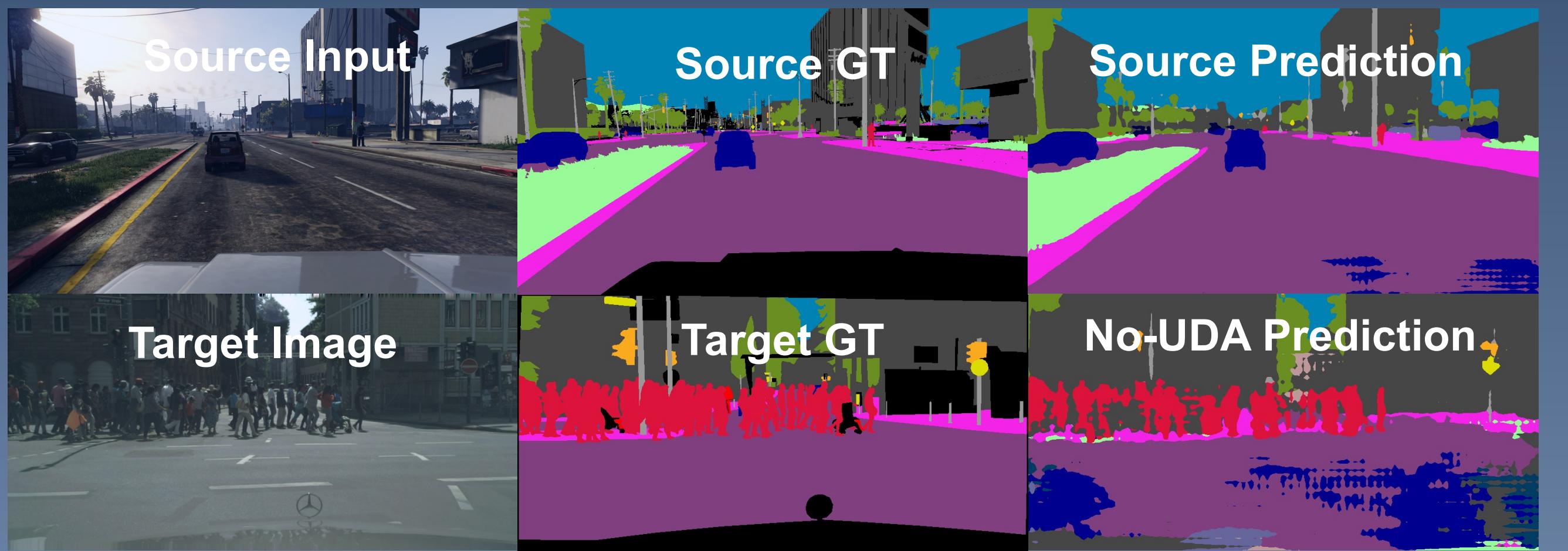
# LSR: Latent Space Regularization for Unsupervised Domain Adaptation in Semantic Segmentation

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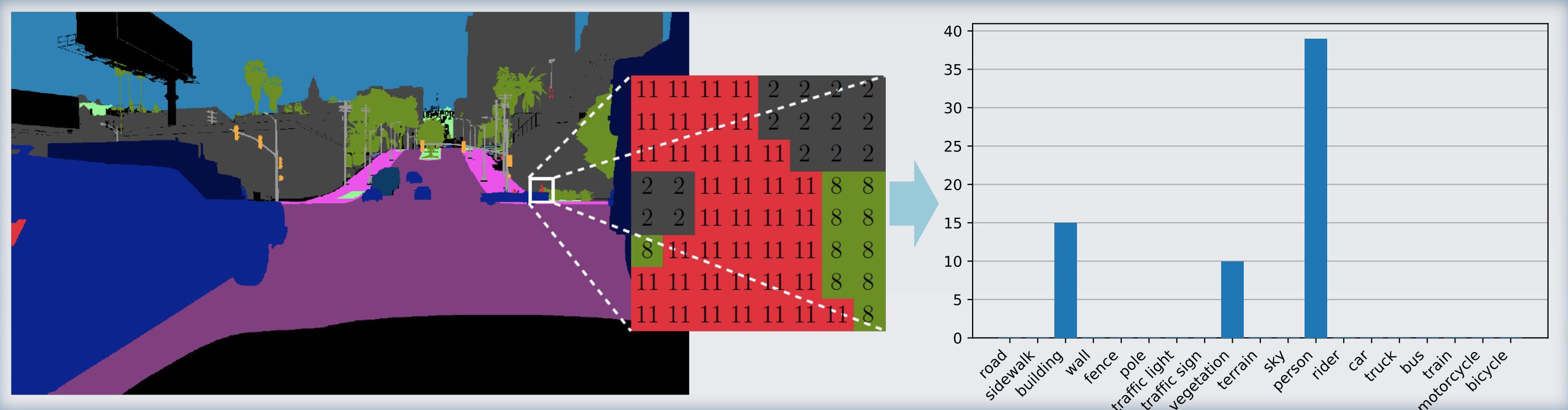
## Problem Setup

Deep convolutional neural networks for semantic segmentation do not generalize well to distributions slightly different from the one of the training data and they require a huge amount of labelled data for their optimization. We introduce feature-level space-shaping regularization strategies to reduce the domain discrepancy in such scenario. Jointly enforcing a clustering objective, a perpendicularity constraint and a norm alignment goal on the feature vectors corresponding to source and target samples. We verify the effectiveness of our methods in the autonomous driving setting achieving state-of-the-art results in multiple synthetic-to-real road scenes benchmarks.



## Feature-Level Labels

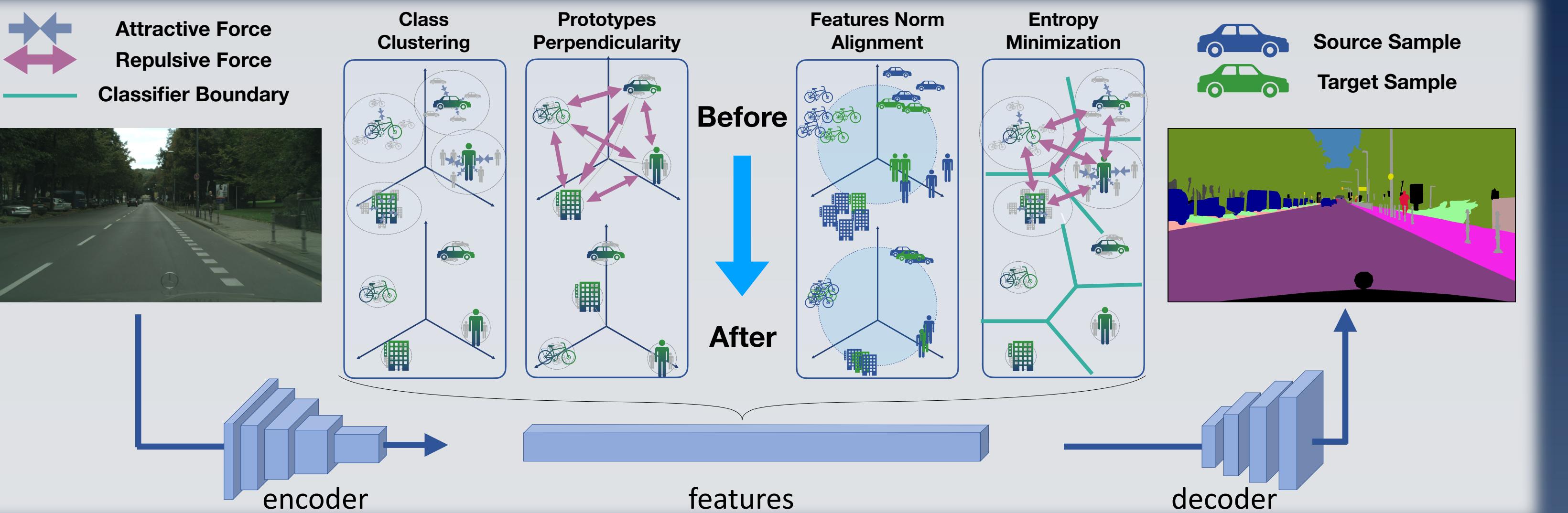
To employ class-discriminative objectives on the feature vectors one needs to downsample the labels in a semantically-aware manner.



Idea: Use SIFT-like histogram filtering, keep only relevant classes.

## Architecture

The key insight of our strategy is the use of multiple space-shaping strategies to enhance the semantic content of the latent space.



To further reduce estimation errors in the computation of class-discriminative losses we exploit exponentially smoothed prototypes.

$$\mathbf{p}_c[i] = \frac{1}{|\mathcal{F}_c^s|} \sum_{\mathbf{f} \in \mathcal{F}_c^s} \mathbf{f}[i] \quad \hat{\mathbf{p}}_c = \eta \hat{\mathbf{p}}'_c + (1 - \eta) \mathbf{p}_c$$

## Space-Shaping Objectives

1) **Class Clustering:** Align source and target feature vectors

$$\mathcal{L}_C = \frac{1}{|\mathcal{C}|} \sum_{c \in \mathcal{C}} \frac{1}{|\mathcal{F}_c|} \sum_{\mathbf{f} \in \mathcal{F}_c} ||\hat{\mathbf{p}}_c - \mathbf{f}||^2$$

2) **Prototype Perpendicularity:** Different classes should have different activations

$$\mathcal{L}_P^s = \frac{1}{|\mathcal{C}|(|\mathcal{C}| - 1)} \sum_{c_i, c_j \in \mathcal{C}, i \neq j} \frac{\mathbf{p}_{c_i}}{||\mathbf{p}_{c_i}||} \cdot \frac{\mathbf{p}_{c_j}}{||\mathbf{p}_{c_j}||}$$

3) **Norm Alignment:** Target samples have smaller feature norms than source ones

$$\mathcal{L}_N^s = \frac{1}{|\mathcal{F}_s|} \sum_{\mathbf{f} \in \mathcal{F}_s} \left| (\bar{f}_s + \Delta_f) - ||\mathbf{f}|| \right| \quad \mathcal{L}_N^t = \frac{1}{|\mathcal{F}_t|} \sum_{\mathbf{f} \in \mathcal{F}_t} \max(0, (\bar{f}_s + \Delta_f) - ||\mathbf{f}||)$$

4) **Entropy Minimization:** Mimic source samples confidence of network in target ones

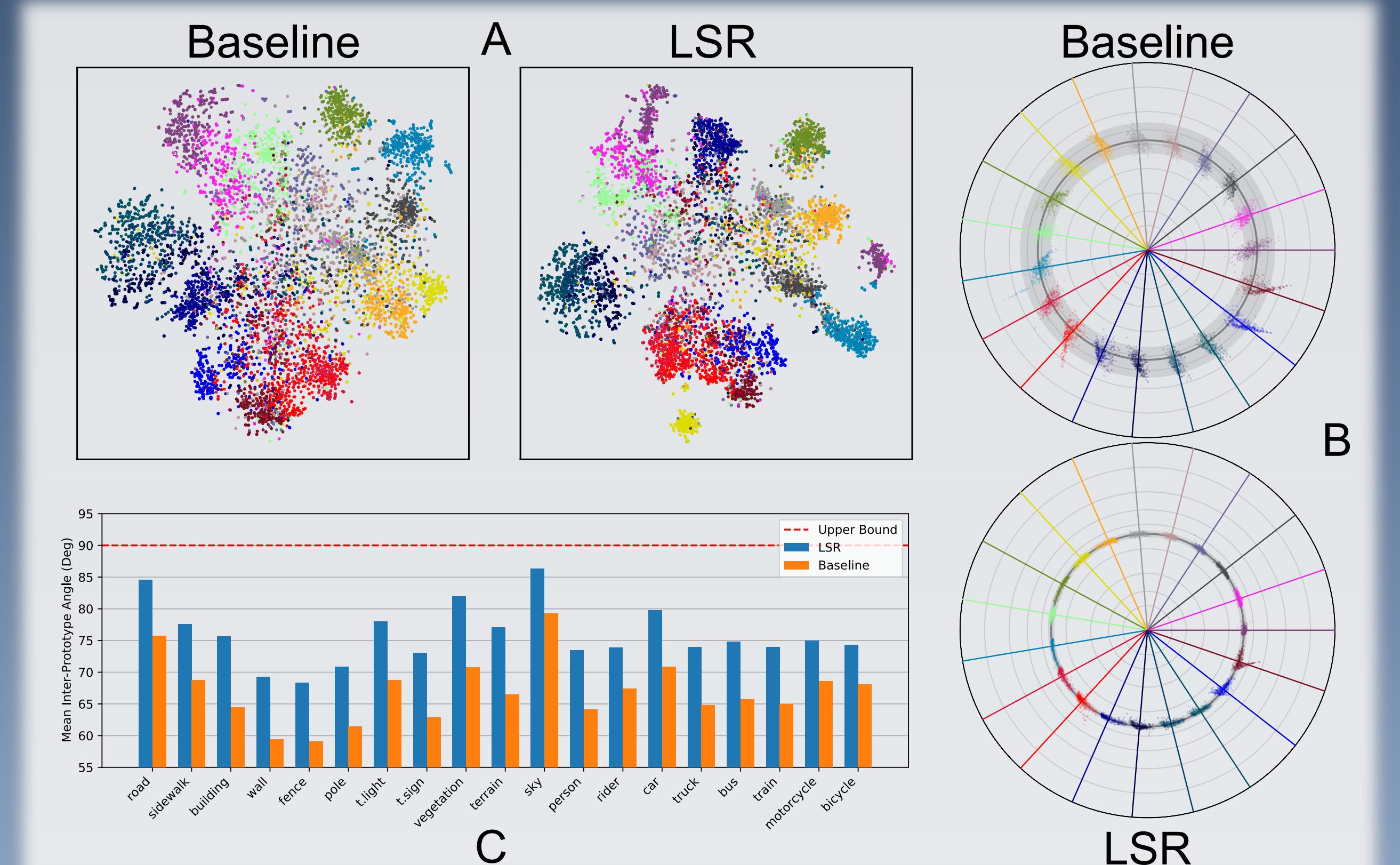
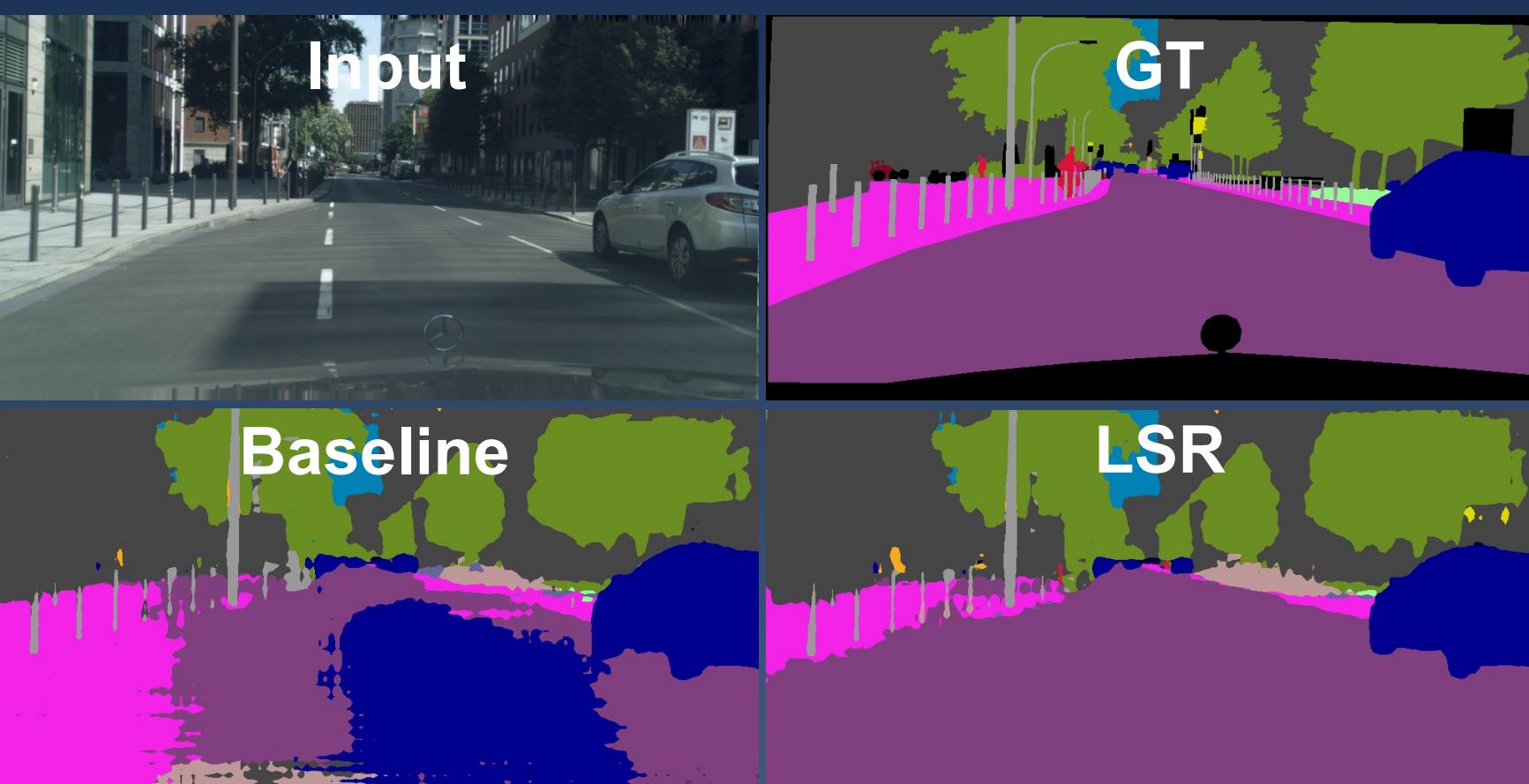
$$\mathcal{L}_{EM} = -\frac{1}{2N} \sum_{n,c} (p_t^{n,c})^2$$

Chen, M. et al., ICCV, 2019.

## Results

Our end-to-end strategy, despite its simplicity, achieves state-of-the-art results in the common synthetic-to-real autonomous driving benchmark **GTAV-to-CityScapes**.

Strategy	mIoU
Baseline	36.9
ASN (feats)	39.0
SAPNet	43.2
MaxSquareIW	45.5
LSR (Ours)	46.0



A. T-SNE plot of normalized feature vectors.

B. Star plot: Norm and intra-class angle. More details in section 6.5 of the article.

C. Bar Plot: inter-prototype angles.