## Homework - 01

Topic: Compound Propositions using  $\neg$ ,  $\land$ ,  $\lor$ ,  $\oplus$ 

- 1. Develop truth tables for the following compound propositions.
  - a)  $(p \land q) \lor (\neg p \lor (p \land \neg q)) \lor r$
  - b)  $(p \land \neg q) \land (\neg p \lor q) \land r$
  - c)  $((\neg p \land q) \land (q \lor r)) \land \neg q \land r$
- 2. Let h: "Amir is handsome", c: "Amir is clever", p: "Amir is optimistic". Rewrite the following in symbolic forms using  $\neg$ ,  $\land$ ,  $\lor$  and  $\oplus$ . You should not simplify the compound propositions.
  - a) Amir is handsome and clever but not optimistic.
  - b) Amir is either clever or handsome or both.
  - c) Amir is either clever or handsome but not both.
  - d) Amir is neither handsome, nor clever nor optimistic.
  - e) Amir is not both handsome and clever, but he is optimistic.
  - f) Amir is optimistic but not clever nor handsome.
- 3. Let p, q, and r be the propositions:
  - p: You get an A on the final exam.
  - q: You do every exercise in this book.
  - r: You get an A in this class.

Express the following in symbolic form:

- a) You get an A in this class, but you do not do every exercise in this book.
- b) You get an A on the final, you do every exercise in this book, and you get an A in this class.
- c) You get an A on the final, but you don't do every exercise in this book; nevertheless, you get an A in this class.
- 4. Consider the simple propositions: *r*: Roses are red, *b*: Violets are blue and *s*: Sugar is sweet. Translate the following statements into intelligible English.
  - a)  $b \lor \neg s$
  - b)  $r \lor (b \land \neg s)$
  - c)  $(r \lor b) \land \neg s$
- 5. Consider the proposition labels: *f*: food is good, *s*: service is excellent, *p*; price is high. Translate each of the following compound statements into symbolic notation.
  - a) The food is good but the service is not excellent.
  - b) The food is good and the service is excellent, but the price is high.
  - c) Neither the food is good nor is the service excellent.









