

Preliminary Report

1. Generate the Object Code for **beq** and **bne** instructions in HEX.

opcode of beq is 4(hex) = 000100(binary)

Now we must compute the Branch Target Address ($PC + 4 + [16\text{-bit immediate}]$)

Steps for forming 16-bit immediate (branch offset)

- $[(\text{Current PC} + 4) - \text{Branch Destination Address}]$
- Divide Result by 4 to get Word Address
- Extend to 16 bits (if necessary)
- If branch offset is negative, form 2's complement version of the negative number

`beq $8, $9, continue -> 0x1109FFC`

`bne $8, $9, next -> 0x15090003`

2. Generate the object code for the **j** (jump) instructions in HEX.

opcode for j is 2(hex)

At this point we know, we're working with **Jump** and **Link** instruction and all Jump instructions have **J-Type** format. **6-bit opcode** and **26 bit adress**. Jump Address computed by:

- Concatenating "00" at the end to make it a word address
- Concatenating the uppermost 4 bits of the current PC.

Address of `_Lab4main` = 0x00400000

Address of `next` = 0x00400018

`j _Lab4main -> 0x08100000`

`j next -> 0x08100006`

3. Using 4 bits & 16 bits what is the minimum and maximum integers that we can represent using sign magnitude representation.

An N-bit sign/magnitude number uses the most significant bit as the sign and the remaining N-1 bits as the magnitude (absolute value). A sign bit of 0 indicates positive, negative otherwise.

N-bit sign/magnitude number spans the range $[-2^{(N-1)} + 1, 2^{(N-1)} - 1]$. Both +0 and -0 exists.

- Numbers ranging from -15 to +15 can be represented using 4-bits.
- Number ranging from -65535 to +65535 can be represented using 16-bits.

4. Using 4 bits what is the minimum and maximum integers that we can represent using 2's complement notation representation for negative numbers.

- 4-bit two's complement number represents 16 values: -8 to +7. In general, the range of an N-bit two's complement number spans $[-2^{(N-1)}, 2^{(N-1)} - 1]$. It should make sense that there is one more negative number than positive number because there is no -0. The most negative number is $-2^{(N-1)}$ is sometimes called the weird number.
- 16-bit two's complement number represents 2^{16} values. -65536 to +65535

5. For a number with hexadecimal representation is **4AB.5F**. Show its IEEE 754 single precision and double precision representations.

sign = 0 (positive)

0x4AB5F = 0(sign) 10010101(exponent) 01101011111(mantissa) [binary]

Exponent = 10010101[base 2] = 149 [base 10]; $149 - 127 = 22$

Denormalize: $1.011011000010000000000000(\text{base } 2) \times 2^{22} =$
 $101101100001000000000000 = 5965824.0$

6. For the following single precision number represented by using IEEE 754 format give the corresponding decimal number: 0x43824000

The value of a IEEE-754 number is computed as:

$\text{sign} * 2^{\text{exponent}} * \text{mantissa}$

In this example sign bit is 0, meaning it is positive, exponent is 8, mantissa (significand) is 1.017578125

Encoded as: 0(sign) 135(2^{exponent}) 147456 (mantissa)

Decimal representation: 260.5