

Simple Linear Regression

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1 Simple Linear Regression Intuition

Simple linear regression can be also known as the best fitting line.

1.1 Importing the libraries

```
[1]: import numpy as np
import matplotlib.pyplot as plt
import pandas as pd
from matplotlib.pyplot import figure
```

1.2 Importing the dataset

```
[2]: df = pd.read_csv('Salary_Data.csv')
df
```

```
[2]:
```

	YearsExperience	Salary
0	1.1	39343.0
1	1.3	46205.0
2	1.5	37731.0
3	2.0	43525.0
4	2.2	39891.0
5	2.9	56642.0
6	3.0	60150.0
7	3.2	54445.0
8	3.2	64445.0
9	3.7	57189.0
10	3.9	63218.0
11	4.0	55794.0
12	4.0	56957.0
13	4.1	57081.0
14	4.5	61111.0
15	4.9	67938.0
16	5.1	66029.0
17	5.3	83088.0
18	5.9	81363.0
19	6.0	93940.0
20	6.8	91738.0

```

21          7.1   98273.0
22          7.9  101302.0
23          8.2  113812.0
24          8.7  109431.0
25          9.0  105582.0
26          9.5  116969.0
27          9.6  112635.0
28         10.3  122391.0
29         10.5  121872.0

```

```
[3]: #Check for total number of null values present
df.isnull().sum()
```

```
[3]: YearsExperience    0
Salary                0
dtype: int64
```

2 Seperating into dependant and independant variables

```
[4]: X = df.iloc[:, :-1].values #Independent variables
y= df.iloc[:, -1].values
```

```
[5]: X #Year of experience
```

```
[5]: array([[ 1.1],
          [ 1.3],
          [ 1.5],
          [ 2. ],
          [ 2.2],
          [ 2.9],
          [ 3. ],
          [ 3.2],
          [ 3.2],
          [ 3.7],
          [ 3.9],
          [ 4. ],
          [ 4. ],
          [ 4.1],
          [ 4.5],
          [ 4.9],
          [ 5.1],
          [ 5.3],
          [ 5.9],
          [ 6. ],
          [ 6.8],
          [ 7.1],
```

```
[ 7.9],  
[ 8.2],  
[ 8.7],  
[ 9. ],  
[ 9.5],  
[ 9.6],  
[10.3],  
[10.5]])
```

```
[6]: y # Salary which is dependant on the years of experience
```

```
[6]: array([ 39343.,  46205.,  37731.,  43525.,  39891.,  56642.,  60150.,  
          54445.,  64445.,  57189.,  63218.,  55794.,  56957.,  57081.,  
          61111.,  67938.,  66029.,  83088.,  81363.,  93940.,  91738.,  
          98273., 101302., 113812., 109431., 105582., 116969., 112635.,  
          122391., 121872.])
```

2.1 Splitting the dataset into the Training set and Test set

```
[7]: from sklearn.model_selection import train_test_split  
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size = 0.2)
```

```
[8]: X_train
```

```
[8]: array([[1.1],  
          [9.5],  
          [8.2],  
          [4. ],  
          [3.7],  
          [5.9],  
          [3. ],  
          [1.3],  
          [3.9],  
          [5.1],  
          [1.5],  
          [7.1],  
          [7.9],  
          [9.6],  
          [8.7],  
          [2.2],  
          [5.3],  
          [2.9],  
          [3.2],  
          [4.1],  
          [6. ],  
          [4.5],  
          [3.2],
```

```
[6.8]])
```

```
[9]: X_test
```

```
[9]: array([[ 9. ],  
          [ 2. ],  
          [10.5],  
          [ 4.9],  
          [ 4. ],  
          [10.3]])
```

```
[10]: y_train
```

```
[10]: array([ 39343., 116969., 113812.,  56957.,  57189.,  81363.,  60150.,  
            46205.,  63218.,  66029.,  37731.,  98273., 101302., 112635.,  
            109431.,  39891.,  83088.,  56642.,  64445.,  57081.,  93940.,  
            61111.,  54445.,  91738.])
```

```
[11]: y_test
```

```
[11]: array([105582.,  43525., 121872.,  67938.,  55794., 122391.])
```

3 Training the Simple Linear Regression Model

```
[12]: from sklearn.linear_model import LinearRegression  
      regressor = LinearRegression()  
      regressor.fit(X_train,y_train)
```

```
[12]: LinearRegression()
```

4 Prediction using the Test set

```
[13]: y_pred = regressor.predict(X_test)
```

```
[14]: y_pred
```

```
[14]: array([112615.32272029,  45005.26910253, 127103.19135266,  73015.14845846,  
            64322.42727903, 125171.47553501])
```

5 Visualising the Training set results

```
[15]: # Xaxis -> Number of years of experrience  
      #Y axis -> The salary  
      figure(figsize=(8, 6), dpi=100) #Change size of fig  
      plt.scatter(X_train,y_train,color='red')  
      #Now we plot the regression line
```

```
plt.plot(X_train, regressor.predict(X_train))
plt.title('Salary vs Experience (Training set)')
plt.xlabel('Year of experience')
plt.ylabel('Salary($)' )
plt.show()
```



6 Visualising the Test set results

```
[16]: # Xaxis - > Number of years of experrience
#Y axis - > The salary
figure(figsize=(8, 6), dpi=100) #Change size of fig
plt.scatter(X_test,y_test,color ='red')
#Now we plot the regression line
plt.plot(X_train, regressor.predict(X_train))
plt.title('Salary vs Experience (Training set)')
plt.xlabel('Year of experience')
plt.ylabel('Salary($)' )
plt.show()
```



7 Visualising the Training set results

```
[17]: #Getting equation of the regression line
print(regressor.coef_)
print(regressor.intercept_)
```

```
[9658.57908825]
25688.110926022826
```

Thus, the equation is $y = 26718.983361124345 + 9297.61457837 \times \text{years of experience}$

```
[18]: #Verifying the above equation
print(f"Salary for employee with 10.5 years experience using regressor.predict :
↪ {regressor.predict([[10.5]])[0]}")
print(f"Salary for employee with 10.5 years experience using regressor.predict :
↪ {26718.983361124345+ 9297.61457837 * 10.5}")
```

```
Salary for employee with 10.5 years experience using regressor.predict :
127103.19135266349
```

```
Salary for employee with 10.5 years experience using regressor.predict :
124343.93643400935
```