

# Cotta&Cush

## Software Engineering Internship Challenge

### FIRST PROGRESS REPORT

By

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### (a). Problem Analysis and Mathematical Basis

Given that:

no. of bananas =  $x$  where  $x \geq 3000$ ;  
no. of camels =  $z$  where  $1 \leq z \leq 10$ ;  
dist. To market =  $y$  where  $1000 \leq y \leq 10,000$ ; and  
no. of bananas 1 camel eats per 1km =  $k$  where  $1 \leq k \leq 10$

Assuming that:

$z = 1$  camel,  $x = 3000$  bananas,  $y = 1000$ km

Now if the camel carries 1000 bananas to market  $y$  (1000km), it will have finished the whole banana and will not be able to go back.

But if the camel stops at an intermediate distance, then if the camel stops at a distance 500km, then it will have consumed the whole 3000 bananas. But if the camel carries 1000 bananas and drops it at 1km, then it will eat 1 banana and when coming back it will eat 1 banana too. So, it will drop 998 bananas at 1km. For the second 1000 bananas, it will drop 998 bananas as well, but on the third 1000 bananas the camel will only eat one banana and drop 999 bananas. Hence the total bananas carried to 1km is 2995 bananas and the camel only consumes 5 bananas for the 5 trips.

Now, if we were to calculate the distance **d1 km** (intermediate distance) it would have covered when the camel would have consumed 1000 bananas and remaining 2000 bananas, then we have that

5 bananas  1 km  
then,

$$3000 - 5d = (3000 - 1000)$$

$$d1 = 200\text{km}$$

At this point, we have only covered 200km and 2000 bananas remaining, then if the camel is to travel  $d2$  km dropping 1000 bananas and consuming 1000 bananas, then the camel will only consume 3 bananas per 1 km to and fro, then we have that

3 bananas  1 km  
then,

$$2000 - 3d = (2000 - 1000)$$

$$d = 333.33 \text{ km}$$

Hence,  $d1 + d2 = 200 + 333.33 = 533.33 \text{ km}$

Now, the trip to  $y$  (1000km) market is now remaining  $(1000 - 533.33) \text{ km}$ , hence the camel carries the remaining 1000 bananas and consumes 466.66  $\rightarrow$  467 bananas to complete the 1000 km to the market and the farmer will be able to sell the remaining 533 bananas.

I have been able to analyze the problem and understand that the problem has a sequential pattern, and which was used to develop the mathematical model.

Therefore given  $x = 3000$ ,  $z = 1$ ,  $k=1$   $y = 1000$  the farmer sells maximum of 533 bananas.

Now let's assume we have 3500 instead of 3000 we need an additional move.

The extra value 500 that can be gotten by  $3500 \bmod 1000$  divided by  $n+1$

Assuming the farmer has one camel to transport the bananas, then the **maximum number of camels** is given by:

$$\left\{ \frac{1}{k} \left[ \left( \sum_{b=1}^a \frac{1000}{2b-1} \right) + \frac{x \bmod 1000}{2(a)+1} \right] - y \right\}$$

where

$$a = \frac{x}{1000}$$

1000 = capacity of the camel

x = number of bananas

k = number of bananas a camel eats for each km travelled

y = distance to the market

c = range of number of camels from 1 to Z

**(b). Maximum number of camels.**

The following formula is used in determining the maximum number of camels if more than one camel is available:

$$\max^c = 1 - z \left[ \left\{ \frac{1}{k} \left[ \left( \sum_{b=1}^{\frac{a}{c}} \frac{1000}{2b-1} \right) + \frac{x \bmod 1000}{2(a)+1} \right] - Y \right\} c \right]$$

When x = 1000, z = 1, k=1 y = 1000 the number of camel for maximum output is 1,

x = 2000, max Camel = 1

x = 3000, max Camel = 1

x = 4000, max Camel = 1

x = 5000, max Camel = 2

x = 6000, max Camel = 2

x = 7000, max Camel = 2

x = 8000, max Camel = 2

x = 9000, max Camel = 3

x = 10000, max Camel = 3

x = 11000, max Camel = 3

x = 12000, max Camel = 3