### Section 1: General information

Welcome to the mcf estimation and optimal policy package.

This report provides you with a summary of specifications and results. More detailed information can be found in the respective output files. Figures and data (in csv-format, partly to recreate the figures on your own) are provided in the output path as well.

### Output information for MCF ESTIMATION

All outputs: c:\Users\User\Desktop\06 June 2025 causal\24062025\output

Subdirectories with figures and data are named ate\_iate, gate, and common support and contain the

content related to their name.

Detailed text output: c:\Users\User\Desktop\06 June 2025

causal\24062025\output\txtFileWithOutput.txt

Summary text output: c:\Users\User\Desktop\06 June 2025 causal\24062025\output\txtFileWithOutput\_Summary.txt

### Output information for OPTIMAL POLICY ANALYSIS

All outputs: c:\Users\User\Desktop\06 June 2025 causal\24062025\output0

Detailed text output: c:\Users\User\Desktop\06 June 2025

causal\24062025\output0\txtFileWithOutput.txt

Summary text output: c:\Users\User\Desktop\06 June 2025 causal\24062025\output0\txtFileWithOutput\_Summary.txt

### **BACKGROUND**

### **ESTIMATION OF EFFECTS**

The MCF is a comprehensive causal machine learning estimator for the estimation of treatment effects at various levels of granularity, from the average effect at the population level to very fine grained effects at the (almost) individual level. Since effects at the higher levels are obtained from lower level effects, all effects are internally consistent. Recently, the basic package has been appended for new average effects as well as for an optimal policy module. Effect estimation is implemented for identification by unconfoundedness as well as by instrumental variables. While unconfoundedness estimation can deal with multiple treatments, instrumental variable estimation is restricted to binary instruments and binary treatments. The basis of the MCF estimator is the the causal forest suggested by Wager and Athey (2018). Their estimator has been changed in several dimensions which are described in Lechner (2018). The main changes relate to the objective function as well as to the aggreation of effects. Lechner and Mareckova (2024) provide the asymptotic guarantees for the MCF and compare the MCF, using a large simulation study, to competing approaches like the Generalized Random Forest (GRF, Athey, Tibshirani, Wager, 2019) and Double Machine Learning (DML, Chernozhukov, Chetverikov, Demirer, Duflo, Hansen, Newey, Robins, 2018, Knaus, 2022). In this comparison the MCF faired very well, in particular, but not only, for heterogeneity estimation. Some operational issues of the MCF are discussed in Bodory, Busshof, Lechner (2022). There are several empirical studies using the MCF, like Cockx, Lechner, Boolens (2023), for example.

### References

- Athey, S., J. Tibshirani, S. Wager (2019): Generalized Random Forests, The Annals of Statistics, 47, 1148-1178.

- Athey, S., S. Wager (2019): Estimating Treatment Effects with Causal Forests: An Application, Observational Studies, 5, 21-35.
- Bodory, H., H. Busshoff, M. Lechner (2023): High Resolution Treatment Effects Estimation: Uncovering Effect Heterogeneities with the Modified Causal Forest, Entropy, 24, 1039.
- Bodory, H., F. Mascolo, M. Lechner (2024): Enabling Decision Making with the Modified Causal Forest: Policy Trees for Treatment Assignment, Algorithm, 17, 318.
- Chernozhukov, V., D. Chetverikov, M. Demirer, E. Duflo, C. Hansen, W. Newey, J. Robins (2018): Double/debiased machine learning for treatment and structural parameters, Econometrics Journal, 21, C1-C68.
- Cockx, B., M. Lechner, J. Bollens (2023): Priority to unemployed immigrants? A causal machine learning evaluation of training in Belgium, Labour Economics, 80, Article 102306.
- Knaus, M. (2022): Double Machine Learning based Program Evaluation under Unconfoundedness, Econometrics Journal.
- Lechner, M. (2018): Modified Causal Forests for Estimating Heterogeneous Causal Effects, arXiv.
- Lechner, M. (2023): Causal Machine Learning and its Use for Public Policy, Swiss Journal of Economics & Statistics, 159:8.
- Lechner, M., J. Mareckova (2024): Comprehensive Causal Machine Learning, arXiv.
- Lechner, M., J. Mareckova (2025): Comprehensive Causal Machine Learning with Instrumental Variables, mimeo.
- Wager, S., S. Athey (2018): Estimation and Inference of Heterogeneous Treatment Effects using Random Forests, Journal of the American Statistical Association, 113:523, 1228-1242.

The optimal policy module offers three (basic) algorithms that can be used to exploit fine grained knowledge about effect heterogeneity to obtain decision rules. The current version is implemented for discrete treatments only.

There is also an option for different fairness adjustments.

The BEST\_POLICY\_SCORE algorithm is based on assigning the treatment that has the highest impact at the unit (e.g., individual) level. If the treatment heterogeneity is known (not estimated), this will lead to the best possible result. This algorithm is computationally not burdensome. However, it will not be easy to understand how the implied rules depends on the features of the unit. Its statistical properties are also not clear (for estimated treatment heterogeneity) and there is a certain danger of overfitting, which could lead to an unsatisfactory out-of-training-sample performance.

The BPS\_CLASSIFIER classifier algorithm runs a classifier for each of the allocations obtained by the BEST\_POLICY\_SCORE algorithm. One advantage of this approach compared to the BEST\_POLICY\_SCORE algorithm is that prediction of the allocation of (new) observations is fast because it does not require to recompute the policy score (as it is the case with the BEST\_POLICY\_SCORE algorithm). The specific classifier is selected among four different classifiers from scikit-learn, namely a simple neural network, two classification random forests with minimum leaf size of 2 and 5, and ADDABoost. The selection is made according to the out-of-sample performance of the Accuracy Score of scikit-learn.

The POLICY TREE algorithm builds optimal shallow decision trees. While these trees are unlikely to lead to gloably optimal allocations, and are computationally much more expensive, they have the advantage that the decision rule is much easier to understand and that some statistical properties are known, at least for certain versions of such decision trees (e.g., Zhou, Athey, Wager, 2023). The basic algorithmic implementation follows the recursive algorithm suggested by Zhou, Athey, Wager (2023) with three (more substantial) deviations (=extensions).

Extension 1: Since using One Hot Encoding for categorical variables may lead to rather extreme

leaves for such variables with many different values when building (shallow) trees (splitting one value against the rest), a more sophisticated procedure is used that allows to have several values of the categorical variables on both sides of the split.

Extension 2: Constraints are allowed for. They are handled in a sequential manner: First, an approximate treatment-specific cost vector is obtained and used to adjust the policy score accordingly. Second, trees that violate the constraints are removed (to some extent, optional). Extensions 3: There are several options implemented to reduce the computational burden, which are discussed below in the section showing the implementation of the policy score.

### References

-Zhou, Z., S. Athey, S. Wager (2023): Offline Multi-Action Policy Learning: Generalization and Optimization, Operations Research, INFORMS, 71(1), 148-183.

### Section 2: MCF estimation

#### **METHOD**

Standard MCF method used. Nearest neighbour matching performed using the Prognostic Score. Feature selection not is used.

Local centering is used.

Common support is enforced.

### **VARIABLES**

Outcome: jan\_avg\_inc\_opv

Treatment: oct\_asp\_flag (with values 0 1)

Ordered confounders: oct\_head\_inc, oct\_avg\_inc\_opv, oct\_fam\_cnt, oct\_fam\_cat, oct\_com\_re\_own, oct\_children, oct\_disab\_child, oct\_overdue\_debt, oct\_gov\_complaint, jul\_overdue\_debt, aug\_overdue\_debt, sep\_overdue\_debt, jul\_head\_inc, oct\_high\_edu\_adults, oct\_fam\_debt, oct\_payer\_opv, jul\_avg\_inc\_opv, aug\_head\_inc, aug\_avg\_inc\_opv, sep\_head\_inc, sep\_avg\_inc\_opv, oct\_api\_level, oct\_high\_edu\_adults, oct\_children, oct\_disab\_child Unordered (categorical) confounders: oct\_regions, oct\_employment, oct\_real\_estate, oct\_fndr\_smallbiz, oct\_regions

Ordered heterogeneity variables (few values, continuous variables are discretized):

oct\_high\_edu\_adults, oct\_children, oct\_disab\_child

Unordered heterogeneity variables: oct\_regions

### **EFFECTS ESTIMATED**

Average Treatment Effect (ATE), Group Average Treatment Effect (GATE), Individualized Average Treatment Effect (IATE), Efficient IATE

### NOTE on unordered variables:

One-hot-encoding (dummy variables) is not used as it is expected to perform poorly with trees: It may lead to splits of one category versus all other categories. Instead the approach used is analogous to the one discussed in Chapter 9.2.4 of Hastie, Tibshirani, Friedmann (2013), The Elements of Statistical Learning, 2nd edition.

### Section 2.1: MCF Training

Training uses 19 CPU cores.

### Section 2.1.1: Preparation of training data (mcf training)

### **METHOD**

Variables without variation are removed.

Variables that are perfectly correlated with other variables are removed.

Dummy variables with less than 10 observations in the smaller group are removed.

Rows with any missing values for variables needed for training are removed.

### **RESULTS**

No relevant variables were removed.

Sample size of training data: 150000 (no observations removed).

### Section 2.1.2: Common support (mcf training)

### **METHOD**

The common support analysis is based on checking the overlap in the out-of-sample predictions of the propensity scores (PS) for the different treatment arms. PSs are estimated by random forest classifiers. Overlap is operationalized by computing cut-offs probabilities of the PSs (ignoring the first treatment arm, because probabilities add to 1 over all treatment arms). These cut-offs are subsequently also applied to the data used for predicting the effects.

Overlap is determined by the min / max rule.

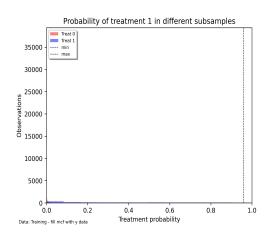
Out-of-sample predictions are generated by 4-fold cross-validation.

### **RESULTS**

Share of observations deleted: 0.04%

Number of observations remaining: 149944

### Common support plots



### Section 2.1.3: Local centering (mcf training)

### **METHOD**

Local centering is based on training a regression to predict the outcome variable conditional on the

features (without the treatment). The regression method is selected among various versions of Random Forests, Support Vector Machines, Boosting methods, and Neural Networks of scikit-learn. The best method is selected by minimizing their out-of-sample Mean Squared Error using 4-fold cross-validation. The full set of results of the method selection step are contained in c:\Users\User\Desktop\06 June 2025 causal\24062025\output\txtFileWithOutput.txt. The respective out-of-sample predictions are subtracted from the observed outcome in the training data used to build the forest. These out-of-sample predictions are generated by 4-fold cross-validation.

### **RESULTS**

Out-of-sample fit for Random Forest of Ey|x (R2) for jan\_avg\_inc\_opv: 44.86%

### Section 2.1.4: Forest

### METHOD and tuning parameters

Method used for forest building is MSE & MCE Penalty "MSE of treatment variable".

The causal forest consists of 1000 trees.

The minimum leaf size is 4.

The number of variables considered for each split is 8.

The share of data used in the subsamples for forest building is 41%.

The share of the data used in the subsamples for forest evaluation (outcomes) is 82%. Alpha regularity is set to 10%.

jan\_avg\_inc\_opv\_lc is the outcome variable used for splitting (locally centered). The features used for splitting are oct\_head\_inc oct\_avg\_inc\_opv oct\_fam\_cnt oct\_fam\_cat oct\_com\_re\_own oct\_children oct\_disab\_child oct\_overdue\_debt oct\_gov\_complaint jul\_overdue\_debt aug\_overdue\_debt sep\_overdue\_debt jul\_head\_inc oct\_high\_edu\_adults oct\_fam\_debt oct\_payer\_opv jul\_avg\_inc\_opv aug\_head\_inc aug\_avg\_inc\_opv sep\_head\_inc sep avg inc opv oct api level oct regions oct employment oct real estate oct fndr smallbiz.

### **RESULTS**

Each tree has on average 237.90 leaves.

Each leaf contains on average 65.2 observations. The median # of observations per leaf is 34.

The smallest leaves have 4 observations.

The largest leaf has 4739 observations.

22.35% of the leaves were merged when populating the forest with outcomes from the honesty sample.

### **NOTES**

To reduce computational demands, data is randomly splitted in 2 folds. In each fold, forests and effects are estimated. Subsequently, effects are averaged over the {dic["folds"]} folds. For the estimation of the "efficient" IATEs, the role of the samples used for building the forest and populating it are reversed. Subsequently, the two sets of estimates for the IATEs are averaged.

### Section 2: MCF estimation

### Section 2.2: MCF Prediction of Effects

Training uses 19 CPU cores.

### Section 2.2.1: Common support (mcf prediction)

Share of observations deleted: 0.12%

Number of observations remaining: 104874

### Section 2.2.2: Results

### **GENERAL REMARKS**

The following results for the different parameters are all based on the same causal forests (CF). The combination of the CF with the potentially new data provided leads to weight matrices. These matrices may be large requiring some computational optimisations, such as processing them in batches and saving them in a sparse matrix format. One advantage of this approach is that aggregated effects (ATE, GATE, BGATE) can be computed by aggregation of the weights used for the IATE. Thus a high internal consistency is preserved in the sense that IATEs will aggregate to GATEs, which in turn will aggregate to ATEs.

### **ESTIMATION**

Weights of individual training observations are truncated at 5.00%. Aggregation of IATEs to ATE and GATEs may not be exact due to weight truncation.

### **INFERENCE**

Inference is based on using the weight matrix. Nonparametric regressions are based on k-nearest neighbours.

### NOTE

Treatment effects for specific treatment groups (so-called treatment effects on the treated or non-treated) can only be provided if the data provided for prediction contains a treatment variable (which is not required for the other effects).

### Section 2.2.2.1: ATE

### **RESULT**

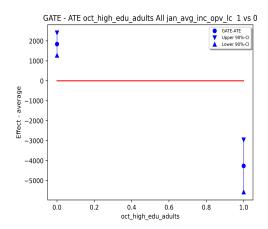
### ATE for jan\_avg\_inc\_opv

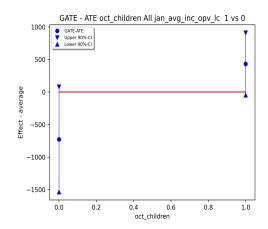
Comparison	Effect	SE	t-value	p-value (%)	Sig.
1 vs 0	-8413.399	1437.235	5.85	0.0	***

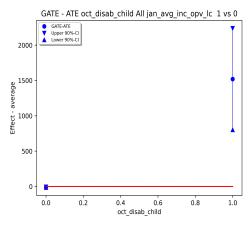
Note: \*, \*\*\*, \*\*\*\* denote significance at the 10%, 5%, 1%, 0.1% level. The results for the potential outcomes can be found in the output files.

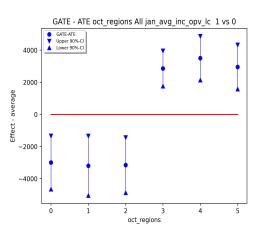
### Section 2.2.2.2: GATE

### **GATE**









Note: Detailed tables and figures for additional effects are contained in the output files and output directories.

### Section 2.2.2.3: IATE

This section contains parts of the descriptive analysis of the IATEs. Use the analyse method to obtain more descriptives of the IATEs, like their distribution, and their relations to the features.

### METHODOLOGICAL NOTE

In order to increase the efficiency of the IATE estimation, a second set of IATEs is computed by reversing the role of the two samples used to build the forest and to populate it with the outcome information. The two IATEs are averaged to obtain a more precise estimator (which may be particulary useful when the IATEs, or the corresponding potential outcomes, are used as inputs for decision models).

The following descriptive analysis is based on the first round IATEs only.

### **RESULTS**

29.05%

Outcome variable: jan\_avg\_inc\_opv

Comparison Mean Median Std Effect > 0 mean(SE) sig 10% sig 5% sig 1%

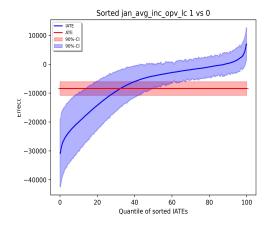
1 vs 0 -7082.53608 -4087.70018 7892.71715 11.72% 3501.35081 52.59% 44.14%

### Section 2: MCF estimation

### Section 2.3: Analysis of Estimated IATEs

This section contains parts of the descriptive analysis of the IATEs. More detailed tables and figures are contained in the output files and directories. These additional results include variable importance plots from a regression random forest as well as and linear regression results. Both estimators use the estimated IATEs as dependent variables and the confounders and heterogeneity variables as features.

### **IATEs**



### K-MEANS CLUSTERING

The sample is divided using k-means clustering based on the estimated IATEs. The number of clusters is determined by maximizing the Average Silhouette Score on a given grid. The following table shows the means of the IATEs, potential outcomes, and the features in these clusters, respectively.

### Number of observations in the clusters

Cluster 0: 4655 Cluster 1: 8241 Cluster 2: 8919 Cluster 3: 9913

Cluster 4: 12899 Cluster 5: 23981 Cluster 6: 28613 Cluster 7: 7653

IΑ	TF

Comparison	0	1	2	3	4	5	6	7
jan_avg_inc_opv_lc1vs0_iate								
	-26588.36	-21094.78	-16164.59	-11447.95	-7128.79	-3659.06	-965.15	2588.57

Note: Mean of variable in cluster.

### Potential Outcomes

Comparison	0	1	2	3	4	5	6	7
jan_avg_inc_opv_lc0_un_lc_pot								
	412356.15	336507.31	255103.29	154589.91	79392.74	30710.7	15426.13	17011.31
jan_avg_inc_opv_lc1_un_lc_pot								
	385767.79	315412.54	238938.7	143141.96	72263.95	27051.65	14460.98	19599.88

Note: Mean of variable in cluster.

### **Features**

Comparison	0	1	2	3	4	5	6	7
oct_regions	6.34	7.34	9.11	9.96	10.92	11.99	13.24	14.36
oct_employment	2.64	2.54	2.57	2.59	2.46	1.68	1.41	1.66
oct_real_estate								
	1.7	1.81	1.86	1.71	1.59	1.44	1.27	1.14
oct_fndr_smallbiz								
	0.41	0.47	0.54	0.54	0.5	0.42	0.33	0.26
oct_head_inc	2.75	2.42	2.08	1.48	1.0	0.45	0.22	0.28
oct_avg_inc_opv								
	4.25	3.91	3.38	2.41	1.39	0.56	0.27	0.32
oct_fam_cnt	2.87	3.13	3.47	3.89	4.21	3.7	3.63	4.14
oct_fam_cat	2.98	2.93	2.91	2.77	2.49	1.95	1.63	1.64
oct_com_re_own	0.02	0.02	0.03	0.03	0.03	0.03	0.03	0.03
oct_children	0.56	0.55	0.63	0.7	0.74	0.6	0.59	0.71
oct_disab_child								
	0.0	0.0	0.0	0.01	0.01	0.01	0.01	0.01
oct_overdue_debt								
	0.14	0.15	0.18	0.24	0.27	0.31	0.27	0.31
oct_gov_complaint								
	0.04	0.12	0.31	0.31	0.3	0.25	0.23	0.19
jul_overdue_debt				•	•			•
	0.14	0.14	0.17	0.23	0.26	0.3	0.26	0.29
aug_overdue_debt								
	0.14	0.14	0.17	0.23	0.26	0.3	0.26	0.29
sep_overdue_debt								
	0.14	0.15	0.18	0.24	0.27	0.31	0.27	0.3
jul_head_inc	2.55	2.33	2.1	1.63	1.05	0.41	0.16	0.12

oct_high_edu_adults								
	0.58	0.5	0.47	0.46	0.4	0.25	0.15	0.09
oct_fam_debt	0.97	0.97	0.98	0.99	0.99	0.98	0.99	0.99
oct_payer_opv	1.0	1.0	1.0	0.99	0.98	0.64	0.42	0.61
ul_avg_inc_opv								
	4.74	4.64	4.3	3.53	2.36	1.02	0.54	0.68
aug_head_inc	2.85	2.43	2.14	1.62	1.0	0.36	0.13	0.09
aug_avg_inc_opv								
:	5.21	4.84	4.39	3.52	2.3	0.94	0.47	0.59
sep_head_inc	2.9	2.45	2.04	1.53	0.98	0.37	0.14	0.1
sep_avg_inc_opv								
	5.29	4.83	4.22	3.38	2.24	0.98	0.53	0.72
oct_api_level	4.96	4.88	4.76	4.47	3.77	2.58	1.68	1.71
oct_regions_0	0.24	0.27	0.22	0.19	0.17	0.18	0.12	0.06
oct_regions_2	0.26	0.25	0.22	0.2	0.17	0.14	0.13	0.14
oct_regions_10	0.38	0.24	0.22	0.21	0.19	0.12	0.13	0.07
oct_regions_17	0.08	0.08	0.1	0.13	0.16	0.16	0.2	0.31
oct_regions_19	0.01	0.07	0.13	0.13	0.15	0.16	0.24	0.21
oct_regions_20	0.02	0.08	0.12	0.14	0.16	0.23	0.18	0.2
oct_employment_0								
	0.0	0.0	0.0	0.0	0.01	0.2	0.15	0.05
oct_employment_1								
	0.0	0.0	0.0	0.01	0.01	0.16	0.43	0.34
oct_employment_2								
	0.36	0.46	0.43	0.39	0.48	0.39	0.29	0.5
oct_employment_3								
	0.64	0.54	0.57	0.6	0.5	0.24	0.13	0.1
oct_real_estate_0								
	0.38	0.31	0.3	0.34	0.37	0.4	0.47	0.55
oct_real_estate_1								
	0.02	0.03	0.04	0.04	0.03	0.04	0.04	0.04
oct_real_estate_2								
	0.28	0.34	0.33	0.33	0.34	0.38	0.31	0.2
oct_real_estate_3								
	0.17	0.2	0.18	0.16	0.15	0.11	0.11	0.16
oct_real_estate_4								
	0.14	0.11	0.13	0.11	0.1	0.07	0.06	0.06
oct_real_estate_5								
	0.01	0.02	0.02	0.01	0.01	0.01	0.01	0.0
oct_fndr_smallbiz_0								
	0.75	0.7	0.66	0.65	0.66	0.71	0.76	0.81
oct_fndr_smallbiz_1								
	0.13	0.18	0.2	0.23	0.23	0.2	0.17	0.14
oct_fndr_smallbiz_2								
	0.08	0.07	0.07	0.06	0.05	0.05	0.04	0.03
oct_fndr_smallbiz_3								
	0.04	0.05	0.07	0.06	0.05	0.04	0.03	0.02

Note: Mean of variable in cluster. Categorical variables are recoded to indicator (dummy) variables.

### Section 3: Optimal Policy

### **METHOD**

The assignment rule is based on allocating units using a shallow decision tree of depth 4.

### VARIABLES provided

Policy scores: jan\_avg\_inc\_opv\_lc0\_un\_lc\_pot\_eff, jan\_avg\_inc\_opv\_lc1\_un\_lc\_pot\_eff

Treatment: oct\_asp\_flag

Identifier: id mcfx

Oderered features of units: oct children

Categorical / unorderered features of units: oct\_regions

### COSTS

No user provided costs of specific treatments.

### **RESTRICTIONS** of treatment shares

Treatment shares are unrestricted.

#### **FAIRNESS**

No fairness adjustments performed.

### Section 3.1: Optimal Policy: Training

#### COMPUTATION

19 logical cores are used for processing.

Continuous variables are internally split for best use of cpu ressources.

### DATA PREPARATION

Variables without variation are removed.

Variables that are perfectly correlated with other variables are removed.

Dummy variables with less than 10 observations in the smaller group are removed.

Rows with any missing values for variables needed for training are removed.

### COMPUTATIONAL EFFICIENCY

Optimal policy trees are computationally very demanding. Therefore, several approximation parameters are used.

Instead of evaluating all values of continuous variables and combinations of values of categorical variables when splitting, only 100 values are considered. These values are equally spaced for continuous variables and random combinations for categorical variables. This number is used for EVERY splitting decision, i.e. the approximation improves the smaller the data in the leaf becomes. Increasing this value can significantly improve the computational performance at the price of a certain approximation loss.

The depth of the tree is also a key parameter. Usually, it is very hard to estimate trees beyond the depth of 4 (16 leaves) with reasonably sized training data. There are two options to improve the computational performance. The first one is to reduce the depth (leading to loss of efficiency but a

gain in interpretability). The second option is to split the tree building into several steps. However, the second option is not used here.

Another parameter crucial for performance is the minimum leaf size. Too small leaves may be undesirable for practical purposes (and they increase computation times). The minimum leaf size in this application is set to 1311.

In addition, the user may reduce the size of the training data to increase speed, but this will increase sampling noise.

### CATEGORICAL VARIABLES

There are two different approximation methods for larger categorical variables. Since we build optimal trees, for categorical variables we need to check all possible combinations of the different values that lead to binary splits. This number could indeed be huge. Therefore, we compare only 200 different combinations. The available methods differ on how these methods are implemented. In this application, at each possible split, we sort the values of the categorical variables according to the values of the policy scores as one would do for a standard random forest. If this set is still too large, a random sample of the entailed combinations is drawn.

STRUCTURE OF FINAL TREE (using data from Training PT data)
Leaf information for estimated policy tree
Depth of 1st tree: 3, depth of 2nd tree: 1, total depth: 4
Leaf 00: oct_children <= 0.500 oct_regions In: 0 17 oct_regions In: 0 Alloc Treatment: 0 Obs: 6999
Leaf 01: oct_children <= 0.500 oct_regions In: 0 17 oct_regions Not in: 0 Alloc Treatment: 0 Obs: 4258
Leaf 10: oct_children > 0.500 oct_regions In: 17 19 oct_regions In: 17 Alloc Treatment: 0 Obs: 13046
Leaf 11: oct_children > 0.500 oct_regions In: 17 19 oct_regions Not in: 17 Alloc Treatment: 0 Obs: 11151
Leaf 20: oct_children <= 0.500 oct_regions Not in: 0 17 oct_regions In: 2 10 oct_regions In: 2 Alloc Treatment: 0 Obs: 7724
Leaf 21: oct_children <= 0.500 oct_regions Not in: 0 17 oct_regions In: 2 10 oct_regions Not in: 2 Alloc Treatment: 0 Obs: 6360
Leaf 30: oct_children <= 0.500 oct_regions Not in: 0 17 oct_regions Not in: 2 10 oct_regions In: 19 Alloc Treatment: 0 Obs: 6335

Leaf 31: oct\_children <= 0.500 oct\_regions Not in: 0 17 oct\_regions Not in: 2 10 oct\_regions Not

in: 19

Alloc Treatment: 0 Obs: 7342

Leaf 40: oct\_children > 0.500 oct\_regions Not in: 17 19 oct\_regions In: 0 10 oct\_regions In:

0

Alloc Treatment: 0 Obs: 10617

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Leaf 41: oct\_children > 0.500 oct\_regions Not in: 17 19 oct\_regions In: 0 10 oct\_regions Not

in: 0

Alloc Treatment: 0 Obs: 11175

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Leaf 50: oct\_children > 0.500 oct\_regions Not in: 17 19 oct\_regions Not in: 0 10 oct\_regions In:

2

Alloc Treatment: 0 Obs: 9687

Leaf 51: oct\_children > 0.500 oct\_regions Not in: 17 19 oct\_regions Not in: 0 10 oct\_regions Not

in: 2

Alloc Treatment: 0 Obs: 10180

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NOTE: Splitpoints displayed for ordered variables are midpoints between observable values (e.g., 0.5 for a variable with values of 0 and 1).

### Section 3.2: Optimal Policy: Evaluation of Allocation(s)

Main evaluation results.

Note: The output files contain relevant additional information, like a descriptive analysis of the treatment groups. Also Qini-like plots are produced and saved in the same location as the text output. Those plots compare the optimal allocation to a reference allocation (3 allocations are used as such reference allocations, if available: (i) observed, (ii) random, (iii) the treatment with the highest ATE is allocated to everybody). They show the mean welfare when an increasing share of observations (starting with those who gain most from the optimal allocation compared to the reference allocation) is allocated using the optimal allocation rule.

### Evaluation of treatment allocation

Allocation	Share of 0 in %	Share of 1 in %
All Policy Tree	100.0	0.0
All observed	91.05	8.95
All random	91.13	8.87
All best ATE	100.0	0.0
Switchers Policy Tree	100.0	0.0
Switchers random	50.25	49.75

Switchers best ATE 100.0 0.0

Note: Allocation analysed is the SAME as the one obtained from the training data.

### Evaluation of treatment allocation

Allocation	Share of 0 in %	Share of 1 in %
All Policy Tree	100.0	0.0
All observed	90.9	9.1
All random	91.33	8.67
All best ATE	100.0	0.0
Switchers Policy Tree	100.0	0.0
Switchers random	51.32	48.68
Switchers best ATE	100.0	0.0

Note: Allocation analysed is DIFFERENT from the one obtained from the training data.