

# QGDsolver: open-source framework for development of gas and liquid models based on regularized equations

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- ① Motivation
- ② QGD/QHD approach
- ③ Current state of development
- ④ OpenFOAM framework for QGD equations
- ⑤ Verification and Validation
- ⑥ Closure

## Interdisciplinary

Involves resolution of different phenomena

## Multiscale

Allows to resolve spatial and temporal scales with magnitude different in orders of magnituded

## Scalable

Allows to use various computational systems (MPI, GPU, OpenMP, etc)

## Multidimensional

Account for temporal, spatial changes and variation in physical parameters

*Modern computational general purpose libraries contain solution to at least 3 of 4 demands: they are Interdisciplinary, Multiscale and Scalable*

1 process or phenomenon per model

- ✓ Multiscale
- × High implementation costs
  - methods and libraries coupling costs
  - different parallel execution algorithms
- × Probably high computational costs
- × Problems with scalability
- ✓ High accuracy due to tailored methods
- ⇒ good for refinement

1 numerical approach to all phenomena

- ✓ fast implementation
- ✓ single parallel execution algorithm
- ✓ scalability
- × lack of accuracy
- × problems with multiscale simulations
- × sometime lack of convergence
- ⇒ good for first estimate

- Elmer (FEM)
- OpenFOAM (FVM)
- Phoenix (FEM)
- SU2 (FVM)
- Basilisk (FVM)
- MOOSE (FEM/DG)

- Quasi-mathematical language for models definition
- Simplified abstraction over MPI standard
- Successfull example of interdisciplinary libraries:
  - Fluid-structure interaction
  - Conjugate heat transfer
  - Adjoint optimization

- Attractor
- Toroid
- Single droplet
- Compressible subsonic viscous flows

## Needed improvements to solve listed cases

- Tailored (sophisticated) numerical schemes for terms approximation
- Or: the new algorithms - QGD/QHD approach



- applicable to compact FVM computational stencil;
- absence of iterations during time-step;
- simple numerical schemes for convection/diffusion;
- straightforward derivation of numerical algorithms;
- integration with OpenFOAM language for model definition;
- monotonic convergence.

Put equation here

1982 – QGD system derived from Boltzmann equation



Prof. Boris N.  
Chetverushkin

1997 – QGD system formulated as conservation laws



Prof. Tatiana G.  
Elizarova



Prof. Yu. V.  
Sheretov

### From then to now

regularized or sometime Quasi Gas Dynamic (QGD) and Quasi Hydro Dynamic (QHD) equations are extensively used for various flows simulations – incompressible, compressible, multicomponent, magnetohydrodynamic, porous flows, two-phase flows – in Russia, Europe and in Keldysh Institute of Applied Mathematics of the RAS  
<https://keldysh.ru/>

If we regularize the transport equation for  $\alpha$  by following steps:

- 1 integration and averaging of equation over small time interval  $\tau$

$$\langle \alpha \rangle = \frac{1}{\tau} \int_0^\tau \alpha dt$$

- 2 substitution of average values with instant values

$$\langle \alpha \rangle = \alpha + \tau \frac{\partial \alpha}{\partial t}$$

- 3 substitution of first time derivative terms using **original equation**

$$\frac{\partial \alpha}{\partial t} = -\nabla \cdot (\vec{U} \alpha)$$

- 4 neglecton of second time derivatives

$$\tau \frac{\partial^2 \alpha}{\partial t^2} = 0, \tau^2 = 0$$

we can get new smoothed equation with controllable introduced diffusion.

## Advantages of QGD algorithms

- they can work without flux limiters
- they converge monotonically to real solution
- they do not involve Rieman-solvers
- the procedure of approximation is universal for all types of flows
- they can be integrated with other OpenFOAM models
- by contrast to PISO/SIMPLE they don't involve non-orthogonal or pressure-velocity correctors
- all abovementined features make QGD algorithms a useful tool for studying transient flows phenomena

## Drawbacks of QGD algorithms

- they are usually slower (3-4 times) than conventional PISO or Godunov-type methods
- additional conditions are imposed for stability criteria
- they require finer grids and smaller time steps in comparison with PISO algorithm for advection-dominated flows

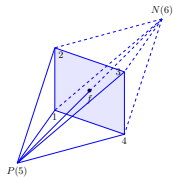


Figure 1: Geometrical scheme of stencil for numerical computation of partial derivatives on finite volume face  $f$ :  $P$  denotes center of cell to which normal of  $f$  points outward,  $N$  denotes center of cell to which normal of  $f$  points inward

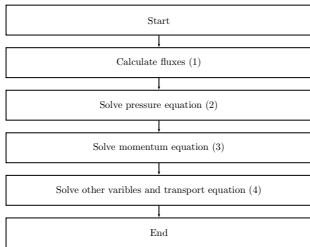


Figure 2: QHD algorithm flowchart

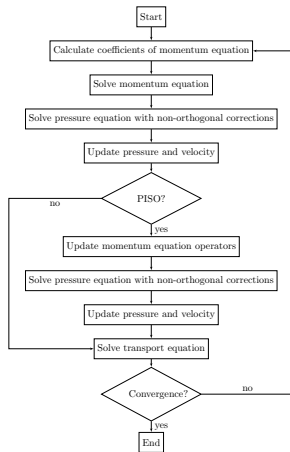


Figure 3: PIMPLE algorithm flowchart

According to stated advantages and drawbacks of QGD algorithms, they could be useful to:

- scientists, who want to solve complex set of equations, but still haven't elaborated PISO/SIMPLE or Godunov-type procedure
- researches or engineers who want to validate other methods and programs and numerical models, but they don't have analytic solution
- engineers, who want to simulate complex transient flows which could not be reproduced by PISO/SIMPLE algorithms

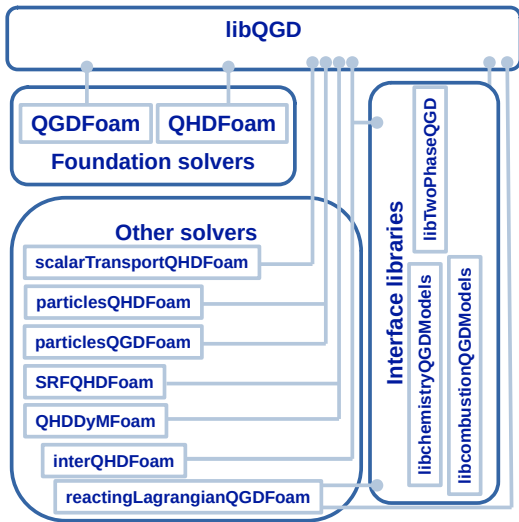
The QGDsolver framework is based on OpenFOAM+ technology and includes:

- Numerical simulation solvers for various types of flows based on the regularized equations
- $\tau$ -terms approximation library for calculation of partial derivatives on mesh faces
- Boundary conditions, QGD coefficients library
- Interfaces to some standard OpenFOAM libraries
- Tutorials

Source code stores at GitHub:

<https://github.com/unicfdlab/QGDsolver>

- Branches “digitef-dev-ABCD” are for OpenFOAM+ ver. ABCD
- Latest OpenFOAM version is OpenFOAM+ ver. 1912
- Releases are also available



- Each solver implementing QGD algorithm must use libQGD library
- Two foundation solvers *QGDFoam* and *QHDFoam* show essential principles of QGD-algorithms
- Other solver could be regarded as combination of foundation algorithms and OpenFOAM models
- Interface libraries are used to connect QGD solver to OpenFOAM models when interfaces have changed



## People

- Prof. Tatiana G. Elizarova
- Maria A. Istomina
- Tatiana V. Stenina
- Daniil A. Ryazanov
- Andrey S. Epikhin
- Alexander V. Ivanov
- Kirill A. Vatutin
- Matvey V. Kraposhin

## Institutions

- Keldysh institute for Applied Mathematics of the RAS
- Ivannikov Institute for System Programming of the RAS

## Miscellaneous solvers

- Mesh motion and reference frame rotation
  - QHDDyMFoam
  - SRFQHDFoam
- Transport phenomena
  - scalarTransportQHDFoam
  - mulesQHDFoam
- Flow with particles
  - particlesQGDFoam
  - particlesQHDFoam
- Multicomponent and multiphase flows
  - reactingLagrangianQGDFoam
  - interQHDFoam

## Foundation solvers

- QGDFoam – all Mach numbers compressible viscous flow of perfect gas
- QHDFoam – incompressible viscous flow with buoyancy

## 0/ folder

- Since all solvers use thermophysical libraries, at least 3 fields are needed to be specified in "0" folder: "T", "U", "p"

## constant/ folder

- Thermophysical libraries are used through interfaces: hePsiQGDTHERMO instead of hePsiThermo, heRhoQGDTHERMO instead of heRhoThermo
- QGD regularization parameters are set in subdictionary "QGD" of thermophysicalProperties dictionary

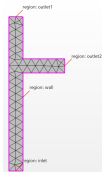
## system/ folder

- Approximation scheme for  $\tau$ -terms is set in the "fvsc" subdictionary of fvSchemes dictionary
- Proportionality between maximum time step and  $\tau$  is controlled via *Ctau* keyword of controlDict dictionary

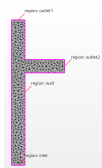
- Various Riemann problems,
- backward facing step, forward facing step
- cavity flows: square cavity, skewed cavity
- nozzle flows
- tee-junction flow
- free-surface flows (steady droplet, filament collapse, etc)
- detonation combustion (with MELGUIZO GAVILANES Josue)
- flows over airfoils, blunt bodies

**2D unstructured mesh**

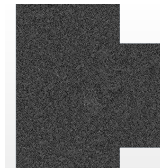
P1 – 106 cells



P4 – 590 cells



P8 – 369,318 cells

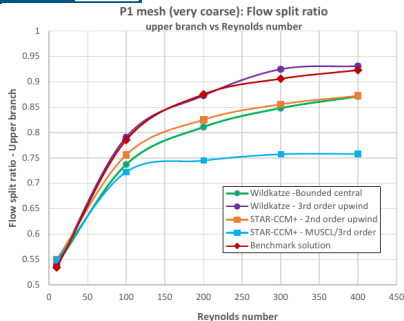


Mesh files were received along with the problem definition.

24-09-2020

Digital Solutions Inc. Japan

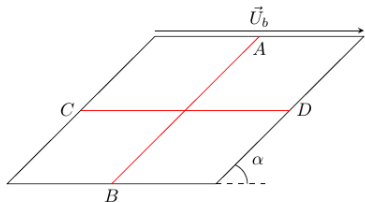
- Reynolds numbers for t-junction: 10, 100, 200, 300, 400
- Compared meshes: P1, P4



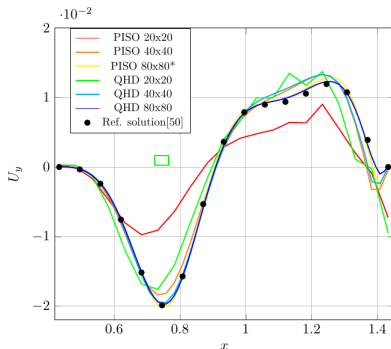
QHD behaves somewhat similar to MUSCL of STAR-CCM or van Albada of OpenFOAM

## QHD results

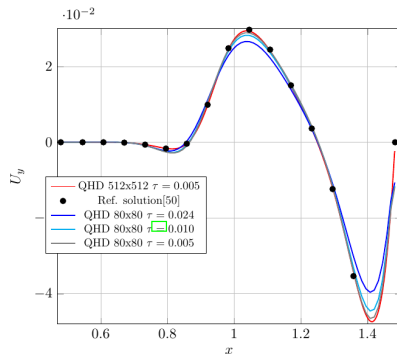
Re	Benchmark	P1, Tau=0.01	P1, Tau=0.02	<b>P1, Tau=0.1</b>	P1, Tau=0.5	P4, Tau=0.01	P4, Tau=0.02	<b>P4, Tau=0.1</b>	P4, Tau=0.5*
10	0.5344	1.85%	1.88%	<b>2.07%</b>	2.70%	1.00%	0.95%	<b>0.58%</b>	0.50%
100	0.7853	7.01%	6.97%	<b>6.68%</b>	4.89%	2.59%	2.47%	<b>1.32%</b>	3.94%
200	0.8755	11.41%	11.20%	<b>10.02%</b>	3.88%	3.77%	3.53%	<b>1.09%</b>	12.16%
300	0.9062	11.56%	11.13%	<b>9.11%</b>	2.06%	3.44%	3.07%	<b>0.50%</b>	41.60%
400	0.9232	11.77%	11.11%	<b>7.76%</b>	12.31%	3.00%	2.54%	<b>2.07%</b>	16.28%



QHD algorithm doesn't employ any loops, even for non-orthogonality correction

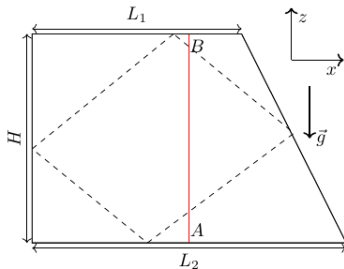


$\alpha = 30^\circ, Re = 1000$

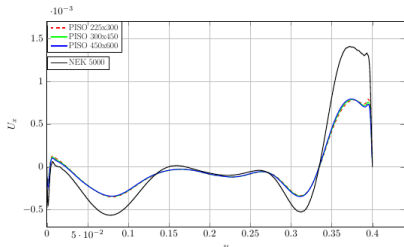


$\alpha = 15^\circ, Re = 1000$

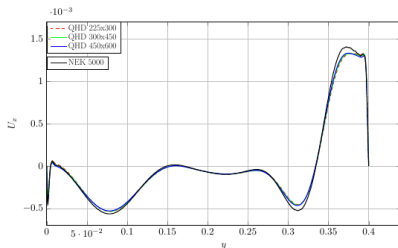
## Internal wave attractor



- The default implementation of PISO algorithm doesn't reproduce the attractor
- The modified PISO converges to different solution

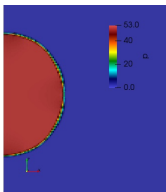


PISO algorithm



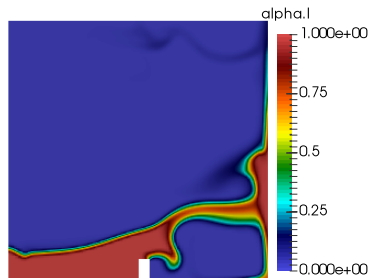
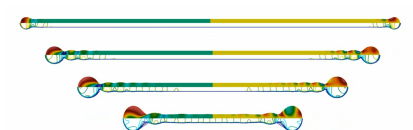
QHD algorithm





3D simulation can be viewed on  
YouTube

[https://youtu.be/fqqSXh5t\\_38](https://youtu.be/fqqSXh5t_38)

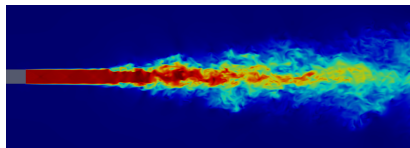
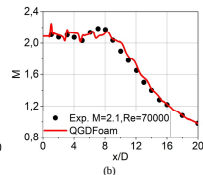
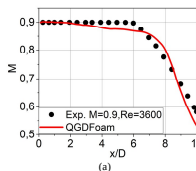
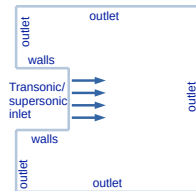


Two free jets of perfect gas with  $\gamma = 1.4$  were considered:

- ①  $Re = 3600$
- ②  $Re = 70000$

QGD settings was:

- $\alpha^{QGD} = 0.15$ ,  $Co^{max} = 0.15$
- $Sc^{QGD}$  was gradually reduced from 1 at the start to 0 at the end of calculation
- Ostrogradsky-Gauss approximation of  $\tau$ -terms
- laminar model for  $Re = 3600$  was used
- Smagorinsky model for  $Re = 70000$  was used
- Computational mesh with 33 mln cells was used in both cases



QGDsolver github page

<https://github.com/unicfdlab/QGDsolver>

QGDsolver telegram group

[https://t.me/qgd\\_qhd](https://t.me/qgd_qhd)

QGDsolver Training Tracks

- <https://github.com/unicfdlab/TrainingTracks/tree/master/OpenFOAM/QHDFoam-OFv1912>
- QGDFoam track is under development

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