

planning by forward search

start with an empty policy (no action assigned to states)

expand one state at time



empty policy, expanding a policy

empty policy: $\{\}$

try an action for the initial state: $\{(\emptyset, a)\}$

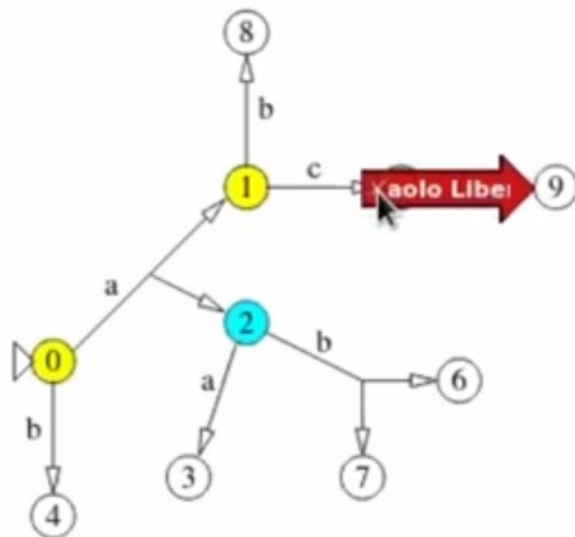
repeat for the states resulting from executing a in \emptyset

try another action for the initial state: $\{(\emptyset, b)\}$

try yet another, etc.



partially expanded policy



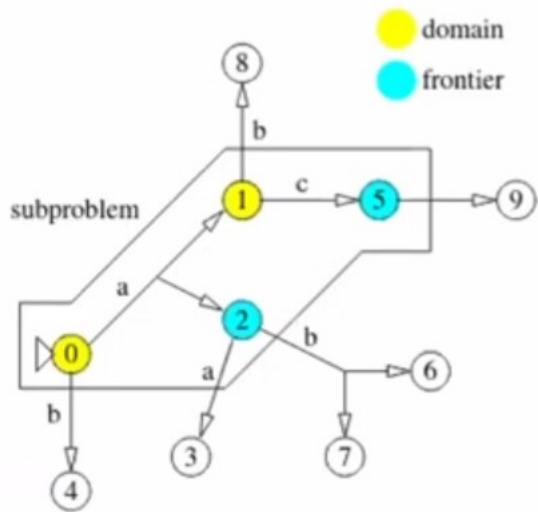
decisions taken so far:

in \emptyset execute a

in 1 execute c

policy: $\{(\emptyset, a), (1, c)\}$

domain, subproblem, frontier

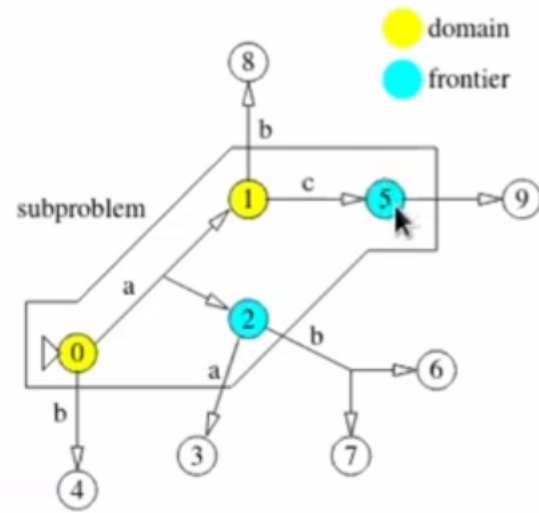


yellow nodes 0 and 1
policy has decided what to do here
domain of the policy

polygon
states and actions in the policy, including resulting states
subproblem

cyan nodes 2 and 5
policy arrived there, but has not yet decided what to do there
frontier

where to expand a policy

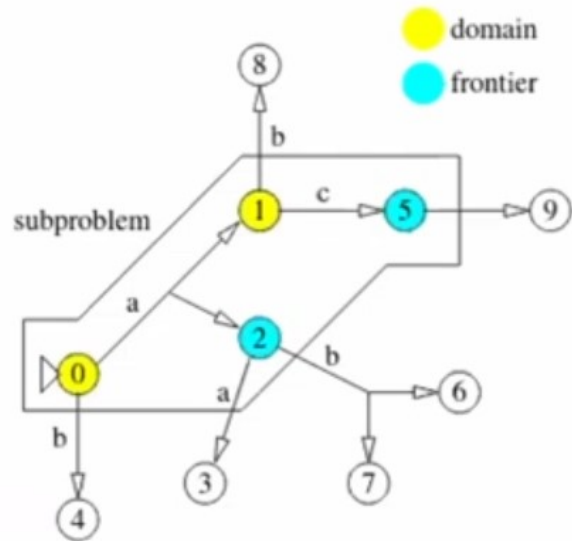


states in the domain (yellow): action to execute already decided

states outside the subproblem (white): still not known if policy will ever arrive there

remain: states in the frontier (cyan)

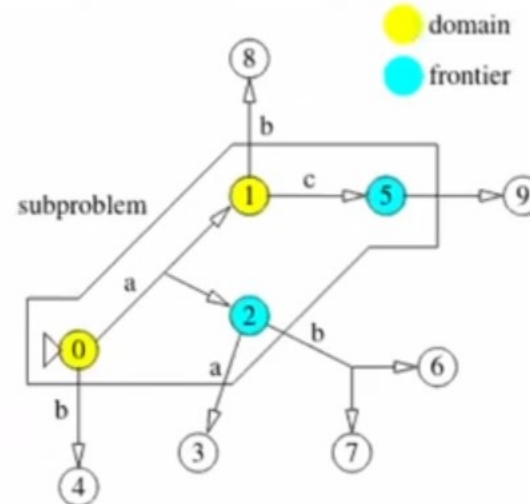
expanding a policy



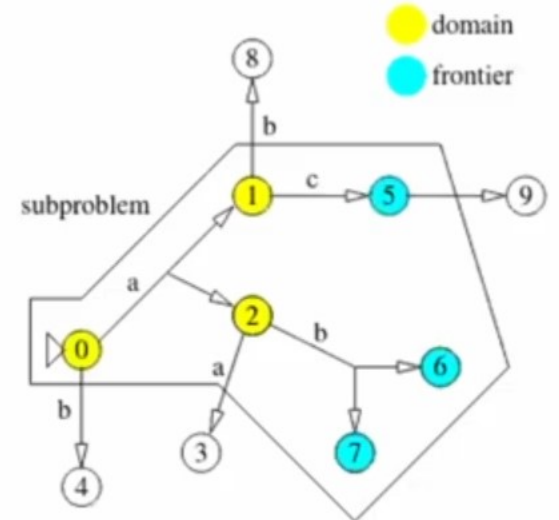
choose a node in the frontier, for example 2
choose an action, in this case either a or b
for example, b

expanded policy

choose b as the action to execute in 2:



old policy: $\{(\emptyset, a), (1, c)\}$
new policy: $\{(\emptyset, a), (1, c), (2, b)\}$



when to stop?

the frontier includes a goal state

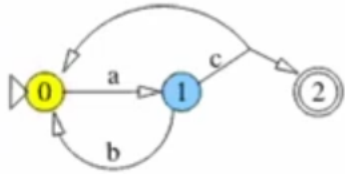
weak solution

the frontier is made of all goal states

strong solution, **maybe**

not all cycles are made equal

example of a partially expanded policy:



what to do in 0 is already decided (do a)

what to do in 1?

do b

the cycle can never be escaped

$0 \xrightarrow{a} 1 \xrightarrow{b} 0 \xrightarrow{a} 1 \xrightarrow{b} 0 \rightarrow \dots$

do c

the cycle may lead back or not
for example:

$0 \xrightarrow{a} 1 \xrightarrow{c} 2 \text{ [goal]}$



what to do on cycles

overall algorithm:

- choose an action for a frontier state
- expand the policy
- repeat

if the expansion makes an unescapable cycle enters the policy, choose another action

if no more actions to try, backtrack

if searching for a strong policy: do it also for escapable cycles

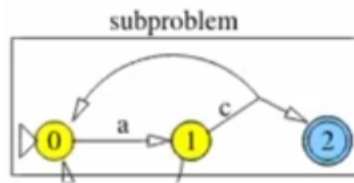
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```
expand(policy) {  
  choose a node N in the frontier  
  for every action A executable in N {  
    if (expand(policy + {N,A}) == found)  
      return found;  
  }  
  return notfound;  
}
```

cycles in the problem and cycles in the subproblem

do not worry about cycles in the problem
even if they are only made of states in the domain



the cycle $a-b-a-b-\dots$ is irrelevant
not in the **subproblem**

the cycle $a-c-a-c-\dots$ is relevant
is in the subproblem

the frontier $\{3\}$ is made only of goal states, but the solution is only strong, not strong acyclic