

1.先开方分解n， 求出pq

```
1 p1,s=gmpy2.iroot(n,2)
2 q=gmpy2.next_prime(p1)
3 p=n//q
```

2.利用威尔逊定理， 通过补位的方式， 求出c1, c2

```
1 for i in range(p-x+1,p-1):
2     c1=(c1*i)%p
3 for i in range(q-y+1,q-1):
4     c2=(c2*i)%q
```

3.分别求出m1, m2后， 利用中国剩余求出明文

```
1 dp=libnum.invmod(p,q-1)
2 dq=libnum.invmod(q,p-1)
3 m1=pow(c1,dp,q)
4 m2=pow(c2,dq,p)
5 m=libnum.solve_crt([m1,m2],[q,p])
6 print(libnum.n2s(int(m)))
```

脚本全文：

```
1 n=
897311172704383526807303078615487268069837304377930913315276140803616804032479061062987
8698254512273043461353358713176585944330401628782665897826660934613
2 c1= 64284764317119422373346563850463475291505287640187549432070954036621825864368
3 c2= 9536794169507209829892131704431419340244159120365249097190319866115295918289
4
5 x=2293
6 y=2999
7
8 import gmpy2
9 import libnum
```

```
10
11 p1,s=gmpy2.iroot(n,2)
12 q=gmpy2.next_prime(p1)
13 p=n//q
14
15
16 for i in range(p-x+1,p-1):
17     c1=(c1*i)%p
18 for i in range(q-y+1,q-1):
19     c2=(c2*i)%q
20
21 dp=libnum.invmod(p,q-1)
22 dq=libnum.invmod(q,p-1)
23 m1=pow(c1,dp,q)
24 m2=pow(c2,dq,p)
25 m=libnum.solve_crt([m1,m2],[q,p])
26 print(libnum.n2s(int(m)))
```