



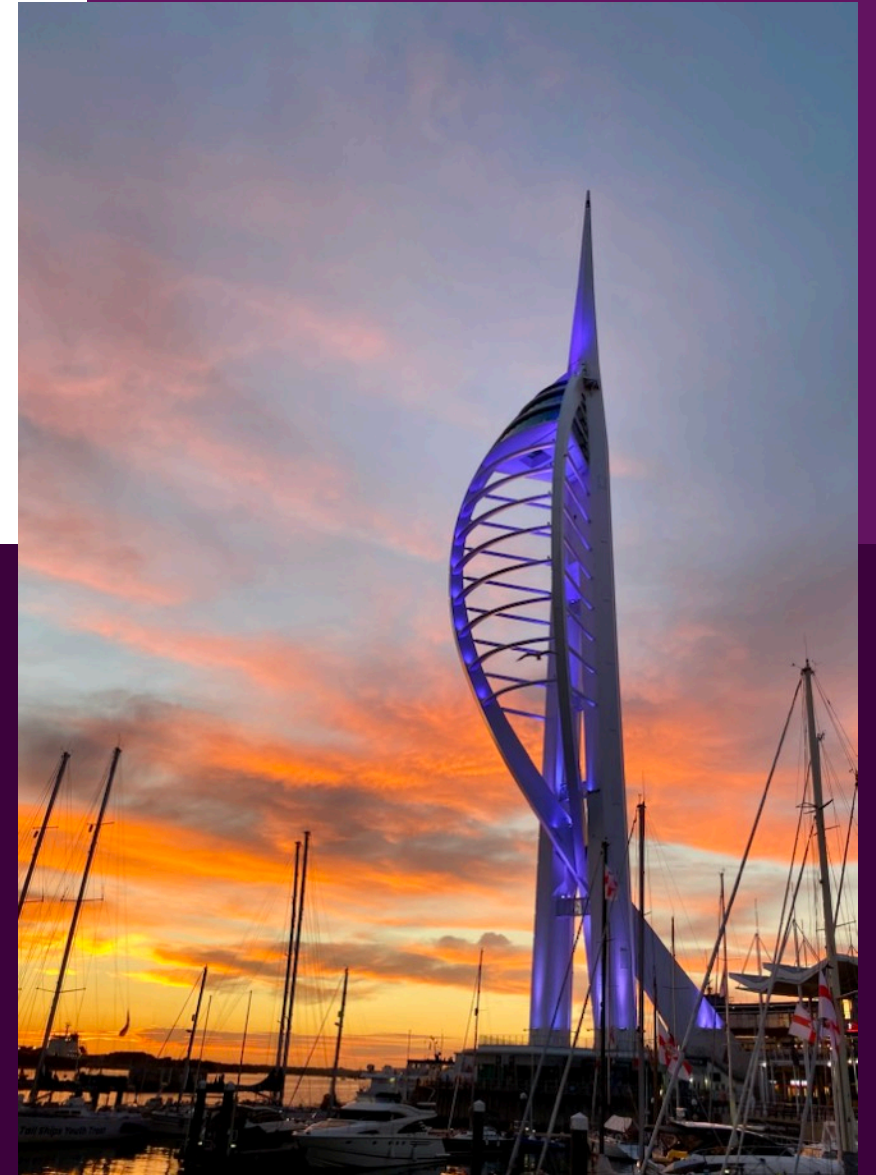
UNIVERSITY OF  
PORTSMOUTH

# Intro to Machine Learning

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Thanks to: Becky Canning

Institute of Cosmology and Gravitation



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# What is AI and ML?

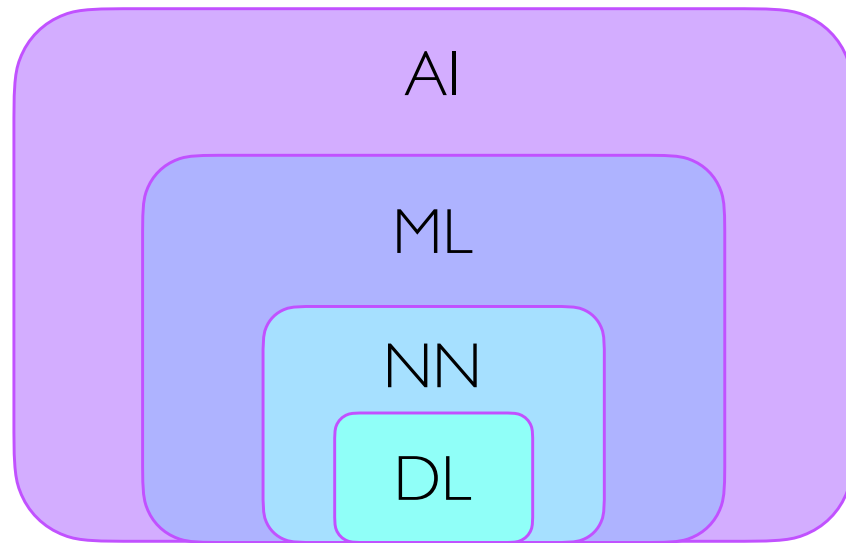
- All machine learning is AI, but not all AI is machine learning
- Artificial Intelligence is a catch-all term for any program that can turn information into a decision without active human input.
- In the most basic form, it is a series of if-then-else statements
  - e.g. `IF temperature<16 THEN turn_on_heating`
- The central heating will then work with further input.
  - But we can all agree this is rudimentary!

# A brief history

- 1943 - A mathematical model for neurons
- 1950 - The Turing Test - Can machines think?
- 1955 - First mention of 'AI'
- 1960's - Expert systems and symbolic AI
- 1960's - First connected neuron system in code but without an optimiser
- 1986 - First learning algorithm for connected neuron systems
- 1998 - First Convolutional Neural Network

# The Jargon (as we understand it today)

**Artificial Intelligence:** The science or engineering discipline which deals with machines which can mimic human cognition, decision making or perception.



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**Artificial Intelligence:** The science or engineering discipline which deals with machines which can mimic human cognition, decision making or perception.

Any 'rules'  
statements

If ... then ...  
statements

Symbolic AI

And others ...

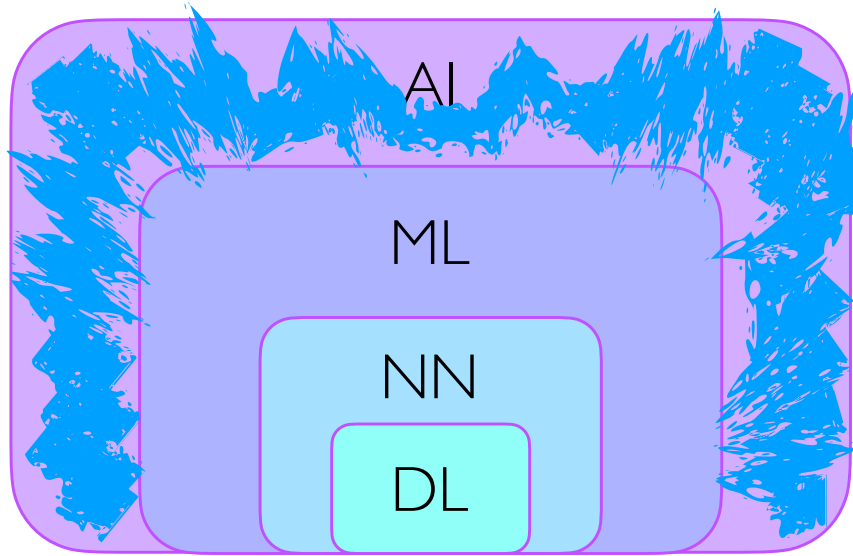
Good Old  
Fashioned AI  
(GOFAI)



Human hard codes rules in code

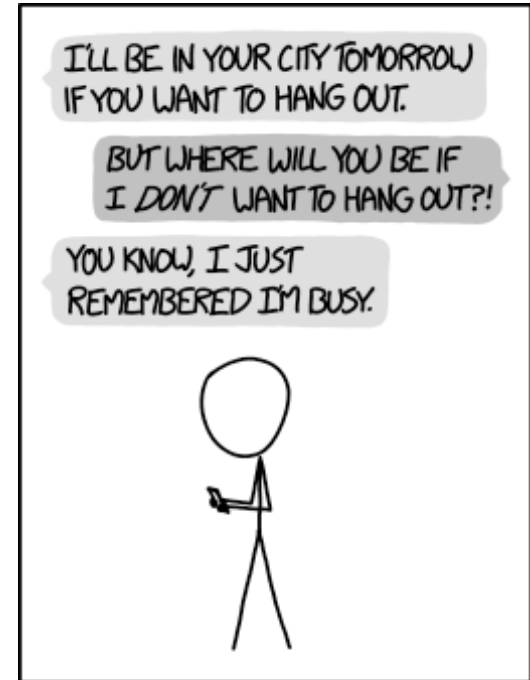
Preconceptions are hard coded into the machine

How do we update the rules when we learn  
something new?



Knowledge  
graphs

Expert  
Systems



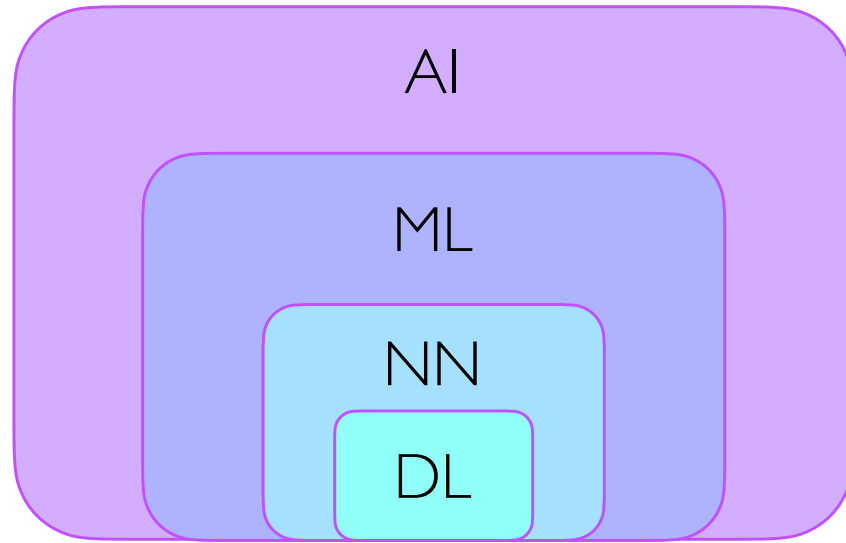
WHY I TRY NOT TO BE  
PEDANTIC ABOUT CONDITIONALS.

# The Jargon (as we understand it today)

**Machine Learning:** Algorithms that can learn from data to produce an inference which was not explicitly coded.

## Preconceptions still exists:

Machines might not be told explicitly what to learn but assumptions are still built in as the machine is told how to learn and/or what to learn from.



TO PROVE YOU'RE A HUMAN,  
CLICK ON ALL THE PHOTOS  
THAT SHOW PLACES YOU  
WOULD RUN FOR SHELTER  
DURING A ROBOT UPRISING.



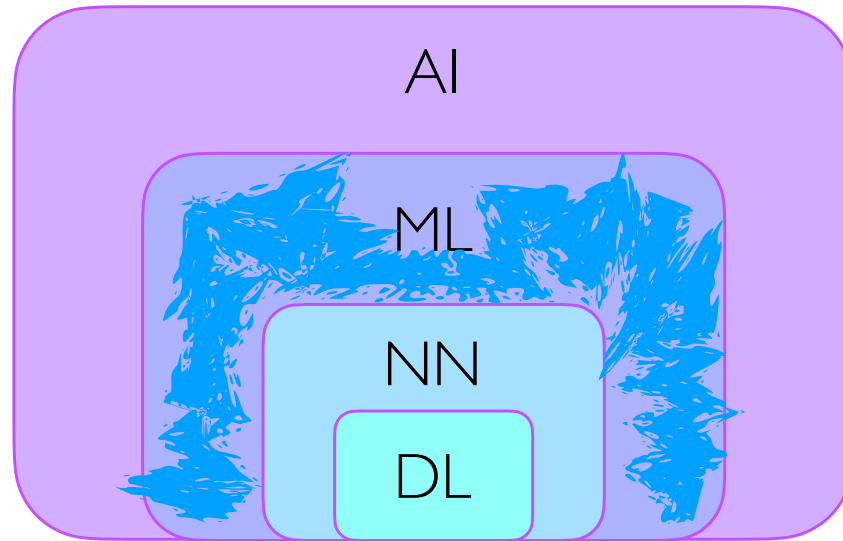
# The Jargon (as we understand it today)

**Machine Learning:** Algorithms that can learn from data to produce an inference which was not explicitly coded.

Bayesian  
non-linear  
regression

Bayesian  
Networks

K-means



Linear regression

Decision trees

Hidden Markov  
Models

Support vector  
machines

And others ...

'Traditional ML' → Great with good quality structured and labelled data

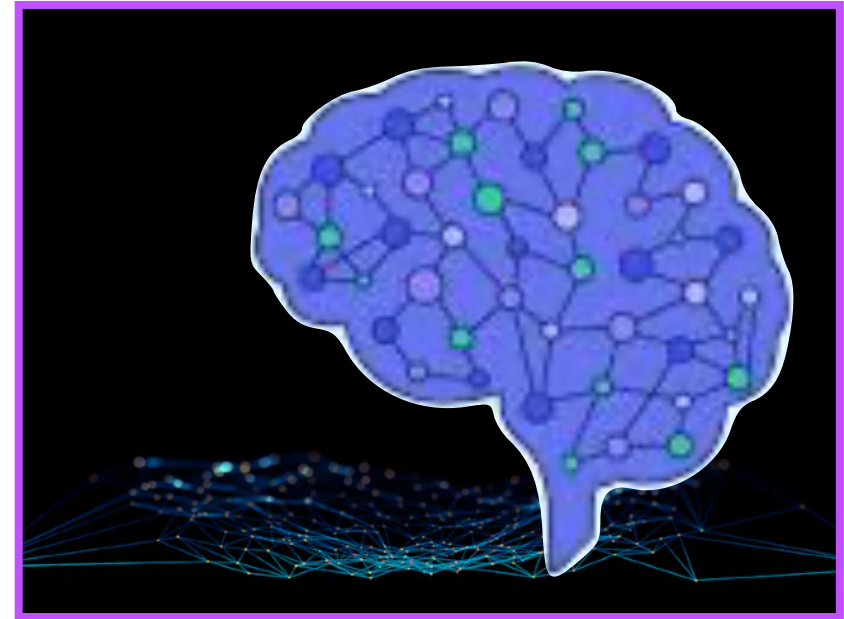
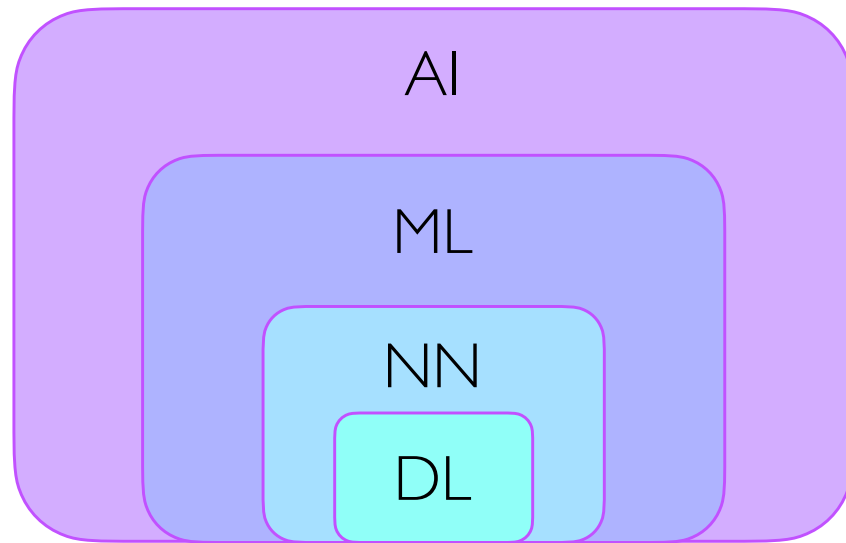
Unstructured data might need the freedom of NN

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# The Jargon (as we understand it today)

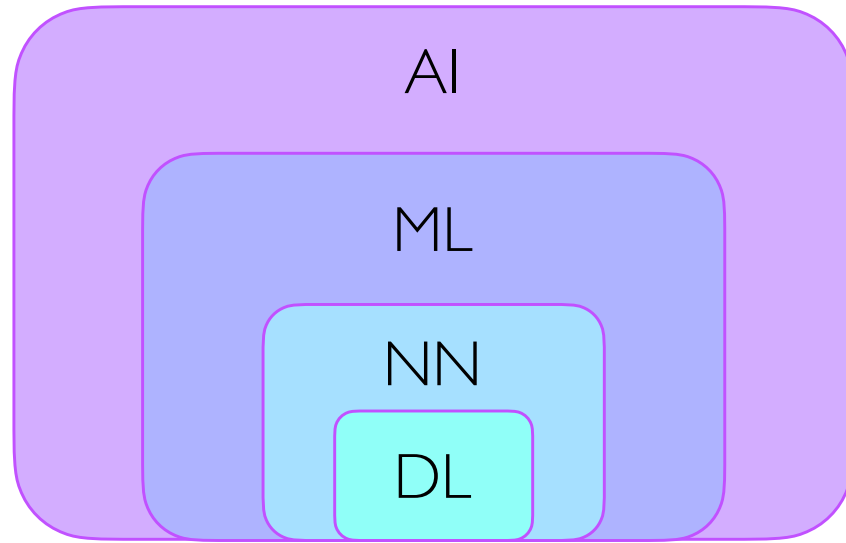
**Neural Network:** A ML approach which is loosely modelled on the human brain by using layers of connected 'nodes'.





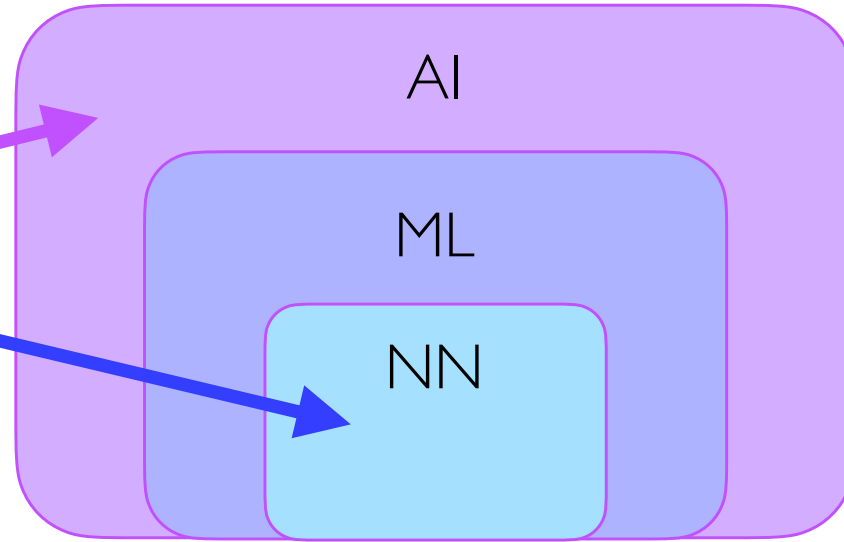
# The Jargon (as we understand it today)

**Deep Learning:** Learning based on the use of a deep (many layered) neural network.



# Types of AI

- Symbolic AI
- Connectionist AI



**Symbolic AI (or GOF AI):** Symbols used as a representation of knowledge; symbols are then connected through list and networks which have hardcoded rules (essentially if/then statements).

- \* Good when you have clear rules
- \* Good when you want code to be easily traceable
- \* Not great when there are huge numbers of rules which would be needed
- \* Not great when you don't know all the rules to code

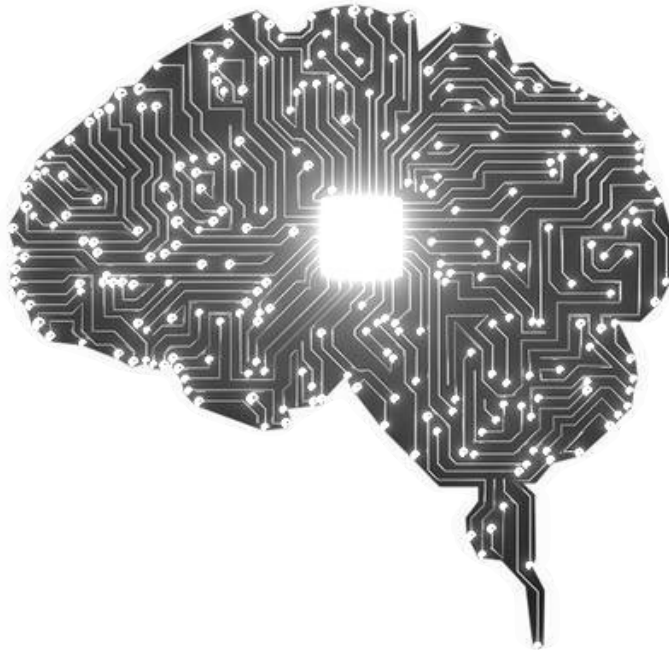
**Connectionist AI:** A network of interconnected layers of nodes is optimised to form an inference.

- \* Good when you have loads of great training data
- \* Not easily understandable

**NOTE: THIS IS NOT ALL THERE IS! You can blend all these techniques (and those mentioned before)**

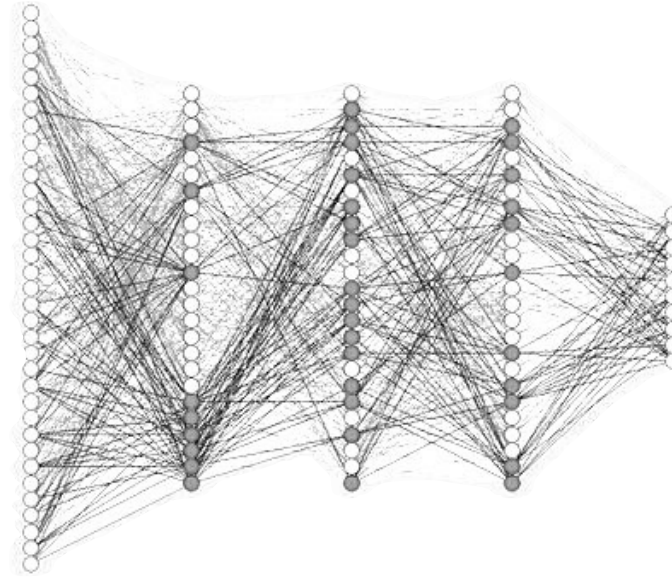
**Explainable AI and Neuro-Symbolic AI (and probably other jargon filled words with 'AI' after it):** Blend the two in an attempt to make AI more explainable, for example using one NN to find patterns in limited circumstances and another trained on question-answer pairs about the first ones classifications such that a human could 'query' the first algorithm.

# Types of AI (Other terms you might hear)



## Strong AI:

- \* Artificial General Intelligence
- \* Artificial Super Intelligence



## Weak AI:

- \* Artificial Narrow Intelligence

This one doesn't really exist...

# How do the Machines Learn?

- Types of learning
  - Supervised
  - Semi-supervised
  - Unsupervised
  - Reinforcement
- What will be used in this course?

# Learning Cheat Sheet

## Supervised

Fully Labelled  
Learning Data

Machine  
compares it's  
guess to the  
labelled values

Regression /  
Classification

## Semi-supervised

Hybrid Labelled  
and Unlabelled  
Data

Machine treats  
loss for labelled  
and unlabelled  
data separately

Regression /  
Classification /  
Clustering

## Unsupervised

Unlabelled  
Learning Data

Machine  
compares it's  
guess to some  
properties of  
the data e.g. it's  
distribution

Clustering

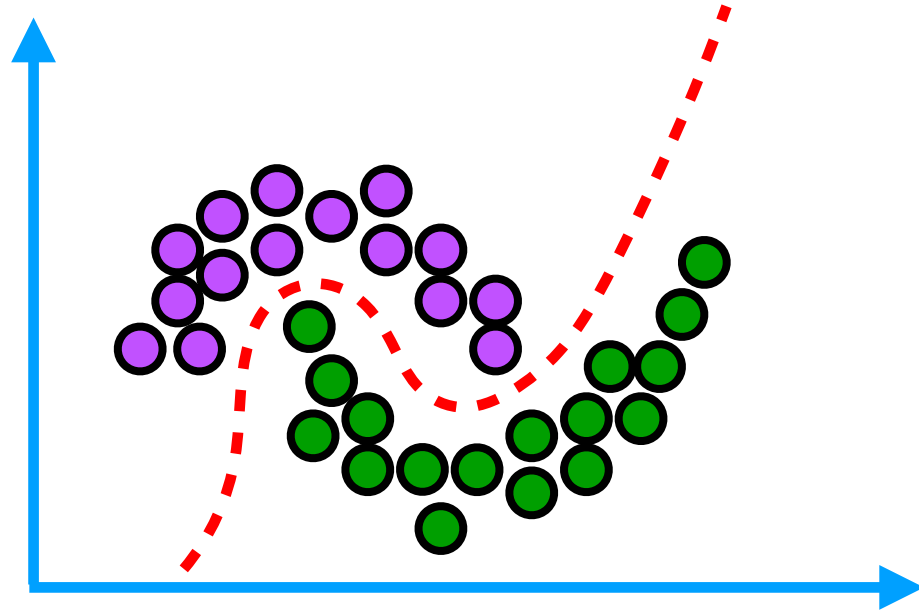
## Reinforcement

Reward upon  
'final action'

Machine learns  
via trial and  
error and  
maximising  
reward  
functions.

Path  
optimisation

# Supervised



## Example with binary classification

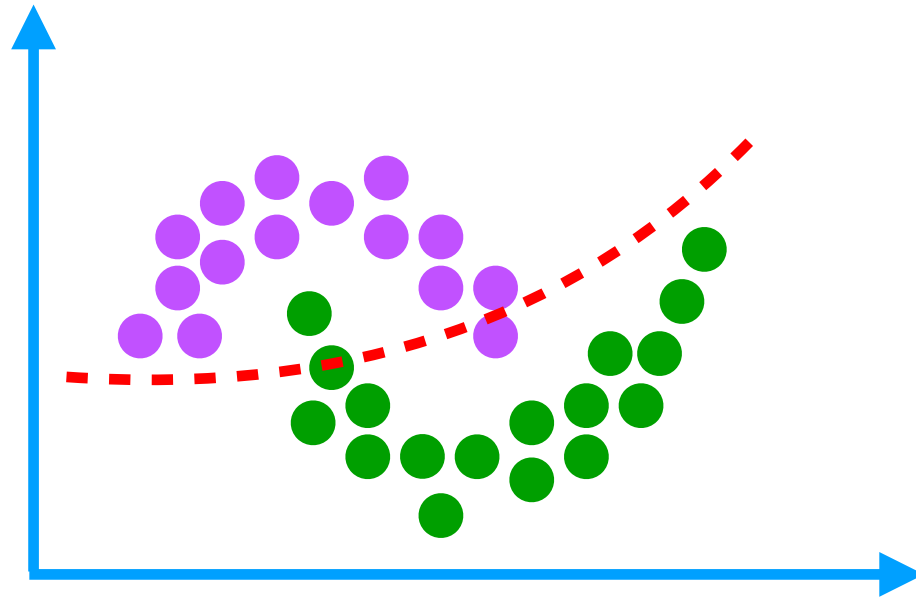
- Two 'moons' datasets (purple and green circles)
- The datasets are all labelled (black circles)
- The algorithm will first initialise a random guess and test against the correct values
- With all data labelled it will quickly learn to draw a decision boundary for the classes

Guess → Compare with **labels** → adjust guess → repeat until metric reached

# Unsupervised

## Example with binary classification

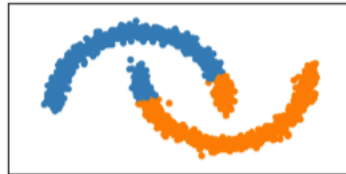
- Two 'moons' datasets (purple and green circles)
- No data are labelled
- The algorithm will first initialise a random guess and test against the inputs themselves
- There are multiple different clustering approaches and flexibility in classes. Some might do better than others...



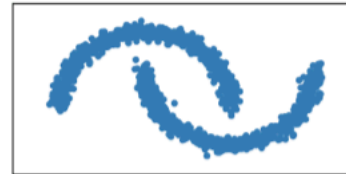
K-Means - Noisy Moons



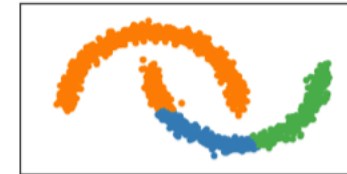
Mean-shift - Noisy Moons



DBSCAN - Noisy Moons



Gaussian Mixture - Noisy Moons

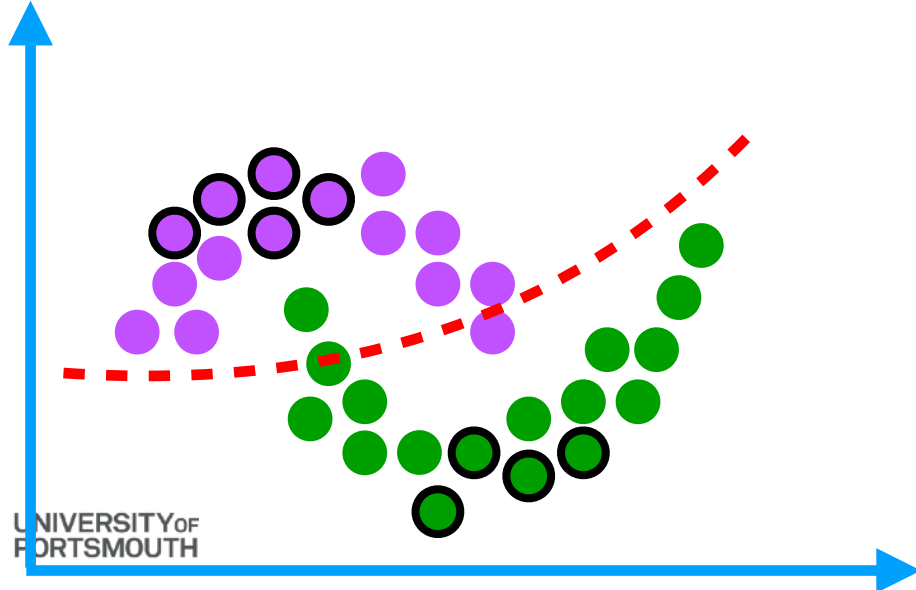
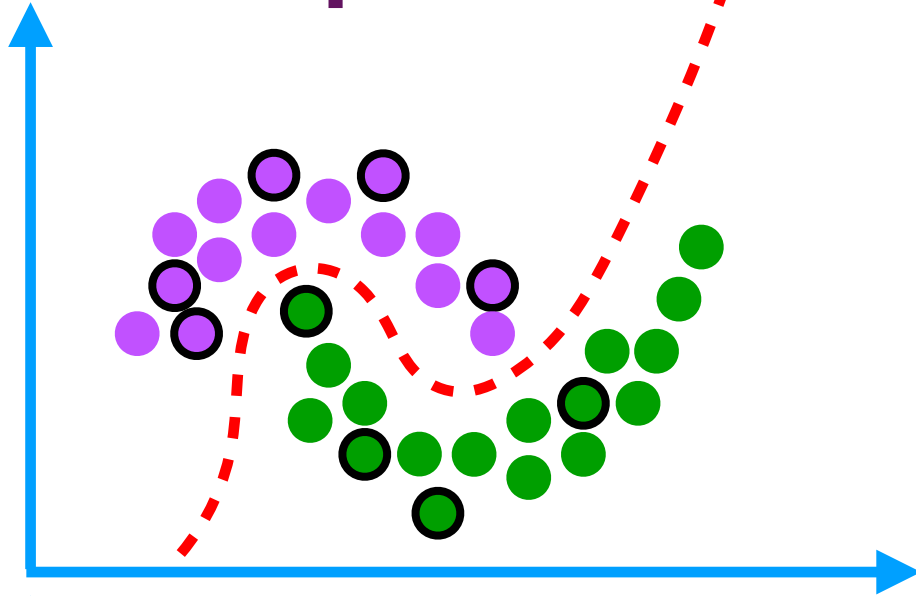


Hierarchical Clustering - Noisy Moons



Guess → Compare with **input** → adjust guess → repeat until metric reached

# Semi-Supervised

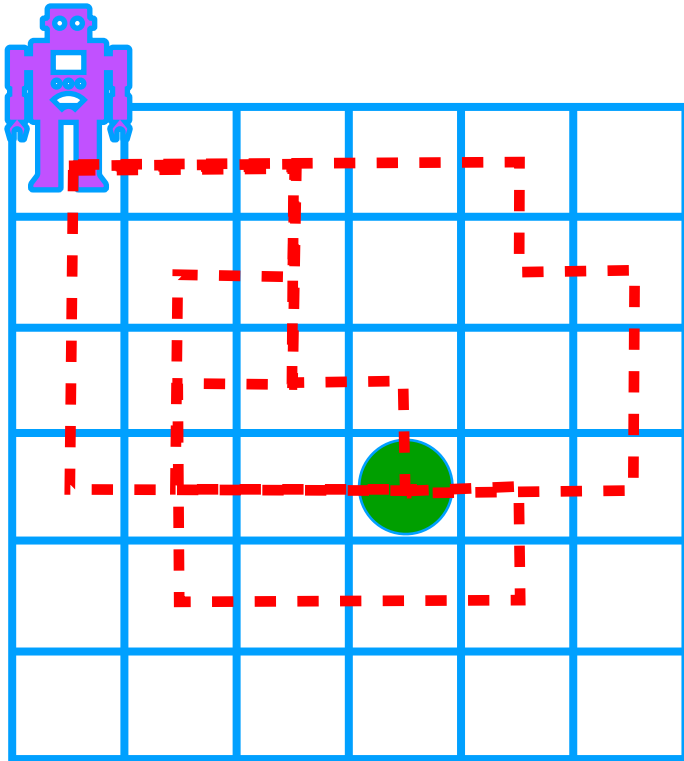


## Example with binary classification

- Two 'moons' datasets (purple and green circles)
- Some datasets are labelled (black circles)
- The labelled and unlabelled data are treated differently
- Result will depend on distribution of labelled data and algorithms chosen for clustering



# Reinforcement

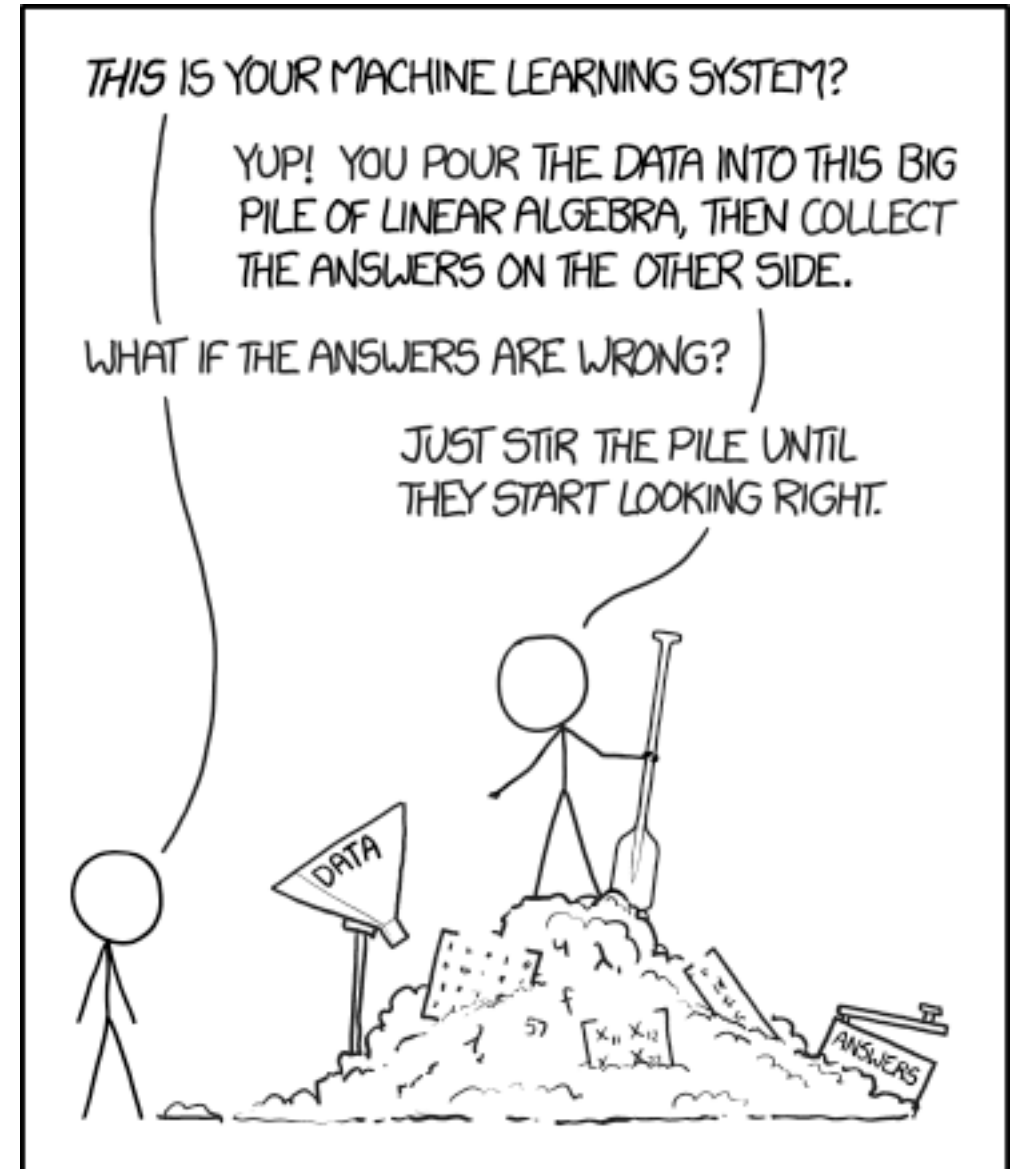


## Example with route finding

- Robot on a grid is trying to optimise a route to the green circle
- No need to label the moves - the reward is only when the robot find the circle
- Once the robot has found it once why would it look for other routes?
- Trade off between exploration and exploitation

# The Maths Behind ML

- The key maths
- How does it all work?
- How to train your dragon
- What do you need to know for this course?

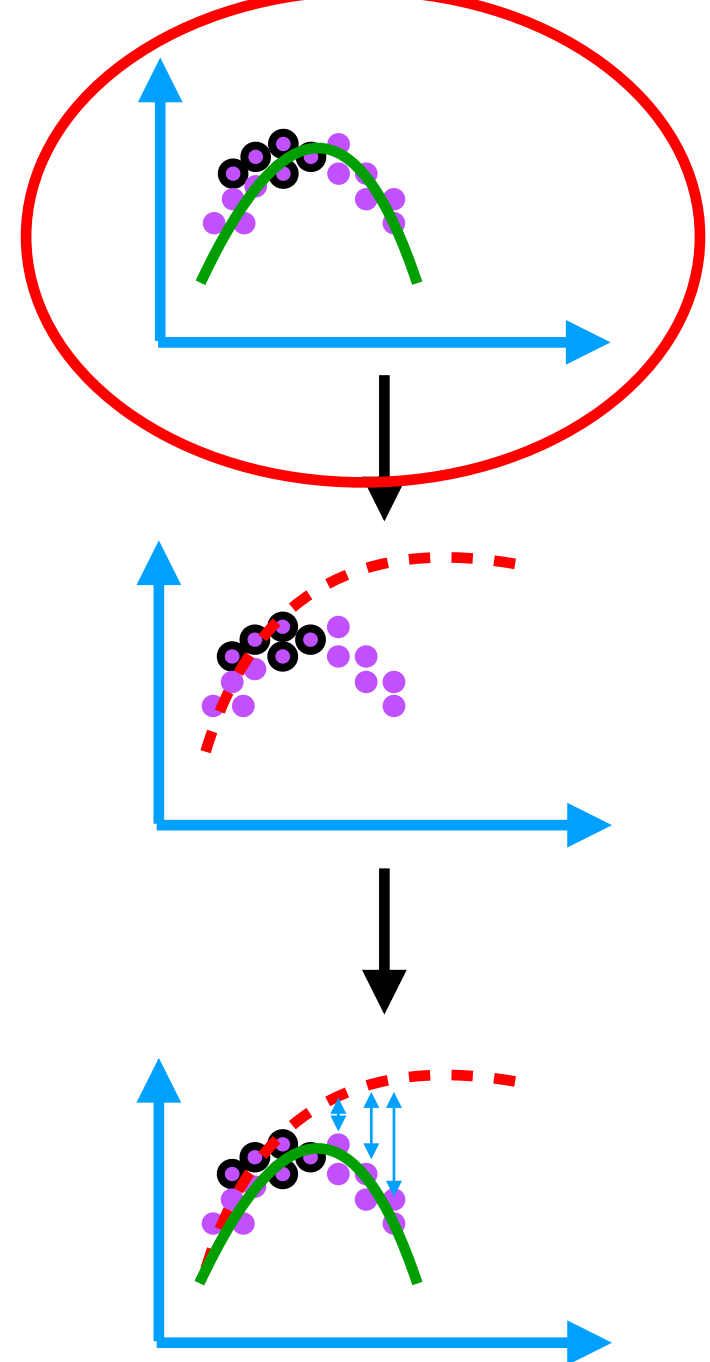


# The key maths

- **Vectors and matrices** - these represent the **inputs, outputs, hidden layers** and how to transform the **parameters** which control the **features** that the algorithm optimises e.g. **weights and biases**. Some traditional ML techniques use distances between vectors or their projection onto lower dimensional planes.
- **Calculus** - this is required to optimise the network. We find derivatives in order to know if we are sitting in a minima or not and to drive the direction of optimisation of the weights, this is called '**gradient descent**'. We use the chain rule to update these derivatives through the network, this is called '**backpropagation**'.
- **Probability** - probability distributions are used often in '**cost**' functions e.g. understanding how far away from an optimal solution we are; in '**activation functions**', that is functions which allow non-linearities; and all probabilistic ML algorithms.

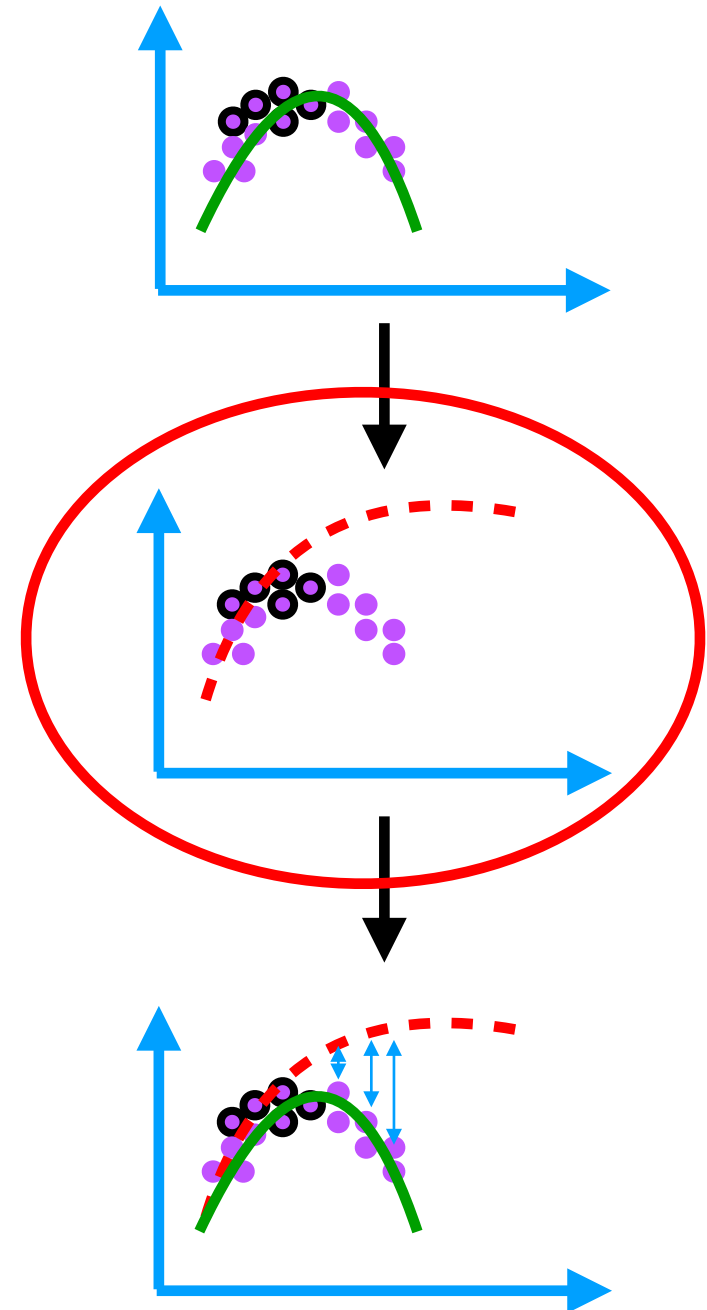
# How does it all work?

- Simple supervised example:
  - Input data with some labelled 'truth'
  - Set up some algorithm with variable parameters
  - Machine takes random guess at parameters
  - Then to see how well it has done it compares the predicted value to the 'true' value (derived from labels or from a distribution of the data).



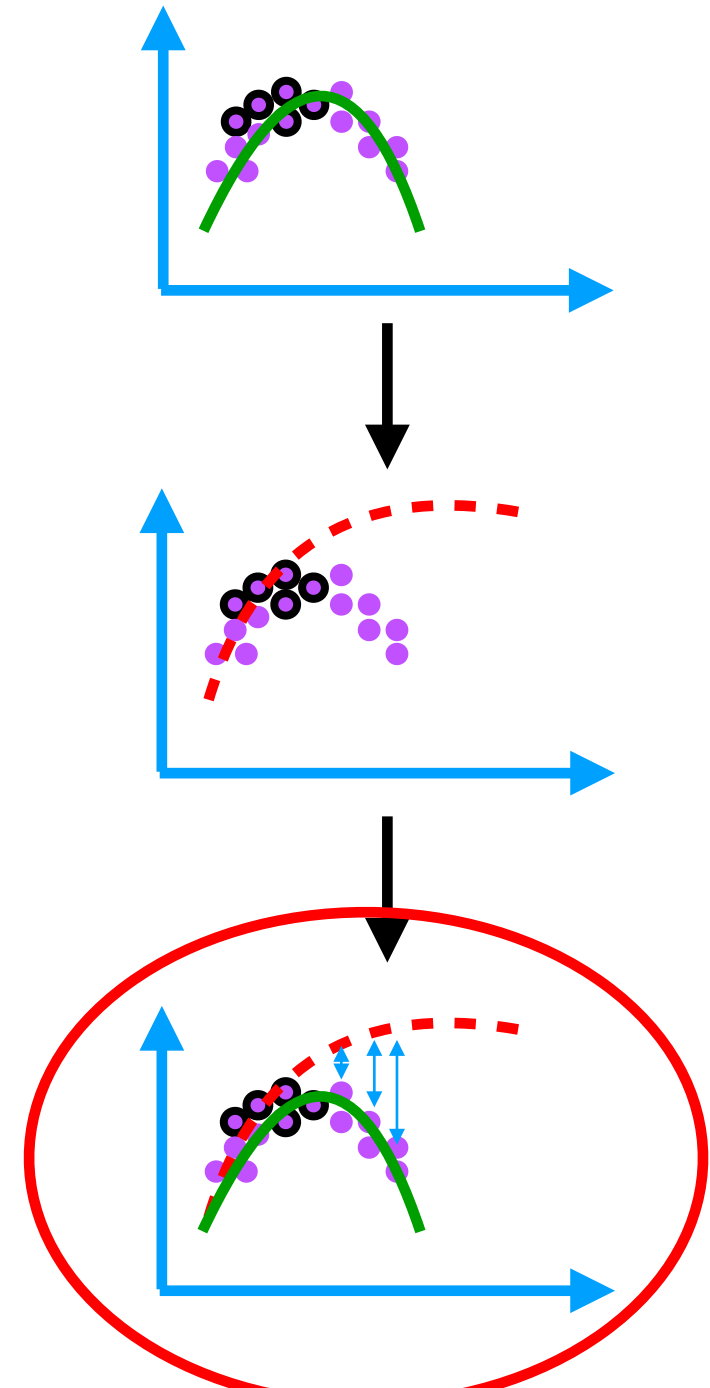
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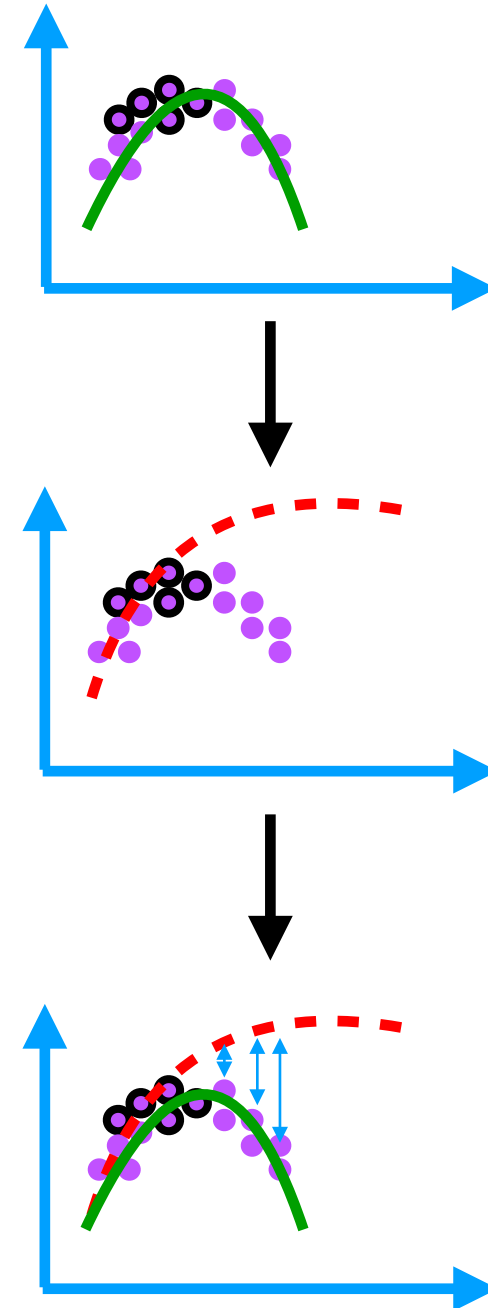
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- Repeat!



# How does it all work?

- Simple supervised example:
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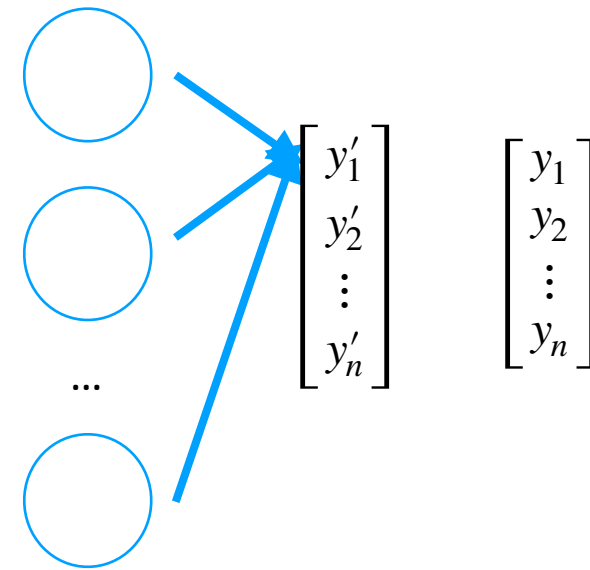
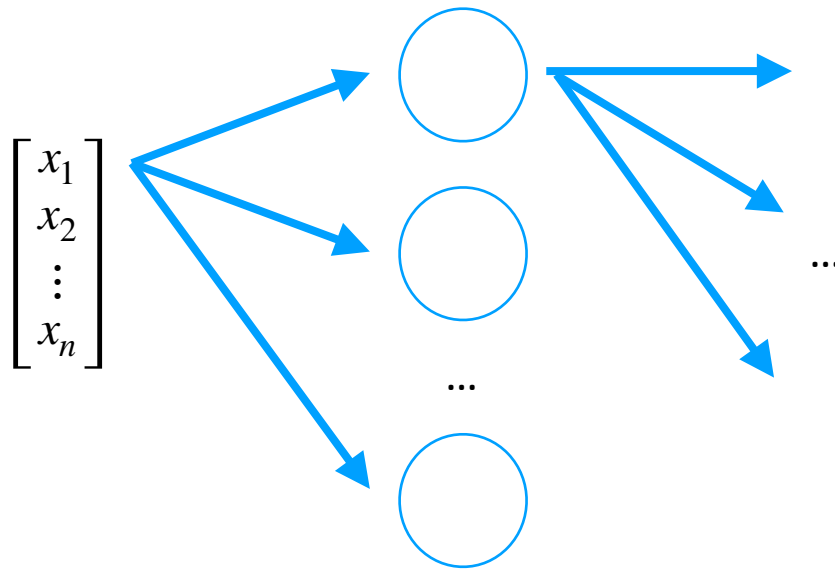




# How does it all work?

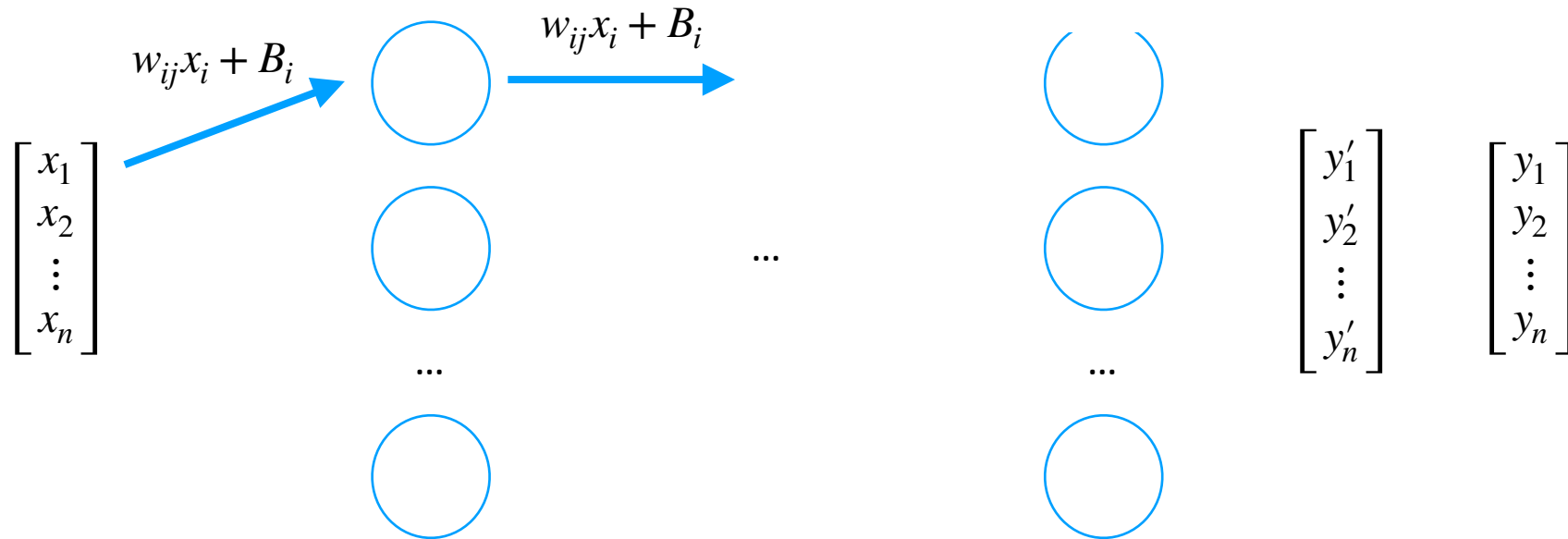
- Simple supervised example:
  - Set up **some algorithm** with variable **parameters**

What will your network look like?  
What maths will be used to connect it?



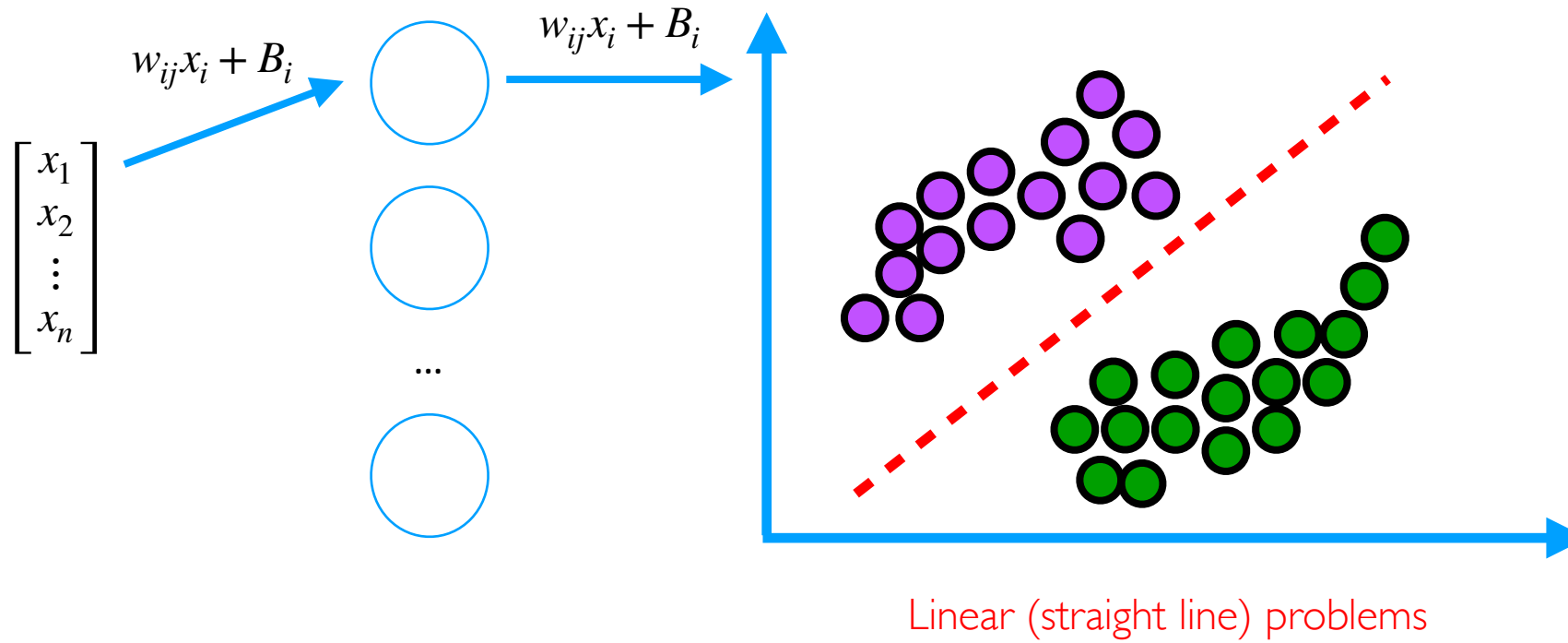
# How does it all work?

- Simple supervised example:
  - Set up **some algorithm** with variable **parameters**    Weights:  $w_{ij}$  , Bias:  $B_i$  ,



# How does it all work?

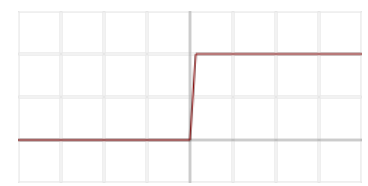
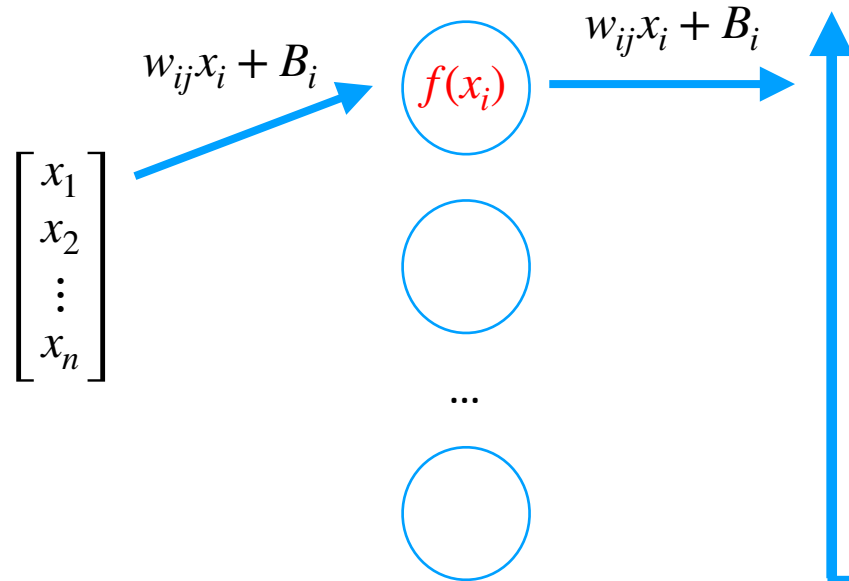
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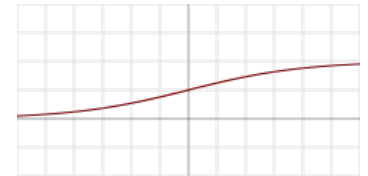
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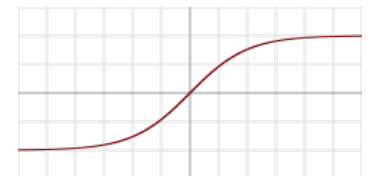
- Set up **some algorithm** with variable **parameters** Weights:  $w_{ij}$  , Bias:  $B_i$  ,  
Activation function  $f(x_i)$



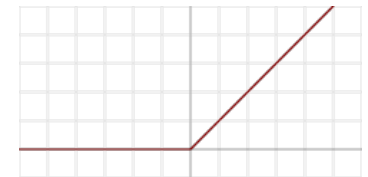
Binary step



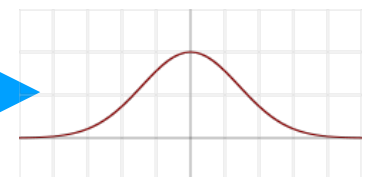
Soft max (or sigmoid)



Tanh



ReLU

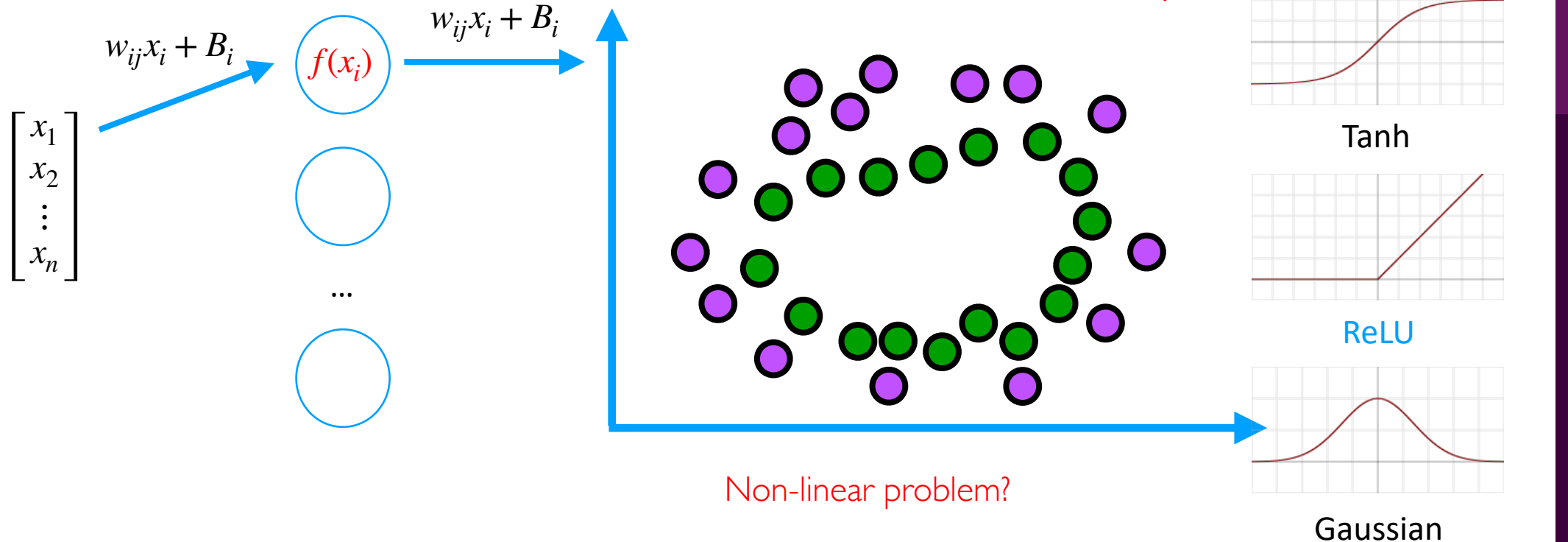


Gaussian

# How does it all work?

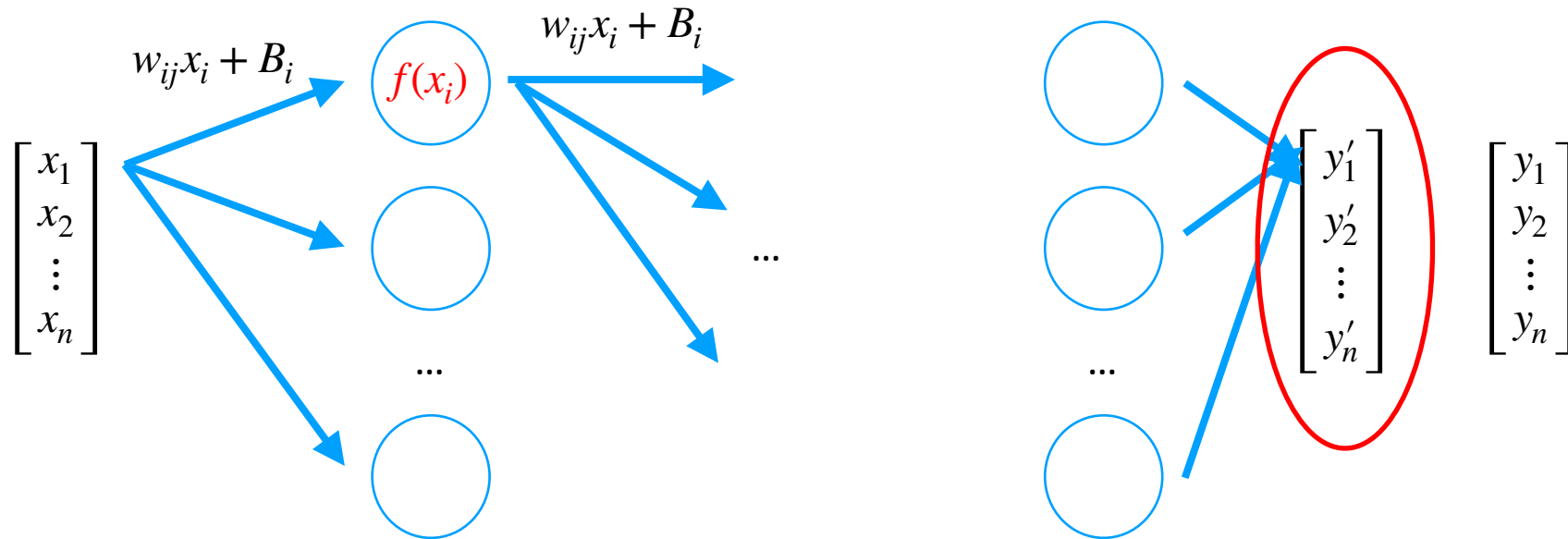
- Simple supervised example:

- Set up **some algorithm** with variable **parameters** Weights:  $w_{ij}$  , Bias:  $B_i$  ,  
Activation function  $f(x_i)$



# How does it all work?

- Simple supervised example:
  - Machine takes random guess at parameters - generate our first outputs

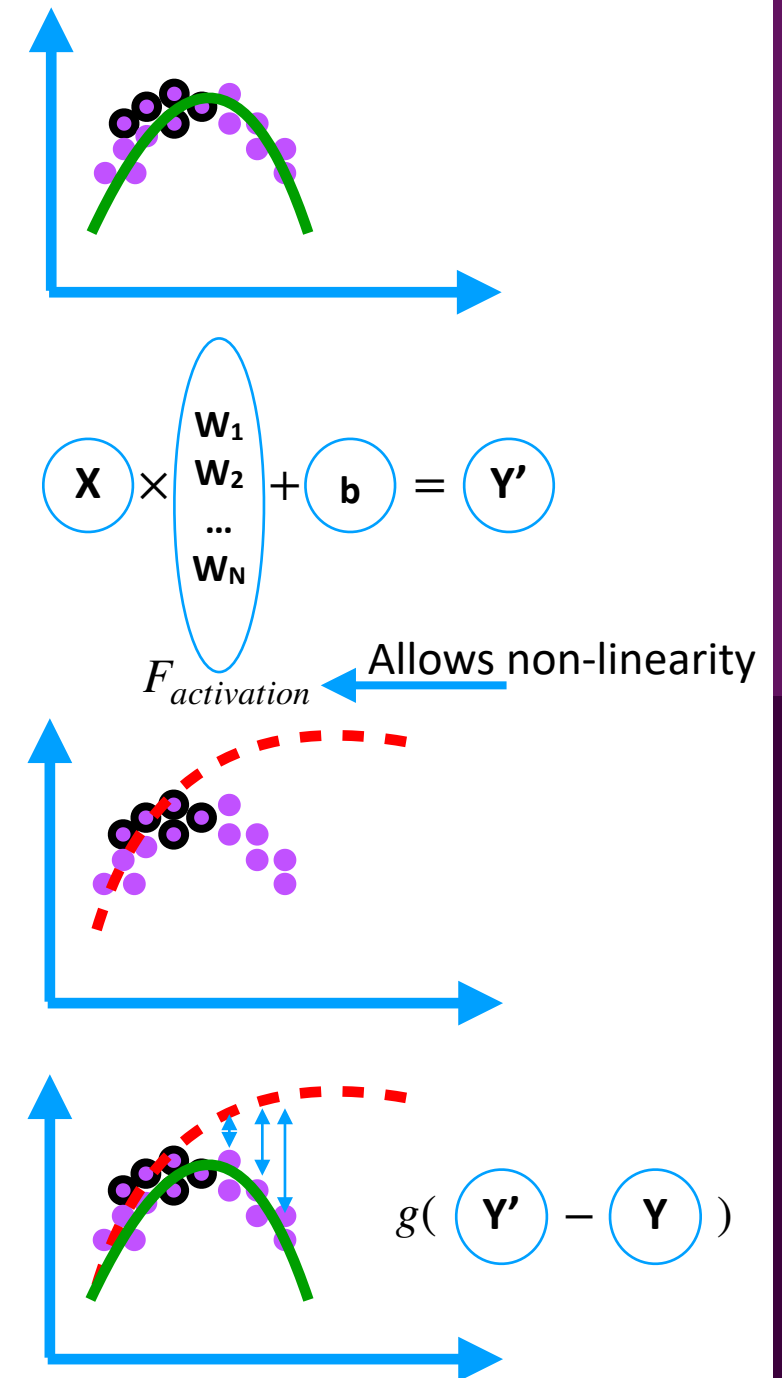


# How does it all work?

- To see how well it has done it compares the predicted value to the 'true' value (derived from labels or from a distribution of the data).
- It compares them using some function of the differences - 'loss' functions or 'cost' function or sometimes 'Error'

$$E = g(\textcircled{Y'} - \textcircled{Y})$$

- Then it adjusts the weights and biases to try to minimise this 'loss'

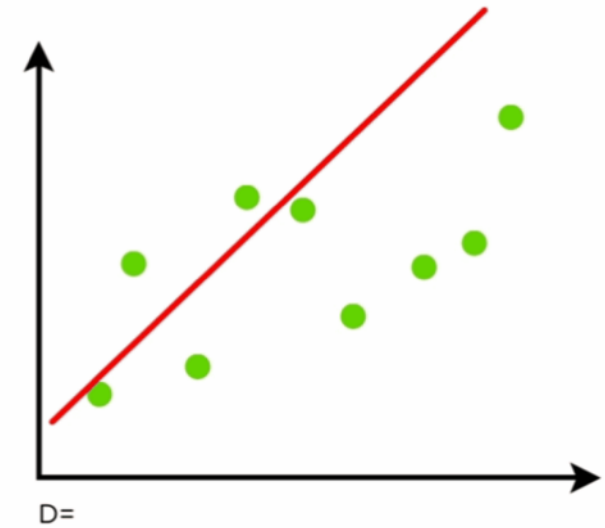


# Loss functions in more detail



# Linear Regression

- A simple linear regression is a  $y = mx + b$
- How do we evaluate our performance
- Several metrics:
  - Coefficient of determination ( $R^2$ )
  - Mean Squared Error
  - Root Mean Squared Error



# R<sup>2</sup>

$$R^2 = 1 - \frac{\sum (y_{\text{actual}} - y_{\text{predicted}})^2}{\sum (y_{\text{actual}} - \bar{y})^2}$$

- $Y_{\text{actual}}$  are the observed data
- $Y_{\text{predicted}}$  comes from the model
- The denominator represents the variance in the data
- The numerator represents the unexplained variance after applying the regression model
- How to interpret the R<sup>2</sup>:
  - $R^2 = 1$  perfect explanation of the variance
  - $R^2 = 0$  model explains none of the variance (you may as well use the mean)
  - $R^2 < 0$  model is worse than the mean of data

# R<sup>2</sup>

$$R^2 = 1 - \frac{\sum (y_{\text{actual}} - y_{\text{predicted}})^2}{\sum (y_{\text{actual}} - \bar{y})^2}$$

- How to interpret the R<sup>2</sup>:
  - R<sup>2</sup> = 1 perfect explanation of the variance
  - R<sup>2</sup> = 0 model explains none of the variance (you may as well use the mean)
  - R<sup>2</sup> < 0 model is worse than the mean of data
- Higher R<sup>2</sup> not always better - you might overfit the data
- Adding more features/parameters will inflate R<sup>2</sup> but not mean model is better.

# Mean Squared Error and Root Mean Squared Error

$$\frac{1}{n} \sum_{i=1}^n (y_{\text{actual},i} - y_{\text{predicted},i})^2$$

- MSE is the average squared different between the observed and model predictions
  - Since the difference is squared, large errors/offsets have more influence, making the MSE sensitive to outliers
- RMSE addresses this by square rooting the MSE
- Note: You might also see the MSE referred to as L2 Loss or quadratic loss

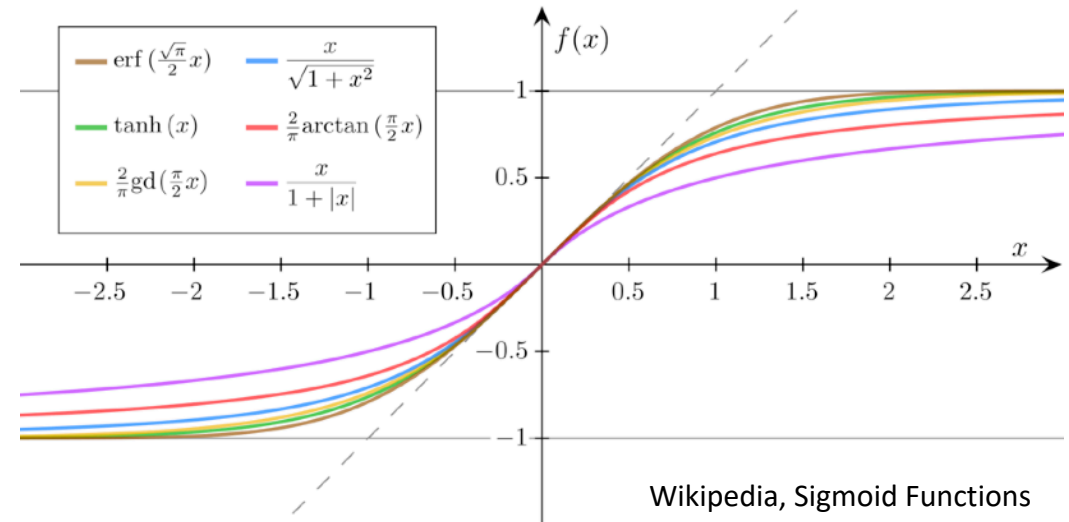
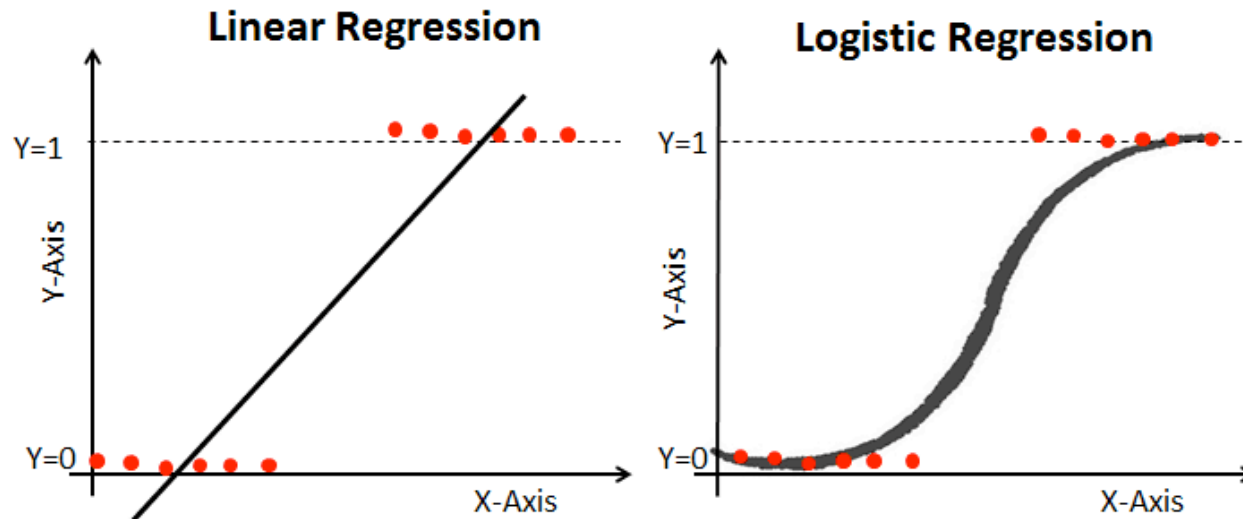
# Mean Absolute Error

$$\frac{1}{n} \sum_{i=1}^n |y_i - \hat{y}_i|$$

- MAE measures the absolute difference between observed and predicted
- Because it doesn't square the differences/loss, it is more robust to outliers than MSE
  - MAE is better when you don't want extreme values to influence your model too much
- Note: MAE is also referred to as the L1 loss

# Logistic Regression

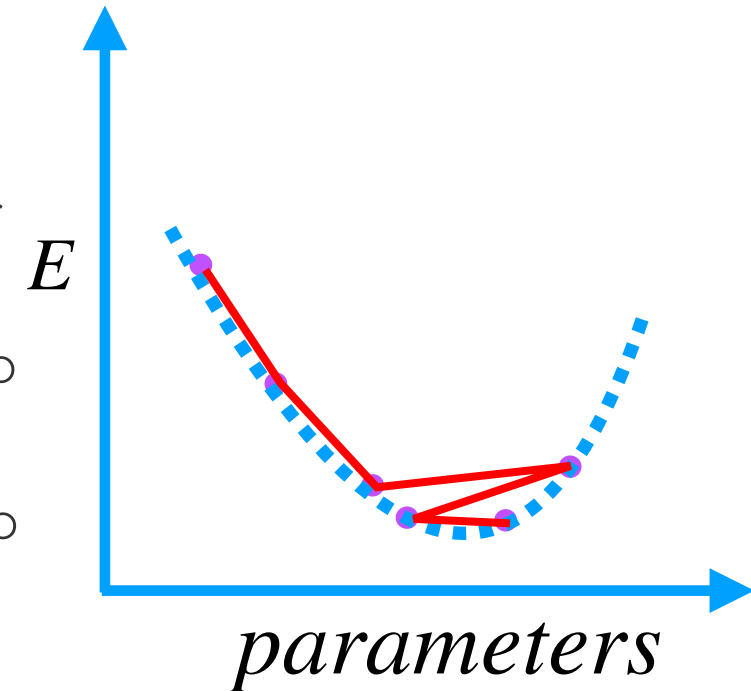
- Logistic is a special type of linear regression
- Useful for categorical, discrete, Yes/No, 1 or 0, type problems
- Predicts whether a binary event will happen



Wikipedia, Sigmoid Functions

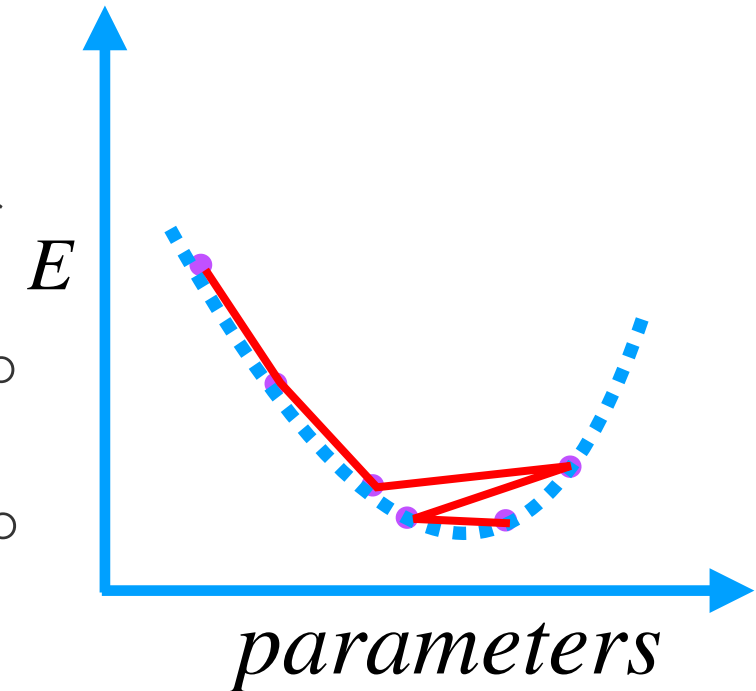
# How does it all work?

- Machine calculates new cost
- If gradient of loss is negative, i.e. changing a parameter decreased the loss and got us closer to the goal then it continues to change in this direction.
- If gradient of loss is positive i.e. we are moving away from our goal then it is less likely to step in this direction
- It will continue to optimise the solution using differentiation to calculate gradients of errors with respect to the parameters
- This is called '**gradient descent**' - you differentiate the curve to find the gradient and try to descend down it
- **When there are lots of parameters how do we update them?**



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- When there are lots of parameters how do we update them?
  - Use the chain rule and work backward through the network taking partial derivatives of each parameter as you go



- Backpropagation  $\frac{\partial E}{\partial a} = \frac{\partial E}{\partial b} \frac{\partial b}{\partial a}$



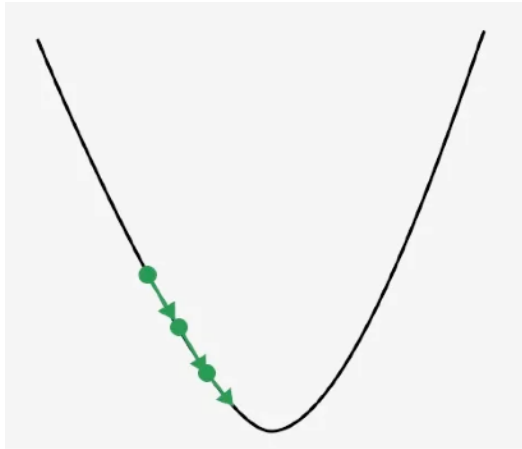
# Gradient Descent in more detail

- An algorithm that estimates where a function outputs the lowest values.
- Pseudo-code (inspired by hill walking)
  1. Dropped randomly in this scene ->
  2. Calculate the gradient in all directions (take the partial derivative)
  3. Take a step in the direction it is steepest
  4. Repeat from step 2 until you are in a valley



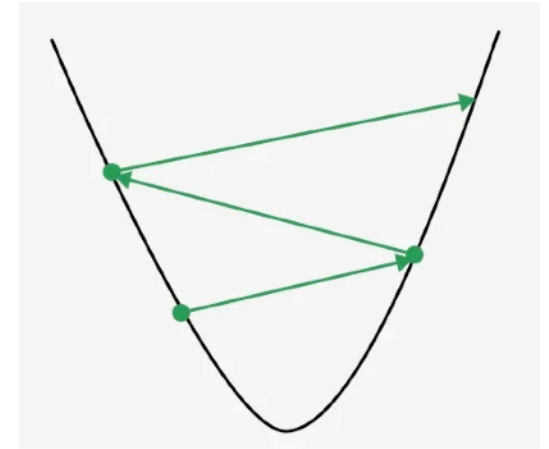
# Learning Rate == Step Size

- Learning rate is a hyper parameter that is analogous to the step-size in hill walking



Small learning rate,  
takes a long time to  
converge

Large learning rate,  
overshoot the  
minimum, may  
never converge



# Some mathematics

- Let's stick with a linear problem (the easiest!)
- Let's use the Mean Squared Error as our Loss/Cost function

- $$L(m, b) = \frac{1}{n} \sum_{i=1}^n (y_{\text{model}} - y)^2$$

- $m$  = weight
- $b$  = bias
- $N$  = number of data points

# Gradient of the loss function

- We now need to compute the gradient of the loss function

- $$\frac{\partial}{\partial m} L(m, b) = \frac{\partial}{\partial m} \left[ \frac{1}{n} \sum_{i=1}^n (y_{\text{model}} - y)^2 \right] \text{ and } \frac{\partial}{\partial b} L(m, b) = \frac{\partial}{\partial b} \left[ \frac{1}{n} \sum_{i=1}^n (y_{\text{model}} - y)^2 \right]$$

- $$\frac{\partial}{\partial m} L(m, b) = \frac{2}{n} \sum (y_{\text{model}} - y)^2 \cdot x$$

- $$\frac{\partial}{\partial b} L(m, b) = \frac{2}{n} \sum (y_{\text{model}} - y)$$

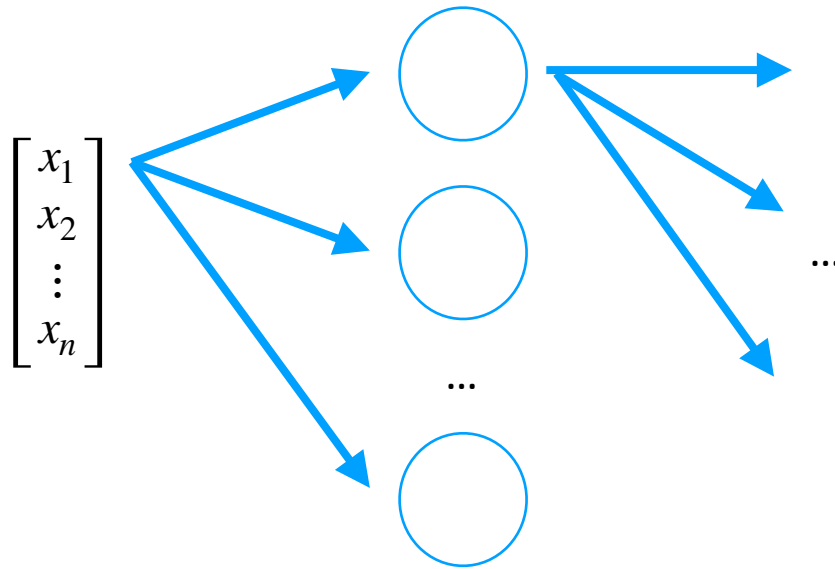
- Let's look at some code...

# The key maths

- **Vectors and matrices** - these represent the **inputs, outputs, hidden layers** and how to transform the **parameters** which control the **features** that the algorithm optimises e.g. **weights and biases**. Some traditional ML techniques use distances between vectors or their projection onto lower dimensional planes.
- **Calculus** - this is required to optimise the network. We find derivatives in order to know if we are sitting in a minima or not and to drive the direction of optimisation of the weights, this is called '**gradient descent**'. We use the chain rule to update these derivatives through the network, this is called '**backpropagation**'.
- **Probability** - probability distributions are used often in '**cost**' functions e.g. understanding how far away from an optimal solution we are; in '**activation functions**', that is functions which allow non-linearities; and all probabilistic ML algorithms.

# How does it all work?

- Simple supervised example:
  - Set up **some algorithm** with variable **parameters**

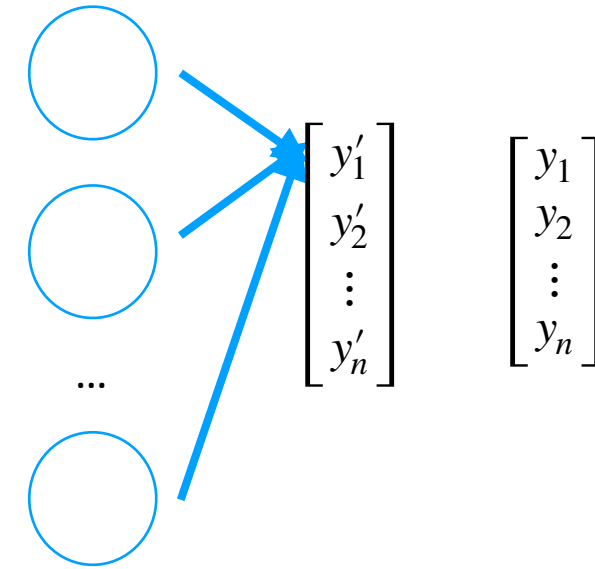


Features are any measurable property provided to the network

Feature engineering - choosing what inputs to give (e.g. colour)

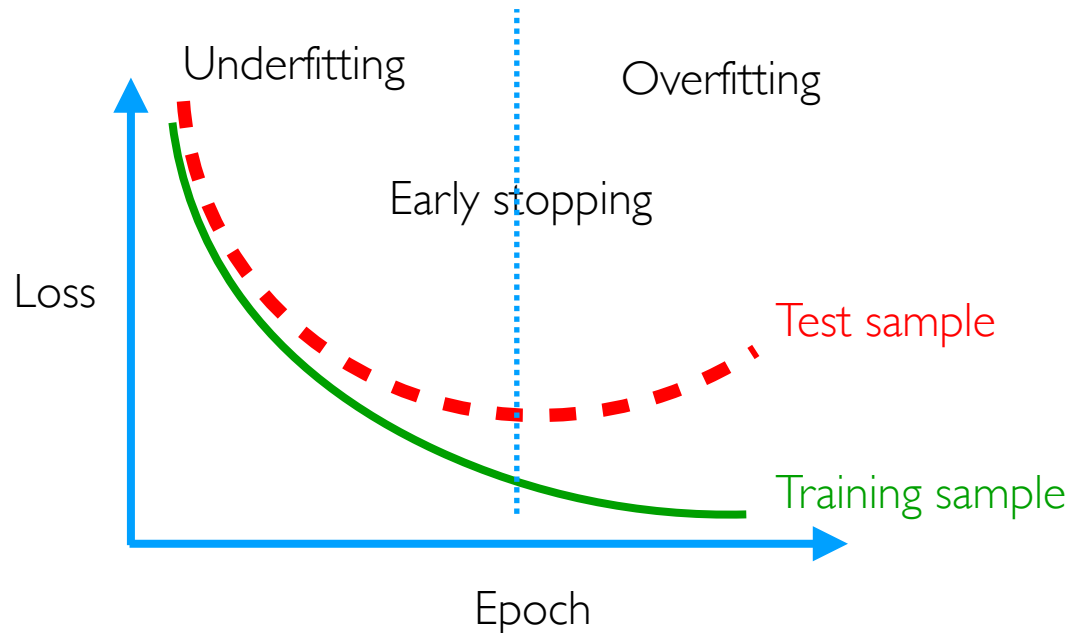
Feature also used when interpreting network  
Here it means what did the network decide is important

There are visualisations to interpret these BUT they can be misleading - **don't over-interpret a complicated network**



# How to train your Dragon

- **Hyperparameters** define our learning process e.g.
  - Learning rate
  - Learning iterations (e.g. batch size and number of epochs)

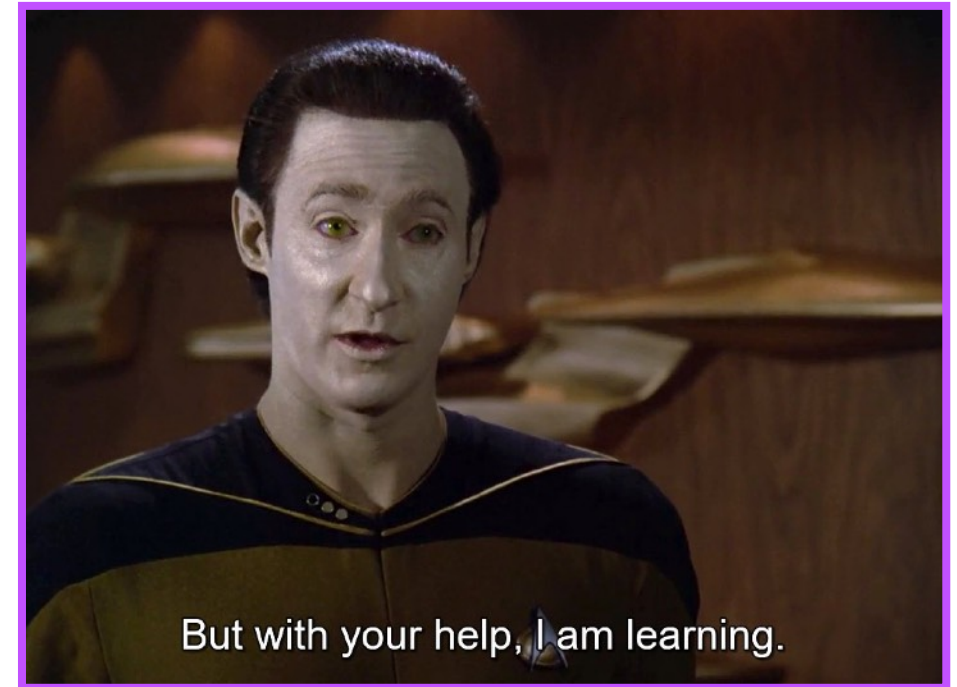


- There are multiple metrics one can use to define early stopping and the 'best' will depend on the situation. Keep track and monitor metrics throughout the training processes.



# The Most Important Part: Data

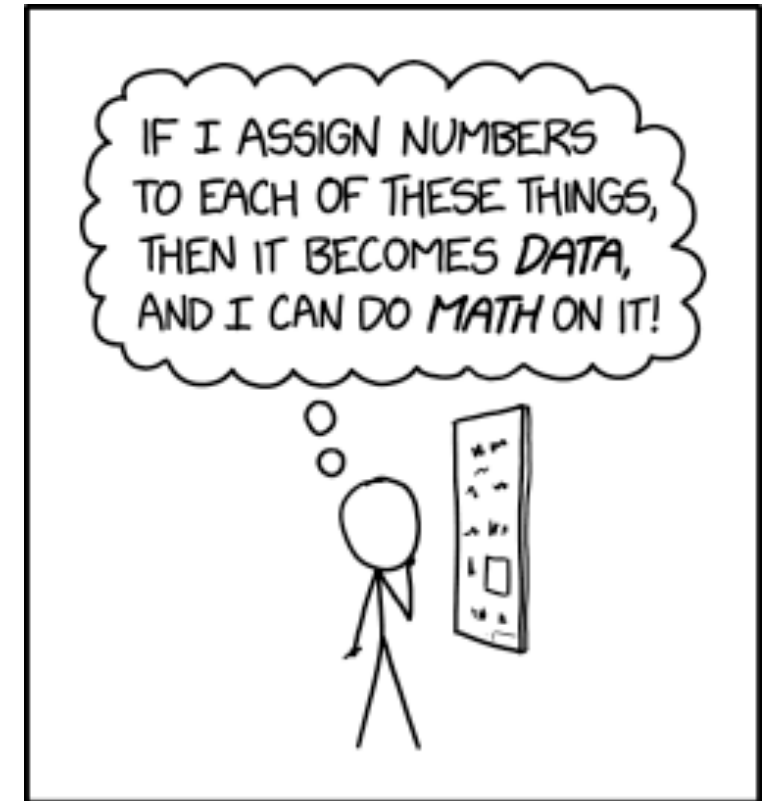
- Data collection and prep
- Feature engineering - why normalise?
- Data augmentation
- 





# Data collection and prep

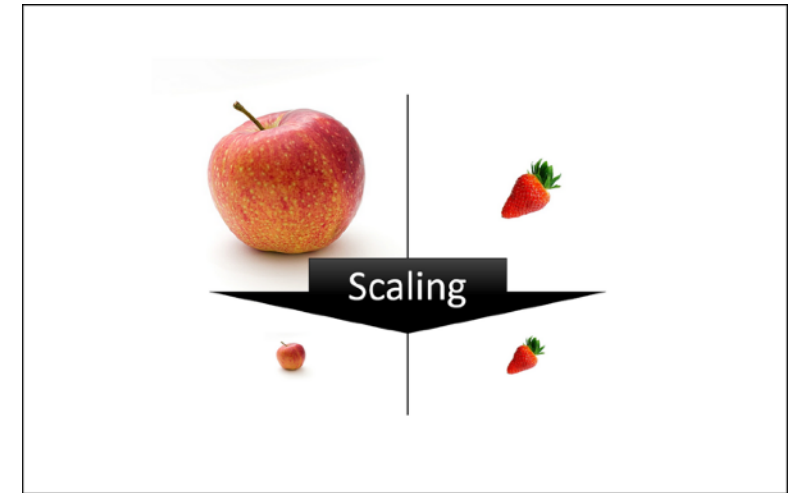
- What is your objective?
- What data encompasses this objective
- Can you source this data ethically? This encompasses both permissions for use in training and for the use case of the data.
- Is your data labelled and if not how will you label it or model it?



THE SAME BASIC IDEA UNDERLIES  
GÖDEL'S INCOMPLETENESS THEOREM  
AND ALL BAD DATA SCIENCE.

# Feature engineering

- Explore your data - choose your features!
- Feature scaling
  - Your raw data will contain vastly different scales
  - Feature scaling is the process of rescaling data in order that they are on the same scale for the machine to interpret.
  - If we do not scale correctly then the algorithm will over-emphasise arbitrarily higher weighted features.
  - At best this takes the machine longer to optimise and at worse significantly biases the results.
- Normalisation [0-1] or standardisation are the common methods

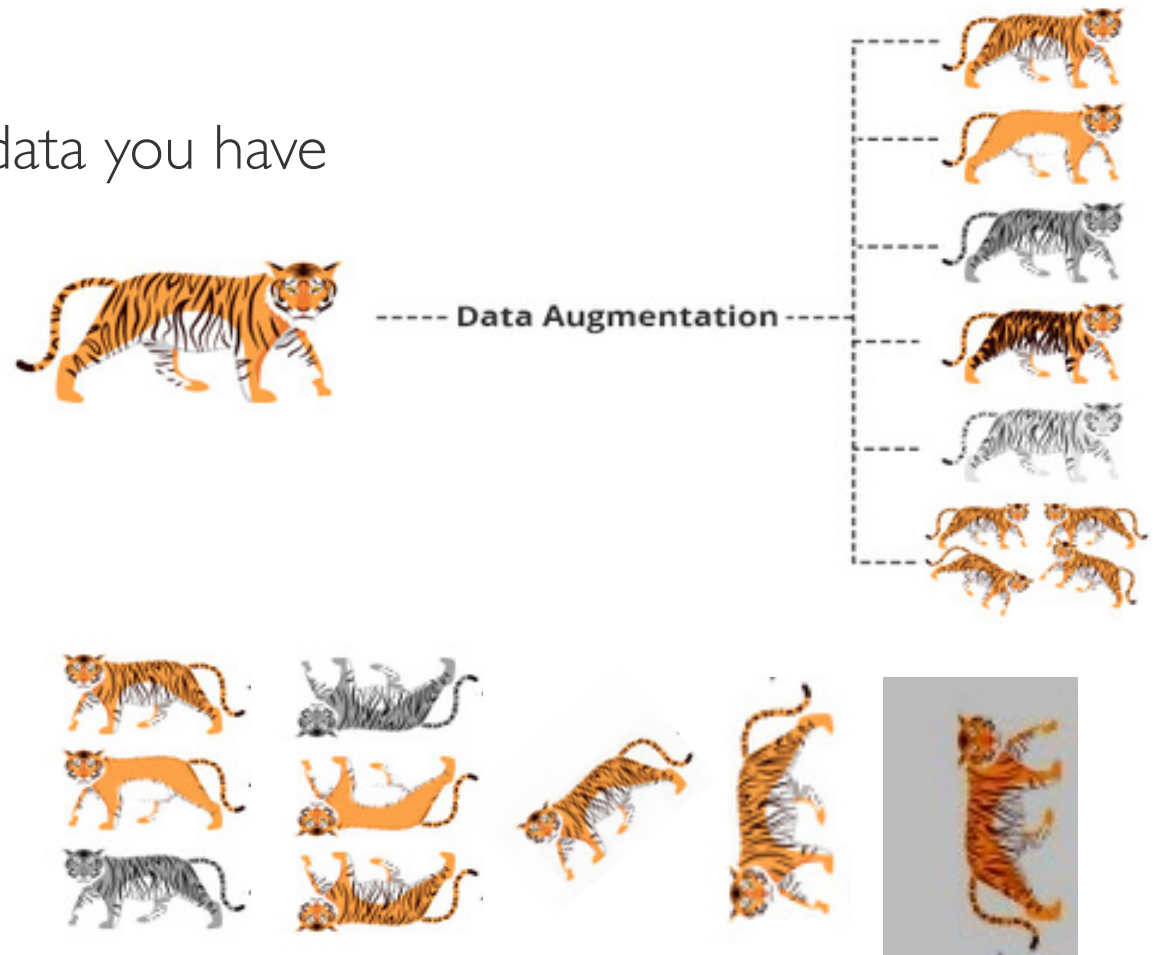


# Feature engineering

- You should also be aware of:
  - Missing data - do you need to 'fill' it and how?
  - Outliers - do you remove them?
  - The distributions of your data - are they skewed?  
Do you want them to be more gaussian?

# Data augmentation

- Creating 'new' data by augmenting the data you have
  - Translation (spatial and temporal)
  - Rotation
  - Scaling (size, volume, pitch)
  - Mirror images
  - Cropping
  - Adding noise
  - Changing backgrounds
  - Use synonyms
  - Masking



# What will be used in this course?

- The Data is always the most important part
- We will use a variety of data prep techniques in scikit-learn and pytorch (and all codes have modules for these techniques) but you can easily write and code your own data augmentation routines - it depends on the data and use case

# The Tools of ML

- We'll be using Python - flexible, open source, lots of modules, pre-trained modules and test datasets
- There are many codes one could use... Scikit-learn, PyTorch, Tensor Flow, Keras, Jax, ...
- Use the one(s) that provide the easy access to all the tools you want for a specific problem
- Scikit-learn is great for traditional ML / AI (good ol' fashioned AI and non-deep learning techniques)
- Intro to Scikit-learn and PyTorch next week
- **Tuesday 18th November 2025, Anglesea 2.02, 4-6pm**