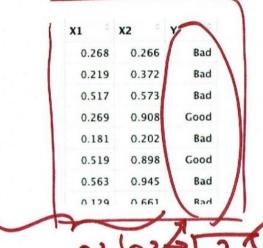


## Classification and Regression

Decision Trees can be used for both



#### Classification

- Spam / not Spam
- Admit to ICU /not
- Lend money / deny
- Intrusion detections



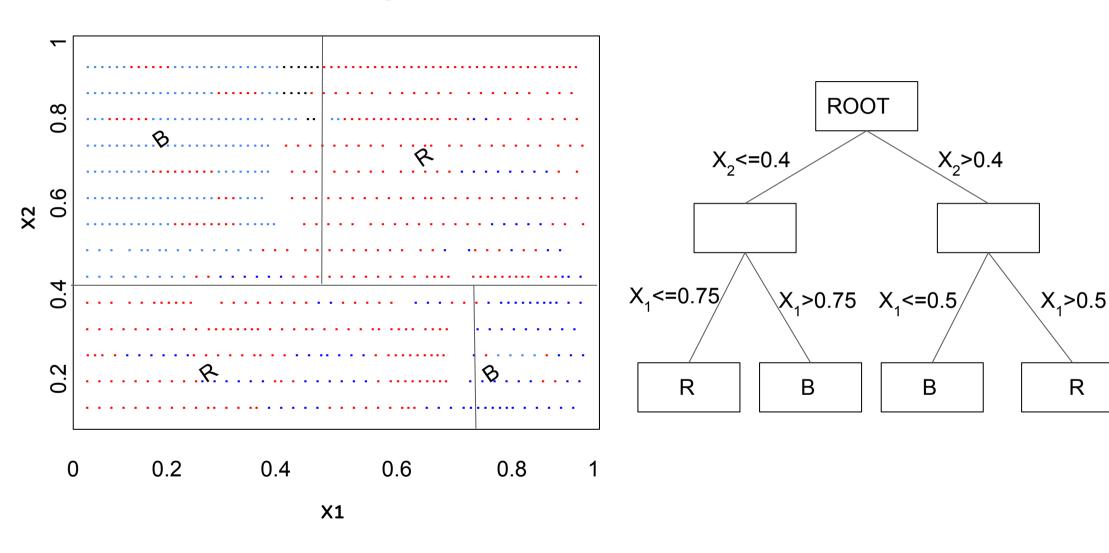
#### Regression

X1	X2	Y
0.268	0.266	64.41
0.219	0.372	28.08
0.517	0.573	95.76
0.269	0.908	15.84
0.181	0.202	41.83
0.519	0.898	25.20
0.563	0.945	9.44
n 170	0.661	87 77
7		71

- Predict stock returns
- Pricing a house or a car
- Weather predictions (temp, rain fall etc)
- Economic growth predictions
- Predicting sports scores



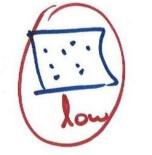
### Visualizing Classification as a Tree





#### Metrics

- Algorithms for constructing decision trees usually work topdown, by choosing a variable at each step that best splits the set of items.
- Different algorithms use different metrics for measuring "best"
- These metrics measure how similar a region or a node is.
   They are said to measure the impurity of a region.
- Larger these impurity metrics the larger the "dissimilarity" of a nodes/regions data.
- Examples: Gini impurity Entropy, Variance

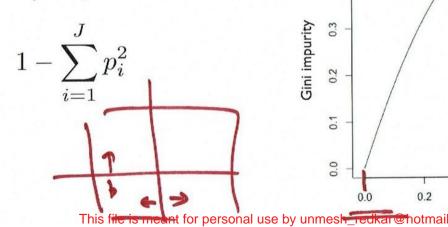


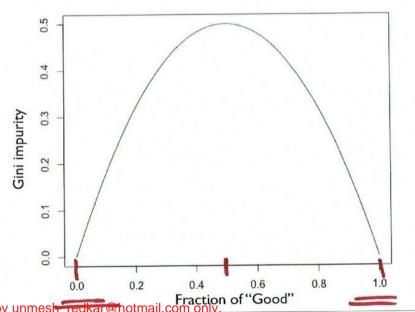




# Gini impurity

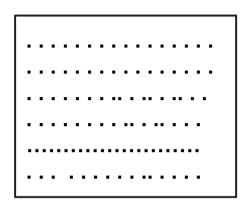
- Used by the CART
- Is a measure of how often a randomly chosen element from the set would be incorrectly labeled if it was randomly labeled according to the distribution of labels in the subset.
- Can be computed by summing the probability of an item with label i being chosen  $(p_i)$ , times the probability of a mistake  $(1 p_i)$  in categorizing that item.
- Simplifying gives, the Gini impurity of a set:



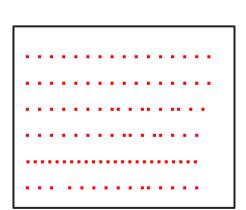


Proprietalyadhent. Reldisaincethning! Atom dinateser veld! Ulable for zeual a stiontribution





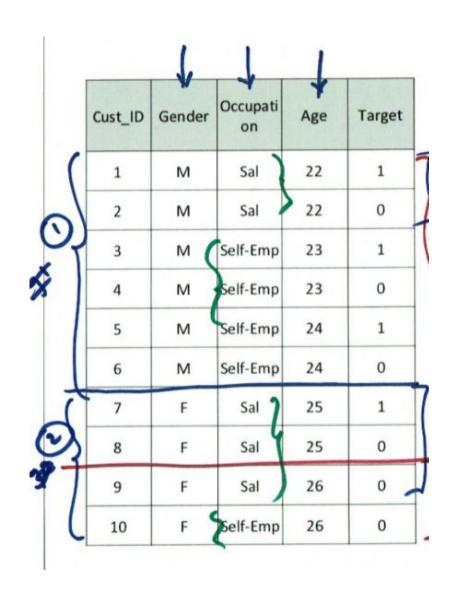
P1 P2	P3
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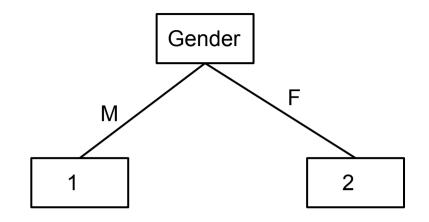


$$\Sigma P_{i}(1-P_{i}) = \Sigma P_{i} - \Sigma P_{i}^{2} = 1 - \Sigma P_{i}^{2}$$



#### **CART: An Example**





Root node : P1 = 0.4 , P2 = 0.6  
GI = 1 - 
$$(0.4)^2$$
 -  $(0.6)^2$   
= 0.48

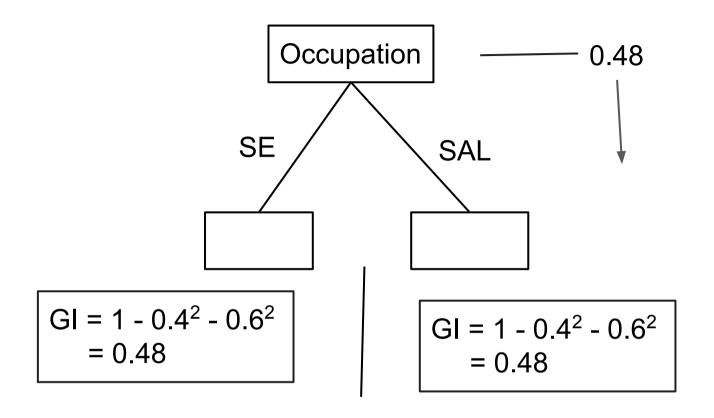
1. 
$$P1 = 0.5$$
  
 $P2 = 0.5$   
 $1 - 0.5^2 - 0.5^2$   
 $= 0.5$ 

2. P1 = 0.25  
P2 = 0.75  

$$1 - 0.25^2 - 0.75^2$$
  
= 0.375

$$GI = (6/10) * (0.5) + (4/10) * (0.375) = 0.45$$







L R	Left	Right	Gini Split
<=22,>22	0.5	0.47	0.48
<=23,>23	0.5	0.44	0.47
<=24,>24	0.5	0.38	0.45
<=25,>25	0.5	0	0.40

