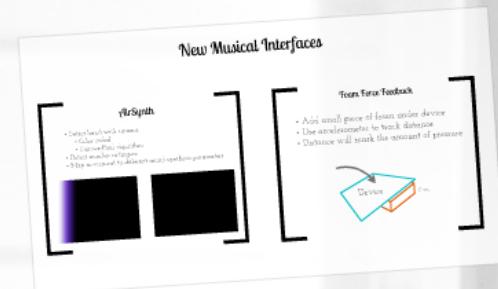
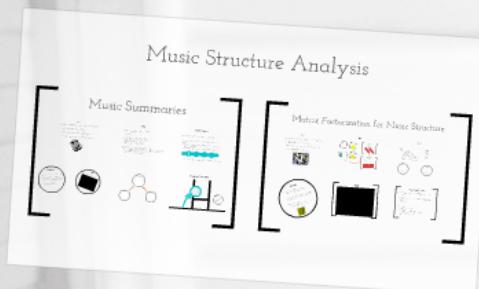
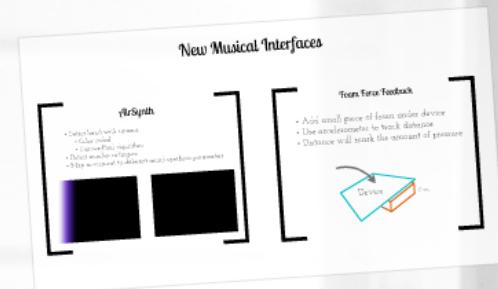
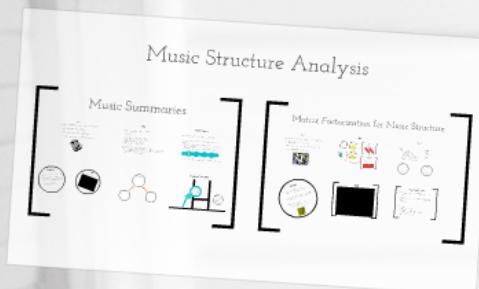


Music Structure Analysis and New Musical Interfaces



Oriol Nieto
Music and Audio Research Lab
New York University
Jan 10th 2013

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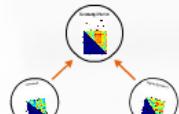
Music Structure Analysis

Music Summaries

- Goal**
- To generate audio summaries of music recordings fast
 - efficiently explore a series track
 - short circuit (impossible) repeated examination
 - compute the audio content points within few seconds



- How?**
- gather that, quadrature Fourier filters
 - classic
 - T-SVD
- Quadrature Fourier filters
- classic approach
 - T-SVD approach
 - matrix factorization approach
- Shorter analysis time than the previous Fourier filters
- Other Fourier analysis filters have no impact for a short signal
 - T-SVD approach is 10x faster than the classic approach
 - T-SVD approach is 100x faster than the matrix factorization approach

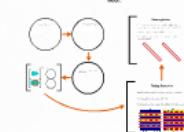


- Heuristic Approach**
- Propose 2 new methods for efficiently exploring
 - T-SVD approach
 - matrix factorization approach
 - Both short T-SVD approach is equally efficient as classic Fourier
 - Fast iterations reduce one infeasible or 0 time
- (The problem becomes easier with respect to instead of repeated)



Matrix Factorization for Music Structure

- Goal**
- To automatically identify the inherent nature of a song
 - finding the dominant or the hidden
 - clustering the sources based on their similarity (Fig. A, B)
 - focus on finding popular music



- How?**
- Algorithm
 - The proposed
 - T-SVD
 - Matrix factorization
 - Clustering of the data
 - Clustering of the sources
 - The algorithm is very fast



- Conclusion**
- Shorter computation of a song
 - based on a large scale of source signals
 - with appropriate and representative
 - T-SVD approach is 100x faster than the matrix factorization approach



- Conclusion and Future Work**
- T-SVD approach is 100x faster than the matrix factorization approach
 - T-SVD approach is 10x faster than the classic Fourier
 - T-SVD approach is 1000x faster than the matrix factorization approach
 - Shorter analysis time
 - T-SVD approach is 100x faster than the matrix factorization approach
 - T-SVD approach is 1000x faster than the matrix factorization approach
 - Shorter analysis time

Goal

- To generate audible summaries of music recordings that
 - optimally explain a given track
 - don't contain (much) repeated information
 - compress the entire music piece into a few seconds



Motivation

- To facilitate the navigation of massive digital music collections
- To provide an alternative to audio thumbnailing
 - all the parts of a piece are included in the summary
 - a potential buyer could get a better glimpse of the piece
- To normalize an entire music collection
 - more efficient for MIR techniques

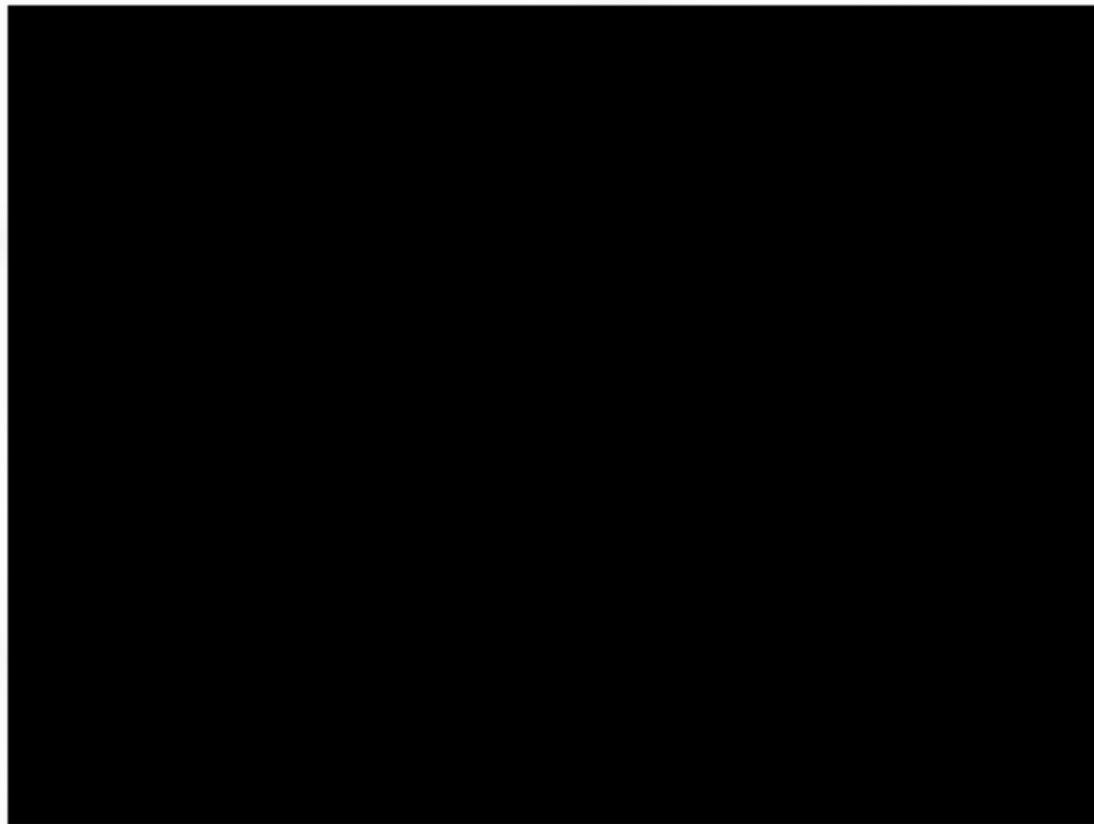


Example

Chopin Mazurka Op. 30 No. 2

Original: A-B-C-B

Summary: A-B-C

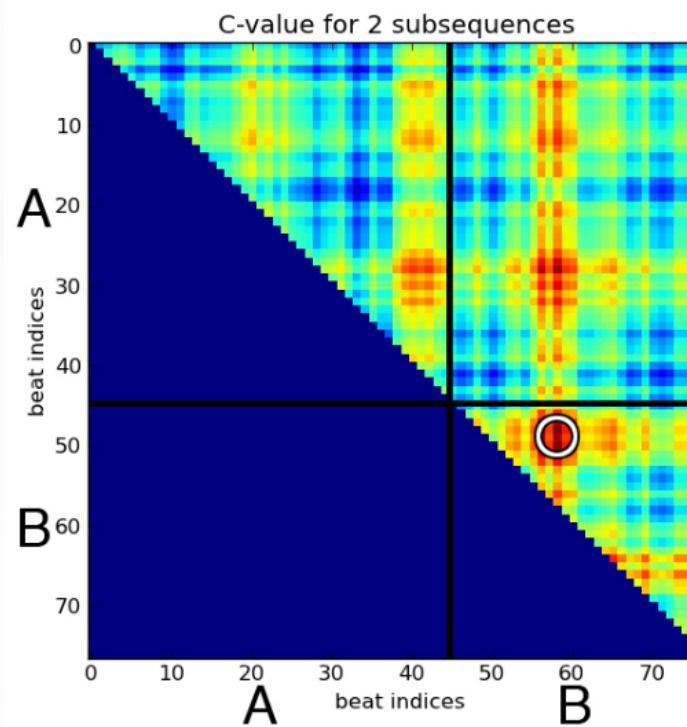


How?

- Extract beat-synchronous harmonic features:
 - Chromas
 - Tonnetz
- Quantize the feature space using k-means
 - reduce space into a few discrete values
 - computationally advantageous
 - loose precision if k is too small
- Exhaustively search the quantized feature space for
 - Best P subsequences of N beats that can compress the entire signal
 - P subsequences of N beats that have the highest amount of disjoint information between them

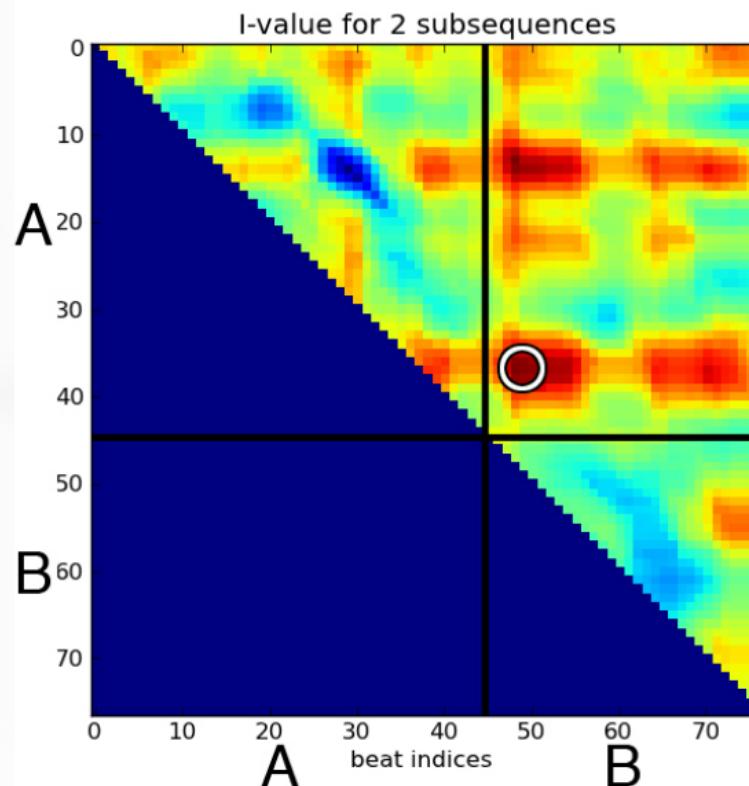
Compression

$$\mathcal{C}(\Gamma|\mathbf{S}) = 1 - \frac{1}{PJ} \sum_{i=1}^P \sum_{m=1}^J \|\gamma_i^N, s_m^N\|_2$$



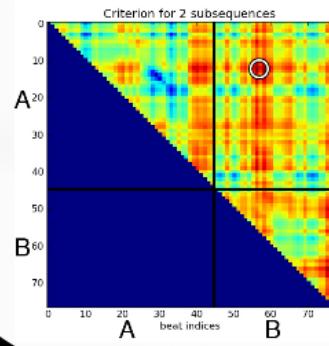
Disjoint Information

$$\mathcal{I}(\Gamma) = \left(\prod_{i=1}^P \prod_{j=i+1}^P D_{min}(\phi(\gamma_i^N), \phi(\gamma_j^N)) \right)^{\frac{2}{P(P-1)}}$$



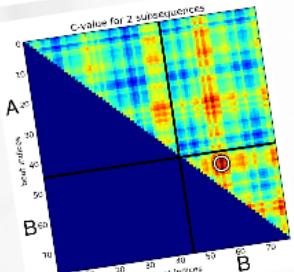
Summary Criterion

$$\Theta(\mathcal{C}, \mathcal{I}) = \frac{2\mathcal{CI}}{\mathcal{C} + \mathcal{I}}$$



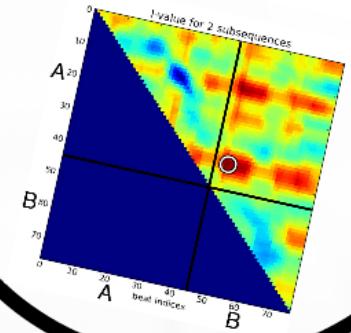
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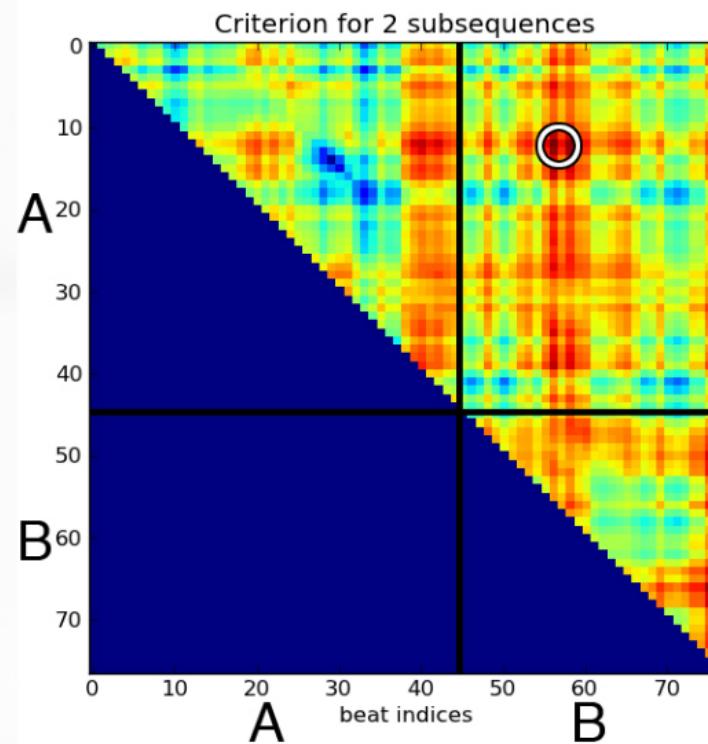
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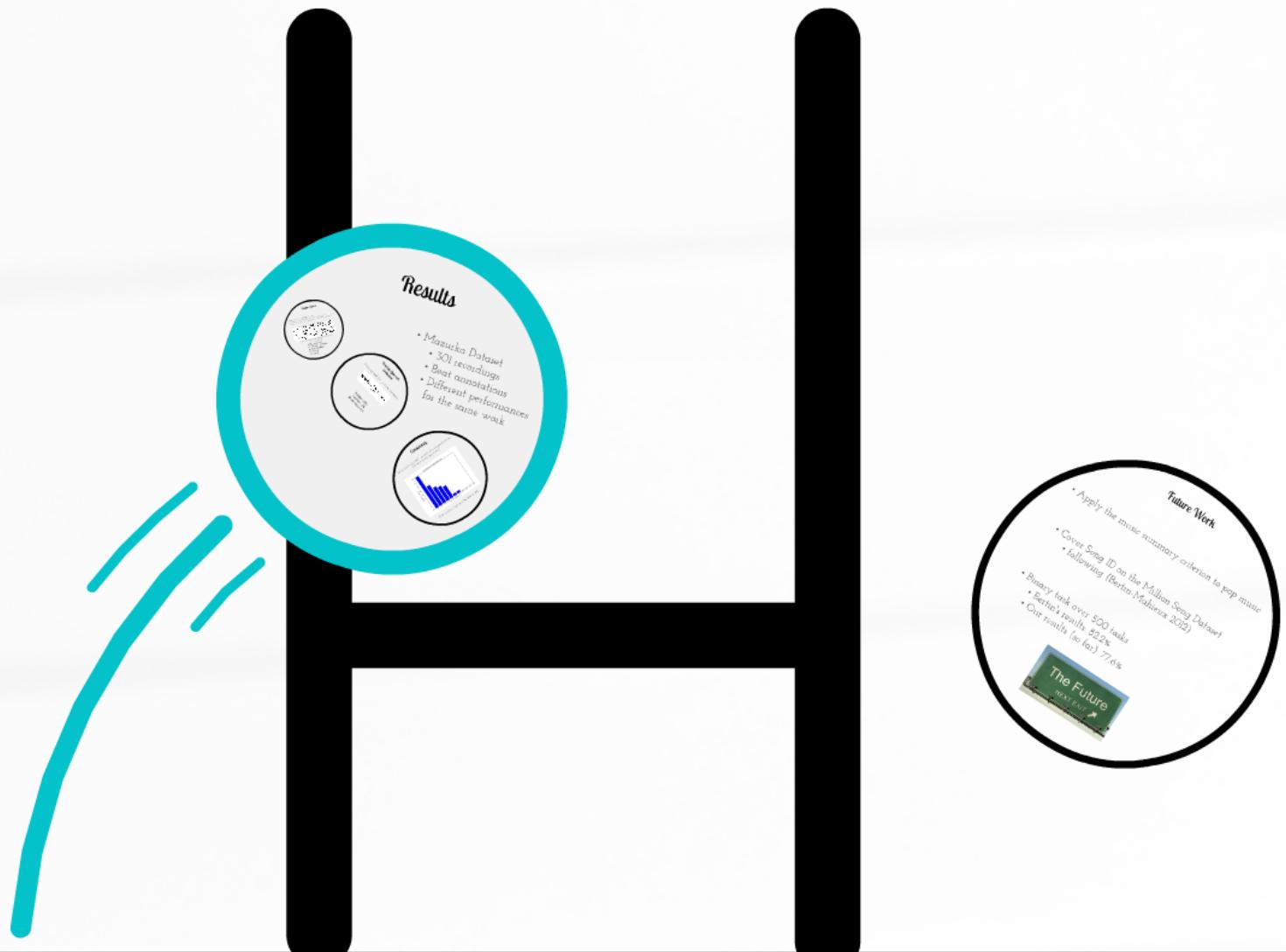
Heuristic Approach

- Brute force method is computationally expensive
- We can approximate the same results with a heuristic approach
 - Initialize P subsequences equally spaced in time across the music recording
 - Find maximum criterion one subsequence at a time



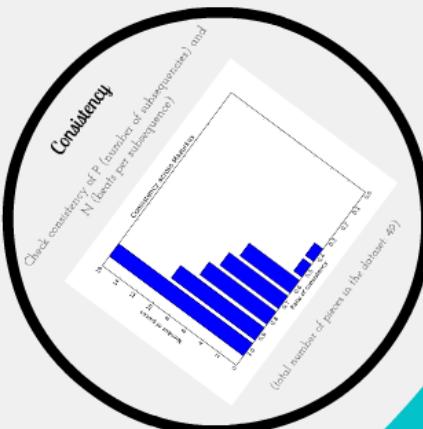
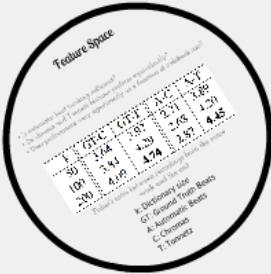
- The problem becomes linear with respect to P instead of exponential

Results and Future Work



Results

- Mazurka Dataset
 - 301 recordings
 - Beat annotations
 - Different performances for the same work



Feature Space

- Is automatic beat tracking sufficient?
- Do chroma and Tonnetz features perform equivalently?
- Does performance vary significantly as a function of codebook size?

k	GT-C	GT-T	A-C	A-T
50	3.64	3.97	2.71	3.89
100	3.84	4.29	2.68	4.20
200	4.09	4.74	2.87	4.45

Fisher's ratio between recordings from the same
work and the rest

k: Dictionary size

GT: Ground Truth Beats

A: Automatic Beats

C: Chromas

T: Tonnetz

Heuristic Approach Evaluation

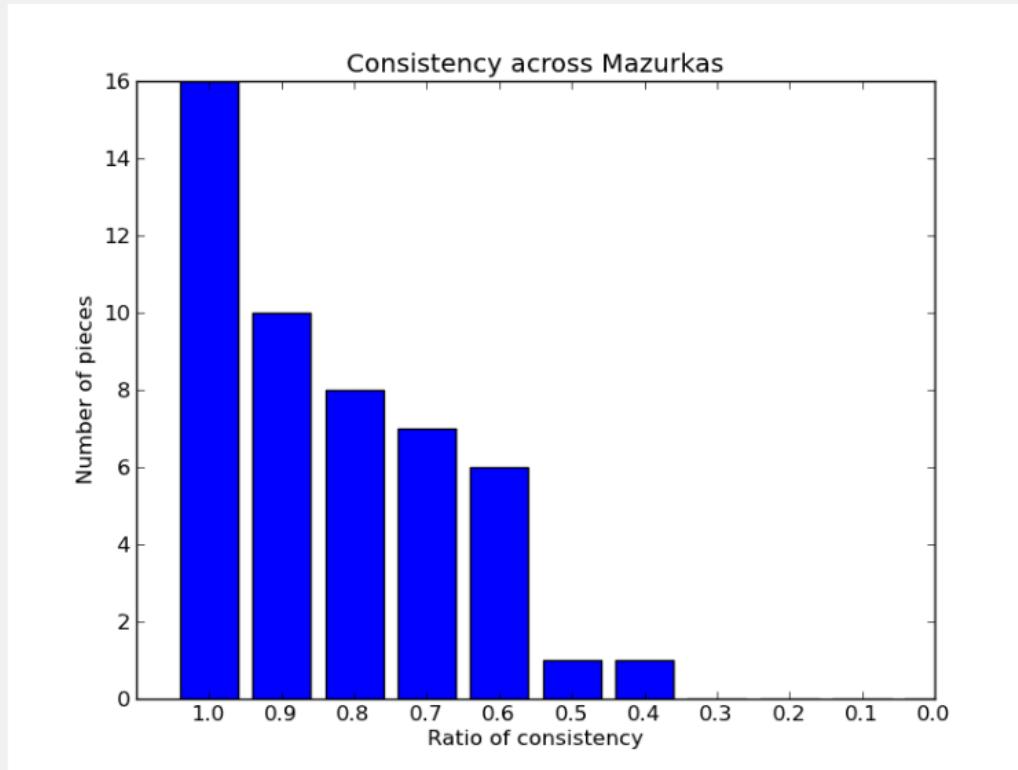
Mean Squared Error between strategies

$$\text{MSE}(\Theta) = \frac{1}{S} \sum_i^S (1 - \Theta_i)^2$$

Random: 21%
Heuristic: 1%
(Brute Force: 0%)

Consistency

Check consistency of P (number of subsequences) and N (beats per subsequence)



(total number of pieces in the dataset: 49)

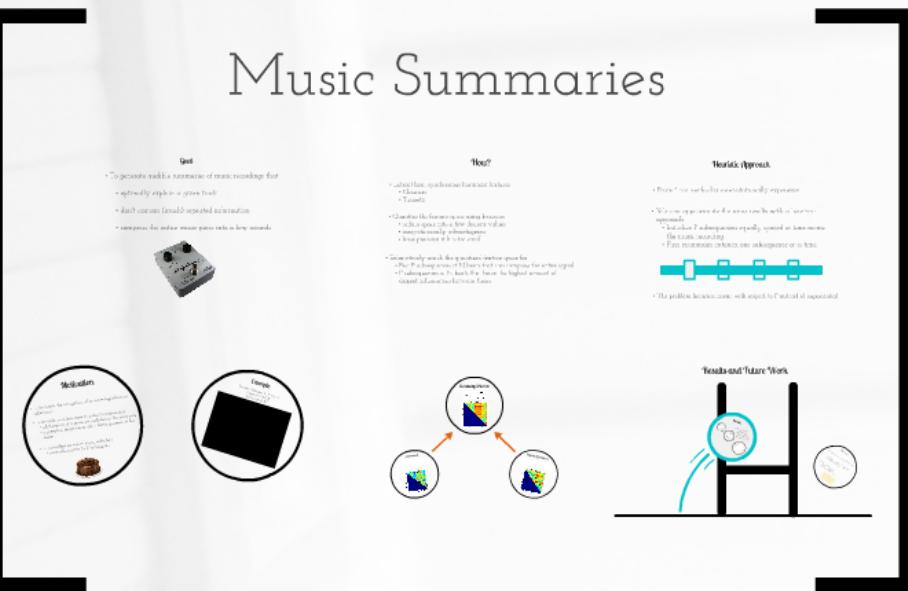
Future Work

- Apply the music summary criterion to pop music
- Cover Song ID on the Million Song Dataset
 - following (Bertin-Mahieux 2012)
- Binary task over 500 tasks
 - Bertin's results: 82.2%
 - Our results (so far): 77.6%

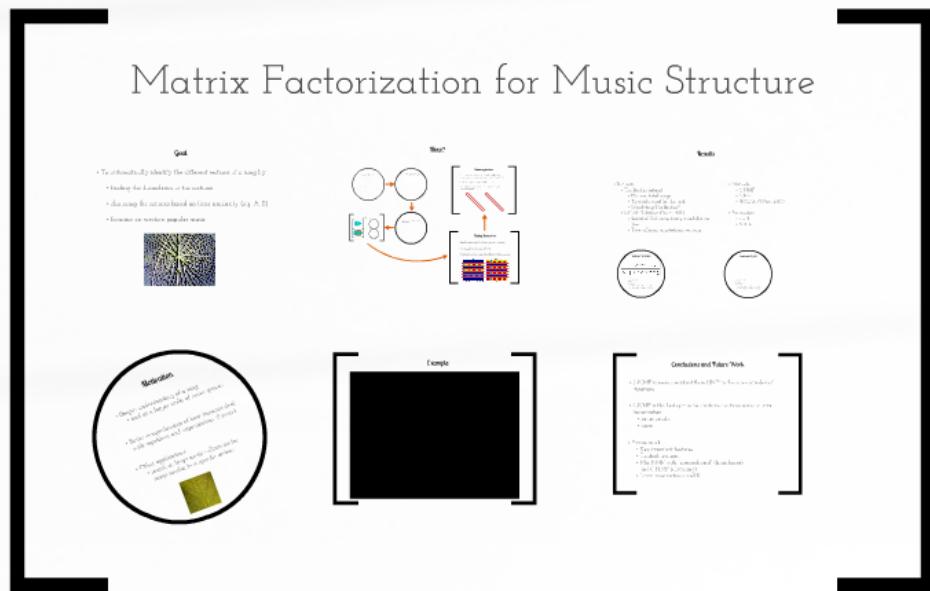


Music Structure Analysis

Music Summaries



Matrix Factorization for Music Structure



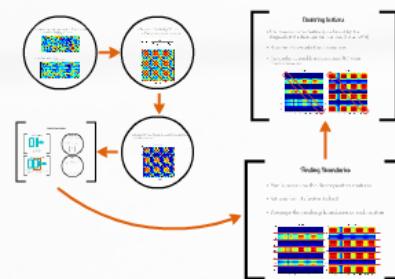
Matrix Factorization for Music Structure

Goal

- To automatically identify the different sections of a song by
 - finding the boundaries of the sections
 - clustering the sections based on their similarity (e.g. A, B)
 - focusing on western popular music



How?



Results

- Datasets:
 - The Beatles dataset
 - 176 annotated songs
 - Typically used for this task
 - Covering The Beatles?
 - SALAMI dataset (Smith 2011)
 - Subset of 253 songs freely available online
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- Methods
 - CNMF
 - NMF
 - SiPLCA (Wein 2003)
- Parameters
 - $r = 2$
 - $K = 4$

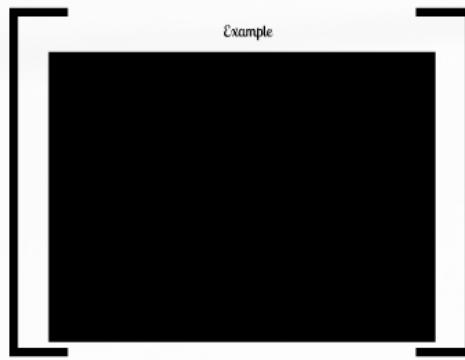


Motivation

- Deeper understanding of a song and at a larger scale, of music genres
- Better comprehension of how humans deal with repetition and organization of sound
- Other applications:
 - search in large music collections for songs similar to a specific section



Example

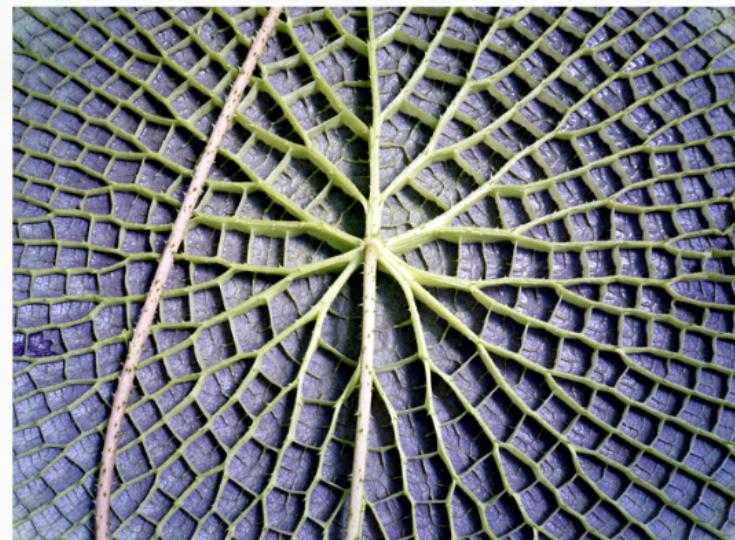


Conclusions and Future Work

- CNMF is more consistent than NMF in the same number of iterations
- CNMF is the best option for clustering sections using matrix factorization
 - better results
 - faster
- Future work:
 - Key-invariant features
 - Timbral features
 - Mix NMF with 'checkerboard' (boundaries) and CNMF (clustering)
 - Learn parameters r and K

Goal

- To automatically identify the different sections of a song by
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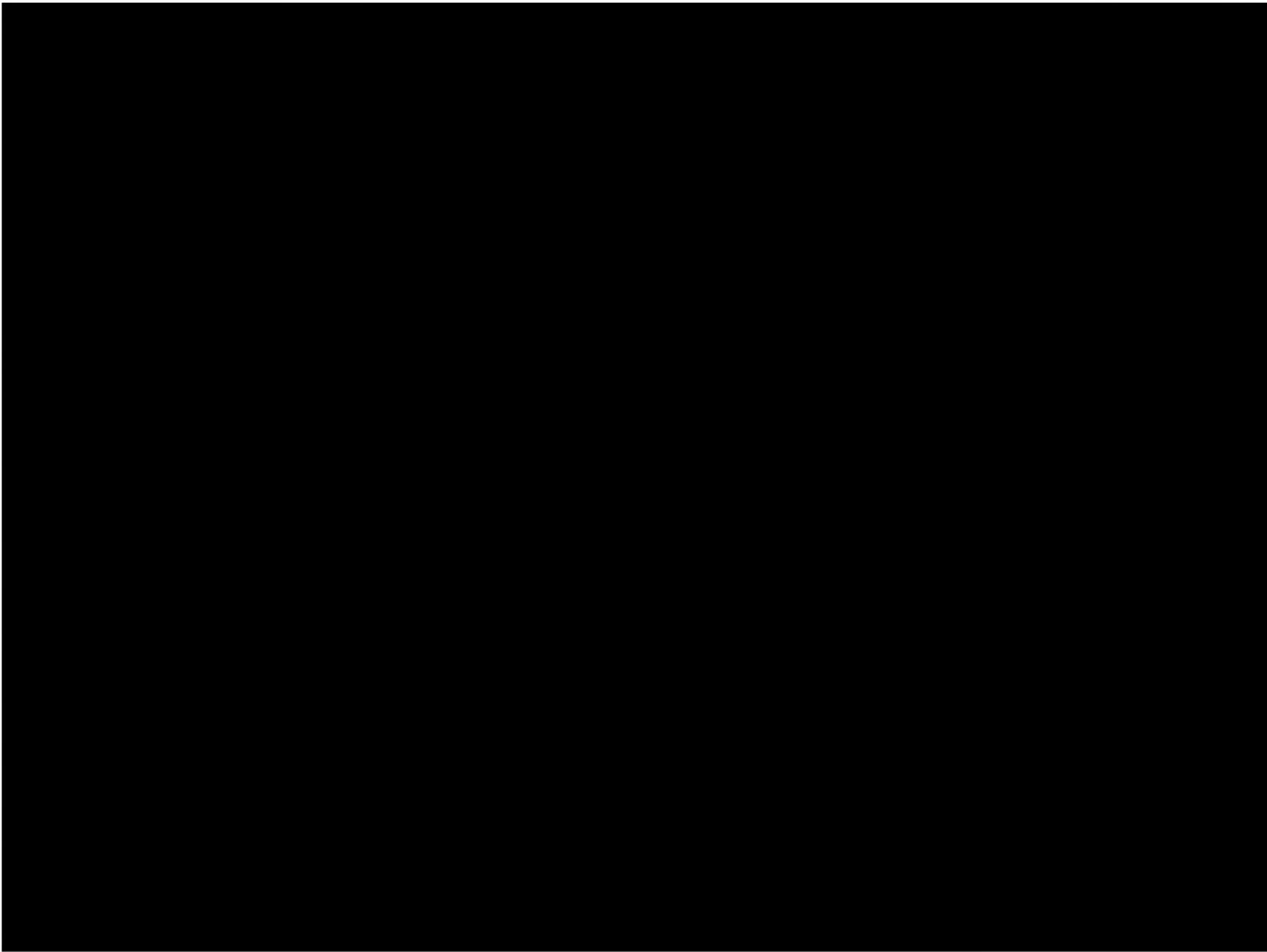


Motivation

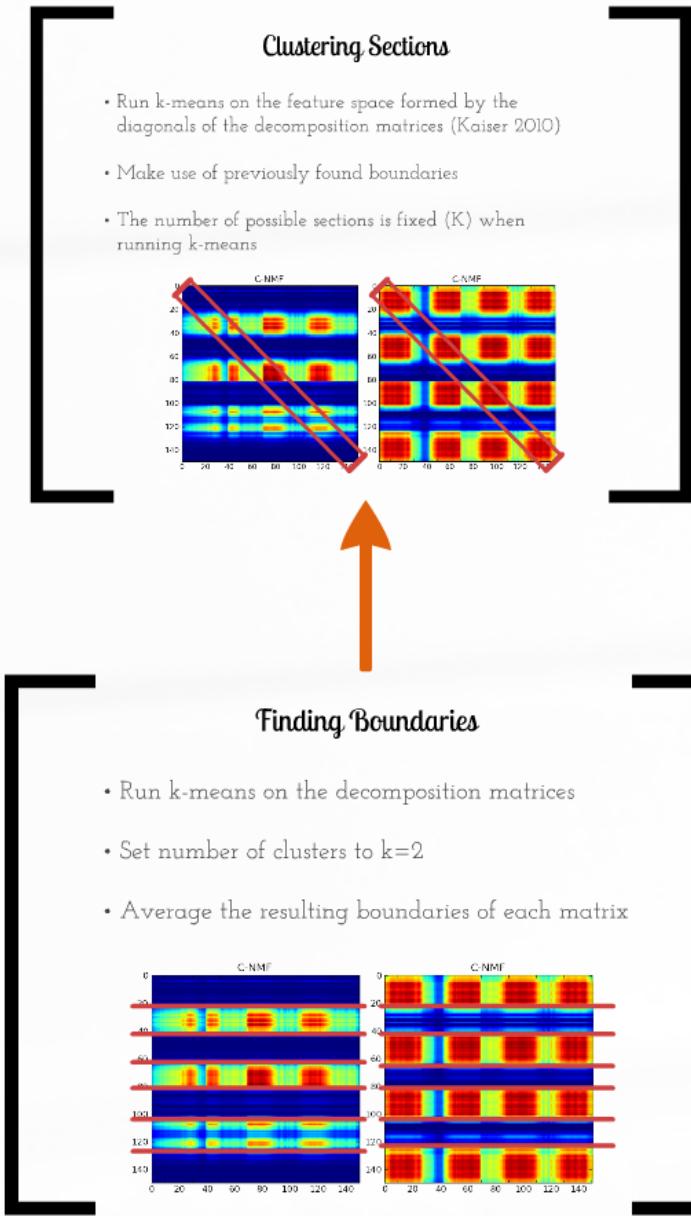
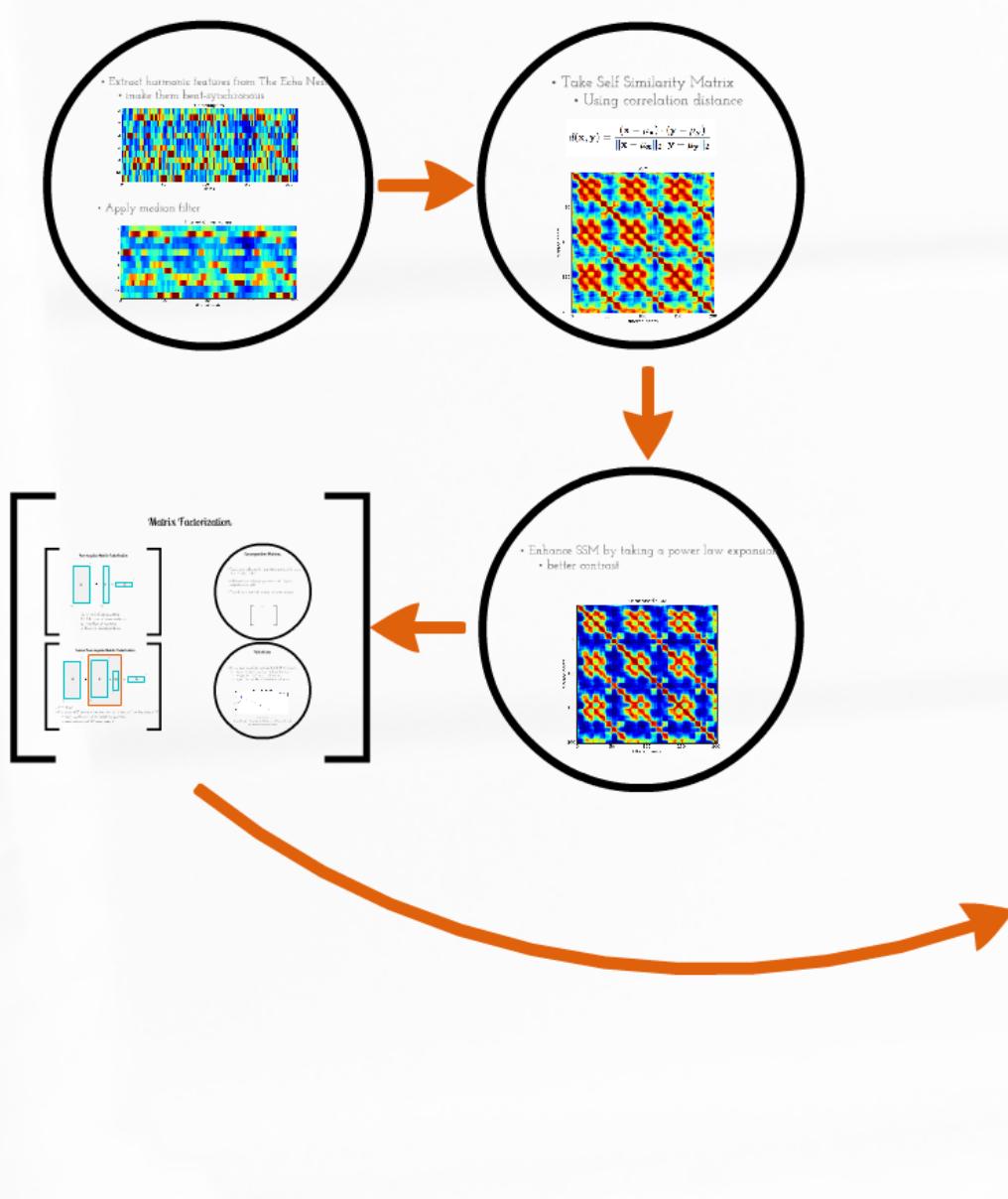
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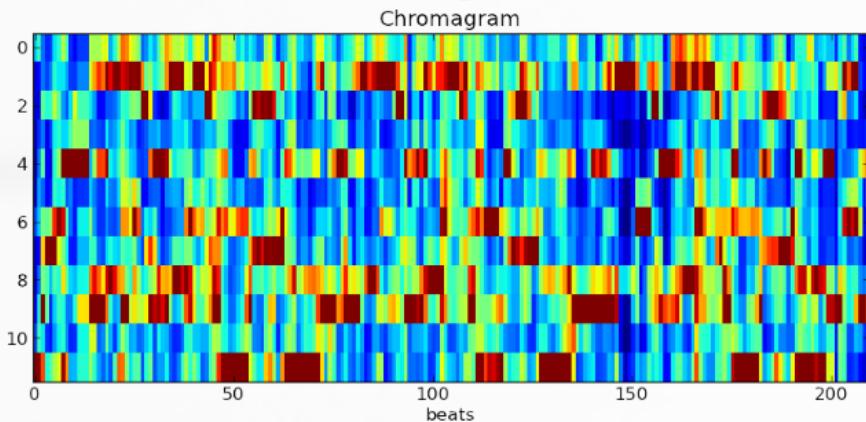
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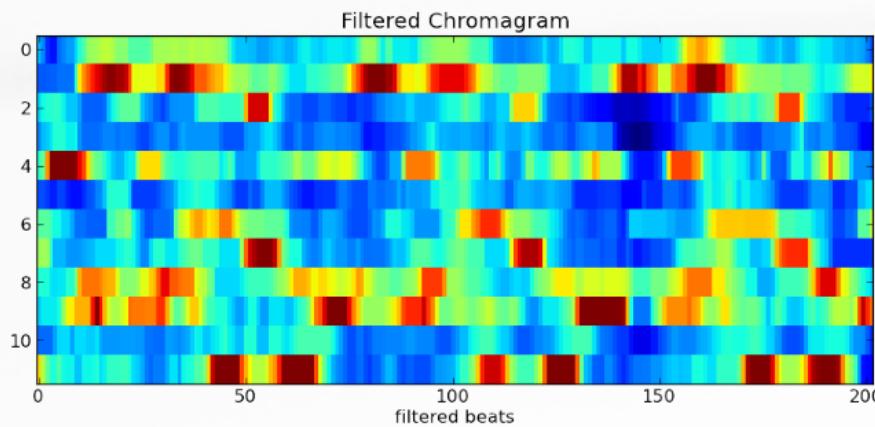
How?



- Extract harmonic features from The Echo Nest
 - make them beat-synchronous

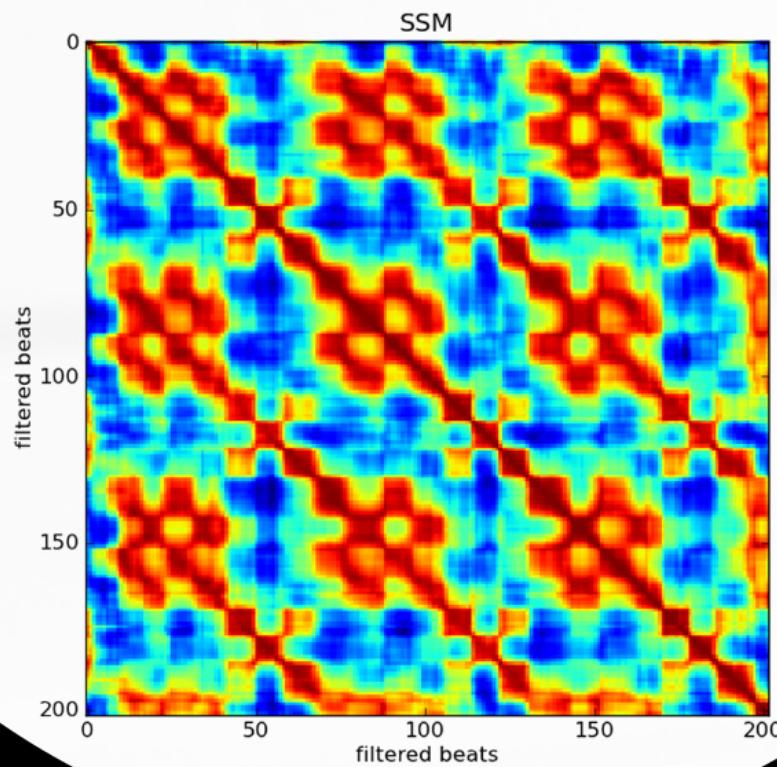


- Apply median filter

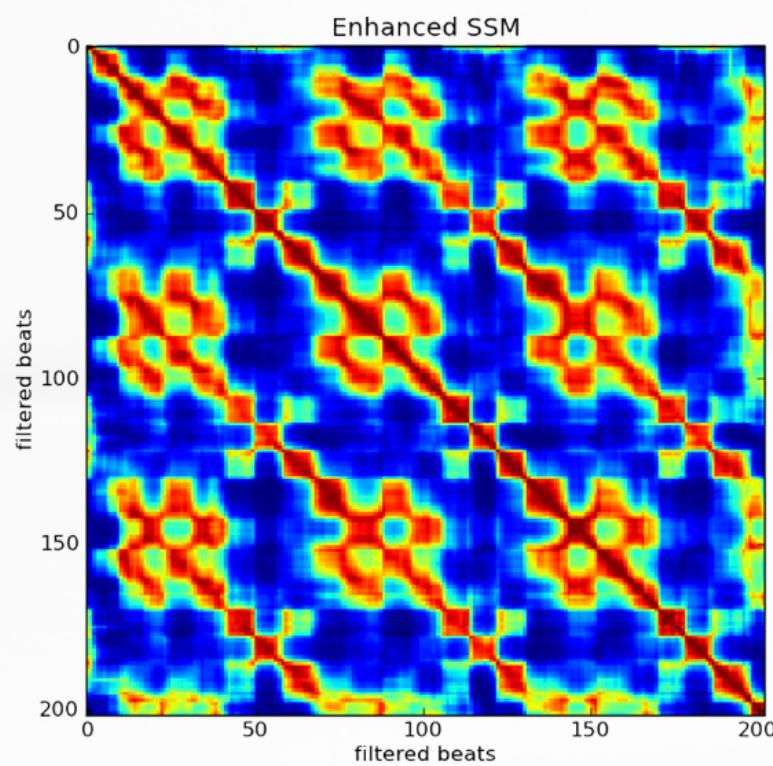


- Take Self Similarity Matrix
 - Using correlation distance

$$d(\mathbf{x}, \mathbf{y}) = \frac{(\mathbf{x} - \mu_{\mathbf{x}}) \cdot (\mathbf{y} - \mu_{\mathbf{y}})}{\|\mathbf{x} - \mu_{\mathbf{x}}\|_2 \|\mathbf{y} - \mu_{\mathbf{y}}\|_2}$$

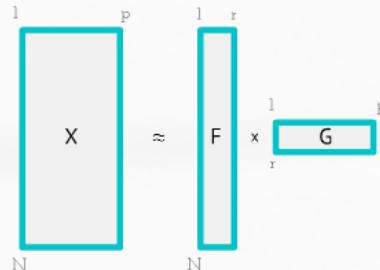


- Enhance SSM by taking a power law expansion
 - better contrast



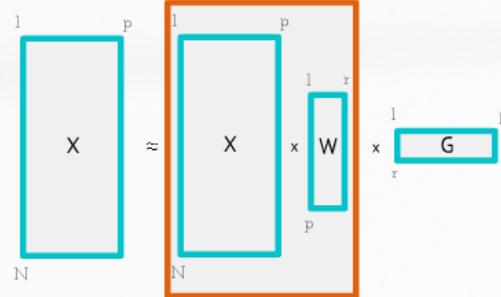
Matrix Factorization

Non-negative Matrix Factorization



X , F , and G are positive
 N : Number of observations
 p : Number of features
 r : Rank of decomposition

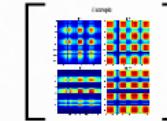
Convex Non-negative Matrix Factorization



- $F = XW$
- Columns of F become convex combinations of the features of X
 - Each coefficient of W must be positive
 - Each column of W must sum 1

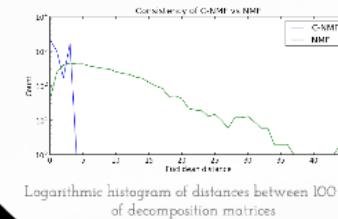
Decomposition Matrices

- There are r different decomposition matrices for each matrix factorization
- Obtained by multiplying a column of F by its respective row of G
- They have a key role in music structure analysis

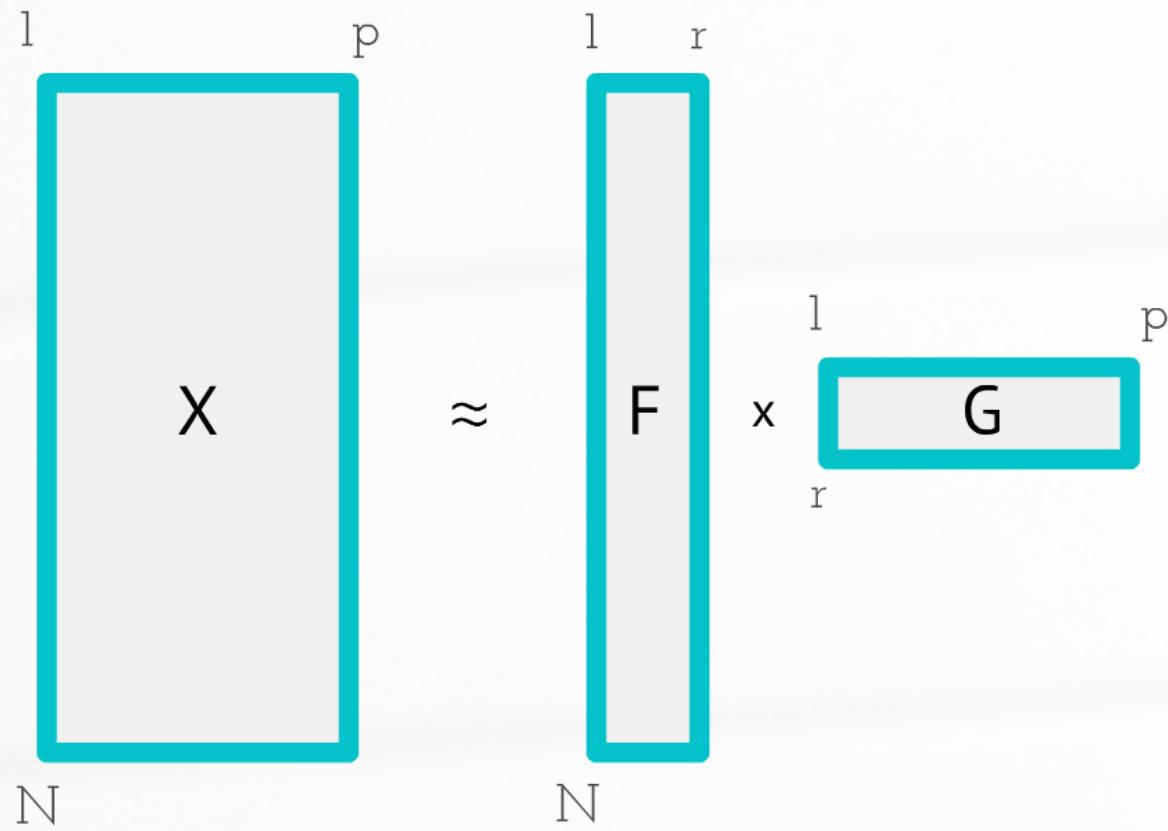


Robustness

- By adding a convex constrain to NMF we tend to find more consistent solutions in less iterations
 - Less prone to fall into local minima
 - Lower the number of iterations -> Faster



Non-negative Matrix Factorization



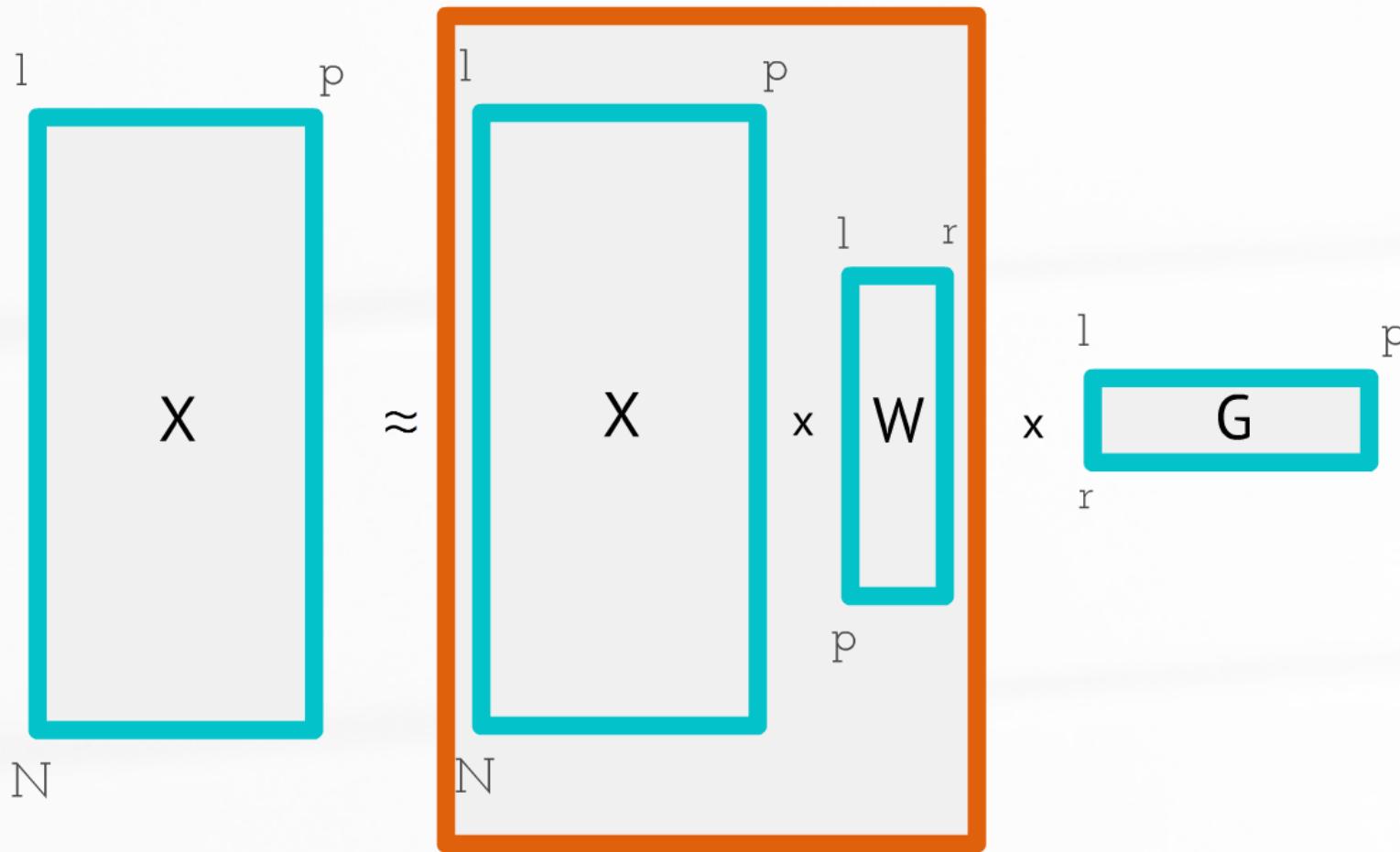
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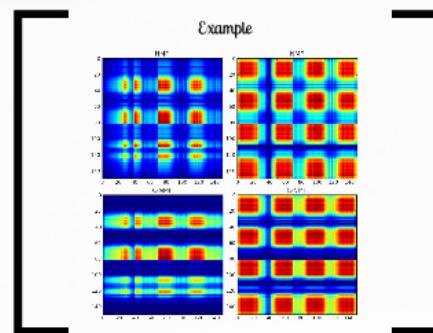
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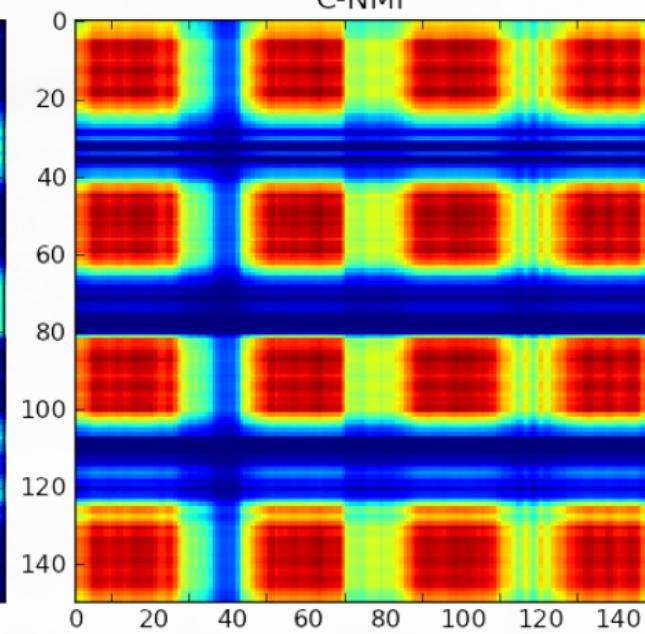
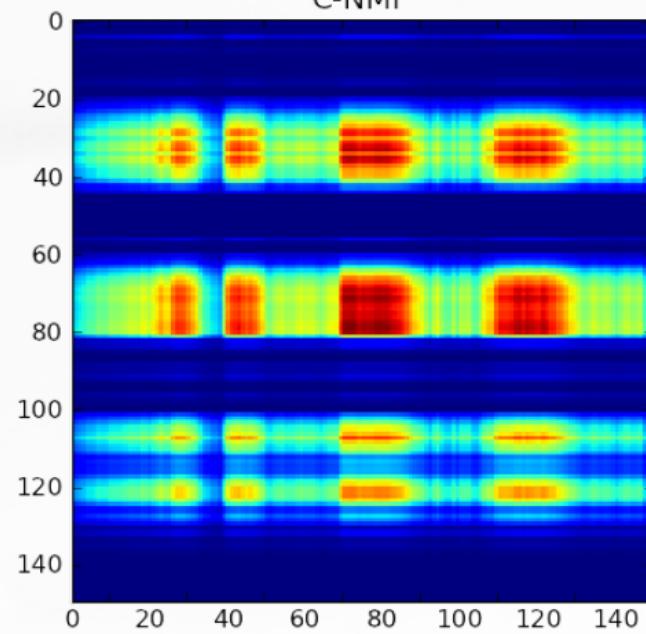
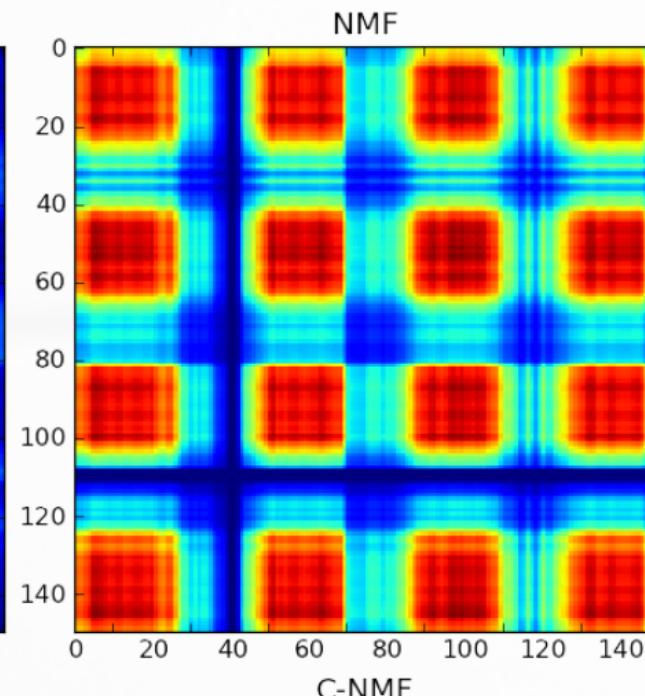
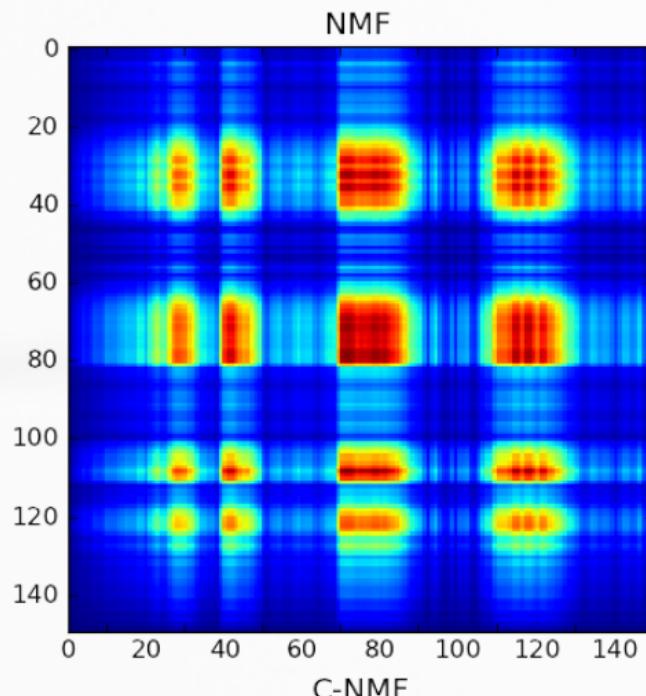
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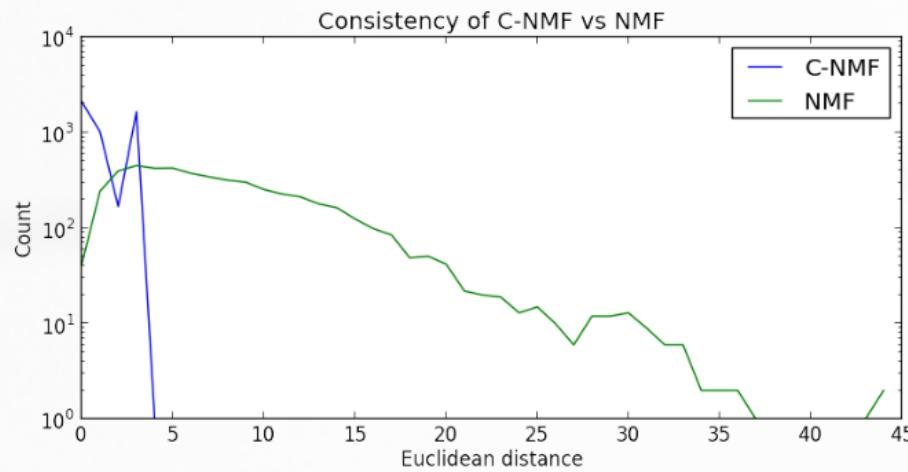


Example



Robustness

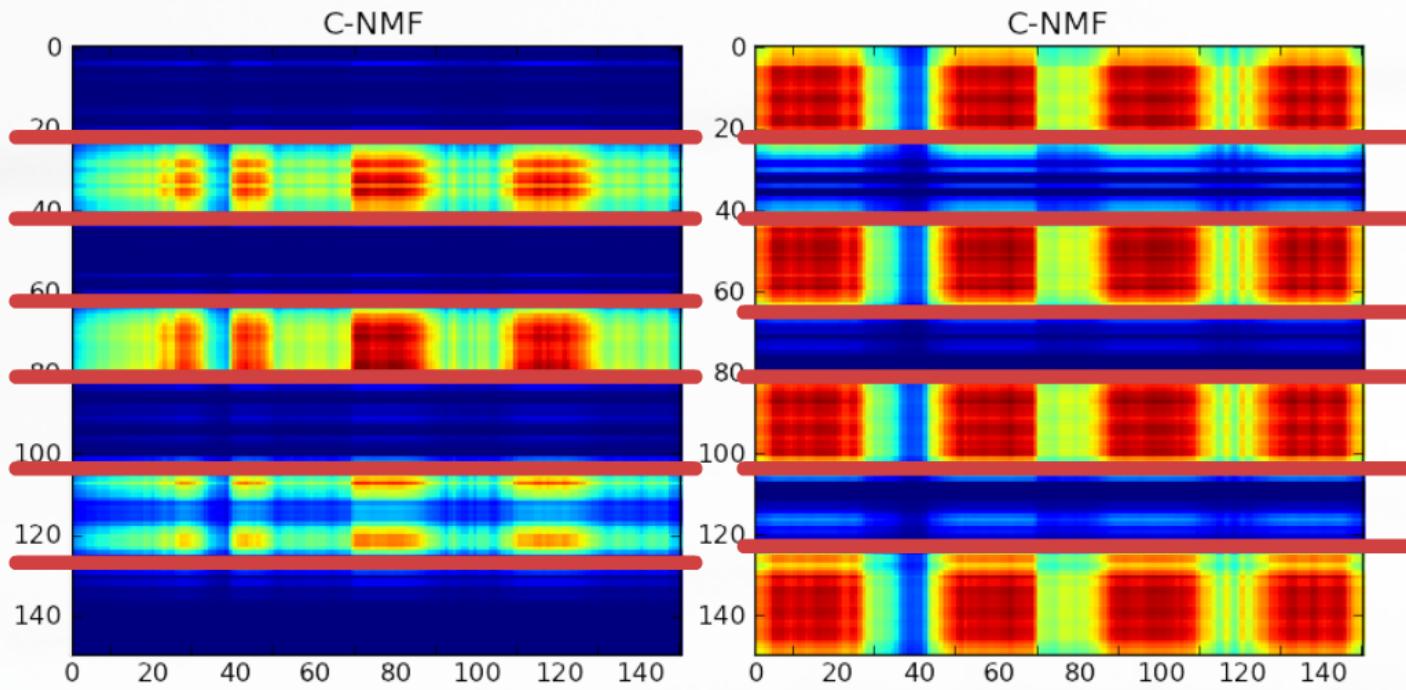
- By adding a convex constrain to NMF we tend to find more consistent solutions in less iterations
 - Less prone to fall into local minima
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Logarithmic histogram of distances between 100 sets
of decomposition matrices

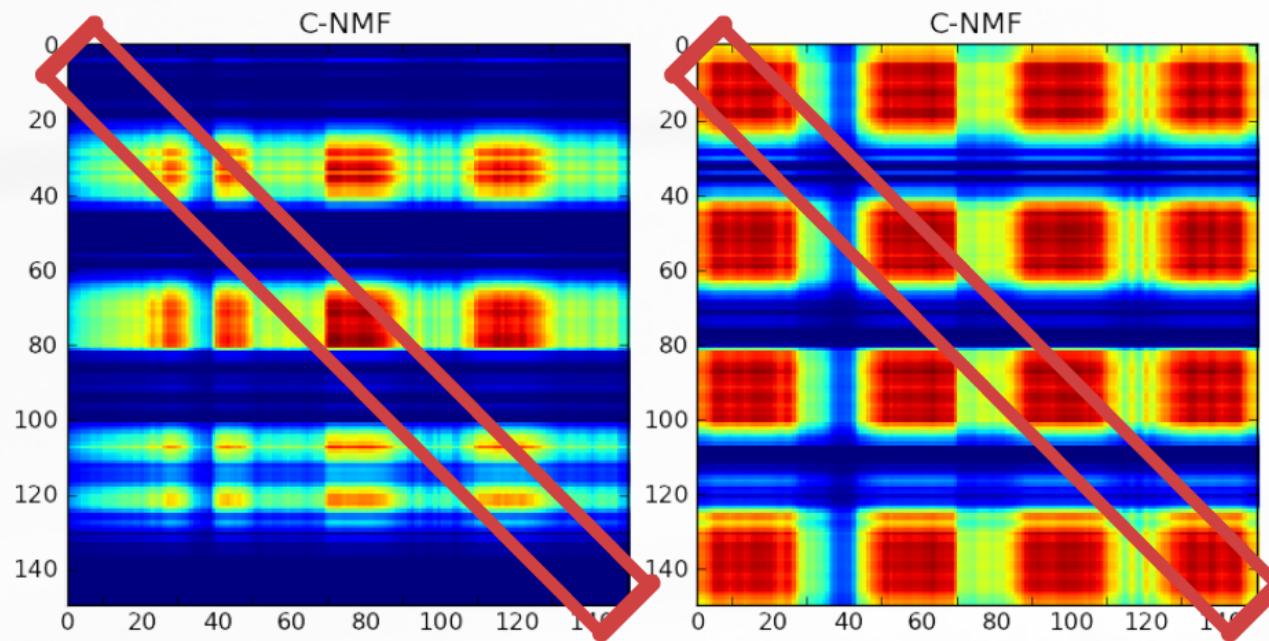
Finding Boundaries

- Run k-means on the decomposition matrices
- Set number of clusters to k=2
- Average the resulting boundaries of each matrix



Clustering Sections

- Run k-means on the feature space formed by the diagonals of the decomposition matrices (Kaiser 2010)
- Make use of previously found boundaries
- The number of possible sections is fixed (K) when running k-means



Results

- Datasets:
 - The Beatles dataset
 - 176 annotated songs
 - Typically used for this task
 - Overfitting The Beatles?
 - SALAMI dataset (Smith 2011)
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- Methods:
 - C-NMF
 - NMF
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 - $r = 2$
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Results on The Beatles

TUT Beatles Dataset								
Method	Clustering				Boundaries			
	F	P	R	S _o	S _u	F	P	R
C-NMF	59.3	48.9	83.2	49.8	47.8	57.3	54.9	64.6
NMF	56.6	48.8	77.7	43.7	49.6	58.9	54.7	67.7
SI-PLCA	55.8	46.3	80.7	41.0	50.6	23.2	50.9	17.2
Kaiser	60.8	61.5	64.6	—	—	50.0	46.5	52.2

F: F-measure
 P: Precision
 R: Recall
 So: Over-Segmentation entropy
 Su: Under-Segmentation entropy

Results on SALAMI

SALAMI (Internet Archive) Dataset								
Method	Clustering				Boundaries			
	F	P	R	S _o	S _u	F	P	R
C-NMF	53.1	44.0	81.0	50.6	44.3	45.1	45.0	52.3
NMF	51.5	42.8	77.6	37.9	45.6	46.8	44.0	62.7
SI-PLCA	51.3	53.8	52.1	44.2	51.4	24.8	45.1	18.4

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	F	P	R	S_o	S_u	F	P	R
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Method	Clustering					Boundaries		
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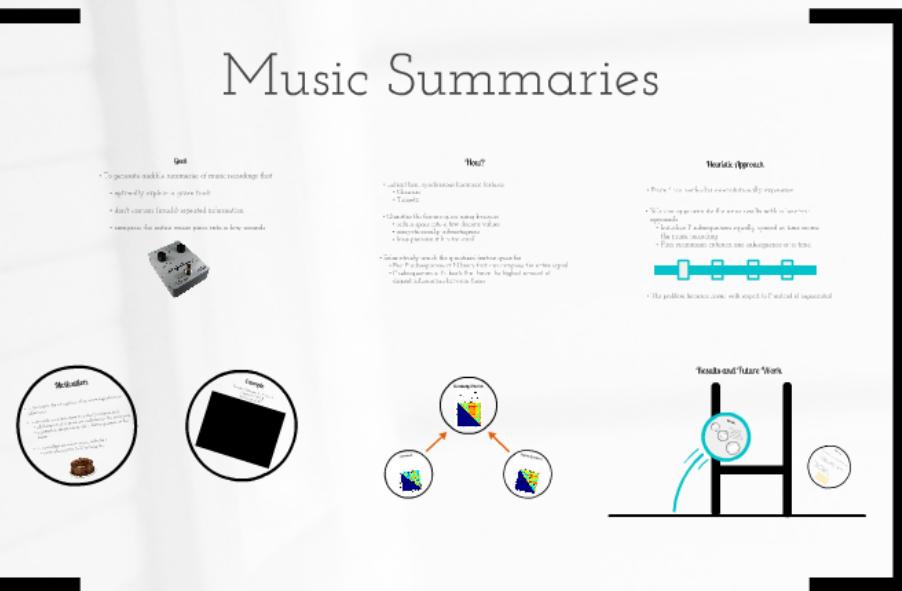
S_u : Under-Segmentation entropy

Conclusions and Future Work

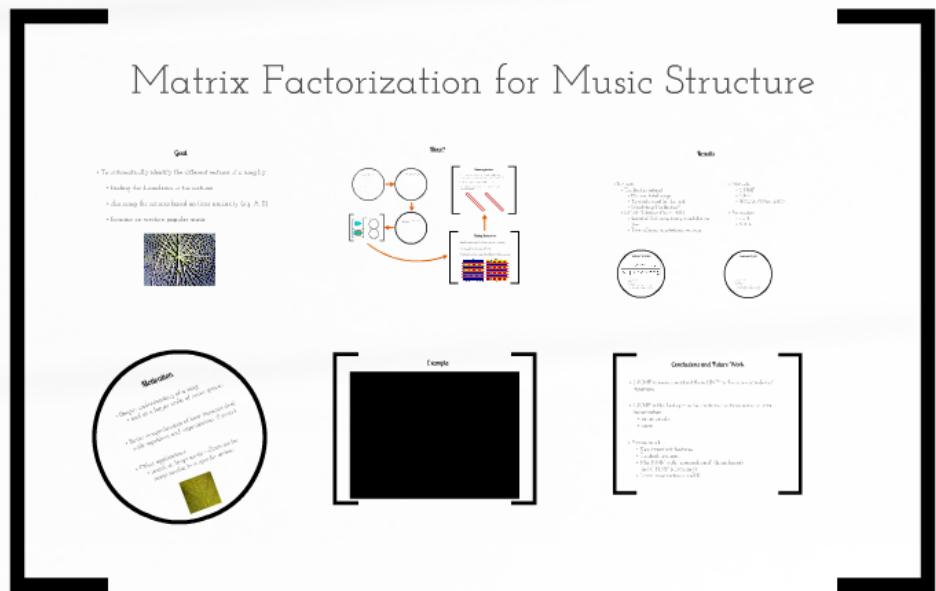
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Music Structure Analysis

Music Summaries



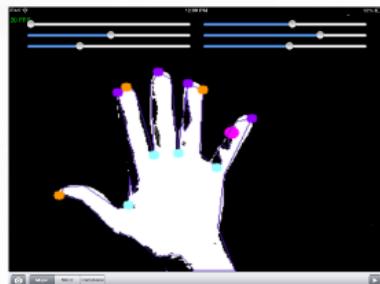
Matrix Factorization for Music Structure



New Musical Interfaces

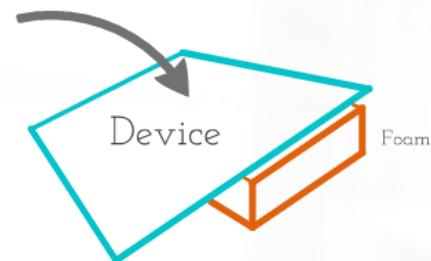
AirSynth

- Detect hand with camera
 - Color coded
 - Convex-Hull algorithm
- Detect number of fingers
- Map movement to different sound synthesis parameters



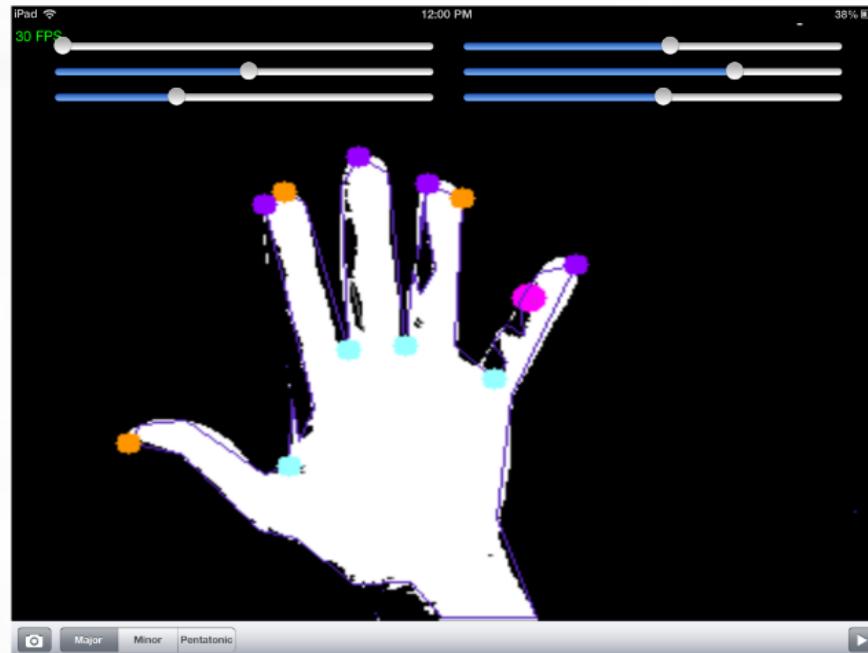
Foam Force Feedback

- Add small piece of foam under device
- Use accelerometer to track distance
- Distance will mark the amount of pressure



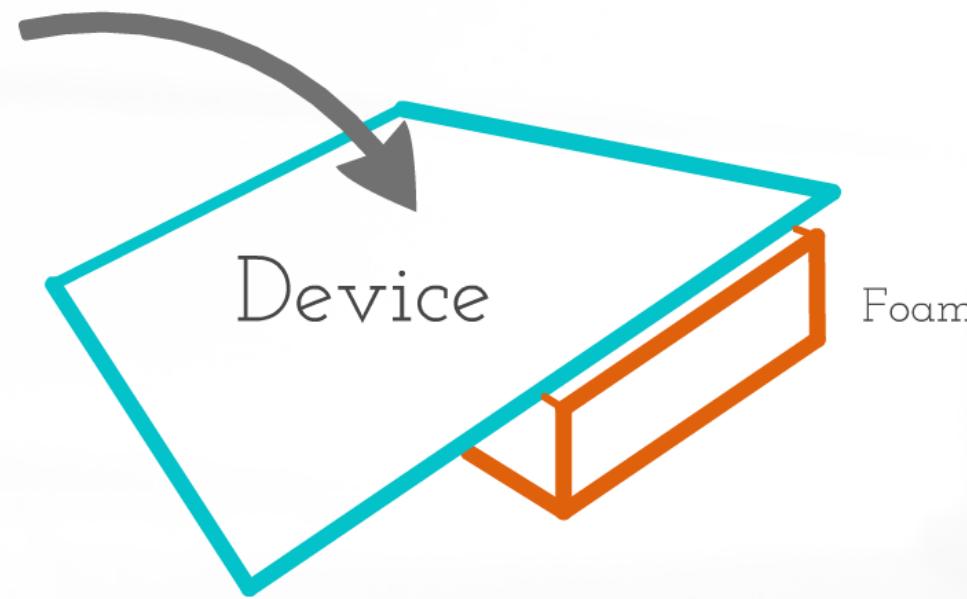
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- Detect number of fingers
- Map movement to different sound synthesis parameters

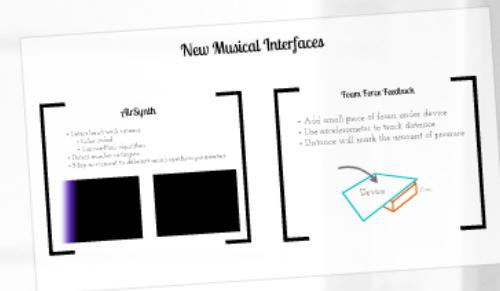
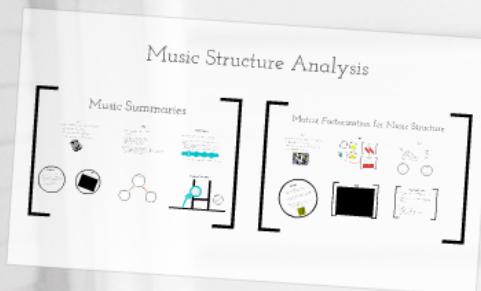


Foam Force Feedback

- Add small piece of foam under device
- Use accelerometer to track distance
- Distance will mark the amount of pressure



Music Structure Analysis and New Musical Interfaces



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