### Music Segment Similarity Using 2D-Fourier Magnitude Coefficients

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- Music Structure Analysis
- 2D-Fourier Magnitude Coefficients
- Experiments
- Conclusions and Discussion



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# Music Structure Analysis Overview

#### Goal:

- Automatically identify the different segments (or sections) of a musical piece.
- Motivation:
  - Easier intra-piece navigation in music players.
  - Automatic generation of summaries and/or mash-ups.
  - Large-scale musicological research.
- Two subproblems:
  - Estimate the musical boundaries (time points that mark the start/end of a segment).
  - Classify the segments based on their acoustic similarity (e.g. verse, chorus).
- In this work we only focus on the **segment similarity** subproblem in **Western popular music**.



### Segment Similarity

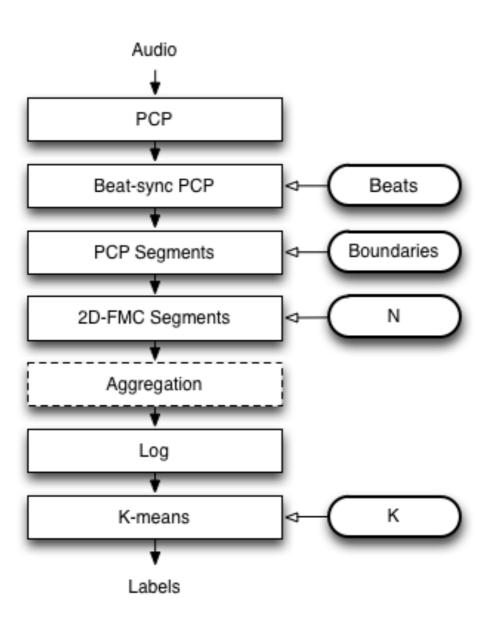
- Music similarity between two segments:
  - Common harmonic or melodic sequences
  - Possible key-transpositions
  - Acceptable phase shifts in patterns
  - Might be played at different tempi
- Beat-synchronous 2D-FMCs are an excellent feature representation candidate:
  - Key-transposition invariance
  - Phase shift invariance
  - Local tempo invariance (beat-sync)
- Previously, in MIR, 2D-FMCs used for Large Scale Cover Song Identification (Bertin-Mahieux 2012, Humphrey 2013)



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Pipeline of the system:





#### Audio ▶ PCP: Pitch Class Profiles (Chromagram) PCP ► Harmonic representation: Beat-sync PCP Beats PCP Segments Boundaries 2D-FMC Segments Aggregation Log 10 K-means Labels



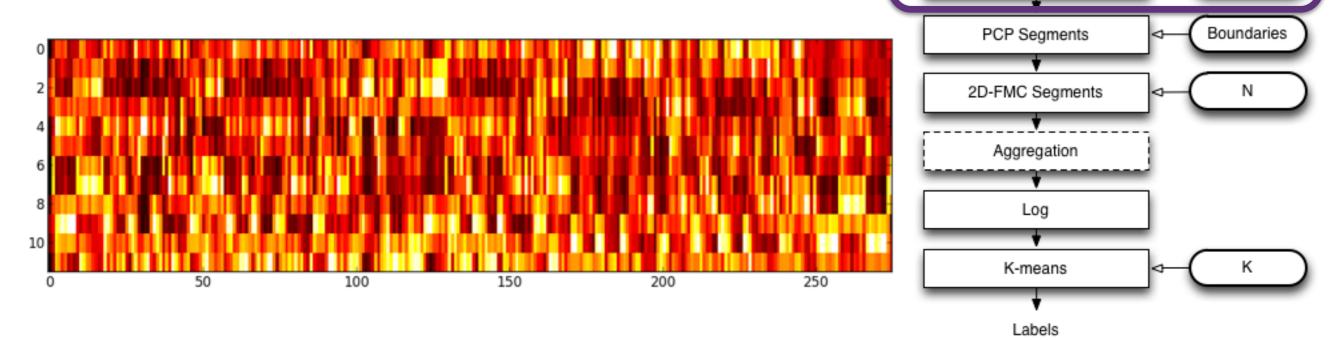
Audio

PCP

Beat-sync PCP

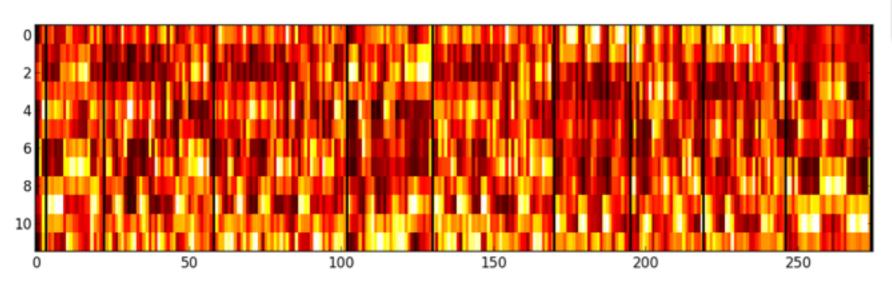
Beats

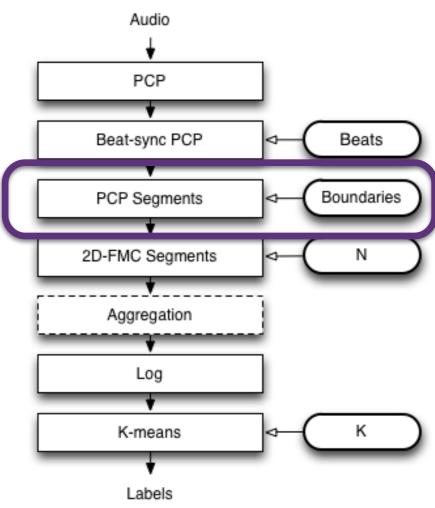
- ▶ Beat-Synchronous PCP:
  - Obtain the beats using The Echo Nest API
  - Average pitch vectors within beat boundaries (Ellis 2007)





- PCP segments:
  - Obtain the segment boundaries using:
    - ground truth
    - Automatic method (Serrà 2012)







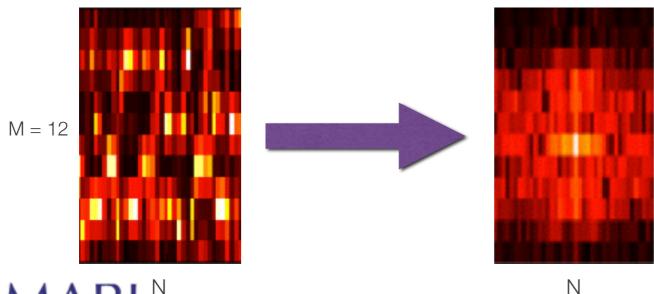
2D Fourier Transform:

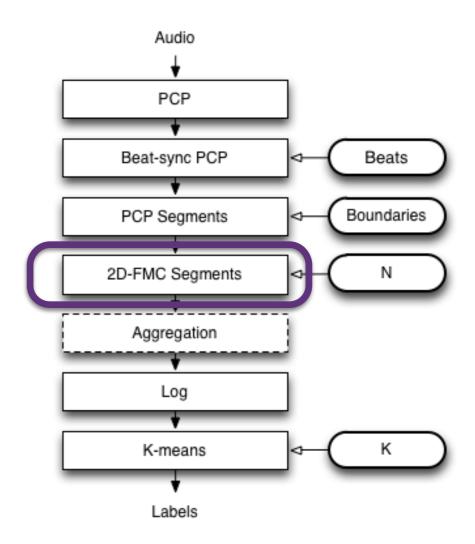
$$X(u,v) = \frac{1}{MN} \sum_{m=0}^{M-1} \sum_{n=0}^{N-1} x_i(m,n) e^{-2\pi i \left(\frac{mu}{M} + \frac{nv}{N}\right)}$$

- We discard the phase, keep only the Magnitude:
  - Key-transposition invariance
  - Phase-shift invariance

Input: PCP Segment

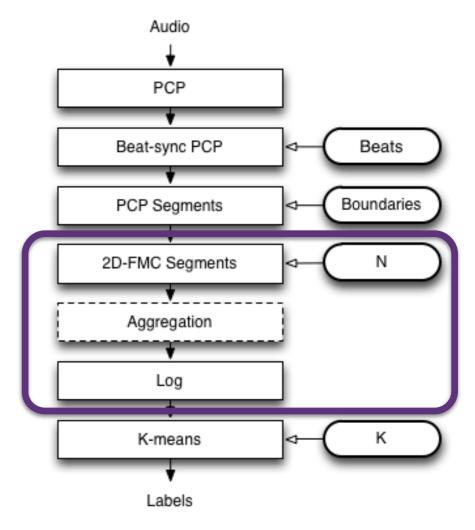
Output: 2D-FMC patch





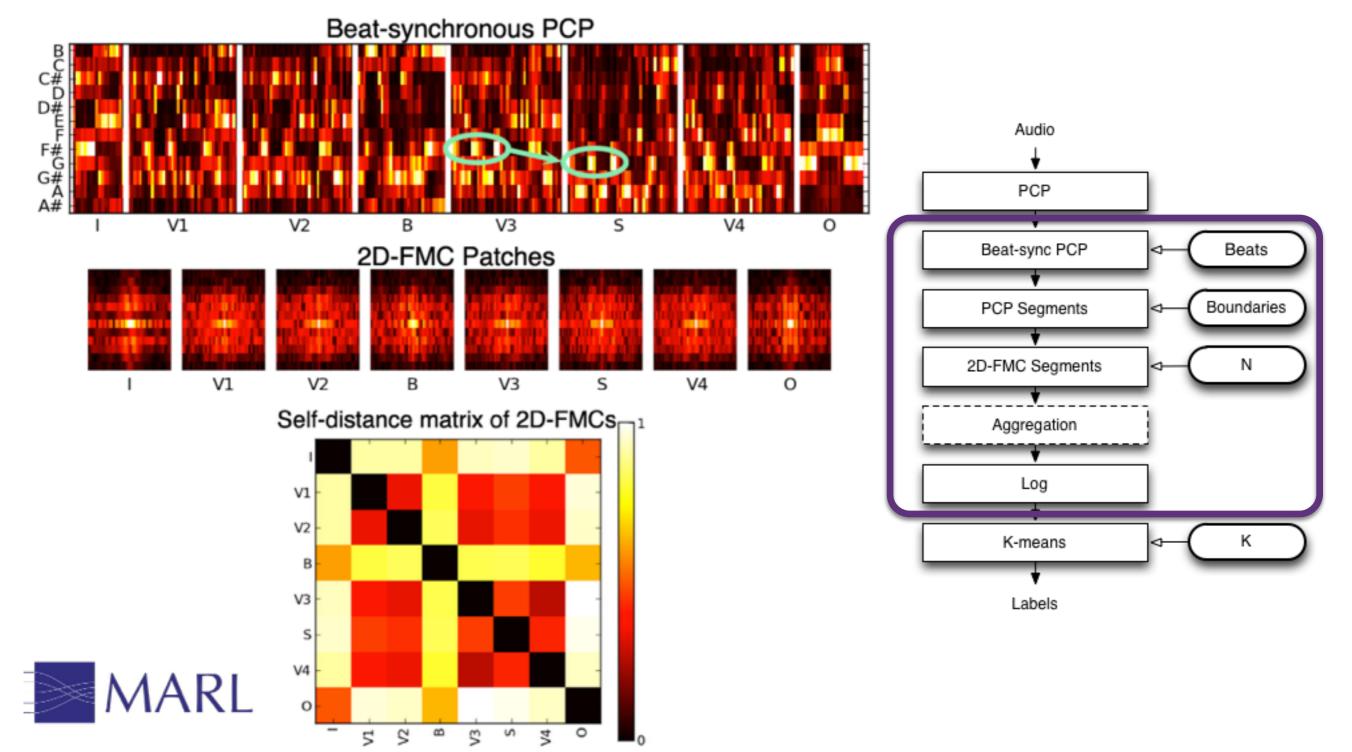


- Segment-synchronous 2D-FMCs:
  - We want to ultimately compare each 2D-FMC segment
  - We need to have 2D-FMC segments of the same size in order to quantify the similarity: segment-synchronous
- Segment-synchronization Strategy:
  - Maximum window size
    - ▶ N = Maximum segment size
    - Zero pad the rest
    - No aggregation
- Finally, we take the log of the 2D-FMCs

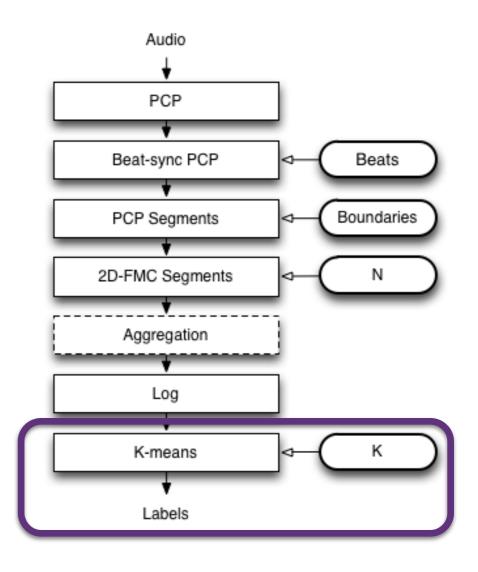




Example (And I Love Her - The Beatles)



- Cluster the segment-synchronous 2D-FMCs:
  - K-means with Euclidean distance
  - We can estimate K:
    - Bayesian Information Criterion (BIC) validates the quality of each partition
    - ▶ Run K-means with various K and use the knee point detection method in BIC (Zhao 2008).
  - Output: Labels of the segments





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### Experiments: Evaluation

- The Beatles Dataset:
  - ▶ 180 human annotated tracks
- Evaluation metrics:
- ▶ Pairwise clustering (Levy 2008):

▶ **Pf**: F-measure

Pp: Precision

▶ Pr: Recall



▶ **Sf**: F-measure

▶ So: Over-segmentation

▶ Su: Under-segmentation



"Nobody knows what entropy really is, so in any discussion you will always have an advantage" - John von Neumann



### Experiments

- Experiment 1:
  - Ground Truth Boundaries
  - Ground Truth K (number of unique segments per track)

Ntype	Aggr.	$P_F$	$P_P$	$P_R$	$S_F$	$S_o$	$S_{m{u}}$
Max	_	81.96	84.35	81.3	87.18	86.27	89.14
Kaiser [10]		80.0	87.0	76.6	_	_	_



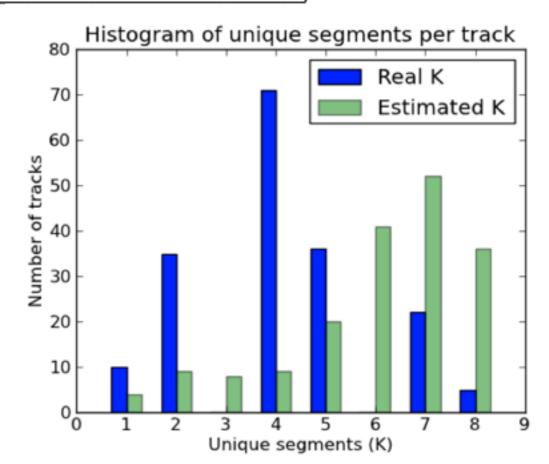
### Experiments

- Experiment 2:
  - Estimate K
  - Ground Truth Boundaries
  - Fixed and automatic K (using the knee method in BIC)

k	$P_F$	$P_P$	$P_R$	$S_F$	$S_o$	$S_u$
3	68.20	55.94	95.03	71.46	94.54	59.66
4	76.12	70.18	88.60	81.20	89.60	76.29
5	76.83	80.47	77.93	83.28	82.68	85.82
6	72.26	85.14	66.11	81.68	76.14	90.30
auto	71.50	83.93	68.76	80.35	83.39	85.65

- Fixing K=5 yields better F-measures (but this is overfitting to The Beatles)
- Hard task to estimate K given the small amount of segments to cluster per song
- X-means might yield better estimations





### Experiments

- Experiment 3:
  - Estimated Boundaries (Serrà 2012)
  - Fixed and automatic K

k	$P_F$	$P_P$	$P_R$	$S_F$	$S_o$	$S_u$
4	53.93	47.57	67.18	58.76	69.00	53.37
5	54.41	53.83	58.75	63.01	65.82	62.48
6	57.34	64.07	54.49	68.09	65.26	72.95
7	58.31	71.74	51.15	71.15	65.01	80.19
auto	57.31	66.68	52.75	68.95	65.99	76.39
Kaiser [10]	60.8	61.5	64.6	_	_	_
Mauch [13]	66	61	77	69.48	76	64
Nieto [5]	59.3	48.9	83.2	47.78	49.8	47.8
Paulus [8]	59.9	72.9	54.6	_	_	-
Peiszer [6]*	59.7	61.1	62.3	_	_	-
Weiss [4]	60	57	69	58.84	62	56

- Worse pairwise clustering measures
- State of the art entropy scores
- Significant drop in scores when using estimated boundaries
- Which metric is better?



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#### Conclusions and Discussion

- ▶ Beat-Sync 2D-FMC representation:
  - Key-transposition invariant
  - Phase-shift invariant
  - Local tempo invariant
- State of the art when using fixed boundaries
- Hard to estimate K
  - Use X-means?
  - Use more 2D-FMC patches (one per beat)?
- ▶ Future work: Use this method to estimate boundaries



#### References

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### Questions?

- ▶ Beat-Sync 2D-Fourier Magnitude Coefficient representation:
  - Key-transposition invariant
  - Phase-shift invariant
  - Local tempo invariant

