

## 标签 AtCoder 下的文章

🏠 首页 (<https://blog.orzsiyuan.com/>) / AtCoder

### 「ARC 102C」 Stop. Otherwise... (<https://blog.orzsiyuan.com/archives/ARC-102C-Stop-Otherwise/>)

题目链接: ARC 102C ([https://atcoder.jp/contests/arc102/tasks/arc102\\_c](https://atcoder.jp/contests/arc102/tasks/arc102_c))

Takahashi 有  $n$  个骰子, 每个骰子有  $k$  个面分别标号为 1 到  $k$ 。对于每个  $i = 2, 3, \dots, 2k$ , 求满足以下条件的方案数对 998244353 的值。

- 投掷这  $n$  个骰子, 没有任何两个不同骰子的数字之和为  $i$ 。

注意骰子之间是相同的。也就是说, 当存在整数  $k$  使得两个方案数数字  $k$  的骰子数量不同, 那么这两个方案被认为是不同的。

数据范围:  $2 \leq n \leq 2000, 1 \leq k \leq 2000$ 。

👤 Siyuan (<https://blog.orzsiyuan.com/author/1/>) © 2019 年 04 月 17 日

### 「ARC 102B」 All Your Paths are Different Lengths (<https://blog.orzsiyuan.com/archives/ARC-102B-All-Your-Paths-are-Different-Lengths/>)

题目链接: ARC 102B ([https://atcoder.jp/contests/arc102/tasks/arc102\\_b](https://atcoder.jp/contests/arc102/tasks/arc102_b))

给定一个整数  $L$ , 构造一张满足如下条件的有向图。图中可以包含重边, 可以证明这样的图一定是存在的。

- 这张图的点数  $n$  至多为 20, 点从 1 到  $n$  标号。
- 这张图的边数  $m$  至多为 60, 边的长度为  $[0, 10^6]$ 。
- 每条边从标号小的点连向标号大的点, 也就是说  $1, 2, \dots, n$  是这张图的一种可能的拓扑序。
- 从点 1 到  $n$  有  $L$  条不同的路径, 这些路径的长度两两不同, 长度分别为 0 到  $L - 1$ 。

此处路径的长度为这条路径上所有边的长度之和。当两条路径包含的边的集合不同时, 这两条路径是不同的。

数据范围:  $2 \leq L \leq 10^6$ 。

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## 「ARC 103D」 Distance Sums (<https://blog.orzsiyuan.com/archives/ARC-103D-Distance-Sums/>)

题目链接: ARC 103D ([https://atcoder.jp/contests/arc103/tasks/arc103\\_d](https://atcoder.jp/contests/arc103/tasks/arc103_d))

你有一个长度为  $n$  的序列  $D_1, D_2, \dots, D_n$ , 所有的  $D_i$  是两两不同的。是否存在一棵树满足如下条件?

- 节点从 1 到  $n$  标号, 边从 1 到  $n$  标号。
- 对于每个节点  $i$ , 它到其他节点的距离之和为  $D_i$ , 注意每条边的长度都是 1。

如果存在这样一棵树, 求出这棵树。

数据范围:  $2 \leq n \leq 10^5$ ,  $1 \leq D_i \leq 10^{12}$ 。

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## 「ARC 103C」 Tr/ee (<https://blog.orzsiyuan.com/archives/ARC-103C-Tree/>)

题目链接: ARC 103C ([https://atcoder.jp/contests/arc103/tasks/arc103\\_c](https://atcoder.jp/contests/arc103/tasks/arc103_c))

你有一个长度为  $n$  的字符串  $s$ 。是否存在一棵有  $n$  个节点的树满足如下条件?

- 节点从 1 到  $n$  标号。边从 1 到  $n-1$  标号。
- 如果字符串  $s$  的第  $i$  个字符为 1, 那么我们可以通过删掉其中一条边得到一个大小为  $i$  的连通块。
- 如果字符串  $s$  的第  $i$  个字符为 0, 那么我们不能通过删掉任何一条边得到一个大小为  $i$  的连通块。

如果存在这样一棵树, 求出这棵树。

数据范围:  $2 \leq n \leq 10^5$ 。

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## 「ARC 103B」 Robots Arms (<https://blog.orzsiyuan.com/archives/ARC-103B-Robots-Arms/>)

题目链接: ARC 103B ([https://atcoder.jp/contests/arc103/tasks/arc103\\_b](https://atcoder.jp/contests/arc103/tasks/arc103_b))

Snuke 正在向他的工厂介绍一款机械臂:

- 机械臂由  $m$  个部分和  $m+1$  个关节组成, 关节标号为 0 到  $m$ 。第  $i$  个部分连着第  $i-1$  和  $i$  个关节。第  $i$  个部分的长度为  $d_i$ 。
- 对于每个部分, 可以单独指定其动作。现在有 4 种模式: L、R、D 和 U。如果我么把工厂视为坐标平面, 那么关节  $i$  的位置将通过如下方法确定 (我么将它的坐标表示为  $(x_i, y_i)$ ):

- $(x_0, y_0) = (0, 0)$ 。
- 如果第  $i$  个模式为 L, 那么  $(x_i, y_i) = (x_{i-1} - d_i, y_{i-1})$ 。
- 如果第  $i$  个模式为 R, 那么  $(x_i, y_i) = (x_{i-1} + d_i, y_{i-1})$ 。
- 如果第  $i$  个模式为 D, 那么  $(x_i, y_i) = (x_{i-1}, y_{i-1} - d_i)$ 。
- 如果第  $i$  个模式为 U, 那么  $(x_i, y_i) = (x_{i-1}, y_{i-1} + d_i)$ 。

Snuke 想要引入一种机械臂, 以便通过正确的指定模式, 使得关节  $m$  可以到达所有的  $n$  个点  $(X_1, Y_1), (X_2, Y_2), \dots, (X_n, Y_n)$ 。请判断这是否可行。如果可行, 那么请你构造一个满足条件的机械臂, 并分别给出到达  $n$  个点的模式方案。

在你构造出的方案中, 必须满足  $1 \leq m \leq 40, 1 \leq d_i \leq 10^{12}$ 。

数据范围:  $1 \leq n \leq 1000, -10^9 \leq X_i, Y_i \leq 10^9$ 。

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「AGC 027C」ABland Yard (<https://blog.orzsiyuan.com/archives/AGC-027C-ABland-Yard/>)

题目链接: AGC 027C ([https://atcoder.jp/contests/agc027/tasks/agc027\\_c](https://atcoder.jp/contests/agc027/tasks/agc027_c))

给出一个  $n$  个点,  $m$  条边的无向图 (可能有自环)。每个节点有一个值 A 或 B, 你可以从任意一个节点出发, 经过一些节点后 (可以重复经过) 并将经过节点的值顺次写出来, 就可以得到一个字符串。求是否满足对于任何一个满足只包含 A 或 B 的字符串都可以被这张图构造出来。

数据范围:  $n, m \leq 2 \times 10^5$ 。

👤 Siyuan (<https://blog.orzsiyuan.com/author/1/>) © 2018 年 11 月 23 日

「AGC 005D」~K Perm Counting (<https://blog.orzsiyuan.com/archives/AGC-005D-K-Perm-Counting/>)

题目链接: AGC 005D ([https://atcoder.jp/contests/agc005/tasks/agc005\\_d](https://atcoder.jp/contests/agc005/tasks/agc005_d))

给出  $n$  和  $k$ , 求有多少个长度为  $n$  的排列  $a$  使得对于任意的  $1 \leq i \leq n$ , 都满足  $|a_i - i| \neq k$ 。

数据范围:  $2 \leq n \leq 2000, 1 \leq k < n$ 。

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运行天数	1年25天
最后活动	4 个月前

标签云

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