

标签 动态规划 下的文章

🏠 首页 (<https://blog.orzsiyuan.com/>) / 动态规划

「Codeforces 1228E」Another Filling the Grid
(<https://blog.orzsiyuan.com/archives/Codeforces-1228E-Another-Filling-the-Grid/>)

题目链接: Codeforces 1228E (<https://codeforces.com/contest/1228/problem/E>)

你有一个 $n \times n$ 的网格和一个整数 k , 在每个格子中都填入一个整数, 满足如下条件:

- 所有格子中的整数都介于 1 到 k 之间。
- 第 i 行的最小值为 1 ($1 \leq i \leq n$) 。
- 第 j 列的最小值为 1 ($1 \leq j \leq n$) 。

请求出填数的方案数, 答案对 $10^9 + 7$ 取模。

数据范围: $1 \leq n \leq 250, 1 \leq k \leq 10^9$ 。

👤 Siyuan (<https://blog.orzsiyuan.com/author/1/>) © 2019 年 10 月 01 日

「Codeforces 1204E」Natasha, Sasha and the Prefix Sums
(<https://blog.orzsiyuan.com/archives/Codeforces-1204E-Natasha-Sasha-and-the-Prefix-Sums/>)

题目链接: Codeforces 1204 (<https://codeforces.com/contest/1204/problem/E>)

Natasha 最喜欢的数字是 n 和 1, Sasha 最喜欢的数字是 m 和 -1 。某一天他们写下了长度为 $n + m$ 且包含恰好 n 个 1 和 m 个 -1 的所有可能的序列。对于每一个序列计算出它的最大前缀和 (允许为空); 形式化地, 我们定义 $f(a)$ 表示序列 $a_1, \dots, a_l (l \leq 0)$ 的最大前缀和, 那么有:

$$f(a) = \max \left(0, \max_{i=1}^l \sum_{j=1}^i a_j \right)$$

现在他们想要对于所有满足条件的序列, 求出 $f(a)$ 的总和。答案对 998244853 取模。

数据范围: $0 \leq n, m \leq 2000$ 。

👤 Siyuan (<https://blog.orzsiyuan.com/author/1/>) © 2019 年 09 月 08 日

「Codeforces 1189F」 Array Beauty (<https://blog.orzsiyuan.com/archives/Codeforces-1189F-Array-Beauty/>)

题目链接: Codeforces 1189F (<https://codeforces.com/contest/1189/problem/F>)

我们定义一个序列 $b_1, b_2, \dots, b_n (n > 1)$ 的「美丽值」为 $\min_{1 \leq i < j \leq n} |b_i - b_j|$ 。

我们给定一个序列 a_1, a_2, \dots, a_n 和一个数字 k 。请计算出所有长度恰好为 k 的子序列的「美丽值」之和，答案对 998244353 取模。

数据范围: $2 \leq k \leq n \leq 1000, 0 \leq a_i \leq 10^5$ 。

👤 Siyuan (<https://blog.orzsiyuan.com/author/1/>) © 2019 年 08 月 05 日

「Codeforces 1199F」 Rectangle Painting 1 (<https://blog.orzsiyuan.com/archives/Codeforces-1199F-Rectangle-Painting-1/>)

题目链接: Codeforces 1199F (<https://codeforces.com/contest/1199/problem/F>)

有一个大小为 $n \times n$ 的网格图。其中一些格子是黑色的，其余格子都是白色的。你每次操作可以任意选择一个大小为 $h \times w$ 的矩形并把它全部染成白色，花费为 $\max(h, w)$ 。现在你想把所有格子都染成白色，请求出最小花费。

数据范围: $1 \leq n \leq 50$ 。

👤 Siyuan (<https://blog.orzsiyuan.com/author/1/>) © 2019 年 08 月 03 日

「2019 Multi-University Training Contest 2」 Everything Is Generated In Equal Probability (<https://blog.orzsiyuan.com/archives/2019-Multi-University-Training-Contest-2-Everything-Is-Generated-In-Equal-Probability/>)

题目链接: HDU 6595 (<http://acm.hdu.edu.cn/showproblem.php?pid=6595>)

Y_UME 有一个整数 N 和一串有趣的代码:

1 an interesting program

```

1: function SUBSEQUENCE(Array)
2:   result  $\leftarrow$  randomly select a subsequence of Array which could be empty in equal probability
3:   return result
4: end function
5: function CNTINVERSIONPAIRS(Array)
6:   return the number of inversion pairs of Array
7: end function
8: function CALCULATE(Array)
9:   cnt  $\leftarrow$  0
10:  if Length(Array) > 0 then
11:    cnt  $\leftarrow$  CntInversionPairs(Array)
12:    Temp  $\leftarrow$  SUBSEQUENCE(Array)
13:    cnt  $\leftarrow$  cnt + CALCULATE(Temp)
14:  end if
15:  return cnt
16: end function

```

首先，他先等概率随机一个正整数 $n \in [1, N]$ ，再等概率随机一个长度为 n 的排列。最后他会将这个排列传入函数 Calculate 并得到一个返回值。请你求出这个值的期望，答案对 998244353 取模。

本题有多组数据。

数据范围： $1 \leq N \leq 3000$ ， $\sum N \leq 5 \times 10^4$ 。

👤 Siyuan (<https://blog.orzsiyuan.com/author/1/>) © 2019 年 07 月 29 日

「2019 Multi-University Training Contest 1」 Typewriter
<https://blog.orzsiyuan.com/archives/2019-Multi-University-Training-Contest-1-Typewriter/>

题目链接： HDU 6583 (<http://acm.hdu.edu.cn/showproblem.php?pid=6583>)

有一天，Jerry 发现了一个奇怪的打字机。这个打字机有 2 种模式：第一种模式可以花费 p 的代价在最后插入一个任意字符；第二种模式可以花费 q 的代价复制任意一个子串并插在最后。

现在 Jerry 想要给 Tom 写一封信，这封信可以用一个只包含小写字母的字符串 s 表示。可惜 Jerry 很穷所以他想知道写这封信的最小花费。

本题由多组数据。

数据范围： $1 \leq |s| \leq 2 \times 10^5$ ， $\sum |s| \leq 5 \times 10^6$ 。

👤 Siyuan (<https://blog.orzsiyuan.com/author/1/>) © 2019 年 07 月 26 日

[2019 Multi-University Training Contest 1] Blank (<https://blog.orzsiyuan.com/archives/2019-Multi-University-Training-Contest-1-Blank/>)

题目链接: HDU 6578 (<http://acm.hdu.edu.cn/showproblem.php?pid=6578>)

有 n 个格子排成一行, 从左往右标号为 1 到 n 。

Tom 想要将每个格子填上 $\{0, 1, 2, 3\}$ 中的一个数字。但是他有 m 条限制: 第 i 条限制为区间 $[l_i, r_i]$ 中必须有恰好 x_i 种不同的数字。

请你求出满足所有限制的填数字的方案数量, 答案对 998244353 取模。

本题有 T 组数据。

数据范围: $1 \leq T \leq 15$, $1 \leq n \leq 100$, $0 \leq m \leq 100$, $1 \leq l_i \leq r_i \leq n$, $1 \leq x_i \leq 4$ 。

👤 Siyuan (<https://blog.orzsiyuan.com/author/1/>) ⌚ 2019 年 07 月 23 日

[Codeforces 1178F2] Long Colorful Strip (<https://blog.orzsiyuan.com/archives/Codeforces-1178F2-Long-Colorful-Strip/>)

题目链接: Codeforces 1178F2 (<https://codeforces.com/contest/1178/problem/F2>)

世界上有 $n + 1$ 种不同的颜色, 从 0 到 n 标号。现在你有一张长度为 m 的纸, 所有位置的初始颜色均为 0。

Alice 通过如下步骤对这张纸染色。她按顺序使用颜色 1 到 n 染色, 对于第 i 种颜色, 她选择两个整数 $1 \leq a_i \leq b_i \leq m$ 满足位置 $[a_i, b_i]$ 的颜色相同, 然后把区间 $[a_i, b_i]$ 都染成颜色 i 。

通过所有操作, Alice 需要把第 i 个位置染成颜色 c_i , 你需要求出满足条件的序列对 $\{a_i\}_{i=1}^n, \{b_i\}_{i=1}^n$ 的数量, 答案对 998244353 取模。

数据范围: $1 \leq n \leq 500$, $n \leq m \leq 10^6$, $1 \leq c_i \leq n$, $\forall 1 \leq j \leq n, \exists k, c_k = j$ 。

👤 Siyuan (<https://blog.orzsiyuan.com/author/1/>) ⌚ 2019 年 07 月 22 日

[Luogu 4389] 付公主的背包 (<https://blog.orzsiyuan.com/archives/Luogu-4389-Princess-Backpack/>)

题目链接: Luogu 4389 (<https://www.luogu.org/problemnew/show/P4389>)

付公主有一个可爱的背包, 这个背包最多可以装 10^5 大小的东西。付公主有 n 种商品, 她要准备出摊了。每种商品体积为 V_i , 都有 10^5 件。

给定 m , 对于整数 $s \in [1, m]$, 请你回答用这些商品恰好装 s 体积的方案数。

数据范围: $1 \leq n \leq 10^5, 1 \leq V_i \leq m \leq 10^5$ 。

👤 Siyuan (<https://blog.orzsiyuan.com/author/1/>) © 2019 年 07 月 08 日

「BZOJ 2173」整数的 lqp 拆分 (<https://blog.orzsiyuan.com/archives/BZOJ-2173-Split-Integer/>)

题目链接: BZOJ 2173 (<https://www.lydsy.com/JudgeOnline/problem.php?id=2173>)

lqp 在为出题而烦恼, 他完全没有头绪, 好烦啊.....

他首先想到了整数拆分。整数拆分是个很有趣的问题。给你一个正整数 n , 对于 n 的一个整数拆分就是满足任意 $m > 0, a_1, a_2, a_3, \dots, a_m > 0$, 且 $a_1 + a_2 + a_3 + \dots + a_m = n$ 的一个有序集合。通过长时间的研究我们发现了计算对于 n 的整数拆分的总数有一个很简单的递推式, 但是因为这个递推式实在太简单了, 如果出这样的题目, 大家会对比赛毫无兴趣的。

然后 lqp 又想到了斐波那契数。定义:

$$f_n = \begin{cases} 0 & n = 0 \\ 1 & n = 1 \\ f_{i-1} + f_{i-2} & n > 1 \end{cases}$$

f_n 就是斐波那契数的第 n 项。但是求出第 n 项斐波那契数似乎也不怎么困难.....lqp 为了增加选手们比赛的欲望, 于是绞尽脑汁, 想出了一个有趣的整数拆分, 我们暂且叫它: 整数的 lqp 拆分。

和一般的整数拆分一样, 整数的 lqp 拆分是满足任意 $m > 0, a_1, a_2, a_3, \dots, a_m > 0$, 且 $a_1 + a_2 + a_3 + \dots + a_m = n$ 的一个有序集合。但是整数的 lqp 拆分要求的不是拆分总数, 相对更加困难一些。

对于每个拆分, lqp 定义这个拆分的权值 $\prod_{i=1}^m f_{a_i}$, 他想知道对于所有的拆分, 他们的权值之和是多少?

由于这个数会十分大, lqp 稍稍简化了一下题目, 只要输出对于 n 的整数 lqp 拆分的权值和模 $10^9 + 7$ 即可。

数据范围: $1 \leq n \leq 10^6$ 。

👤 Siyuan (<https://blog.orzsiyuan.com/author/1/>) © 2019 年 06 月 28 日

- 1 (<https://blog.orzsiyuan.com/tag/Dynamic-Programming/1/>)
- 2 (<https://blog.orzsiyuan.com/tag/Dynamic-Programming/2/>)
- 3 (<https://blog.orzsiyuan.com/tag/Dynamic-Programming/3/>)
- 4 (<https://blog.orzsiyuan.com/tag/Dynamic-Programming/4/>)
- (<https://blog.orzsiyuan.com/tag/Dynamic-Programming/2/>)



热门文章

- (<https://blog.orzsiyuan.com/archives/ZJOI-2019/>) (<https://blog.orzsiyuan.com/archives/ZJOI-2019/>) 6051
- (<https://blog.orzsiyuan.com/archives/hehezhou-AK-CSP-2019/>) (<https://blog.orzsiyuan.com/archives/hehezhou-AK-CSP-2019/>) 2892
- (<https://blog.orzsiyuan.com/archives/Polynomial-Template/>) (<https://blog.orzsiyuan.com/archives/Polynomial-Template/>) 1080
- (<https://blog.orzsiyuan.com/archives/SDOI-2017-Number-Table/>) (<https://blog.orzsiyuan.com/archives/SDOI-2017-Number-Table/>) 1028
- (<https://blog.orzsiyuan.com/archives/TJOI-2019-Sing-Dance-Rap-and-Basketball/>) (<https://blog.orzsiyuan.com/archives/TJOI-2019-Sing-Dance-Rap-and-Basketball/>) 843

博客信息

📄 文章数目	187
💬 评论数目	243
📅 运行天数	1年25天
🔄 最后活动	4 个月前

标签云

[Codeforces \(https://blog.orzsiyuan.com/tag/Codeforces/\)](https://blog.orzsiyuan.com/tag/Codeforces/)[数据结构 \(https://blog.orzsiyuan.com/tag/Data-Structure/\)](https://blog.orzsiyuan.com/tag/Data-Structure/)[动态规划 \(https://blog.orzsiyuan.com/tag/Dynamic-Programming/\)](https://blog.orzsiyuan.com/tag/Dynamic-Programming/)[数论 \(https://blog.orzsiyuan.com/tag/Number-Theory/\)](https://blog.orzsiyuan.com/tag/Number-Theory/)[图论 \(https://blog.orzsiyuan.com/tag/Graph-Theory/\)](https://blog.orzsiyuan.com/tag/Graph-Theory/)[贪心 \(https://blog.orzsiyuan.com/tag/Greedy/\)](https://blog.orzsiyuan.com/tag/Greedy/)[多项式 \(https://blog.orzsiyuan.com/tag/Polynomial/\)](https://blog.orzsiyuan.com/tag/Polynomial/)[字符串 \(https://blog.orzsiyuan.com/tag/%E5%AD%97%E7%AC%A6%E4%B8%B2/\)](https://blog.orzsiyuan.com/tag/%E5%AD%97%E7%AC%A6%E4%B8%B2/)[LOJ \(https://blog.orzsiyuan.com/tag/LOJ/\)](https://blog.orzsiyuan.com/tag/LOJ/)[FFT NTT \(https://blog.orzsiyuan.com/tag/FFT-NTT/\)](https://blog.orzsiyuan.com/tag/FFT-NTT/)[网络流 \(https://blog.orzsiyuan.com/tag/Network-Flow/\)](https://blog.orzsiyuan.com/tag/Network-Flow/)[LCT \(https://blog.orzsiyuan.com/tag/LCT/\)](https://blog.orzsiyuan.com/tag/LCT/)[计数 \(https://blog.orzsiyuan.com/tag/%E8%AE%A1%E6%95%B0/\)](https://blog.orzsiyuan.com/tag/%E8%AE%A1%E6%95%B0/)[后缀数组 \(https://blog.orzsiyuan.com/tag/%E5%90%8E%E7%BC%80%E6%95%B0%E7%BB%84/\)](https://blog.orzsiyuan.com/tag/%E5%90%8E%E7%BC%80%E6%95%B0%E7%BB%84/)[线段树 \(https://blog.orzsiyuan.com/tag/Segment-Tree/\)](https://blog.orzsiyuan.com/tag/Segment-Tree/)[构造 \(https://blog.orzsiyuan.com/tag/%E6%9E%84%E9%80%A0/\)](https://blog.orzsiyuan.com/tag/%E6%9E%84%E9%80%A0/)[HDU \(https://blog.orzsiyuan.com/tag/HDU/\)](https://blog.orzsiyuan.com/tag/HDU/)[SPOJ \(https://blog.orzsiyuan.com/tag/SPOJ/\)](https://blog.orzsiyuan.com/tag/SPOJ/)[Luogu \(https://blog.orzsiyuan.com/tag/Luogu/\)](https://blog.orzsiyuan.com/tag/Luogu/)[BZOJ \(https://blog.orzsiyuan.com/tag/BZOJ/\)](https://blog.orzsiyuan.com/tag/BZOJ/)[树状数组 \(https://blog.orzsiyuan.com/tag/Binary-Indexed-Tree/\)](https://blog.orzsiyuan.com/tag/Binary-Indexed-Tree/)[CDQ 分治 \(https://blog.orzsiyuan.com/tag/CDQ-Divide-and-Conquer/\)](https://blog.orzsiyuan.com/tag/CDQ-Divide-and-Conquer/)[UOJ \(https://blog.orzsiyuan.com/tag/UOJ/\)](https://blog.orzsiyuan.com/tag/UOJ/)[主席树 \(https://blog.orzsiyuan.com/tag/Chairman-Tree/\)](https://blog.orzsiyuan.com/tag/Chairman-Tree/)[高斯消元 \(https://blog.orzsiyuan.com/tag/Gaussian-Elimination/\)](https://blog.orzsiyuan.com/tag/Gaussian-Elimination/)[莫比乌斯反演 \(https://blog.orzsiyuan.com/tag/Mobius-Inversion/\)](https://blog.orzsiyuan.com/tag/Mobius-Inversion/)[AtCoder \(https://blog.orzsiyuan.com/tag/AtCoder/\)](https://blog.orzsiyuan.com/tag/AtCoder/)[多项式乘法 \(https://blog.orzsiyuan.com/tag/%E5%A4%9A%E9%A1%B9%E5%BC%8F%E4%B9%98%E6%B3%95/\)](https://blog.orzsiyuan.com/tag/%E5%A4%9A%E9%A1%B9%E5%BC%8F%E4%B9%98%E6%B3%95/)[并查集 \(https://blog.orzsiyuan.com/tag/Union-Find-Set/\)](https://blog.orzsiyuan.com/tag/Union-Find-Set/)[最大流 \(https://blog.orzsiyuan.com/tag/Maximum-Flow/\)](https://blog.orzsiyuan.com/tag/Maximum-Flow/)[费用流 \(https://blog.orzsiyuan.com/tag/Minimum-Cost/\)](https://blog.orzsiyuan.com/tag/Minimum-Cost/)[Splay \(https://blog.orzsiyuan.com/tag/Splay/\)](https://blog.orzsiyuan.com/tag/Splay/)[离线 \(https://blog.orzsiyuan.com/tag/Off-Line/\)](https://blog.orzsiyuan.com/tag/Off-Line/)[二分答案 \(https://blog.orzsiyuan.com/tag/Binary-Search-Answer/\)](https://blog.orzsiyuan.com/tag/Binary-Search-Answer/)[权值线段树 \(https://blog.orzsiyuan.com/tag/Weight-Segment-Tree/\)](https://blog.orzsiyuan.com/tag/Weight-Segment-Tree/)[容斥 \(https://blog.orzsiyuan.com/tag/%E5%AE%B9%E6%96%A5/\)](https://blog.orzsiyuan.com/tag/%E5%AE%B9%E6%96%A5/)[数论分块 \(https://blog.orzsiyuan.com/tag/%E6%95%B0%E8%AE%BA%E5%88%86%E5%9D%97/\)](https://blog.orzsiyuan.com/tag/%E6%95%B0%E8%AE%BA%E5%88%86%E5%9D%97/)[计算几何 \(https://blog.orzsiyuan.com/tag/Geometry/\)](https://blog.orzsiyuan.com/tag/Geometry/)[组合数学 \(https://blog.orzsiyuan.com/tag/Combinatorics/\)](https://blog.orzsiyuan.com/tag/Combinatorics/)[矩阵 \(https://blog.orzsiyuan.com/tag/Matrix/\)](https://blog.orzsiyuan.com/tag/Matrix/)[最小割 \(https://blog.orzsiyuan.com/tag/Minimum-Cut/\)](https://blog.orzsiyuan.com/tag/Minimum-Cut/)[随机化 \(https://blog.orzsiyuan.com/tag/Randomization/\)](https://blog.orzsiyuan.com/tag/Randomization/)[斜率优化 \(https://blog.orzsiyuan.com/tag/Slope-Optimization/\)](https://blog.orzsiyuan.com/tag/Slope-Optimization/)[NOI \(https://blog.orzsiyuan.com/tag/NOI/\)](https://blog.orzsiyuan.com/tag/NOI/)[概率期望 \(https://blog.orzsiyuan.com/tag/%E6%A6%82%E7%8E%87%E6%9C%9F%E6%9C%9B/\)](https://blog.orzsiyuan.com/tag/%E6%A6%82%E7%8E%87%E6%9C%9F%E6%9C%9B/)

- 后缀自动机 (<https://blog.orzsiyuan.com/tag/%E5%90%8E%E7%BC%80%E8%87%AA%E5%8A%A8%E6%9C%BA/>)
- 位运算 (<https://blog.orzsiyuan.com/tag/%E4%BD%8D%E8%BF%90%E7%AE%97/>)
- 生成函数 (<https://blog.orzsiyuan.com/tag/%E7%94%9F%E6%88%90%E5%87%BD%E6%95%B0/>)
- 莫队 (<https://blog.orzsiyuan.com/tag/Mo-Algorithm/>) BJOI (<https://blog.orzsiyuan.com/tag/BJOI/>)
- 线性基 (<https://blog.orzsiyuan.com/tag/Linear-Base/>) 分块 (<https://blog.orzsiyuan.com/tag/Partition/>)
- 凸包 (<https://blog.orzsiyuan.com/tag/Convex-Hull/>) POJ (<https://blog.orzsiyuan.com/tag/POJ/>)
- 平衡树 (<https://blog.orzsiyuan.com/tag/Balanced-Tree/>)
- 线性筛 (<https://blog.orzsiyuan.com/tag/Euler-Sieve-Method/>) FWT (<https://blog.orzsiyuan.com/tag/FWT/>)
- 单调栈 (<https://blog.orzsiyuan.com/tag/%E5%8D%95%E8%B0%83%E6%A0%88/>)
- 杜教筛 (<https://blog.orzsiyuan.com/tag/%E6%9D%9C%E6%95%99%E7%AD%9B/>)
- 多项式指数函数 (<https://blog.orzsiyuan.com/tag/%E5%A4%9A%E9%A1%B9%E5%BC%8F%E6%8C%87%E6%95%B0%E5%>)
- 行列式 (<https://blog.orzsiyuan.com/tag/Determinant/>)
- 欧拉函数 (<https://blog.orzsiyuan.com/tag/Euler-Function/>) 树形 DP (<https://blog.orzsiyuan.com/tag/Tree-DP/>)
- Two Pointers (<https://blog.orzsiyuan.com/tag/Two-Pointers/>)
- 模拟退火 (<https://blog.orzsiyuan.com/tag/Simulated-Annealing/>) NOIP (<https://blog.orzsiyuan.com/tag/NOIP/>)
- 偏序 (<https://blog.orzsiyuan.com/tag/Partial-Order/>) TJOI (<https://blog.orzsiyuan.com/tag/TJOI/>)
- 整体二分 (<https://blog.orzsiyuan.com/tag/Binary-Search-Whole/>) ZJOI (<https://blog.orzsiyuan.com/tag/ZJOI/>)
- 积性函数 (<https://blog.orzsiyuan.com/tag/Multiplicative-Function/>)
- RMQ (<https://blog.orzsiyuan.com/tag/RMQ/>)
- 决策单调性 (<https://blog.orzsiyuan.com/tag/%E5%86%B3%E7%AD%96%E5%8D%95%E8%B0%83%E6%80%A7/>)
- 二分 (<https://blog.orzsiyuan.com/tag/%E4%BA%8C%E5%88%86/>)
- 多项式求逆 (<https://blog.orzsiyuan.com/tag/%E5%A4%9A%E9%A1%B9%E5%BC%8F%E6%B1%82%E9%80%86/>)
- 多项式开根 (<https://blog.orzsiyuan.com/tag/%E5%A4%9A%E9%A1%B9%E5%BC%8F%E5%BC%80%E6%A0%B9/>)
- 数学归纳法 (<https://blog.orzsiyuan.com/tag/%E6%95%B0%E5%AD%A6%E5%BD%92%E7%BA%B3%E6%B3%95/>)
- 多项式自然对数 (<https://blog.orzsiyuan.com/tag/%E5%A4%9A%E9%A1%B9%E5%BC%8F%E8%87%AA%E7%84%B6%E5%>)
- 多项式快速幂 (<https://blog.orzsiyuan.com/tag/%E5%A4%9A%E9%A1%B9%E5%BC%8F%E5%BF%AB%E9%80%9F%E5%B9%>)
- 最小圆覆盖 (<https://blog.orzsiyuan.com/tag/Smallest-Enclosing-Circle/>)
- BSGS (<https://blog.orzsiyuan.com/tag/BSGS/>) 可持久化 (<https://blog.orzsiyuan.com/tag/Persistence/>)
- 拉格朗日插值 (<https://blog.orzsiyuan.com/tag/Lagrange-Interpolation/>)
- 同余 (<https://blog.orzsiyuan.com/tag/Congruence/>)
- 线性同余方程 (<https://blog.orzsiyuan.com/tag/Linear-Congruence-Theorem/>)
- exGCD (<https://blog.orzsiyuan.com/tag/exGCD/>) CRT (<https://blog.orzsiyuan.com/tag/CRT/>)
- exCRT (<https://blog.orzsiyuan.com/tag/exCRT/>) 逆矩阵 (<https://blog.orzsiyuan.com/tag/Matrix-Inversion/>)
- 最短路 (<https://blog.orzsiyuan.com/tag/Shortest-Path/>) Floyd (<https://blog.orzsiyuan.com/tag/Floyd/>)
- 类欧几里德算法 (<https://blog.orzsiyuan.com/tag/Similar-Euclidean-Algorithm/>)

点分治 (<https://blog.orzsiyuan.com/tag/%E7%82%B9%E5%88%86%E6%B2%BB/>)

[拓扑排序 \(https://blog.orzsiyuan.com/tag/%E6%8B%93%E6%89%91%E6%8E%92%E5%BA%8F/\)](https://blog.orzsiyuan.com/tag/%E6%8B%93%E6%89%91%E6%8E%92%E5%BA%8F/)[CodeChef \(https://blog.orzsiyuan.com/tag/CodeChef/\)](https://blog.orzsiyuan.com/tag/CodeChef/)[最小流 \(https://blog.orzsiyuan.com/tag/%E6%9C%80%E5%B0%8F%E6%B5%81/\)](https://blog.orzsiyuan.com/tag/%E6%9C%80%E5%B0%8F%E6%B5%81/)[匈牙利算法 \(https://blog.orzsiyuan.com/tag/%E5%8C%88%E7%89%99%E5%88%A9%E7%AE%97%E6%B3%95/\)](https://blog.orzsiyuan.com/tag/%E5%8C%88%E7%89%99%E5%88%A9%E7%AE%97%E6%B3%95/)[扫描线 \(https://blog.orzsiyuan.com/tag/%E6%89%AB%E6%8F%8F%E7%BA%BF/\)](https://blog.orzsiyuan.com/tag/%E6%89%AB%E6%8F%8F%E7%BA%BF/)[CEOI \(https://blog.orzsiyuan.com/tag/CEOI/\)](https://blog.orzsiyuan.com/tag/CEOI/)[长链剖分 \(https://blog.orzsiyuan.com/tag/%E9%95%BF%E9%93%BE%E5%89%96%E5%88%86/\)](https://blog.orzsiyuan.com/tag/%E9%95%BF%E9%93%BE%E5%89%96%E5%88%86/)[GXOI \(https://blog.orzsiyuan.com/tag/GXOI/\)](https://blog.orzsiyuan.com/tag/GXOI/) [GZOI \(https://blog.orzsiyuan.com/tag/GZOI/\)](https://blog.orzsiyuan.com/tag/GZOI/)[USACO \(https://blog.orzsiyuan.com/tag/USACO/\)](https://blog.orzsiyuan.com/tag/USACO/)[AC 自动机 \(https://blog.orzsiyuan.com/tag/AC-%E8%87%AA%E5%8A%A8%E6%9C%BA/\)](https://blog.orzsiyuan.com/tag/AC-%E8%87%AA%E5%8A%A8%E6%9C%BA/)[KMP \(https://blog.orzsiyuan.com/tag/KMP/\)](https://blog.orzsiyuan.com/tag/KMP/) [暴力 \(https://blog.orzsiyuan.com/tag/%E6%9A%B4%E5%8A%9B/\)](https://blog.orzsiyuan.com/tag/%E6%9A%B4%E5%8A%9B/)[CTSC \(https://blog.orzsiyuan.com/tag/CTSC/\)](https://blog.orzsiyuan.com/tag/CTSC/)[扩展欧拉定理 \(https://blog.orzsiyuan.com/tag/%E6%89%A9%E5%B1%95%E6%AC%A7%E6%8B%89%E5%AE%9A%E7%9A%8C%E5%8A%A8%E6%9C%BA/\)](https://blog.orzsiyuan.com/tag/%E6%89%A9%E5%B1%95%E6%AC%A7%E6%8B%89%E5%AE%9A%E7%9A%8C%E5%8A%A8%E6%9C%BA/)[牛顿迭代法 \(https://blog.orzsiyuan.com/tag/%E7%89%9B%E9%A1%BF%E8%BF%AD%E4%BB%A3%E6%B3%95/\)](https://blog.orzsiyuan.com/tag/%E7%89%9B%E9%A1%BF%E8%BF%AD%E4%BB%A3%E6%B3%95/)[泰勒公式 \(https://blog.orzsiyuan.com/tag/%E6%B3%B0%E5%8B%92%E5%85%AC%E5%BC%8F/\)](https://blog.orzsiyuan.com/tag/%E6%B3%B0%E5%8B%92%E5%85%AC%E5%BC%8F/)[多项式反三角函数 \(https://blog.orzsiyuan.com/tag/%E5%A4%9A%E9%A1%B9%E5%BC%8F%E5%8F%8D%E4%B8%89%E8%B8%89%E5%8A%A8%E6%9C%BA/\)](https://blog.orzsiyuan.com/tag/%E5%A4%9A%E9%A1%B9%E5%BC%8F%E5%8F%8D%E4%B8%89%E8%B8%89%E5%8A%A8%E6%9C%BA/)[背包 \(https://blog.orzsiyuan.com/tag/%E8%83%8C%E5%8C%85/\)](https://blog.orzsiyuan.com/tag/%E8%83%8C%E5%8C%85/)[区间 DP \(https://blog.orzsiyuan.com/tag/%E5%8C%BA%E9%97%B4-DP/\)](https://blog.orzsiyuan.com/tag/%E5%8C%BA%E9%97%B4-DP/)[HNOI \(https://blog.orzsiyuan.com/tag/HNOI/\)](https://blog.orzsiyuan.com/tag/HNOI/) [WC \(https://blog.orzsiyuan.com/tag/WC/\)](https://blog.orzsiyuan.com/tag/WC/)[鸽巢原理 \(https://blog.orzsiyuan.com/tag/%E9%B8%BD%E5%B7%A2%E5%8E%9F%E7%90%86/\)](https://blog.orzsiyuan.com/tag/%E9%B8%BD%E5%B7%A2%E5%8E%9F%E7%90%86/)[树链剖分 \(https://blog.orzsiyuan.com/tag/%E6%A0%91%E9%93%BE%E5%89%96%E5%88%86/\)](https://blog.orzsiyuan.com/tag/%E6%A0%91%E9%93%BE%E5%89%96%E5%88%86/)[第二类斯特林数 \(https://blog.orzsiyuan.com/tag/%E7%AC%AC%E4%BA%8C%E7%B1%BB%E6%96%AF%E7%89%B9%E6%B8%89%E5%8A%A8%E6%9C%BA/\)](https://blog.orzsiyuan.com/tag/%E7%AC%AC%E4%BA%8C%E7%B1%BB%E6%96%AF%E7%89%B9%E6%B8%89%E5%8A%A8%E6%9C%BA/)[二项式定理 \(https://blog.orzsiyuan.com/tag/%E4%BA%8C%E9%A1%B9%E5%BC%8F%E5%AE%9A%E7%90%86/\)](https://blog.orzsiyuan.com/tag/%E4%BA%8C%E9%A1%B9%E5%BC%8F%E5%AE%9A%E7%90%86/)