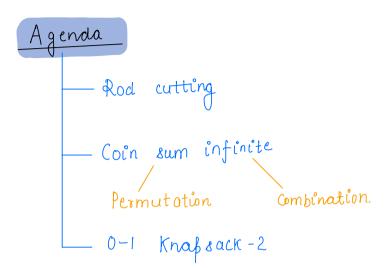
Lecture: DP-4



<u>Qul</u> Rocl cutting problem (VVVI)

Given a rod of length n, and an array of length n. $A[i^{\circ}] \longrightarrow price of the i'th rool$

find max value we can obtain by selling rod.

$$\underline{\text{Examble:}}$$
 $n = 5$ [Rod length]

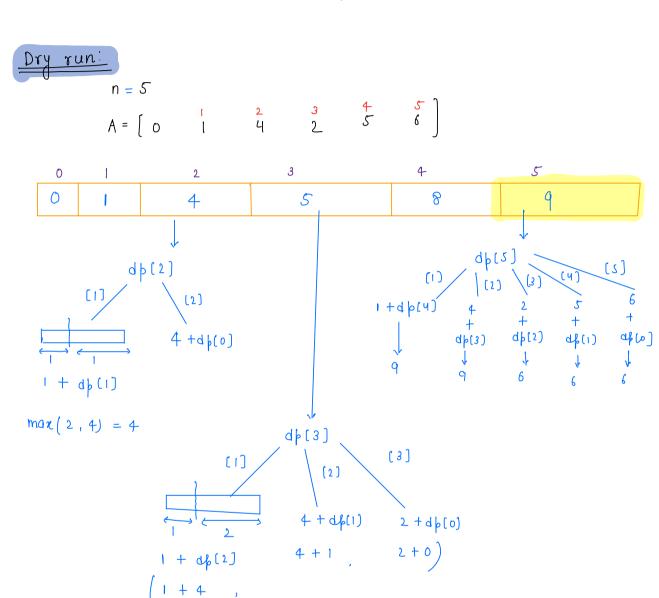
$$A() = \begin{bmatrix} 0 & 1 & 2 & 3 & 4 & 5 \\ 0 & 1 & 4 & 2 & 5 & 6 \end{bmatrix}$$

$$---$$
 2 + 1 + 1 + 1 \Rightarrow \forall + 1 + 1 + 1 = 7

Bimilarity Unbounded Knapsack.

Idea
$$d\beta[n+1]$$

$$d\beta[i] = Max \beta xofit we can get of rocl = length i$$



```
int rockcutting (arr[])
      n = arriength;
      [en = n-1;
     dp[len +1];
     dp(0) = 0;
     for ( i = 1; i < = len; i++) {
            max = -\infty
            for (j°= ); j'(=i; j++) {
                 max = Math max ( max, arr (j) +
                                         ch [i-j];
           dp(i) = max;
 return de [len];
           TC: 0(n2)
           sc: o(n)
```

Coin change permutation.

 $(x,y) \neq (y,x) (yyyy1)$

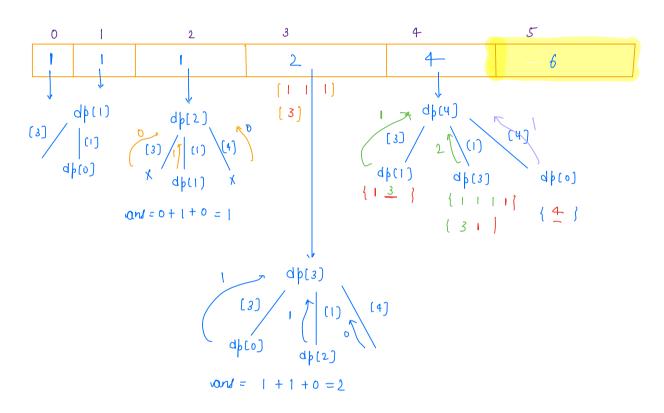
Example:

6 Ang

dp[i] = In how many permutation we can get ti

Example: K = 5

$$A[] = [3, 1, 4]$$



Code:

```
coin Change Permutation ( arr(), K) {
       n = arr length;
      d p [ k+1];
      d p ( o ) = 1;
      f 0 % ( i = 0 ; i < = K; i++ ) {
            for (j=0, j'(n), j+1) {
                    it ( i-arr(j) >=0) {
                    d\beta(i) = d\beta(i) + d\beta(i - a\pi(j));
 return dp[k];
            TC: 0(n*k)
            SC: O(K)
```

Break: 8: 33 AM

Coin change combination [(x,y) = (y,x)]

$$[(x \cdot y) = (y \cdot x)]$$

Example:

$$A = \begin{bmatrix} 0 & 1 & 2 \\ 3 & 1 & 4 \end{bmatrix}$$

$$\begin{bmatrix} 1 & 4 \\ 3 & 1 \end{bmatrix}$$

$$\begin{bmatrix} 3 & 1 & 1 \\ 1 & 1 & 1 \end{bmatrix}$$

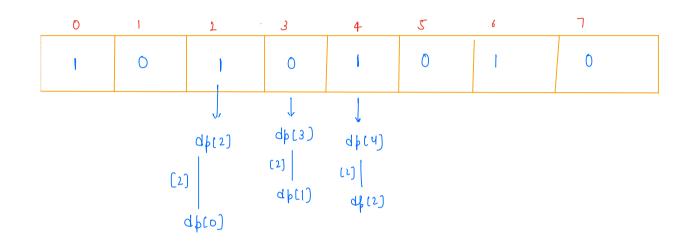
$$\begin{bmatrix} 3 & 0 & 0 \\ 1 & 1 & 1 \end{bmatrix}$$

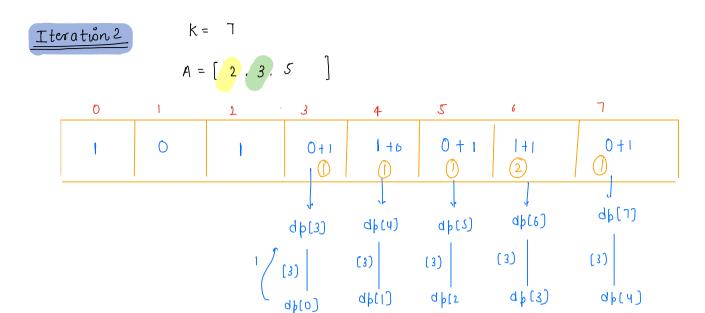
<u>Idea:</u>

$$A = \begin{bmatrix} 2 & 3 & 5 \end{bmatrix}$$

Iteration!

$$A = \begin{bmatrix} 2 & 3 & 5 \end{bmatrix}$$

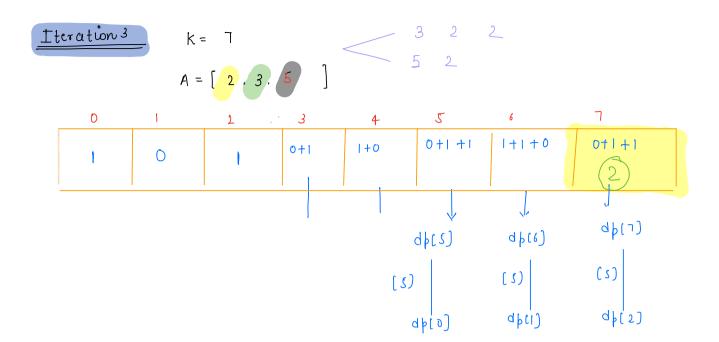




(0)4b

d þ [3]

96(4)



```
coin Change combination (arr(), K) {
int
           n = arr length;
           dp[k+1];
           dp[0] = 1;
           for (j = 0; j'<n; j+1) {
                    f Ox ( i = 0; i < = K; i++ ) {
                        it ( i'-arr(j) >=0) {
                        d\beta(i) = d\beta(i) + d\beta(i - a\pi(j));
      return dp[k];
                 TC: 0(n*k)
                SC! O(K)
```

<u>Ou</u> 0-1 knapsack 2

Discussed algo

Tc:
$$O(n * k)$$

len(array)

 $n = 500$
 $k = 10^{9}$

Tc: $n * k = 500 * 10^{9} > 10^{8}$

TLE (Time Limit exceeded)

Discussed algo:

dp[i][j] = Max value we can get in a bag of capacity n+1 k+1 j, such that we are choosing first i items.

New idea:

 $\frac{d \beta(i) (j)}{\int_{0}^{\infty} d \beta(i) (j)} = Min \quad \text{weight} \quad \text{required to get value } j$ $\frac{d \beta(i) (j)}{\int_{0}^{\infty} d \beta(i)} = Min \quad \text{weight} \quad \text{required to get value } j$ $\frac{d \beta(i) (j)}{\int_{0}^{\infty} d \beta(i)} = Min \quad \text{weight} \quad \text{required to get value } j$ $\frac{d \beta(i) (j)}{\int_{0}^{\infty} d \beta(i)} = Min \quad \text{weight} \quad \text{required to get value } j$ $\frac{d \beta(i) (j)}{\int_{0}^{\infty} d \beta(i)} = Min \quad \text{weight} \quad \text{required to get value } j$

 $TL(n*marProfit) \approx 500 * 25000 = 25*5*10^5 (10^8)$

Thonkyou ()

Doubte

$$\begin{array}{c|c} sum \ of \ array = 8 \\ & \leq flips \ \left\langle \begin{array}{c} s \\ 2 \end{array} \right| \begin{array}{c} sum = -ve \\ \end{array} \\ \hline \begin{array}{c} capocc^{2}ty \\ \end{array} \\ \hline \end{array} \begin{array}{c} s \\ 2 \end{array} \end{array} \begin{array}{c} s \\ \end{array} \begin{array}{c} s \\ \end{array} \begin{array}{c} t \\ \end{array} \begin{array}{c} s \\ \end{array} \begin{array}{c} s \\ \end{array} \begin{array}{c} s \\ \end{array} \begin{array}{c} t \\ \end{array} \begin{array}{c} s \\ \end{array} \begin{array}{c$$