

```
clear
syms a1 a2 a3 a4
syms s11 s21 s31 s41 s12 s22 s32 s42 s13 s23 s33 s43 s14 s24 s34 s44
A=[0 1 0 0; 42.51 0 0 0; 0 0 0 1; -2.943 0 0 0]
```

```
A = 4x4
      0      1.0000      0      0
    42.5100      0      0      0
      0      0      0      1.0000
   -2.9430      0      0      0
```

```
B=[0 -3.333 0 1]'
```

```
B = 4x1
      0
   -3.3330
      0
      1.0000
```

```
C=[1 0 0 0;0 0 1 0]
```

```
C = 2x4
      1      0      0      0
      0      0      1      0
```

```
Contr=[B A*B (A^2)*B (A^3)*B]
```

```
Contr = 4x4
      0      -3.3330      0      -141.6858
   -3.3330      0      -141.6858      0
      0      1.0000      0      9.8090
      1.0000      0      9.8090      0
```

```
a=[a1 a2 a3 a4]
```

$$a = \begin{pmatrix} a_1 & a_2 & a_3 & a_4 \end{pmatrix}$$

```
Ac=[a;1 0 0 0;0 1 0 0;0 0 1 0]
```

```
Ac =
      (a1 a2 a3 a4)
      (1 0 0 0)
      (0 1 0 0)
      (0 0 1 0)
```

```
Bc=[1 0 0 0]'
```

```
Bc = 4x1
      1
      0
      0
      0
```

```
Cc=[Bc Ac*Bc (Ac^2)*Bc (Ac^3)*Bc]
```

```
Cc =
```

$$\begin{pmatrix} 1 & a_1 & a_1^2 + a_2 & a_3 + a_1 a_2 + a_1 (a_1^2 + a_2) \\ 0 & 1 & a_1 & a_1^2 + a_2 \\ 0 & 0 & 1 & a_1 \\ 0 & 0 & 0 & 1 \end{pmatrix}$$

det(Cc)

ans = 1

T1=[s11 s21 s31 s41;s12 s22 s32 s42;s13 s23 s33 s43;s14 s24 s34 s44]

T1 =

$$\begin{pmatrix} s_{11} & s_{21} & s_{31} & s_{41} \\ s_{12} & s_{22} & s_{32} & s_{42} \\ s_{13} & s_{23} & s_{33} & s_{43} \\ s_{14} & s_{24} & s_{34} & s_{44} \end{pmatrix}$$

s4=[s14 s24 s34 s44]

$$s4 = \begin{pmatrix} s_{14} & s_{24} & s_{34} & s_{44} \end{pmatrix}$$

s3=[s13 s23 s33 s43]

$$s3 = \begin{pmatrix} s_{13} & s_{23} & s_{33} & s_{43} \end{pmatrix}$$

s2=[s12 s22 s32 s42]

$$s2 = \begin{pmatrix} s_{12} & s_{22} & s_{32} & s_{42} \end{pmatrix}$$

s1=[s11 s21 s31 s41]

$$s1 = \begin{pmatrix} s_{11} & s_{21} & s_{31} & s_{41} \end{pmatrix}$$

s4==[0 0 0 1]/(Contr)

ans =

$$\left( s_{14} = -\frac{5289001001014353}{576460752303423488} \quad s_{24} = 0 \quad s_{34} = -\frac{8814120168190419}{288230376151711744} \quad s_{44} = 0 \right)$$

var = vpa(ans)

$$var = \left( s_{14} = -0.0091749542009244306611792652006443 \quad s_{24} = 0.0 \quad s_{34} = -0.0305801223516811264413473 \right)$$

s3==s4\*A

ans =

$$\left( s_{13} = \frac{4251 s_{24}}{100} - \frac{2943 s_{44}}{1000} \quad s_{23} = s_{14} \quad s_{33} = 0 \quad s_{43} = s_{34} \right)$$

```
var = vpa(ans)
```

```
var = (s13 = 42.51 s24 - 2.943 s44 s23 = s14 s33 = 0.0 s43 = s34)
```

```
s2==s3*A
```

```
ans =
```

```
(s12 = 4251 s23 / 100 - 2943 s43 / 1000 s22 = s13 s32 = 0 s42 = s33)
```

```
% s14 = -0.0092; s24= 0; s34 = -0.0306;s44=0;
```

```
% s13 = 0 ; s23 =s14; s33= 0; s43=s34;
```

```
var2 = subs(ans,[s14,s24,s34,s44,s13,s23,s33,s43],[-0.0092,0,-0.0306,0,0,-0.0092,0,-0.0306])
```

```
var2 =
```

```
(s12 = -1505181 / 5000000 s22 = 0 s32 = 0 s42 = 0)
```

```
var = vpa(var2)
```

```
var = (s12 = -0.3010362 s22 = 0.0 s32 = 0.0 s42 = 0.0)
```

```
s1==s2*A
```

```
ans =
```

```
(s11 = 4251 s22 / 100 - 2943 s42 / 1000 s21 = s12 s31 = 0 s41 = s32)
```

```
var3 = subs(ans,[s12,s22,s32,s42],[-0.3 0 0 0])
```

```
var3 =
```

```
(s11 = 0 s21 = -3 / 10 s31 = 0 s41 = 0)
```

```
var4 = vpa(var3)
```

```
var4 = (s11 = 0.0 s21 = -0.3 s31 = 0.0 s41 = 0.0)
```

```
T1=[s11 s21 s31 s41;s12 s22 s32 s42;s13 s23 s33 s43;s14 s24 s34 s44]
```

```
T1 =
```

```
(s11 s21 s31 s41
s12 s22 s32 s42
s13 s23 s33 s43
s14 s24 s34 s44)
```

```
T1ac = subs(T1,[s14,s24,s34,s44,s13,s23,s33,s43,s12,s22,s32,s42,s11,s21,s31,s41],[-0.0092,0,-0.0306,0,-0.0092,0,-0.0306,0,-0.3010362,0,0,0,0.0,0.0,0.0,0.0])
```

```
T1ac =
```

$$\begin{pmatrix} 0 & -\frac{3}{10} & 0 & 0 \\ -\frac{3}{10} & 0 & 0 & 0 \\ 0 & -\frac{23}{2500} & 0 & -\frac{153}{5000} \\ -\frac{23}{2500} & 0 & -\frac{153}{5000} & 0 \end{pmatrix}$$

$$\text{vpa}(\text{inv}(T1ac))$$

ans =

$$\begin{pmatrix} 0 & -3.3333333333333333333333333333 \\ -3.3333333333333333333333333333 & 0 \\ 0 & 1.0021786492374727668845315904139 \\ 1.0021786492374727668845315904139 & 0 \end{pmatrix}$$

$$A_c = T_{1ac} * A * \text{inv}(T_{1ac})$$
$$Ac =$$

$$\begin{pmatrix} 0 & \frac{4251}{100} & 0 & 0 \\ 1 & 0 & 0 & 0 \\ 0 & \frac{501727}{500000} & 0 & 0 \\ 0 & 0 & 1 & 0 \end{pmatrix}$$

$$B_c = v_{pa}(T_{1ac} * B)$$
$$B_C =$$

$$\begin{pmatrix} 0.9999 \\ 0 \\ 0.0000636 \\ 0 \end{pmatrix}$$

$$B_C = [1 \ 0 \ 0 \ 0]^T$$
$$B_c = 4 \times 1$$
$$\begin{matrix} 1 \\ \emptyset \\ \emptyset \\ \emptyset \end{matrix}$$
$$C_c = ([B_c \quad A_c * B_c \quad (A_c^2) * B_c \quad (A_c^3) * B_c])$$
$$C_c =$$

$$\begin{pmatrix} 1 & 0 & \frac{4251}{100} & 0 \\ 0 & 1 & 0 & \frac{4251}{100} \\ 0 & 0 & \frac{501727}{500000} & 0 \\ 0 & 0 & 0 & \frac{501727}{500000} \end{pmatrix}$$

```
Cc=C*inv(T1ac)
```

```
Cc =
```

$$\begin{pmatrix} 0 & -\frac{10}{3} & 0 & 0 \\ 0 & \frac{460}{459} & 0 & -\frac{5000}{153} \end{pmatrix}$$

```
vpa(Cc)
```

```
ans =
```

$$\begin{pmatrix} 0 & -3.33333333333333333333333333333333 & 0 & 0 \\ 0 & 1.0021786492374727668845315904139 & 0 & -32.67973856209150326797385620915 \end{pmatrix}$$

```
Dc=[0;0]
```

```
Dc = 2×1
```

```
0  
0
```

```
aa
```

```
syms lamb f1 f2 f3 f4
```

```
Fc=[f1 f2 f3 f4]
```

```
Fc = (f1 f2 f3 f4)
```

```
id=eye(4);  
l_m=id*lamb
```

```
l_m =
```

$$\begin{pmatrix} \text{lamb} & 0 & 0 & 0 \\ 0 & \text{lamb} & 0 & 0 \\ 0 & 0 & \text{lamb} & 0 \\ 0 & 0 & 0 & \text{lamb} \end{pmatrix}$$

```
P=det(l_m-Ac)
```

```
P =
```

$$\frac{\text{lamb}^2 (100 \text{lamb}^2 - 4251)}{100}$$

simplify(P)

ans =

$$\text{lamb}^4 - \frac{4251 \text{lamb}^2}{100}$$

```
a1=0;a2=-42.51;a3=0;a4=0;
ac11=13.52;ac12=56.64;ac13=76.72;ac14=32.6;
Fc=[a1-ac11 a2-ac12 a3-ac13 a4-ac14]
```

$$F_c = \begin{matrix} 1 \times 4 \\ -13.5200 & -99.1500 & -76.7200 & -32.6000 \end{matrix}$$

F=Fc\*T1ac

F =

$$\begin{pmatrix} \frac{751123}{25000} & \frac{148807}{31250} & \frac{24939}{25000} & \frac{146727}{62500} \end{pmatrix}$$

vpa(F)

$$\text{ans} = (30.04492 \quad 4.761824 \quad 0.99756 \quad 2.347632)$$

round(vpa(eig(A+B\*F)),4)

ans =

$$\begin{pmatrix} -6.5541 \\ -4.9652 \\ -1.0448 \\ -0.9594 \end{pmatrix}$$

round(vpa(eig(Ac+Bc\*Fc)),4)

ans =

$$\begin{pmatrix} -6.5539 \\ -4.951 \\ -1.0912 \\ -0.9239 \end{pmatrix}$$

Asf = A+B\*F

Asf =

$$\begin{pmatrix} 0 & 1 & 0 & 0 \\ -\frac{1440742959}{25000000} & -\frac{495973731}{31250000} & -\frac{83121687}{25000000} & -\frac{489041091}{62500000} \\ 0 & 0 & 0 & 1 \\ \frac{169387}{6250} & \frac{148807}{31250} & \frac{24939}{25000} & \frac{146727}{62500} \end{pmatrix}$$

```
vpa(Asf)
```

```
ans =
```

$$\begin{pmatrix} 0 & 1.0 & 0 & 0 \\ -57.62971836 & -15.871159392 & -3.32486748 & -7.824657456 \\ 0 & 0 & 0 & 1.0 \\ 27.10192 & 4.761824 & 0.99756 & 2.347632 \end{pmatrix}$$

```
Asf=[0 1 0 0;-57.6297 -15.8712 -3.3249 -7.8247;0 0 0 1;27.1019 4.7618 0.9976 2.3476]
```

```
Asf = 4x4
```

```
    0    1.0000    0    0
 -57.6297 -15.8712 -3.3249 -7.8247
    0    0    0    1.0000
 27.1019  4.7618  0.9976  2.3476
```

```
Bsf = B
```

```
Bsf = 4x1
```

```
    0
 -3.3330
    0
 1.0000
```

```
Csf = C
```

```
Csf = 2x4
```

```
    1    0    0    0
    0    0    1    0
```

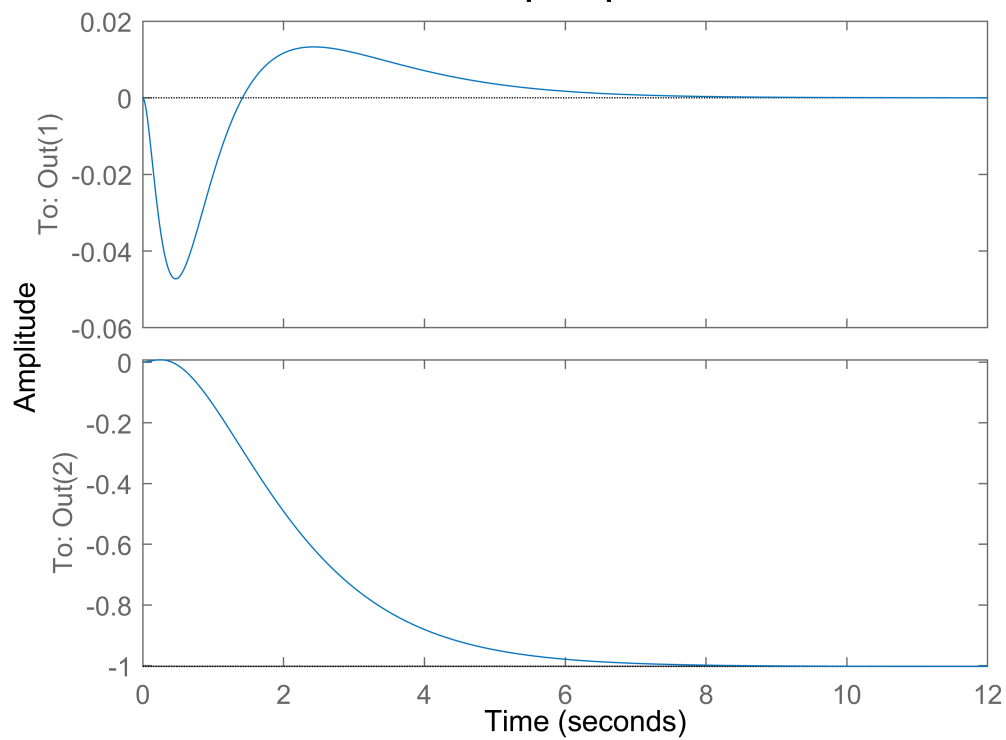
```
Dsf = Dc
```

```
Dsf = 2x1
```

```
    0
    0
```

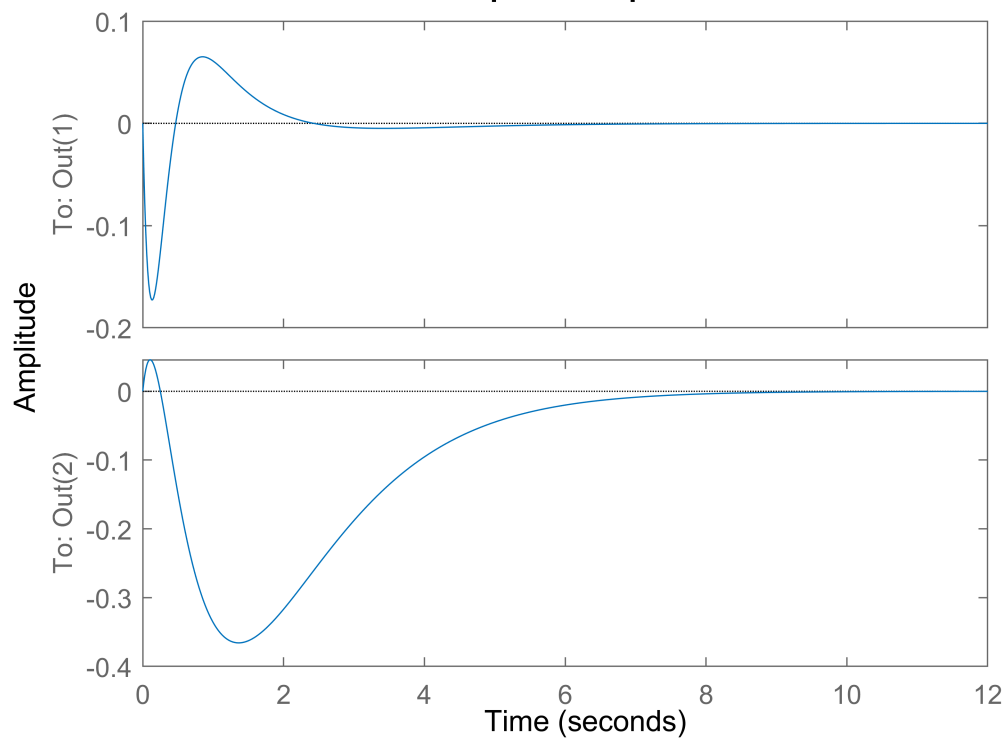
```
sys=ss(Asf,Bsf,Csf,Dsf);
step(sys)
```

**Step Response**



```
impulse(sys)
```

**Impulse Response**





## Is different due to rounding error? Perhaps?

### Task4

```
syms a1 a2 a3 a4
```

```
Ao=[a1 1 0 0;a2 0 1 0;a3 0 0 1; a4 0 0 0]
```

Ao =

$$\begin{pmatrix} a_1 & 1 & 0 & 0 \\ a_2 & 0 & 1 & 0 \\ a_3 & 0 & 0 & 1 \\ a_4 & 0 & 0 & 0 \end{pmatrix}$$

```
Co=[1 0 0 0]
```

Co =  $1 \times 4$

1	0	0	0
---	---	---	---

```
Ooa=[C(2,:);(C(2,:)*A);(C(2,:)*A^2);(C(2,:)*A^3)]
```

Ooa =  $4 \times 4$

0	0	1.0000	0
0	0	0	1.0000
-2.9430	0	0	0
0	-2.9430	0	0

Is it correct to use Ooa (with substituted values from A and C) instead of Oo (that has symbolic values)

```
Oo=[Co;(Co*Ao);(Co*Ao^2);(Co*Ao^3)]
```

Oo =

$$\begin{pmatrix} 1 & 0 & 0 & 0 \\ a_1 & 1 & 0 & 0 \\ a_1^2 + a_2 & a_1 & 1 & 0 \\ a_3 + a_1 a_2 + a_1 (a_1^2 + a_2) & a_1^2 + a_2 & a_1 & 1 \end{pmatrix}$$

```
det(Oo)
```

ans = 1

```
syms t4
```

```
eq1=t4==inv(Ooa)*[0;0;0;1]
```

eq1 =

$$\begin{pmatrix} t_4 = 0 \\ t_4 = -\frac{1000}{2943} \\ t_4 = 0 \\ t_4 = 0 \end{pmatrix}$$

vpa(eq1)

ans =

$$\begin{pmatrix} t_4 = 0.0 \\ t_4 = -0.33978933061501868841318382602786 \\ t_4 = 0.0 \\ t_4 = 0.0 \end{pmatrix}$$

t4=[0 -0.3398 0 0]'

t4 = 4×1  
0  
-0.3398  
0  
0

t3=A\*t4

t3 = 4×1  
-0.3398  
0  
0  
0

t2=A\*t3

t2 = 4×1  
0  
-14.4449  
0  
1.0000

t1=A\*t2

t1 = 4×1  
-14.4449  
0  
1.0000  
0

S=[t1 t2 t3 t4]

S = 4×4  
-14.4449      0      -0.3398      0  
0      -14.4449      0      -0.3398  
1.0000      0      0      0  
0      1.0000      0      0

Ao=inv(S)\*A\*S

```
Ao = 4x4
      0      1.0000      0      0
    42.5100      0      1.0000      0
      0      0      0      1.0000
      0      0      0      0
```

```
Bo=inv(S)*B
```

```
Bo = 4x1
      0
     1.0000
      0
    -32.7000
```

```
Co=C*S
```

```
Co = 2x4
    -14.4449      0    -0.3398      0
     1.0000      0      0      0
```

```
Do=[0;0];
syso=ss(Ao,Bo,Co,Do);
round(vpa(eig(A)),4)
```

```
ans =
      0
      0
     6.52
    -6.52
```

```
round(vpa(eig(Ac)),4)
```

```
ans =
      0
      0
    -6.52
     6.52
```

```
round(vpa(eig(Ao)),4)
```

```
ans =
     6.52
    -6.52
      0
      0
```

## Why inverted?

```
syms lamb
det(lamb*eye(4)-Ao)
```

```
ans =
```

$$\frac{\text{lamb}^2 (100 \text{lamb}^2 - 4251)}{100}$$

```
expand(ans)
```

```
ans =
```

$$\text{lamb}^4 - \frac{4251 \text{lamb}^2}{100}$$

```
a1=0;a2=-42.51;a3=0;a4=0;
ac11=135.2;ac12=5664;ac13=76720;ac14=326000;
Lo=[a1-ac11 a2-ac12 a3-ac13 a4-ac14]'
```

```
Lo = 4x1
10^5 x
-0.0014
-0.0571
-0.7672
-3.2600
```

```
L=S*Lo
```

```
L = 4x1
10^5 x
0.2802
1.9320
-0.0014
-0.0571
```

Is this error due to rounding acceptable?

```
eig(A+L*C(2,:))
```

```
ans = 4x1
-65.2121
-49.9921
-10.0091
-9.9910
```

```
eig(Ao+Lo*Co(2,:))
```

```
ans = 4x1
-65.2121
-49.9921
-10.0091
-9.9910
```

```
Aso = A+L*C(2,:); Bso = B; Cso = C; Dso = Do;
sysso=ss(Aso,Bso,Cso,Dso)
```

```
sysso =
```

```
A =
      x1      x2      x3      x4
x1      0      1  2.802e+04      0
x2    42.51      0  1.932e+05      0
x3      0      0   -135.2      1
```

```
x4      -2.943      0      -5707      0
```

B =

```
      u1
x1      0
x2 -3.333
x3      0
x4      1
```

C =

```
      x1  x2  x3  x4
y1      1   0   0   0
y2      0   0   1   0
```

D =

```
      u1
y1      0
y2      0
```

Continuous-time state-space model.

```
eig(Aso)
```

```
ans = 4x1
-65.2121
-49.9921
-10.0091
-9.9910
```

## Task5

closed loop state feedback system

```
Asf=A+B*F
```

Asf =

$$\begin{pmatrix} 0 & 1 & 0 & 0 \\ -\frac{1440742959}{25000000} & -\frac{495973731}{31250000} & -\frac{83121687}{25000000} & -\frac{489041091}{62500000} \\ 0 & 0 & 0 & 1 \\ \frac{169387}{6250} & \frac{148807}{31250} & \frac{24939}{25000} & \frac{146727}{62500} \end{pmatrix}$$

```
vpa(Asf)
```

ans =

$$\begin{pmatrix} 0 & 1.0 & 0 & 0 \\ -57.62971836 & -15.871159392 & -3.32486748 & -7.824657456 \\ 0 & 0 & 0 & 1.0 \\ 27.10192 & 4.761824 & 0.99756 & 2.347632 \end{pmatrix}$$

```
Asf=[0 1 0 0;-57.6297 -15.871 -3.3248 -7.824657;0 0 0 1;27.10192 4.7618 1 2.3476]
```

Asf = 4x4

```
0      1.0000      0      0
```

```

-57.6297 -15.8710 -3.3248 -7.8247
    0      0      0      1.0000
27.1019  4.7618  1.0000  2.3476

```

```

Bsf=B;
Csf=C;
Dsf=Do;

```

Observer base state feedback system

```
Areg = [ (A+B*F) B*F; zeros(size(A)) (A+L*C(2,:)) ]
```

Areg =

```

(
    0      1      0      0      0      0      0
-1440742959 -495973731 -83121687 -489041091 -2503492959 -495973731 -8312
 250000000  31250000  25000000  62500000  25000000  31250000  2500
    0      0      0      1      0      0      0
 169387    148807    24939    146727    751123    148807    249
   6250    31250    25000    62500    25000    31250    250
    0      0      0      0      0      1    192568509
                                687194
    0      0      0      0      4251    0    331923241
                                100    171798
    0      0      0      0      0      0    -47570764
                                3518437
    0      0      0      0      -2943    0    -62745711
                                1000   109951
)

```

vpa(Areg)

ans =

```

(
    0      1.0      0      0      0      0
-57.62971836 -15.871159392 -3.32486748 -7.824657456 -100.13971836 -15.871159392
    0      0      0      1.0      0      0
27.10192    4.761824    0.99756    2.347632    30.04492    4.761824
    0      0      0      0      0      1.0      2
    0      0      0      0      42.51    0      1
    0      0      0      0      0      0      -
    0      0      0      0      -2.943    0      -
)

```

```

Areg=[0 1 0 0 0 0 0 0;-57.6297 -15.871 -3.3248 -7.8246 -100.139 -15.871 -3.3248 -7.8246;0 0 0 1 0 0 0 0;
0 0 0 0 42.51 0 193204.7548 0; 0 0 0 0 0 0 -135.204 1;0 0 0 0 -2.943 0 -5706.69 0]

```

Areg = 8×8

10<sup>5</sup> ×

```

    0    0.0000    0    0    0    0    0    0
-0.0006 -0.0002 -0.0000 -0.0001 -0.0010 -0.0002 -0.0000 -0.0001
    0      0      0    0.0000    0      0      0      0
 0.0003  0.0000  0.0000  0.0000  0.0003  0.0000  0.0000  0.0000
    0      0      0      0      0    0.0000  0.2802    0

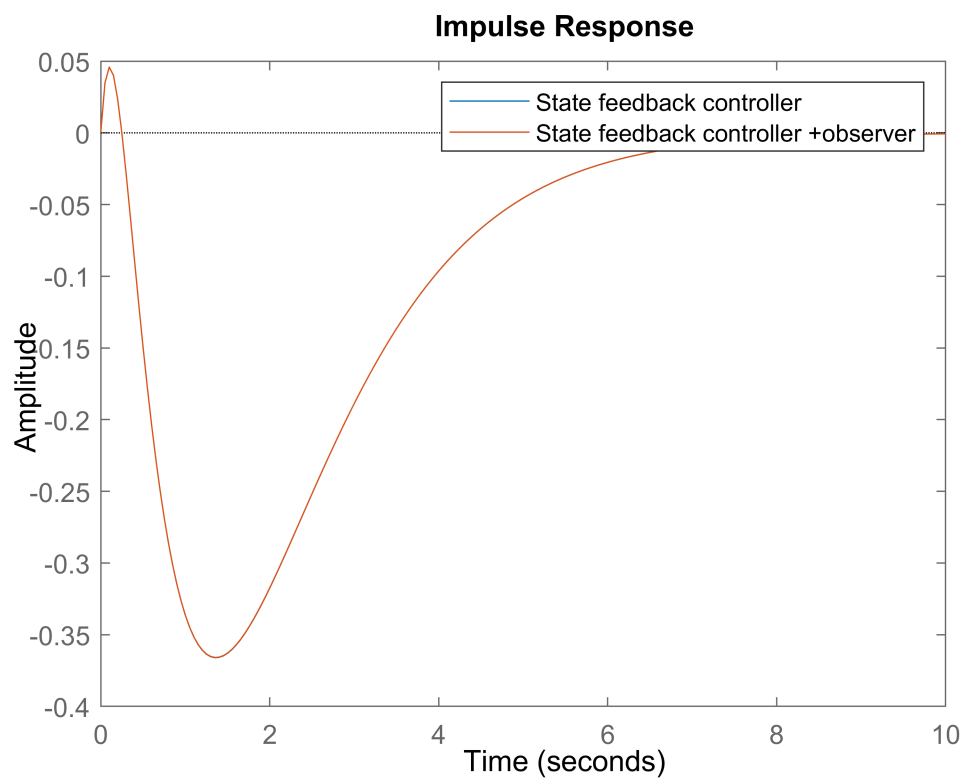
```

0	0	0	0	0.0004	0	1.9320	0
0	0	0	0	0	0	-0.0014	0.0000
0	0	0	0	-0.0000	0	-0.0571	0

```

Breg = [ B; zeros(size(B)) ];
Creg = [ C(2,:) zeros(size(C(2,:))) ];
Dreg = 0;
sys_sf=ss(Asf,Bsf,Csf(2,:),Dsf(2,:));
sys_reg=ss(Areg,Breg,Creg,Dreg);
figure
impz(sys_sf);hold on
impz(sys_reg);hold off
legend('State feedback controller','State feedback controller +observer');
xlim([0 10]);

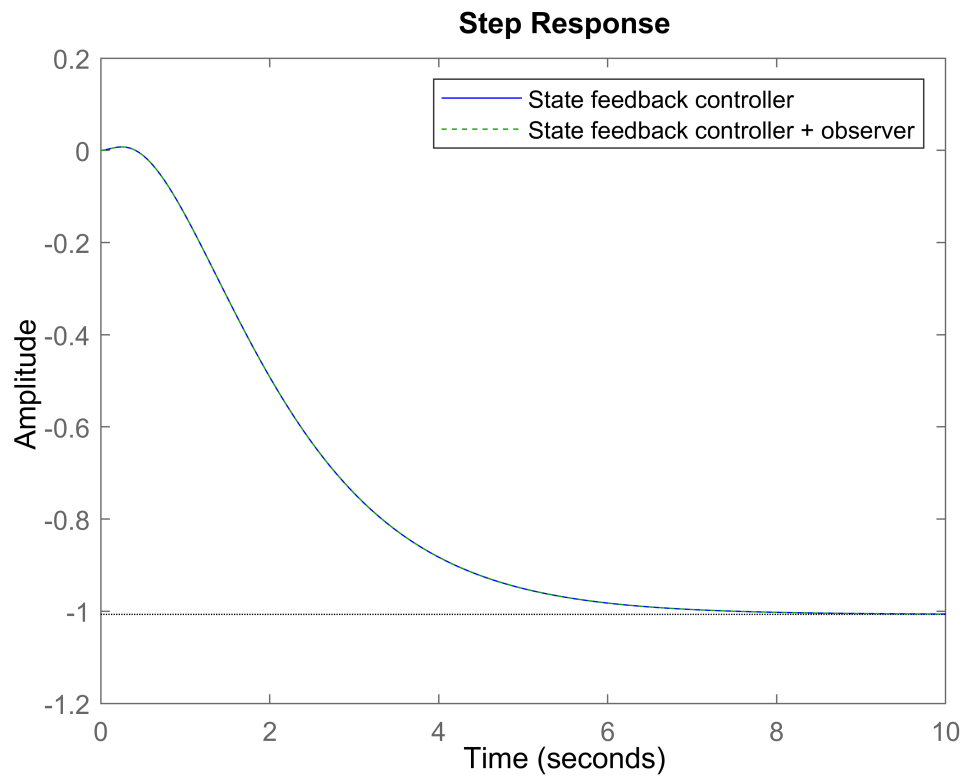
```



```

figure
step(sys_sf,'b');
hold on
step(sys_reg,'g--');legend('State feedback controller','State feedback controller + observer');
xlim([0 10]);

```



```
A = [0, 1, 0, 0; 42.51, 0, 0, 0; 0, 0, 0, 1; -(2.943), 0, 0, 0];
B = [0; -(3.333); 0; 1];
C = [1, 0, 0, 0; 0, 0, 1, 0];
D = [0; 0];
system_order = length(A)
```

```
system_order = 4
```

```
M = ctrb(A,B);
rank(M)
```

```
ans = 4
```

```
N = obsv(A,C);
rank(N)
```

```
ans = 4
```

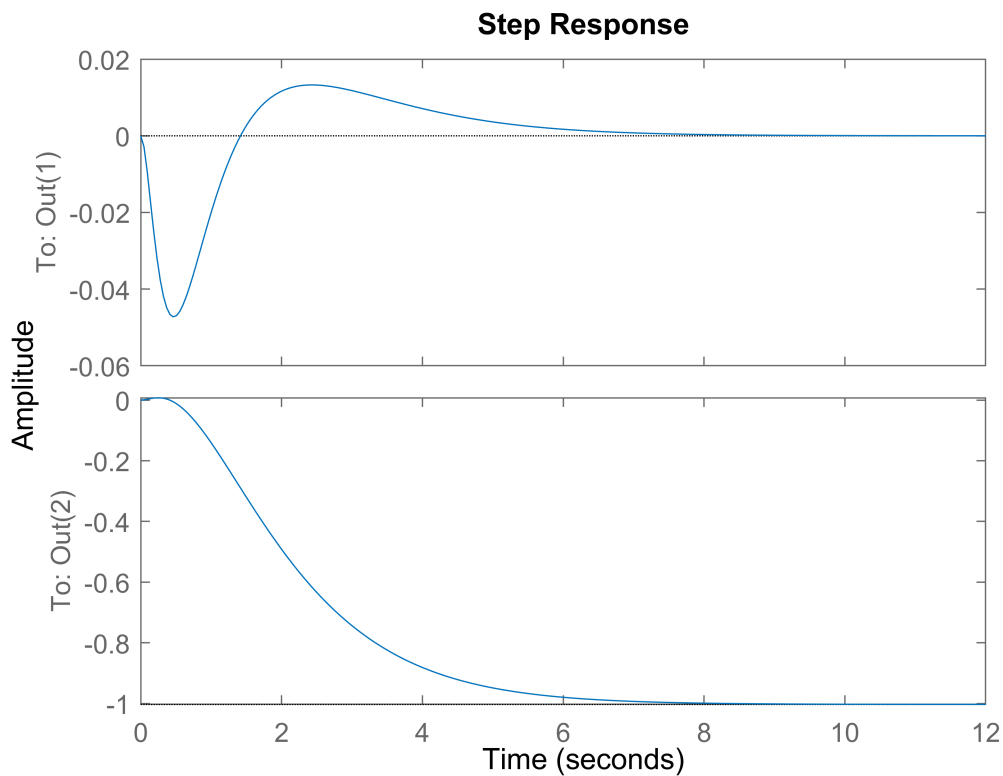
```
desiredPoles = [-1 -1 -5 -6.52];
K = acker(A,B,desiredPoles);
```

```
Warning: Pole locations are more than 10% in error.
```

```
% K = place(A,B,desiredPoles);
% closed-loop system
Ac = A-B*K; Bc = B; Cc = C; Dc = D;
sys_closed = ss(Ac,Bc,Cc,Dc);
```



```
tf_closed = tf(sys_closed);
figure
step(sys_closed);
```



```
stepinfo(sys_closed)
```

```
ans = 2x1 struct
```

...

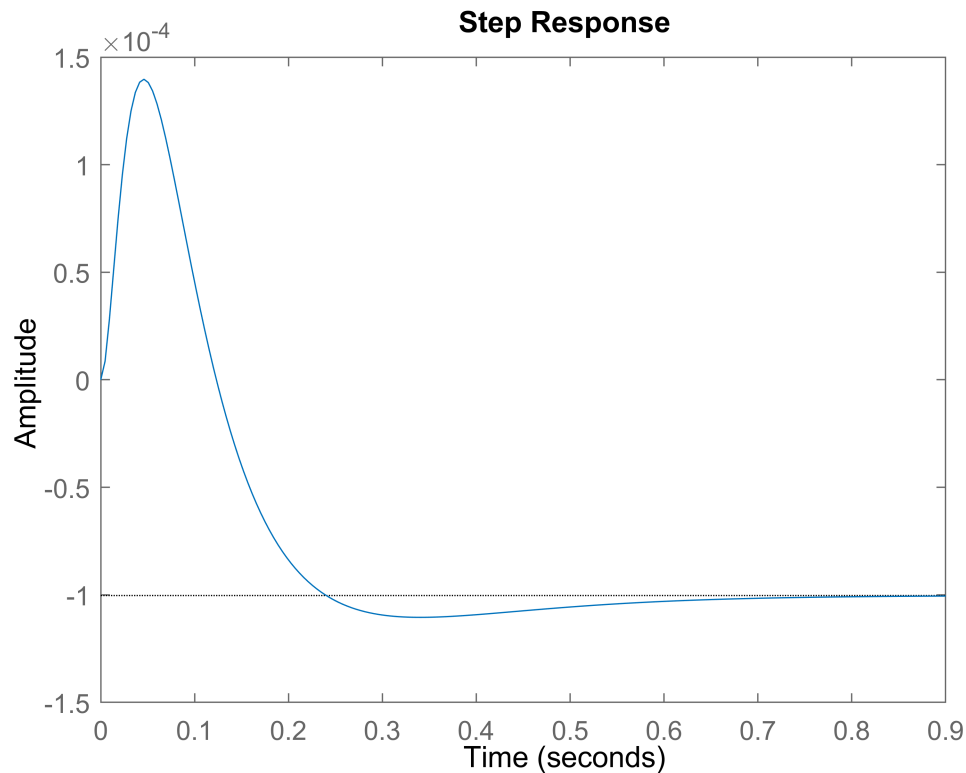
Fields	RiseTime	TransientTime	SettlingTime	SettlingMin	SettlingMax
1	9.0206e-17	6.7445	NaN	-0.0472	0.0133
2	3.3709	6.1824	6.1911	-1.003	-0.9057

```
eig(sys_closed)
```

```
ans = 4x1 complex
-6.5200 + 0.0000i
-5.0000 + 0.0000i
-1.0000 + 0.0000i
-1.0000 - 0.0000i
```

```
observerPoles = 10 * desiredPoles;
L = acker(A',C(2,:)','observerPoles);
% L = place(A',C(2,:)','observerPoles);
Ao = A - L'*C(2,:); Bo = B; Co = C(2,:); Do = D(2,:);
sys_observer = ss(Ao,Bo,Co,Do);
tf_observer = tf(sys_observer);
figure
```

```
step(sys_observer);
```



```
stepinfo(sys_observer)
```

```
ans = struct with fields:
    RiseTime: 0.0835
    TransientTime: 0.5168
    SettlingTime: 0.6412
    SettlingMin: -1.1045e-04
    SettlingMax: -9.2001e-05
    Overshoot: 10.1105
    Undershoot: 139.2860
    Peak: 1.3972e-04
    PeakTime: 0.0461
```

```
eig(sys_observer)
```

```
ans = 4x1 complex
-65.2000 + 0.0000i
-50.0000 + 0.0000i
-10.0000 + 0.0000i
-10.0000 - 0.0000i
```

```
Areg = [(A-B*K) B*K; zeros(size(A)) (A+L'*C(2,:))];
Breg = [B; zeros(size(B))];
Creg = [C zeros(size(C))];
Dreg = 0;
```

```
sys_reg = ss(Areg,Breg,Creg,Dreg);
tf_reg = tf(sys_reg);
result_eig = eig(sys_reg)
```

```

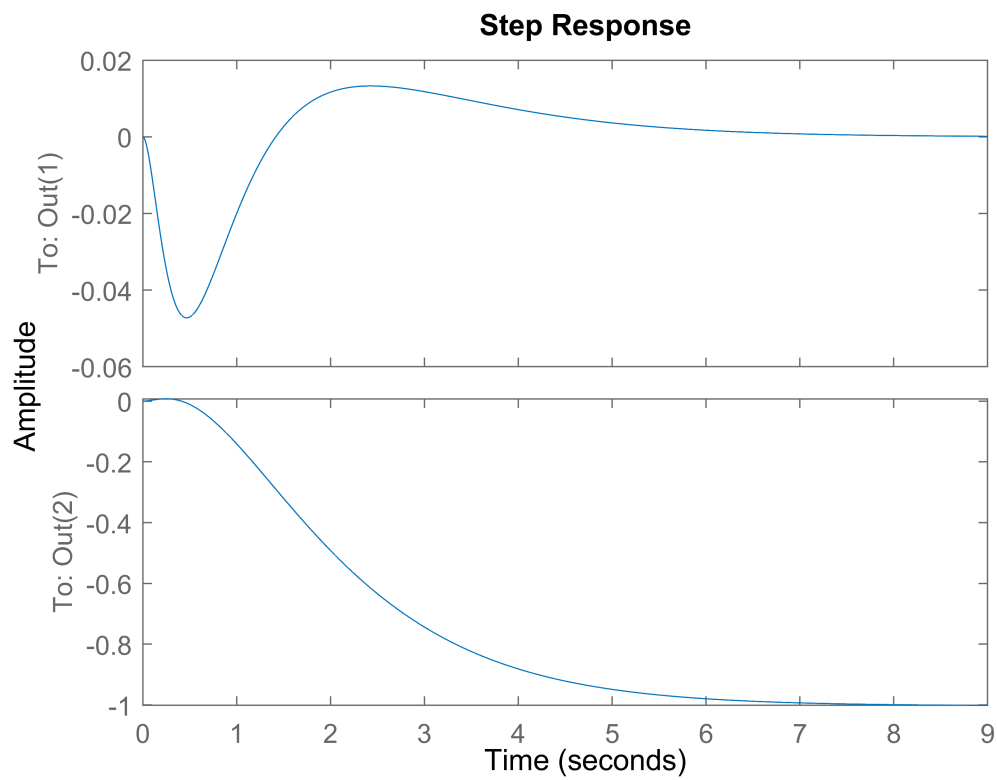
result_eig = 8x1 complex
102 x
-0.0652 + 0.0000i
-0.0500 + 0.0000i
-0.0100 + 0.0000i
-0.0100 - 0.0000i
1.7141 + 0.0000i
-0.1381 + 0.0553i
-0.1381 - 0.0553i
-0.0859 + 0.0000i

```

```

figure
step(sys_reg);

```



```

stepinfo(sys_reg)

```

```

ans = 2x1 struct

```

...

Fields	RiseTime	TransientTime	SettlingTime	SettlingMin	SettlingMax
1	3.4584e-15	6.744	NaN	-0.0472	0.0133
2	3.3708	6.1821	6.1909	-1.0026	-0.9029