



**AGH UNIVERSITY OF SCIENCE
AND TECHNOLOGY**

MECHATRONIC DESIGN

Lab 2: Introduction to Finite Element (FE) method using CALFEM toolbox (static analysis)

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Task 1

```
clear
% ----- Define Topology matrix
% Edof = [ele1, dof1, dof2
% ele2, dof1, dof2
% ..., ..., ...]
Edof = [1 1 2
        2 2 3
        3 2 3];
k = 1500; % N/m
F = 100; % N
% ----- Initiate stiffness matrix K and load vector f
K = zeros(3, 3);
f = zeros(3, 1);
f(2) = F;
% ----- Generate stiffness element matrix
ep1 = k;
ep2 = 2*k;
Ke1 = spring1e(ep1)
```

```
Ke1 = 2x2
      1500      -1500
```

```
-1500      1500
```

```
Ke2 = spring1e(ep2)
```

```
Ke2 = 2x2
      3000      -3000
     -3000       3000
```

```
% ----- Assemble element matrices into the global stiffness matrix K
K = assem(Edof(1,:), K, Ke2)
```

```
K = 3x3
      3000      -3000         0
     -3000       3000         0
         0         0         0
```

```
K = assem(Edof(2,:), K, Ke1)
```

```
K = 3x3
      3000      -3000         0
     -3000       4500      -1500
         0      -1500       1500
```

```
K = assem(Edof(3,:), K, Ke2)
```

```
K = 3x3
      3000      -3000         0
     -3000       7500      -4500
         0      -4500       4500
```

```
% ----- Specify boundary conditions (BCs)
% BC = [dof1 u1
% dof2 u2
% ... ...]
BC = [1 0
      3 0];
% ----- Solve the global system of equations for the given BCs
[a,r] = solveq(K, f, BC)
```

```
a = 3x1
      0
     0.0133
      0
```

```
r = 3x1
    -40.0000
         0
    -60.0000
```

```
% ----- Extract element displacement
ed1 = extract_ed(Edof(1,:), a)
```

```
ed1 = 1x2
      0     0.0133
```

```
ed2 = extract_ed(Edof(2,:), a)
```

```
ed2 = 1x2
     0.0133         0
```

```
ed3 = extract_ed(Edof(3,:), a)
```

```
ed3 = 1×2  
      0.0133      0
```

```
% ----- Extract element forces  
es1 = spring1s(ep2, ed1)
```

```
es1 =  
      40
```

```
es2 = spring1s(ep1, ed2)
```

```
es2 =  
     -20
```

```
es3 = spring1s(ep2, ed3)
```

```
es3 =  
     -40
```

Task 2

```
clear  
% ----- Define Topology matrix  
% Edof = [ele1, dof1, dof2  
% ele2, dof1, dof2  
% ..., ..., ...]  
Edof = [1 1 2  
        2 2 3  
        3 2 3  
        4 3 4];  
k = 1250; % N/m  
F = 100; % N  
  
% ----- Initiate stiffness matrix K and load vector f  
K = zeros(4, 4);  
f = zeros(4, 1);  
f(2) = F;  
f(3) = 2*F;  
  
% ----- Generate stiffness element matrix  
ep1 = k;  
Ke1 = spring1e(ep1)
```

```
Ke1 = 2×2  
      1250      -1250  
     -1250      1250
```

```
% ----- Assemble element matrices into the global stiffness matrix K  
K = assem(Edof(1,:), K, Ke1)
```

```
K = 4x4
    1250    -1250         0         0
   -1250     1250         0         0
         0         0         0         0
         0         0         0         0
```

```
K = assem(Edof(2,:), K, Ke1)
```

```
K = 4x4
    1250    -1250         0         0
   -1250     2500    -1250         0
         0    -1250     1250         0
         0         0         0         0
```

```
K = assem(Edof(3,:), K, Ke1)
```

```
K = 4x4
    1250    -1250         0         0
   -1250     3750    -2500         0
         0    -2500     2500         0
         0         0         0         0
```

```
K = assem(Edof(4,:), K, Ke1)
```

```
K = 4x4
    1250    -1250         0         0
   -1250     3750    -2500         0
         0    -2500     3750    -1250
         0         0    -1250     1250
```

```
% ----- Specify boundary conditions (BCs)
```

```
% BC = [dof1 u1
```

```
% dof2 u2
```

```
% ... ...]
```

```
BC = [1 0
```

```
4 0];
```

```
% ----- Solve the global system of equations for the given BCs
```

```
[a,r] = solveq(K, f, BC)
```

```
a = 4x1
```

```
0
0.1120
0.1280
0
```

```
r = 4x1
```

```
-140.0000
0
-0.0000
-160.0000
```

```
% ----- Extract element displacement
```

```
ed1 = extract_ed(Edof(1,:), a)
```

```
ed1 = 1x2
```

```
0 0.1120
```

```
ed2 = extract_ed(Edof(2,:), a)
```

```
ed2 = 1x2  
    0.1120    0.1280
```

```
ed3 = extract_ed(Edof(3,:), a)
```

```
ed3 = 1x2  
    0.1120    0.1280
```

```
ed4 = extract_ed(Edof(4,:), a)
```

```
ed4 = 1x2  
    0.1280         0
```

```
% ----- Extract element forces  
es1 = spring1s(ep1, ed1)
```

```
es1 =  
140.0000
```

```
es2 = spring1s(ep1, ed2)
```

```
es2 =  
20.0000
```

```
es3 = spring1s(ep1, ed3)
```

```
es3 =  
20.0000
```

```
es4 = spring1s(ep1, ed4)
```

```
es4 =  
-160.0000
```

Task 3

```
clear  
% ----- Define Topology matrix  
% Edof = [ele1, dof1, dof2  
% ele2, dof1, dof2  
% ..., ..., ...]  
% ele. number, x ,y ,rotx , x+1 y+1 rotx+1  
Edof = [1 1 2 3 4 5 6  
        2 4 5 6 7 8 9  
        3 7 8 9 10 11 12  
        4 10 11 12 13 14 15  
        5 13 14 15 16 17 18  
        6 16 17 18 19 20 21  
        7 19 20 21 22 23 24  
        8 22 23 24 25 26 27  
        9 25 26 27 28 29 30  
        10 28 29 30 31 32 33];
```

```
k = 1250; % N/m
F = -1000 % N
```

```
F =
-1000
```

```
E = 210e9; % GPa
L = 10; % m
A = 0.0453; % m^2
I = 2510e-8; % m^4
```

```
% ----- Initiate stiffness matrix K and load vector f
```

```
K = zeros(33,33);
f = zeros(33, 1);
f(14) = F;
```

```
% ----- Generate stiffness element matrix
```

```
ep = [E A I];
eq = [0,0];
```

```
% -----      x_pos y_pos
```

```
Ke1 = beam2e([0 1],[0 0],ep);
Ke2 = beam2e([1 2],[0 0],ep);
Ke3 = beam2e([2 3],[0 0],ep);
Ke4 = beam2e([3 4],[0 0],ep);
Ke5 = beam2e([4 5],[0 0],ep);
Ke6 = beam2e([5 6],[0 0],ep);
Ke7 = beam2e([6 7],[0 0],ep);
Ke8 = beam2e([7 8],[0 0],ep);
Ke9 = beam2e([8 9],[0 0],ep);
Ke10 = beam2e([9 10],[0 0],ep);
```

```
% ----- Assemble element matrices into the global stiffness matrix K
```

```
K=assem(Edof(1,:),K,Ke1);
K=assem(Edof(2,:),K,Ke2);
K=assem(Edof(3,:),K,Ke3);
K=assem(Edof(4,:),K,Ke4);
K=assem(Edof(5,:),K,Ke5);
K=assem(Edof(6,:),K,Ke6);
K=assem(Edof(7,:),K,Ke7);
K=assem(Edof(8,:),K,Ke8);
K=assem(Edof(9,:),K,Ke9);
K=assem(Edof(10,:),K,Ke10);
```

```
% ----- Specify boundary conditions (BCs)
```

```
% BC = [dof1 u1
% dof2 u2
```

```
% ... ...]
BC = [1 0; 2 0; 3 0;
      31 0; 32 0; 33 0]
```

```
BC = 6x2
      1      0
      2      0
      3      0
     31      0
     32      0
     33      0
```

```
% ----- Solve the global system of equations for the given BCs
[a,r] = solveq(K, f, BC)
```

```
a = 33x1
10-3 x
      0
      0
      0
      0
     -0.1161
     -0.2117
      0
     -0.3825
     -0.3005
      0
      ⋮
```

```
r = 33x1
103 x
      0
     0.6480
     1.4400
      0
     0.0000
      0
      0
     -0.0000
     -0.0000
      0
      ⋮
```

```
%----- Section forces -----
```

```
Ed = extract_ed(Edof,a);

[es1,edi1] = beam2s([0 1],[0 0],ep,Ed(1,:));
[es2,edi2] = beam2s([1 2],[0 0],ep,Ed(2,:));
[es3,edi3] = beam2s([2 3],[0 0],ep,Ed(3,:));
[es4,edi4] = beam2s([3 4],[0 0],ep,Ed(4,:));
[es5,edi5] = beam2s([4 5],[0 0],ep,Ed(5,:));
[es6,edi6] = beam2s([5 6],[0 0],ep,Ed(6,:));
[es7,edi7] = beam2s([6 7],[0 0],ep,Ed(7,:));
[es8,edi8] = beam2s([7 8],[0 0],ep,Ed(8,:));
[es9,edi9] = beam2s([8 9],[0 0],ep,Ed(9,:));
```

```
[es0,edi10] = beam2s([9 10],[0 0],ep,Ed(10,:));
```

```
%----- Draw deformed frame -----
```

```
figure
```

```
plotpar=[2 1 0];
```

```
eldraw2([0 1],[0 0],plotpar);
```

```
eldraw2([1 2],[0 0],plotpar);
```

```
eldraw2([2 3],[0 0],plotpar);
```

```
eldraw2([3 4],[0 0],plotpar);
```

```
eldraw2([4 5],[0 0],plotpar);
```

```
eldraw2([5 6],[0 0],plotpar);
```

```
eldraw2([6 7],[0 0],plotpar);
```

```
eldraw2([7 8],[0 0],plotpar);
```

```
eldraw2([8 9],[0 0],plotpar);
```

```
eldraw2([9 10],[0 0],plotpar);
```

```
sfac=scalfact2([0 1],[0 0],edi1,0.1);
```

```
plotpar=[1 2 1];
```

```
dispbeam2([0 1],[0 0],edi1,plotpar,sfac);
```

```
dispbeam2([1 2],[0 0],edi2,plotpar,sfac);
```

```
dispbeam2([2 3],[0 0],edi3,plotpar,sfac);
```

```
dispbeam2([3 4],[0 0],edi4,plotpar,sfac);
```

```
dispbeam2([4 5],[0 0],edi5,plotpar,sfac);
```

```
dispbeam2([5 6],[0 0],edi6,plotpar,sfac);
```

```
dispbeam2([6 7],[0 0],edi7,plotpar,sfac);
```

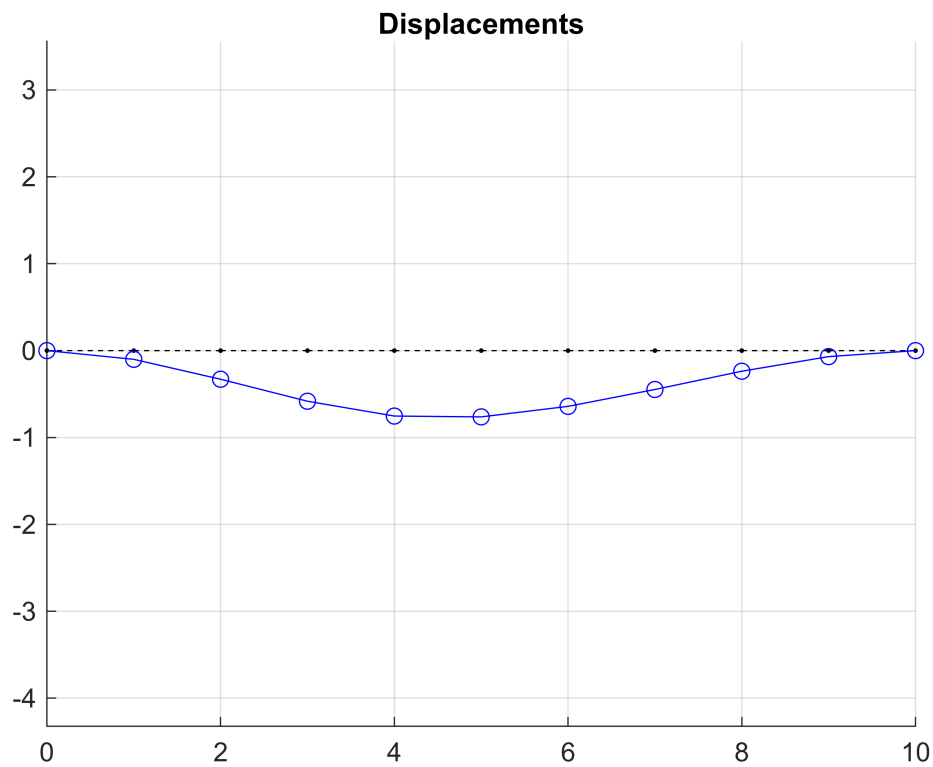
```
dispbeam2([7 8],[0 0],edi8,plotpar,sfac);
```

```
dispbeam2([8 9],[0 0],edi9,plotpar,sfac);
```

```
dispbeam2([9 10],[0 0],edi10,plotpar,sfac);
```

```
title('Displacements')
```

```
grid on
```

Task 4

```
clear
% ----- Define Topology matrix
% Edof = [ele1, dof1, dof2
% ele2, dof1, dof2
% ..., ..., ...]
% ele. number, x ,y ,rotx , x+1 y+1 rotx+1
Edof = [1 1 2 5 6
        2 5 6 7 8
        3 3 4 5 6];
```

```
k = 1250; % N/m
F = -80e3 % N
```

```
F =
-80000
```

```
E = 210e9; % GPa
L = 10; % m

A1 = 0.0006; % m^2
A2 = 0.0003;
A3 = 0.0010;
```

```

I = 2510e-8; % m^4

% ----- Initiate stiffness matrix K and load vector f
K = zeros(8);
f = zeros(8, 1);
f(6) = F;

%----- Element properties
E=2.0e11;
ep1=[E A1];
ep2=[E A2];
ep3=[E A3];

%----- Element coordinates
ex1=[0 1.6];
ex2=[1.6 1.6];
ex3=[0 1.6];
ey1=[0 0];

ey2=[0 1.2];
ey3=[1.2 0];

%----- Element stiffness matrices
Ke1=bar2e(ex1,ey1,ep1)

```

```

Ke1 = 4x4
107 x
    7.5000         0   -7.5000         0
         0         0         0         0
   -7.5000         0    7.5000         0
         0         0         0         0

```

```
Ke2=bar2e(ex2,ey2,ep2)
```

```

Ke2 = 4x4
107 x
         0         0         0         0
         0    5.0000         0   -5.0000
         0         0         0         0
         0   -5.0000         0    5.0000

```

```
Ke3=bar2e(ex3,ey3,ep3)
```

```

Ke3 = 4x4
    64000000   -48000000   -64000000    48000000
   -48000000    36000000    48000000   -36000000
   -64000000    48000000    64000000   -48000000
    48000000   -36000000   -48000000    36000000

```

```
%----- Assemble Ke into K
```

```

K=assem(Edof(1,:),K,Ke1);
K=assem(Edof(2,:),K,Ke2);

```

```
K=assem(Edof(3,:),K,Ke3)
```

```
K = 8×8
```

```
108 ×
```

0.7500	0	0	0	-0.7500	0	0	0
0	0	0	0	0	0	0	0
0	0	0.6400	-0.4800	-0.6400	0.4800	0	0
0	0	-0.4800	0.3600	0.4800	-0.3600	0	0
-0.7500	0	-0.6400	0.4800	1.3900	-0.4800	0	0
0	0	0.4800	-0.3600	-0.4800	0.8600	0	-0.5000
0	0	0	0	0	0	0	0
0	0	0	0	0	-0.5000	0	0.5000

```
%----- Solve the system of equations
```

```
bc = [1 0
      2 0
      3 0
      4 0
      7 0
      8 0];
```

```
[a,r] = solveq(K,f,bc)
```

```
a = 8×1
```

```
0
0
0
0
-0.0004
-0.0012
0
0
```

```
r = 8×1
```

```
104 ×
```

```
2.9845
0
-2.9845
2.2383
0
0
0
5.7617
```

```
%----- Element forces
```

```
ed1=extract_ed(Edof(1,:),a);
ed2=extract_ed(Edof(2,:),a);
ed3=extract_ed(Edof(3,:),a);
```

```
%----- Draw deformed truss
```

```
figure
plotpar=[2 1 0];
eldraw2(ex1,ey1,plotpar);
```

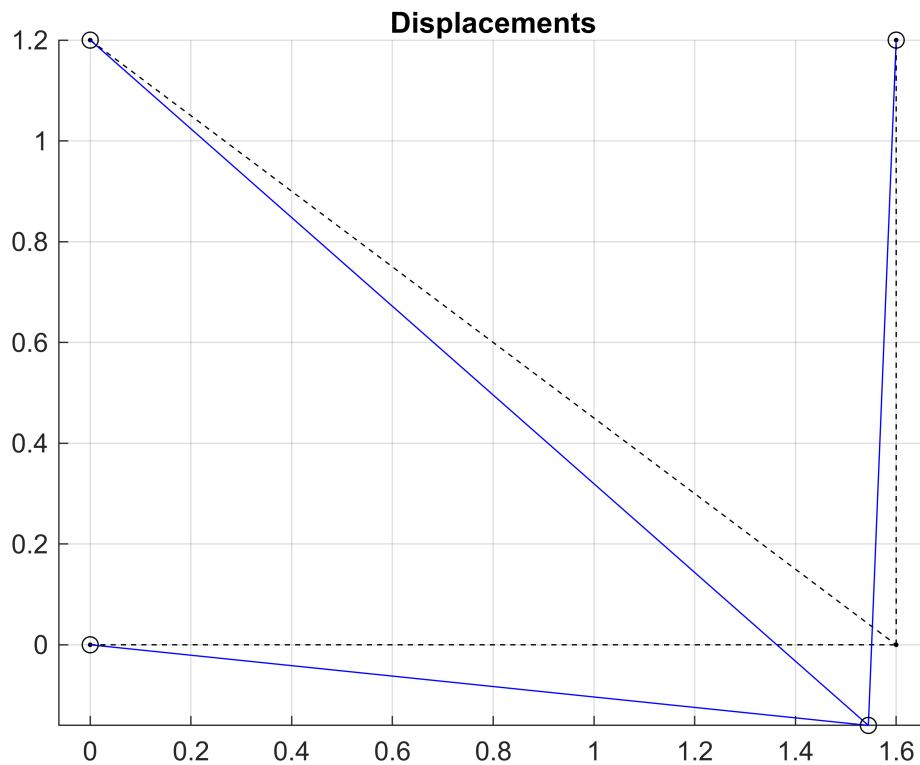
```

eldraw2(ex2,ey2,plotpar);
eldraw2(ex3,ey3,plotpar);

sfac=scalfact2(ex1,ey1,ed1,0.1);
plotpar=[1 2 1];

eldisp2(ex1,ey1,ed1,plotpar,sfac);
eldisp2(ex2,ey2,ed2,plotpar,sfac);
eldisp2(ex3,ey3,ed3,plotpar,sfac);
title('Displacements')
grid on

```



Task 5

```

clear
% ----- Define Topology matrix
% Edof = [ele1, dof1, dof2
% ele2, dof1, dof2
% ..., ..., ...]
% ele. number, x ,y ,rotx , x+1 y+1 rotx+1
Edof = [1 1 2 3 4
        2 3 4 5 6
        3 5 6 7 8
        4 7 8 9 10
        5 9 10 11 12
        6 11 12 13 14

```

```

7 13 14 15 16
8 1 2 13 14
9 15 16 3 4
10 3 4 11 12
11 13 14 5 6
12 5 6 9 10
13 11 12 7 8
14 13 14 17 18
15 11 12 17 18
16 3 4 13 14
17 5 6 11 12];

```

```

k = 1250; % N/m
F = -0.5e6 % N

```

```

F =
-500000

```

```

E = 210e9; % GPa

```

```

A = 0.0025; % m^2

```

```

% I = 2510e-8; % m^4

```

```

% ----- Initiate stiffness matrix K and load vector f

```

```

K = zeros(18);
f = zeros(18, 1);
f(8) = F*cos(deg2rad(30));
f(7) = F*sin(deg2rad(30));

```

```

%----- Element properties

```

```

ep=[E A];

```

```

%----- Element coordinates

```

```

ex1=[0 2];
ey1=[0 0];

```

```

ex2=[2 4];
ey2=[0 0];

```

```

ex3=[4 6];
ey3=[0 0];

```

```

ex4=[6 6];
ey4=[0 2];

```

```

ex5=[6 4];
ey5=[2 2];

```

```

ex6=[4 2];

```

```
ey6=[2 2];
```

```
ex7=[2 0];
```

```
ey7=[2 2];
```

```
ex8=[0 2];
```

```
ey8=[0 2];
```

```
ex9=[0 2];
```

```
ey9=[2 0];
```

```
ex10=[2 4];
```

```
ey10=[0 2];
```

```
ex11=[2 4];
```

```
ey11=[2 0];
```

```
ex12=[4 6];
```

```
ey12=[0 2];
```

```
ex13=[4 6];
```

```
ey13=[2 0];
```

```
ex14=[2 3];
```

```
ey14=[2 3];
```

```
ex15=[4 3];
```

```
ey15=[2 3];
```

```
ex16=[2 2];
```

```
ey16=[0 2];
```

```
ex17=[4 4];
```

```
ey17=[0 2];
```

```
%----- Element stiffness matrices
```

```
Ke1=bar2e(ex1,ey1,ep)
```

```
Ke1 = 4x4
```

262500000	0	-262500000	0
0	0	0	0
-262500000	0	262500000	0
0	0	0	0

```
Ke2=bar2e(ex2,ey2,ep)
```

```
Ke2 = 4x4
```

262500000	0	-262500000	0
0	0	0	0
-262500000	0	262500000	0
0	0	0	0

```
Ke3=bar2e(ex3,ey3,ep)
```

Ke3 = 4x4

262500000	0	-262500000	0
0	0	0	0
-262500000	0	262500000	0
0	0	0	0

Ke4=bar2e(ex4,ey4,ep)

Ke4 = 4x4

0	0	0	0
0	262500000	0	-262500000
0	0	0	0
0	-262500000	0	262500000

Ke5=bar2e(ex5,ey5,ep)

Ke5 = 4x4

262500000	0	-262500000	0
0	0	0	0
-262500000	0	262500000	0
0	0	0	0

Ke6=bar2e(ex6,ey6,ep)

Ke6 = 4x4

262500000	0	-262500000	0
0	0	0	0
-262500000	0	262500000	0
0	0	0	0

Ke7=bar2e(ex7,ey7,ep)

Ke7 = 4x4

262500000	0	-262500000	0
0	0	0	0
-262500000	0	262500000	0
0	0	0	0

Ke8=bar2e(ex8,ey8,ep)

Ke8 = 4x4

10⁷ x

9.2808	9.2808	-9.2808	-9.2808
9.2808	9.2808	-9.2808	-9.2808
-9.2808	-9.2808	9.2808	9.2808
-9.2808	-9.2808	9.2808	9.2808

Ke9=bar2e(ex9,ey9,ep)

Ke9 = 4x4

10⁷ x

9.2808	-9.2808	-9.2808	9.2808
-9.2808	9.2808	9.2808	-9.2808
-9.2808	9.2808	9.2808	-9.2808
9.2808	-9.2808	-9.2808	9.2808

Ke10=bar2e(ex10,ey10,ep)

Ke10 = 4x4

10⁷ x

9.2808	9.2808	-9.2808	-9.2808
9.2808	9.2808	-9.2808	-9.2808
-9.2808	-9.2808	9.2808	9.2808
-9.2808	-9.2808	9.2808	9.2808

Ke11=bar2e(ex11,ey11,ep)

Ke11 = 4x4

10⁷ x

9.2808	-9.2808	-9.2808	9.2808
-9.2808	9.2808	9.2808	-9.2808
-9.2808	9.2808	9.2808	-9.2808
9.2808	-9.2808	-9.2808	9.2808

Ke12=bar2e(ex12,ey12,ep)

Ke12 = 4x4

10⁷ x

9.2808	9.2808	-9.2808	-9.2808
9.2808	9.2808	-9.2808	-9.2808
-9.2808	-9.2808	9.2808	9.2808
-9.2808	-9.2808	9.2808	9.2808

Ke13=bar2e(ex13,ey13,ep)

Ke13 = 4x4

10⁷ x

9.2808	-9.2808	-9.2808	9.2808
-9.2808	9.2808	9.2808	-9.2808
-9.2808	9.2808	9.2808	-9.2808
9.2808	-9.2808	-9.2808	9.2808

Ke14=bar2e(ex14,ey14,ep)

Ke14 = 4x4

10⁸ x

1.8562	1.8562	-1.8562	-1.8562
1.8562	1.8562	-1.8562	-1.8562
-1.8562	-1.8562	1.8562	1.8562
-1.8562	-1.8562	1.8562	1.8562

Ke15=bar2e(ex15,ey15,ep)

Ke15 = 4x4

10⁸ x

1.8562	-1.8562	-1.8562	1.8562
-1.8562	1.8562	1.8562	-1.8562
-1.8562	1.8562	1.8562	-1.8562
1.8562	-1.8562	-1.8562	1.8562

Ke16=bar2e(ex16,ey16,ep)

Ke16 = 4x4

0	0	0	0
0	262500000	0	-262500000
0	0	0	0
0	-262500000	0	262500000

Ke17=bar2e(ex17,ey17,ep)


```
Ke17 = 4x4
      0      0      0      0
      0 262500000 0 -262500000
      0      0      0      0
      0 -262500000 0 262500000
```

```
%----- Assemble Ke into K
```

```
K=assem(Edof(1,:),K,Ke1);
K=assem(Edof(2,:),K,Ke2);
K=assem(Edof(3,:),K,Ke3);
K=assem(Edof(4,:),K,Ke4);
K=assem(Edof(5,:),K,Ke5);
K=assem(Edof(6,:),K,Ke6);
K=assem(Edof(7,:),K,Ke7);
K=assem(Edof(8,:),K,Ke8);
K=assem(Edof(9,:),K,Ke9);
K=assem(Edof(10,:),K,Ke10);
K=assem(Edof(11,:),K,Ke11);
K=assem(Edof(12,:),K,Ke12);
K=assem(Edof(13,:),K,Ke13);
K=assem(Edof(14,:),K,Ke14);
K=assem(Edof(15,:),K,Ke15);
K=assem(Edof(16,:),K,Ke16);
K=assem(Edof(17,:),K,Ke17);
```

```
%----- Solve the system of equations
```

```
bc = [1 0
      2 0
      15 0
      16 0];
```

```
[a,r] = solveq(K,f,bc)
```

```
a = 18x1
      0
      0
     -0.0050
     -0.0070
     -0.0083
     -0.0215
     -0.0101
     -0.0406
      0.0076
     -0.0397
      :
```

```
r = 18x1
106 ×
      1.5490
      0.2427
     -0.0000
      0
```

```

-0.0000
0.0000
0.0000
0.0000
-0.0000
0.0000
:
:

```

```

%----- Element forces

```

```

ed1=extract_ed(Edof(1,:),a);
ed2=extract_ed(Edof(2,:),a);
ed3=extract_ed(Edof(3,:),a);
ed4=extract_ed(Edof(4,:),a);
ed5=extract_ed(Edof(5,:),a);
ed6=extract_ed(Edof(6,:),a);
ed7=extract_ed(Edof(7,:),a);
ed8=extract_ed(Edof(8,:),a);
ed9=extract_ed(Edof(9,:),a);
ed10=extract_ed(Edof(10,:),a);
ed11=extract_ed(Edof(11,:),a);
ed12=extract_ed(Edof(12,:),a);
ed13=extract_ed(Edof(13,:),a);
ed14=extract_ed(Edof(14,:),a);
ed15=extract_ed(Edof(15,:),a);
ed16=extract_ed(Edof(16,:),a);
ed17=extract_ed(Edof(17,:),a);

```

```

%----- Draw deformed truss

```

```

figure
plotpar=[2 1 0];
eldraw2(ex1,ey1,plotpar);
eldraw2(ex2,ey2,plotpar);
eldraw2(ex3,ey3,plotpar);
eldraw2(ex4,ey4,plotpar);
eldraw2(ex5,ey5,plotpar);
eldraw2(ex6,ey6,plotpar);
eldraw2(ex7,ey7,plotpar);
eldraw2(ex8,ey8,plotpar);
eldraw2(ex9,ey9,plotpar);
eldraw2(ex10,ey10,plotpar);
eldraw2(ex11,ey11,plotpar);
eldraw2(ex12,ey12,plotpar);
eldraw2(ex13,ey13,plotpar);
eldraw2(ex14,ey14,plotpar);
eldraw2(ex15,ey15,plotpar);
eldraw2(ex16,ey16,plotpar);
eldraw2(ex17,ey17,plotpar);

```

```

sfac=scalfact2(ex1,ey1,ed1,0.1);
plotpar=[1 2 1];

eldisp2(ex1,ey1,ed1,plotpar,sfac);
eldisp2(ex2,ey2,ed2,plotpar,sfac);
eldisp2(ex3,ey3,ed3,plotpar,sfac);
eldisp2(ex4,ey4,ed4,plotpar,sfac);
eldisp2(ex5,ey5,ed5,plotpar,sfac);
eldisp2(ex6,ey6,ed6,plotpar,sfac);
eldisp2(ex7,ey7,ed7,plotpar,sfac);
eldisp2(ex8,ey8,ed8,plotpar,sfac);
eldisp2(ex9,ey9,ed9,plotpar,sfac);
eldisp2(ex10,ey10,ed10,plotpar,sfac);
eldisp2(ex11,ey11,ed11,plotpar,sfac);
eldisp2(ex12,ey12,ed12,plotpar,sfac);
eldisp2(ex13,ey13,ed13,plotpar,sfac);
eldisp2(ex14,ey14,ed14,plotpar,sfac);
eldisp2(ex15,ey15,ed15,plotpar,sfac);
eldisp2(ex16,ey16,ed16,plotpar,sfac);
eldisp2(ex17,ey17,ed17,plotpar,sfac);
title('Displacements')
grid on

```

