# Feedback on Topic 2 Ex



### Exercise Question – E2.1

 Given the following ciphertext which has been generated using the Caesar cipher (but a different key), use the frequency analysis method to work out the encryption key and the corresponding plaintext.

#### Ciphertext:

bpmzm wvkm eia iv cotg lckstqvo eqbp nmibpmza itt abcjjg ivl jzwev ...

Key: ??

Plaintext: ??

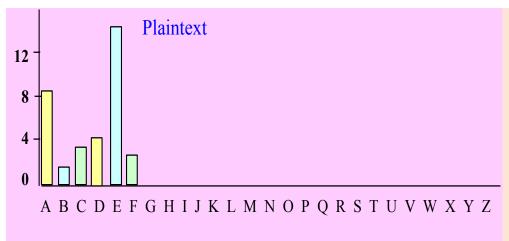
## Exercise Question – E2.1 (this is plaintext distribution)

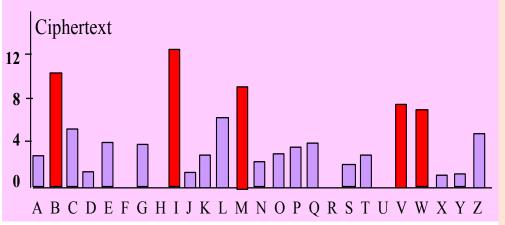
• Letter Frequency Distribution in English (in percentage) (this may vary depending on the content/size of the text)

```
• 8.2
                   4.2
                                       2.0
     1.5
            2.8
                          12.7 2.2
                                             6.1
                                                    7.0
       k
                   m
                                                     r
                          6.7
                                7.5
      8.0
• 0.1
            4.0
                   2.4
                                       1.9
                                             0.1
                                                    6.0
             u
                   V
                          W
                                X
                                             Ζ
• 6.3
            2.8
     9.0
                   1.0
                          2.4
                                2.0
                                       0.1
                                              0.1
```



# Exercise Question – E2.1: Plain/cipher-text distributions





- To guess the key K=?
- Do a letter frequency distribution for the ciphertext and compare it with the plaintext distribution.
- The more frequently occurring letters in the ciphertext are likely to be among the more frequently occurring letters in the plaintext.
- Look at Plaintext 'E', P(E): if P(E) is C(I), C(M), C(V), C(W), or C(B), then the keys would be respectively:
  - 4, 8, 17, 18 or 23
- Do the same for P(A), we have:
  - 1, 8, 12, 21, or 22
- Among the two sets of possible keys, one key (K = 8) appears in both sets.
- So try to use K=8 to decrypt ...
- This is just one of the possible methods.



## Exercise Question – E2.1

#### **Ciphertext:**

bpmzm wvkm eia iv cotg lckstqvo eqbp nmibpmza itt abcjjg ivl jzwev

#### **Plaintext:**

There once was an ugly duckling With feathers all stubby and brown ...

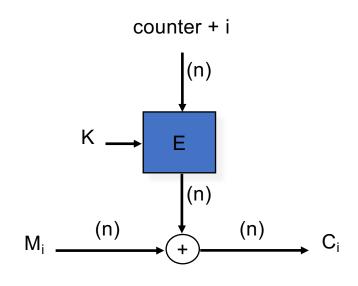


## Exercise Question – E2.2

- (i) Comment on the benefit(s) of this approach, i.e. why is the key stream generated from K?
- This approach addresses the following issue:
  - The key stream must be unique for each encryption, i.e. a key stream must not be used twice, as, otherwise, the encryption will not be secure:
  - $K = M \operatorname{xor} C \implies M' = K \operatorname{xor} C' = (M \operatorname{xor} C) \operatorname{xor} C'$
  - This is a dangerous property and we **must never ever reuse the same keystream** to encrypt two different messages.
  - To ensure a key stream non-repeating can be challenging: (a) their distributions are expensive a key stream should be as long as the message to be protected and this is too expensive for long messages; (b) managing and storing a large number of key streams may also be problematic; (c) there is an synchronisation issue too the key stream used by a sender/receiver pair for a particular message must be the same.



# Exercise Question – E2.2 (cont)



- (ii) How to ensure (or to minimize the chances) that the output of the pseudo-random generator (i.e. the key stream) is non-repeating?
- (a) Use a strong mixing function as the pseudorandom generator.
- (b) add another input into the function, a counter, which changes (e.g. increment by 1) for each iteration.
- (c) If the counter value reaches its maximum, then change the key, K.