

# **DATA STRUCTURES & ALGORITHMS**

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# **Lecture 02**

## Searching Algorithms

# Searching

➤ Finding elements in large amounts of data

Determine whether array contains value matching *key value*

☐ Linear search

☐ Binary search

# Searching an Array

- \* **Linear search**

  - small arrays

  - unsorted arrays

- \* **Binary search**

  - large arrays

  - sorted arrays

# Linear Search Algorithm

- *Brute force* algorithm, that starts searching the key from one end of the data set and proceed searching to the other end of the data set – *Exhaustive Search*.
  - Start at first element of the array.
  - Compare the value with the key
  - Continue with next element until a match is found or reach end of the array.

➤Note: On the average we have to compare the search key with half the elements in the array.

# Linear Search - Example

- \* Array `numlist` contains:

17	23	5	11	2	29	3
----	----	---	----	---	----	---

- \* Searching for the the value 11 :

linear search examines 17, 23, 5, and 11

- \* Searching for the the value 7 :

linear search examines 17, 23, 5, 11, 2, 29,  
and 3

# Linear Search

## \* Algorithm:

*set found to false; set position to -1; set index to 0*

*while index < number of elements. and found is false*

*if list[index] is equal to search value*

*found = true*

*position = index*

*end if*

*add 1 to index*

*end while*

*return position*

# A Linear Search Function

```
int searchList(int list[], int numElems, int value)
{
    int index = 0;          // Used as a subscript to search array
    int position = -1;      // To record position of search value
    boolean found = false;  // Flag to indicate if value was
                                found

    while (index < numElems && !found)
    {
        if (list[index] == value) // If the value is found
        {
            found = true; // Set the flag
            position = index; // Record the value's subscript
        }
        index++; // Go to the next element
    }
    return position; // Return the position, or -1
}
```



# Linear Search

- \* **Benefits:**

- \* Easy to understand and implement
- \* No assumption on data - can be in any order

- \* **Disadvantages:**

- \* Inefficient (slow)  $\rightarrow O(n)$
- \* Best case scenario?
- \* Average complexity?
- \* Worst case scenario?

# Binary Search Algorithm

Need the dataset to be sorted (say ascending order)

At each step check the middle item

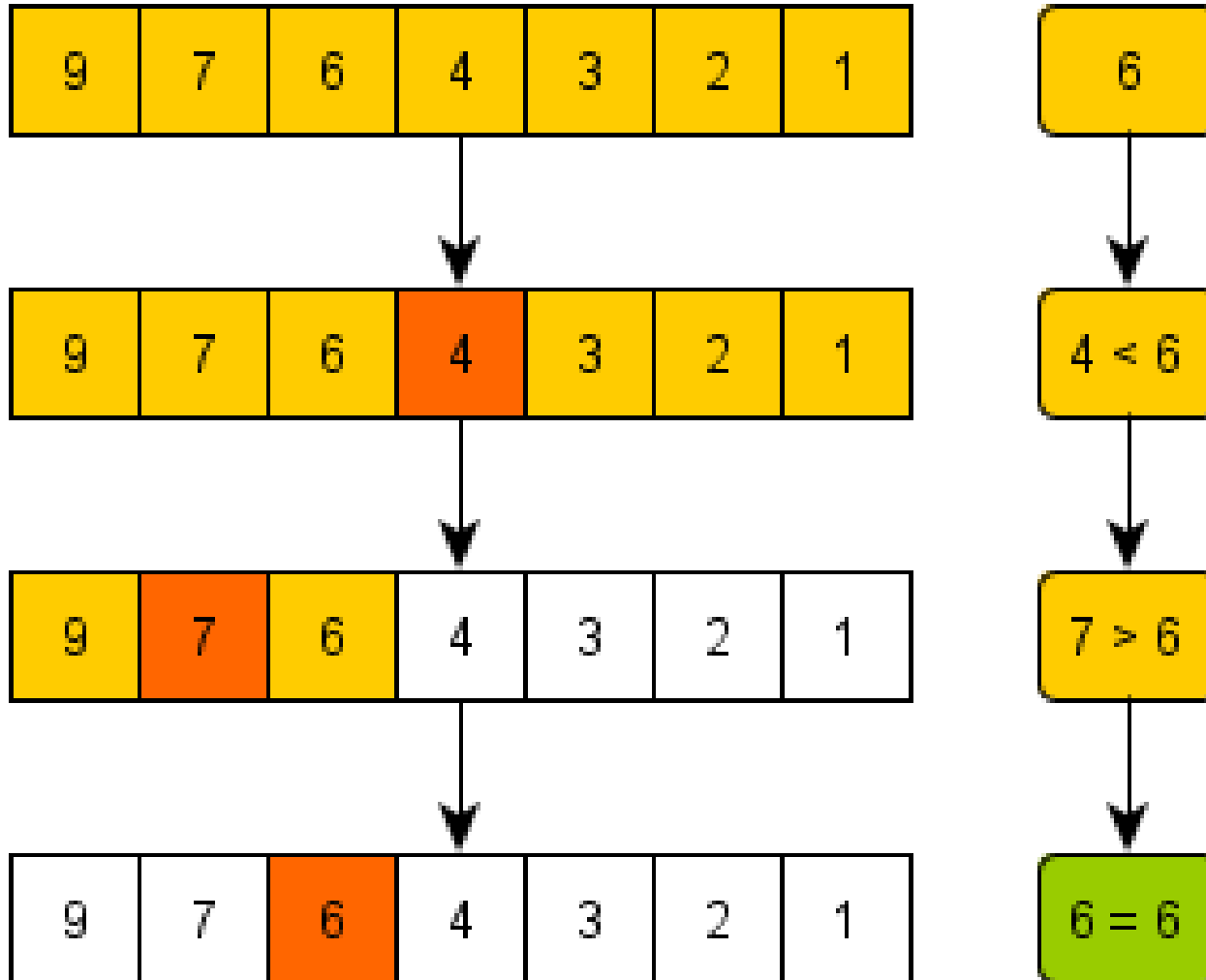
If  $\text{key} == \text{middle item} \rightarrow \text{item found}$

If  $\text{key} < \text{middle item} \rightarrow \text{binary search the first half}$

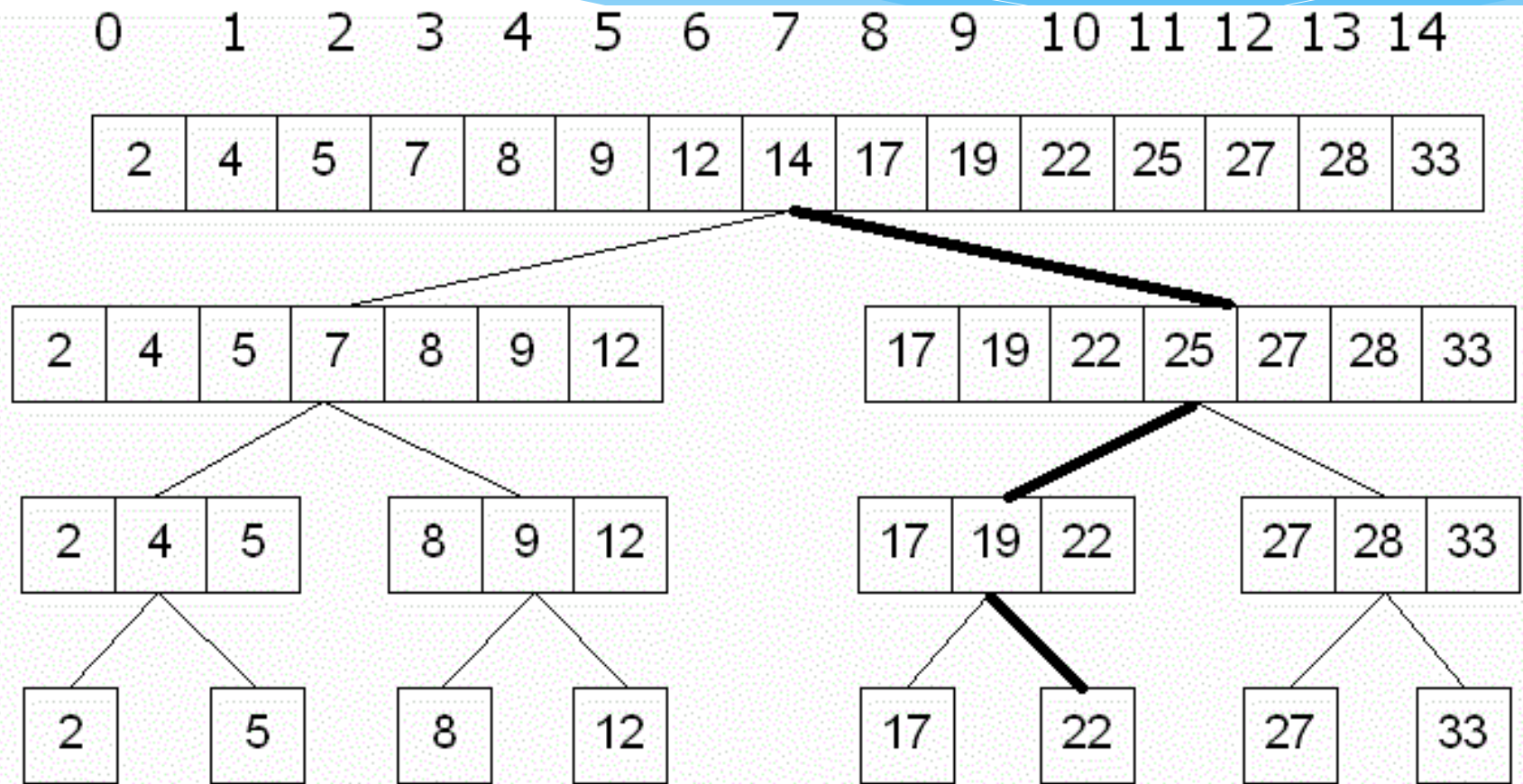
If  $\text{key} > \text{middle item} \rightarrow \text{binary search the second half}$

Search ends either finding the item or after checking an array of size 1.

# Binary Search Example



# Binary Search Tree



# Efficiency

➤ Searching an array of 1024 elements will take at most 10 passes to find a match or determine that the element does not exist in the array.

512, 256, 128, 64, 32, 16, 8, 4, 2, 1

➤ An array of one billion elements takes a maximum of 30 comparisons.

➤ The bigger the array the better a binary search is as compared to a linear search

➤  $O(\log n)$

# Binary Search

*Set first index to 0. Set last index to the last subscript in the array.  
Set found to false. Set position to -1.*

*While found is not true and first is less than or equal to last  
Set middle to the subscript half-way between array[first] and array[last].*

*If array[middle] equals the desired value  
Set found to true.  
Set position to middle.*

*Else If array[middle] is greater than the desired value  
Set last to middle - 1.*

*Else  
Set first to middle + 1.*

*End If.*

*End While.  
Return position.*

# A Binary Search Function

```
int binarySearch(int array[], int size, int value)
{
    int first = 0,           // First array element
        last = size - 1,    // Last array element
        middle,             // Mid point of search
        position = -1;      // Position of search value
    boolean found = false;   // Flag

    while (!found && first <= last)
    {
        middle = (first + last) / 2;    // Calculate mid point
        if (array[middle] == value)     // If value is found at mid
        {
            found = true;
            position = middle;
        }
        else if (array[middle] > value) // If value is in lower half
            last = middle - 1;
        else
            first = middle + 1;         // If value is in upper half
    }
    return position;
}
```



Carryout a **Desk-Check** for the above algorithm for the following data set:

data[] = { 12, 16, 23, 28, 34, 42, 47, 55, 64, 65, 66, 72 }  
key = 54

Var	1st call	2nd call	3rd call	4th call
key				
data				
size				
mid				
data[mid]				
return				



Answer:

Var	1st call	2nd call	3rd call	4th call
key	54	54	54	54
data	&data[0]	&data[7]	&data[7]	&data[7]
size	12	5	2	1
mid	6	2	1	0
data[mid]	47	65	64	55
return	?	?	?	-1



Thank You