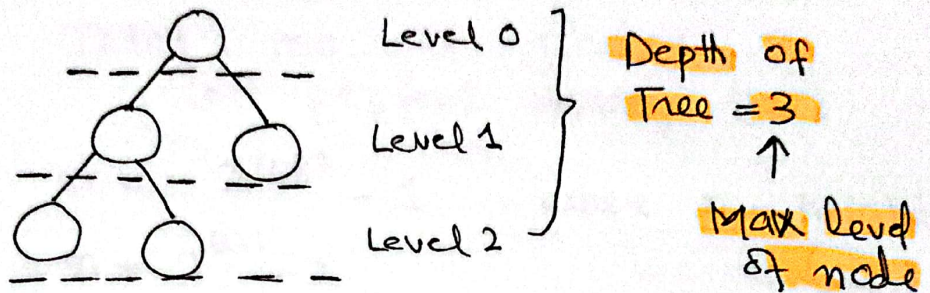


In order \rightarrow Root in b/w left & right
 Pre order \rightarrow Root before " "
 Post order \rightarrow Root after " "

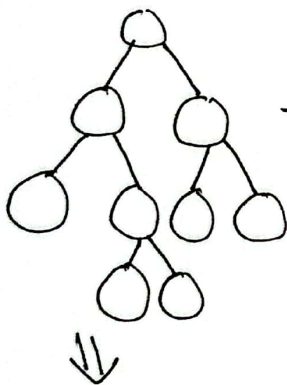
① Strict / Proper Binary Trees

If binary tree's each node can have either 2 or 0 children nodes.
 Like:

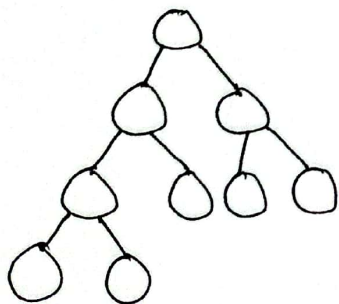


② Complete Binary Tree:

All levels except possibly the last one are completely filled & all nodes are as left as possible (In last level if not completely filled).
 e.g:



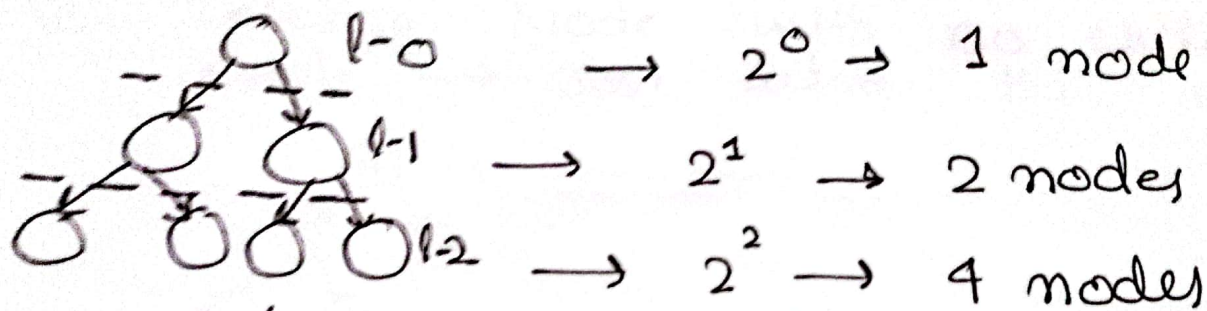
\rightarrow Not a Complete Binary Tree as left most place is empty in last level.



\rightarrow Complete Binary Tree

\hookrightarrow If last level is also filled it is known as Perfect binary Tree.

So in case of Perfect Binary Trees,
Every level will have $\rightarrow 2^l$ nodes
where $l \rightarrow$ level.



Total no of nodes
in perfect binary tree:

$$n = 2^{h+1} - 1 \quad \text{where } h = \text{height}$$
$$n = 2^{2+1} - 1$$
$$n = 2^3 - 1$$

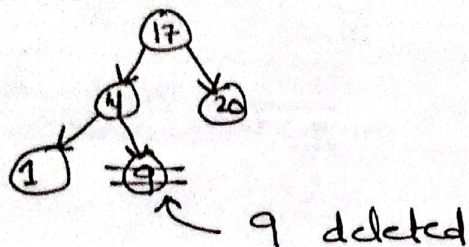
(Max level)

$$\boxed{n = 7}$$

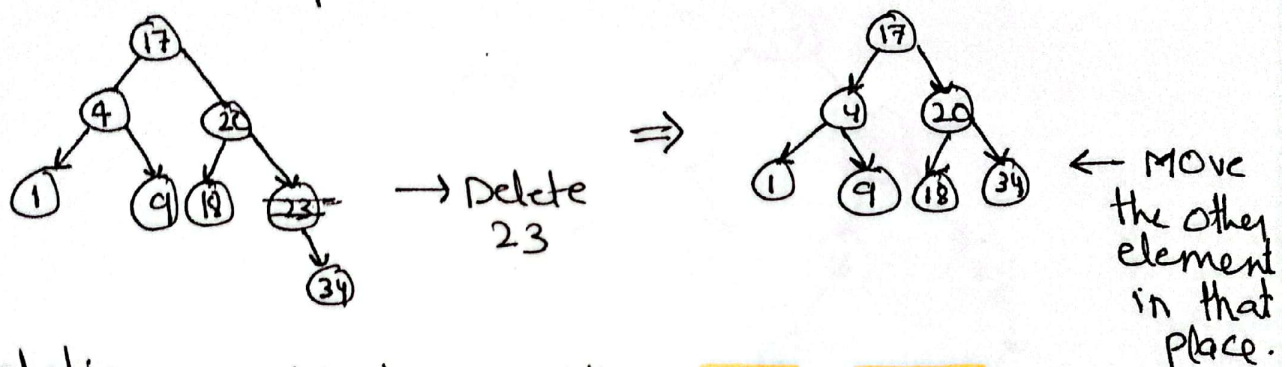
ii) Binary Tree | BST (Part 2)

Deleting a Node from Binary Tree:

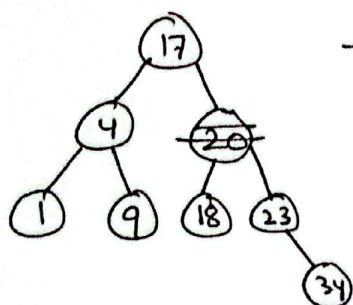
i) Deleting Node with no child is simple → Just delete the node



ii) Deleting Node with one child is also simple.

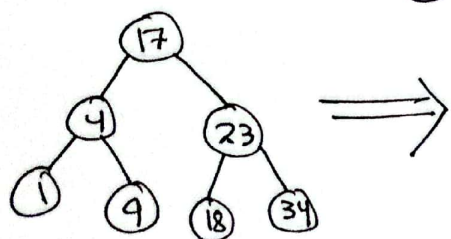


iii) Deleting Node with Two children :

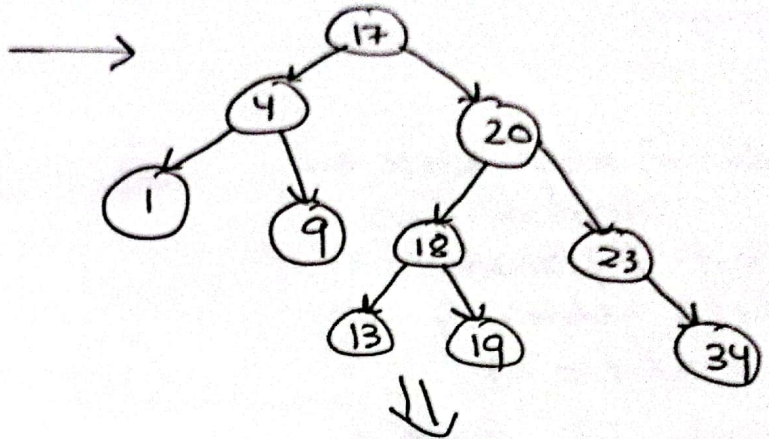


→ If you want to delete 20 you have to take care of property of BST.
less values → left side
greater " → right side.

i) So first technique is find minimum values on right
and move that to place of node you removed.



→ Other Technique is
To find maximum
node from right
subtree, copy
it to place where
you removed node
& then delete
that node from
previous location
(cut & paste)



if you want to
delete 20 :

→ Max in right subtree
is 19 in its place.

