```
method ComputePos(num: int, den: int) returns (n: int)
    requires num > 0 && den > 0
    ensures n > 0 \&\& num == fusc(n) \&\& den == fusc(n + 1)
{
    {true}
    {1 == 1}
    \{forall x :: 1 == 1\}
    var x := 1;
    \{x == 1\}
    {x == 1 \&\& true}
    {forall y :: x == 1 \&\& 1 == 1}
    var y := 1;
    \{x == 1 \&\& y == 1\}
    \{forall s :: x == 1 \&\& y == 1\}
    var s := 0;
    \{x == 1 \&\& y == 1\}
    \{x == 1 \&\& y == fusc(1)\}
    \{x == 1 \&\& y == fusc(2 * 1)\}
    \{ true \&\& x == 1 \&\& y == fusc(2) \}
    \{1 > 0 \&\& x == fusc(1) \&\& y == fusc(1 + 1)\}
    n := 1;
    \{n > 0 \&\& x == fusc(n) \&\& y == fusc(n + 1)\}
    while (num != x \&\& den != y)
         invariant n > 0 \&\& x == fusc(n) \&\& y == fusc(n + 1)
        decreases -n
    {
         \{n > 0 \&\& x == fusc(n) \&\& y == fusc(n + 1)\}
                                                           -- strengthen with
invariants
         \{n > 0\}
         \{(n + 1) >= 0\}
         n := n + 1;
         \{n >= 0\}
        {n >= 0 \&\& true}
         \{n >= 0 \text{ fusc}(n) == \text{fusc}(n)\}
         \{n >= 0 \&\& forall b' :: b' == fusc(n) == fusc(n)\}
         x := ComputeFusc(n);
         \{n >= 0 \&\& x == fusc(n)\}
         \{n >= 0 \&\& x == fusc(n) \&\& true\}
         \{n >= 0 \&\& x == fusc(n) \&\& fusc(n + 1) == fusc(n + 1)\}
         s := n + 1;
         \{n >= 0 \&\& x == fusc(n) \&\& fusc(s) == fusc(n + 1)\}
         \{n >= 0 \& x == fusc(n) \& forall b' :: b' == fusc(s) ==> b' == fusc(n +
1)}
        y := ComputeFusc(s);
         \{n > 0 \&\& x == fusc(n) \&\& y == fusc(n + 1)\}
    }
}
```