## **Student Information**

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#### Answer 1

a.

Table 1: Rational Numbers					
	1	2	3	4	5
1	1/1	1/2	1/3	1/4	1/5
2	2/1	2/2	2/3	2/4	2/5
3	3/1	3/2	3/3	3/4	3/5
4	4/1	4/2	4/3	4/4	4/5
5	5/1	5/2	5/3	5/4	5/5

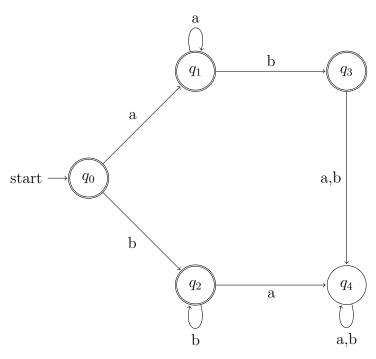
We can write set of rational numbers between (0,1) R = 1/2, 1/3, 2/3, 1/4, 1/5, 3/4, 2/5.... Because there is one-to-one correspondence between the elements of the set R and the set of natural numbers, set of rational numbers countable and infinite. If we multiply all the members with -1, we obtain the set of rational numbers in (-1, 0) which is also countable and infinite.

b.

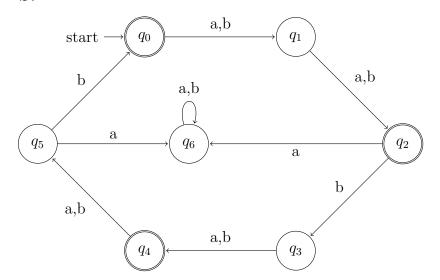
c.

# Answer 2

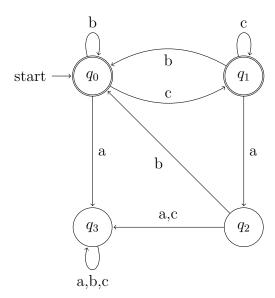
a.



b.



c.



# Answer 3

a.

 $w_1$  is not in L(N)

b.

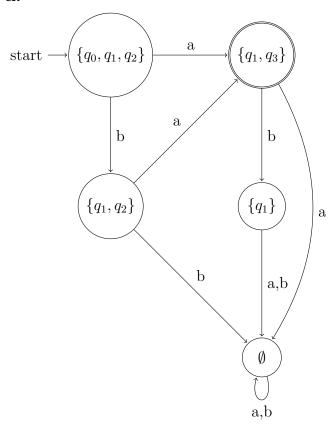
 $w_2$  is in L(N)

## Answer 4

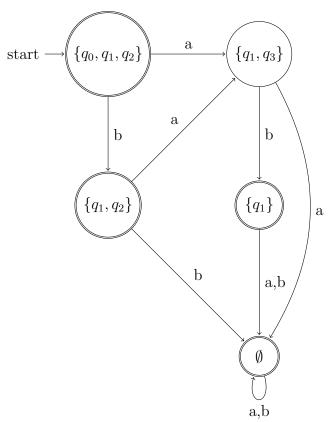
$$\operatorname{start} \longrightarrow \overbrace{q_0} \qquad \underbrace{(bab*bab*)*b((ab*b) \cup (e \cup ab*b)a*b)*(ab*) \cup (ab*b \cup e)a*} \qquad q_3$$

# Answer 5

a.



b.



### Answer 6

### Answer 7

#### a.

Let w = aabbaa, which the number of a's is 4.

If we choose x = aa, y = bba, z = a, it becomes,  $xy^iz = aa(bba)^ia$ 

Let  $i=2, xy^2z=aabbabbaa$ , the number of a's is 5 which does not meet the rule. Furthermore, the language cannot be a regular language