

Automatic Machine Learning (AutoML): A Tutorial

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Slides available at automl.org/events -> AutoML Tutorial
(all references are clickable links)

Motivation: Successes of Deep Learning

Speech recognition



Computer vision in self-driving cars

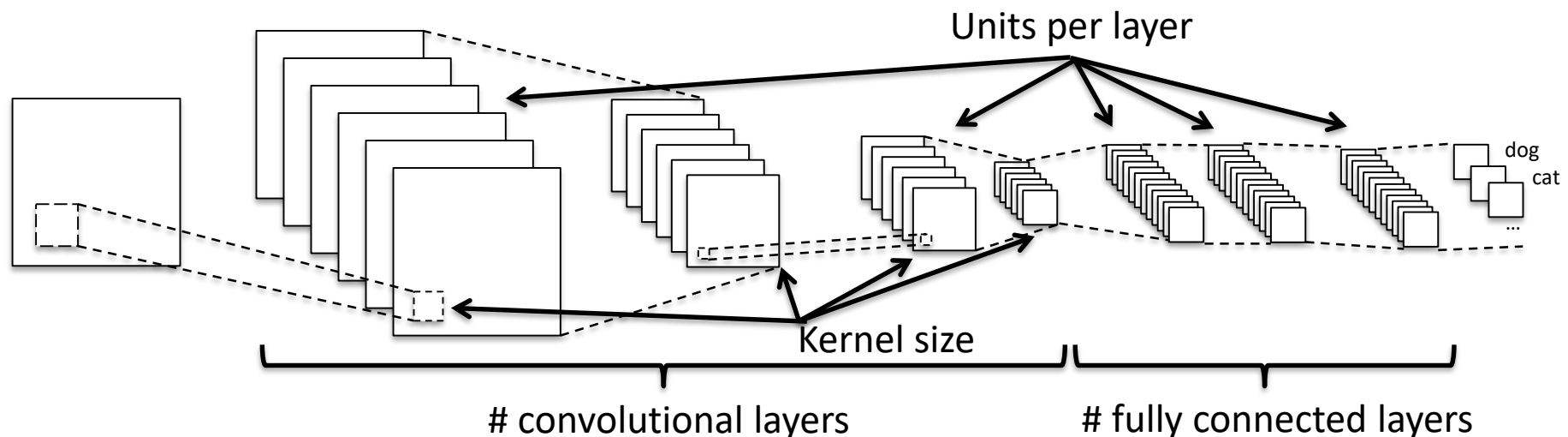


Reasoning in games

One Problem of Deep Learning

Performance is very **sensitive** to **many hyperparameters**

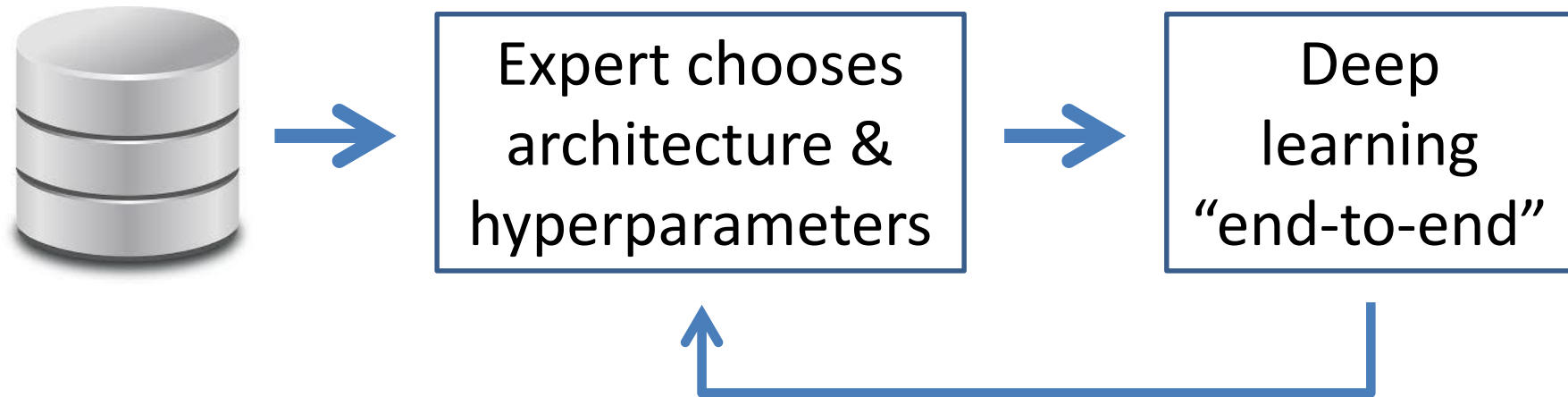
- Architectural hyperparameters



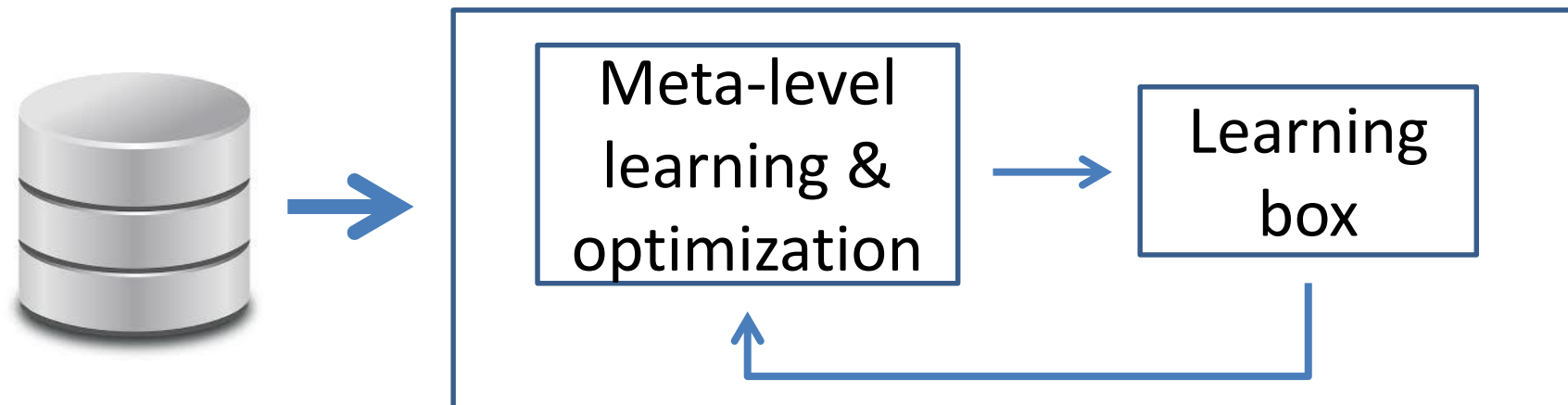
- Optimization algorithm, learning rates, momentum, batch normalization, batch sizes, dropout rates, weight decay, data augmentation, ...

→ **Easily 20-50 design decisions**

Current deep learning practice



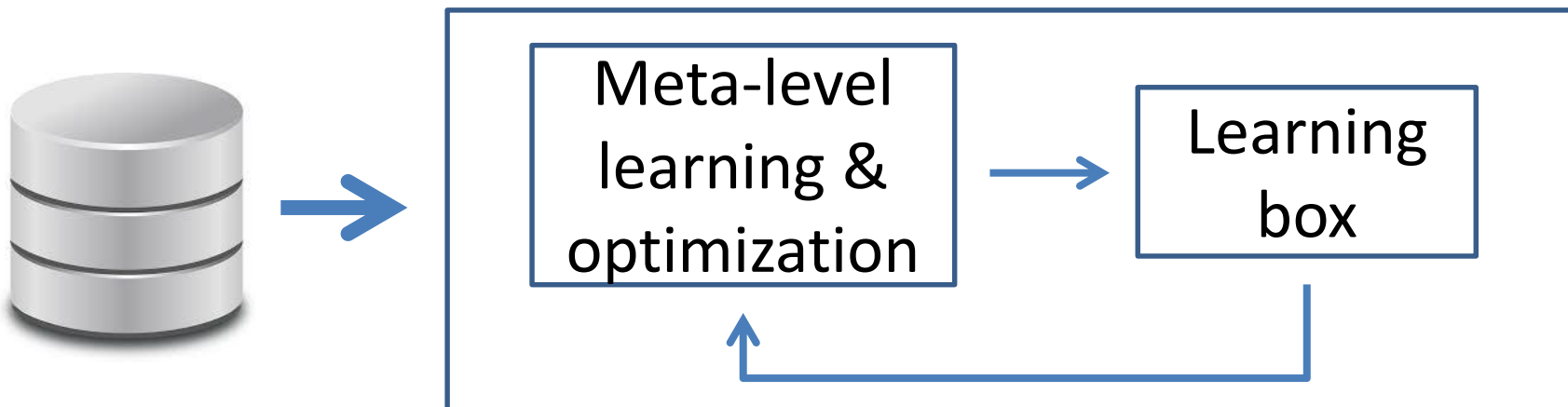
AutoML: true end-to-end learning



Learning box is not restricted to deep learning

- Traditional machine learning pipeline:
 - Clean & preprocess the data
 - Select / engineer better features
 - Select a model family
 - Set the hyperparameters
 - Construct ensembles of models
 - ...

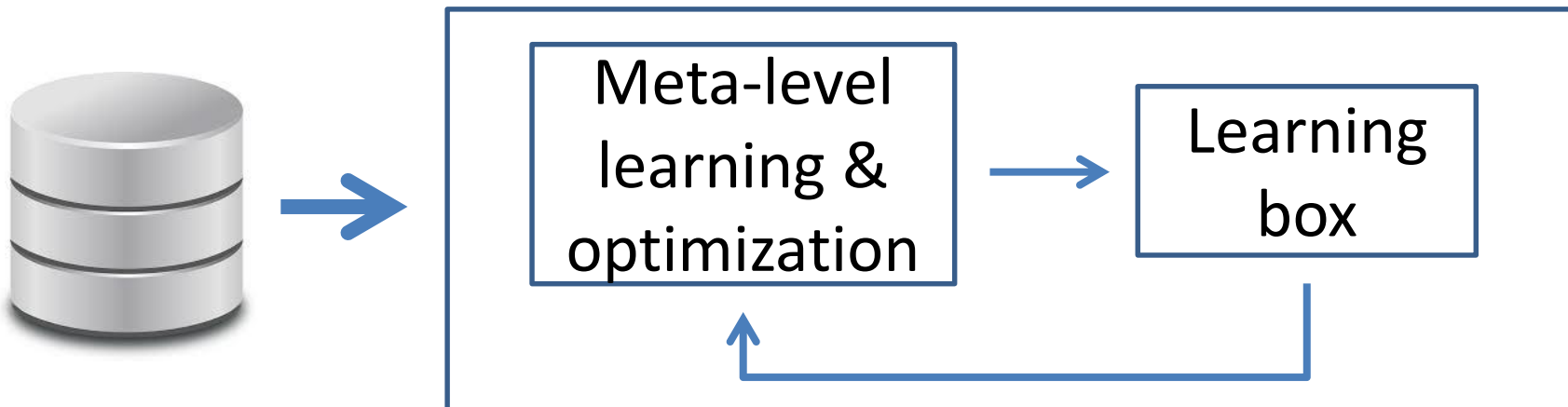
AutoML: true end-to-end learning



1. Modern Hyperparameter Optimization
2. Neural Architecture Search
3. Meta Learning

For more details, see: automl.org/book

AutoML: true end-to-end learning



1. Modern Hyperparameter Optimization

- AutoML as Hyperparameter Optimization
- Blackbox Optimization
- Beyond Blackbox Optimization



Based on: Feurer & Hutter: Chapter 1 of the AutoML book: Hyperparameter Optimization

2. Neural Architecture Search

- Search Space Design
- Blackbox Optimization
- Beyond Blackbox Optimization

Definition: Hyperparameter Optimization (HPO)

Let

- λ be the hyperparameters of a ML algorithm A with domain Λ ,
- $\mathcal{L}(A_\lambda, D_{train}, D_{valid})$ denote the loss of A , using hyperparameters λ trained on D_{train} and evaluated on D_{valid} .

The **hyperparameter optimization (HPO)** problem is to find a hyperparameter configuration λ^* that minimizes this loss:

$$\lambda^* \in \arg \min_{\lambda \in \Lambda} \mathcal{L}(A_\lambda, D_{train}, D_{valid})$$



Types of Hyperparameters

- Continuous
 - Example: learning rate
- Integer
 - Example: #units
- Categorical
 - Finite domain, unordered
 - Example 1: algo $\in \{\text{SVM, RF, NN}\}$
 - Example 2: activation function $\in \{\text{ReLU, Leaky ReLU, tanh}\}$
 - Example 3: operator $\in \{\text{conv3x3, separable conv3x3, max pool, ...}\}$
 - Special case: binary

- **Conditional hyperparameters** B are only active if other hyperparameters A are set a certain way
 - Example 1:
 - A = choice of optimizer (Adam or SGD)
 - B = Adam's second momentum hyperparameter (only active if A=Adam)
 - Example 2:
 - A = type of layer k (convolution, max pooling, fully connected, ...)
 - B = conv. kernel size of that layer (only active if A = convolution)
 - Example 3:
 - A = choice of classifier (RF or SVM)
 - B = SVM's kernel parameter (only active if A = SVM)



AutoML as Hyperparameter Optimization

Definition: Combined Algorithm Selection and Hyperparameter Optimization (CASH)

Let

- $\mathcal{A} = \{A^{(1)}, \dots, A^{(n)}\}$ be a set of algorithms
- $\Lambda^{(i)}$ denote the hyperparameter space of $A^{(i)}$, for $i = 1, \dots, n$
- $\mathcal{L}(A_{\lambda}^{(i)}, D_{train}, D_{valid})$ denote the loss of $A^{(i)}$, using $\lambda \in \Lambda^{(i)}$ trained on D_{train} and evaluated on D_{valid} .

The Combined Algorithm Selection and Hyperparameter Optimization (CASH) problem is to find a combination of algorithm $A^* = A^{(i)}$ and hyperparameter configuration $\lambda^* \in \Lambda^{(i)}$ that minimizes this loss:

$$A_{\lambda^*}^* \in \arg \min_{A^{(i)} \in \mathcal{A}, \lambda \in \Lambda^{(i)}} \mathcal{L}(A_{\lambda}^{(i)}, D_{train}, D_{valid})$$

- Simply a HPO problem with a top-level hyperparameter (choice of algorithm) that all other hyperparameters are conditional on
- E.g., Auto-WEKA: 768 hyperparameters, 4 levels of conditionality