## LATEX mathmode for linguists (and others)

GREEK LETTERS

character	code	character	code
A	A	α	\$\alpha\$
В	В	β	\$\beta\$
Γ	\$\Gamma\$	γ	\$\Gamma\$
Δ	\$\Delta\$	δ	\$\delta\$
E	E	$\epsilon$	\$\epsilon\$
		ε	<pre>\$\varepsilon\$</pre>
Z	Z	ζ	\$\zeta\$
H	Н	$\eta$	\$\eta\$
Θ	\$\Theta\$	θ	\$\theta\$
		$\vartheta$	<pre>\$\vartheta\$</pre>
I	I	ι	\$\iota\$
K	K	κ	\$\kappa\$
Λ	\$\Lambda\$	λ	\$\lambda\$
M	M	$\mu$	\$\mu\$
N	N	ν	\$\nu\$
Ξ	\$\Xi\$	ξ	\$\xi\$
O	0	0	0
П	\$\Pi\$	$\pi$	\$\pi\$
		$\overline{\omega}$	<pre>\$\varpi\$</pre>
P	P	ρ	\$\rho\$
		$\varrho$	\$\varrho\$
Σ	\$\Sigma\$	σ	\$\sigma\$
		ς	<pre>\$\varsigma\$</pre>
T	T	$\tau$	\$\tau\$
Υ	\$\Upsilon\$	v	\$\upsilon\$
Φ	\$\Phi\$	φ	\$\phi\$
		$\varphi$	<pre>\$\varphi\$</pre>
X	Х	χ	\$\chi\$
Ψ	\$\Psi\$	$\psi$	\$\psi\$
Ω	\$\Omega\$	ω	\$\omega\$

ľ	MATHACC	ENTS
٢	character	code

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character	code	character	code
á	\$\acute{a}\$	<u>a</u>	\$\underline{a}\$
à	\$\grave{a}\$	$\overline{a}$	<pre>\$\overline{a}\$</pre>
ä	\$\ddot{a}\$	$\bar{a}$	\$\bar{a}\$
à	\$\dot{a}\$	$\vec{a}$	\$\vec{a}\$
ă	\$\check{a}\$	$\tilde{a}$	\$\tilde{a}\$
â	\$\hat{a}\$	ă	\$\breve{a}\$
$\overline{a}$	<pre>\$\overleftarrow{a}\$</pre>	$\overrightarrow{a}$	<pre>\$\overrightarrow{a}\$</pre>

NUMBER SETS

character	meaning	code
N	natural numbers	$\mathbb{N}^1$
$\mathbb{Z}$	integers	$\mathbb{Z}^1$
Q	rational numbers	$\mathbb{Q}^1$
$\mathbb{R}$	real numbers	\mathbb{R}1

ARITHMETIC OPERATORS

ARITHMET	TC OPERATORS	
character	meaning	code
a+b	addition	\$a+b\$
a-b	subtraction	\$-\$
a:b	division	\$a:b\$
a/b	(mostly fractions)	\$a/b\$
$a \div b$		\$a\div b\$
$\frac{a}{b}$		\$\frac{a}{b}\$
$a \mod b$	modulo	<pre>\$a\ \textrm{mod}\ b\$</pre>
$a \cdot b$	multiplication	\$a\cdot b\$
$a \times b$	(mostly no symbol)	\$a\times b\$
$a \pm b$	plus-minus character	\$a\pm b\$
$a \oplus b$	direct sum	\$a\oplus b\$
$a\otimes b$	tensor product	<pre>\$a\otimes b\$</pre>

EQUATION CHARACTERS

EGUATION	CHARACTERS	
character	meaning	code
a = b	equation	\$a=b\$
$a \neq b$	inequation	\$a\neq b\$
$a \equiv b$	identity	\$a\equiv b\$
$a \approx b$	approximation	\$a\approx b\$
$a \sim b$	proportionality, equivalence	\$a\sim b\$
a = b	corresponds to	<pre>\$a\widehat{=}b\$</pre>
A:B	A defined by $B$	\$A:B\$
A := B	A identical by definition $B$	\$A:=B\$

COMPARIS	ON	
character	meaning	code
a < b	less than	\$a <b\$< td=""></b\$<>
a > b	more than	\$a>b\$
$a \leq b$	less or equal	\$a\leq b\$
$a \ge b$	more or equal	\$a\geq b\$
$a \ll b$	much less than	\$a\11 b\$
$a \gg b$	much more than	\$a\gg b\$

RELATIONS AND FUNCTIONS

RELATION	S AND FUNCTIONS	
character	meaning	code
	absolute value	\$ a \$
$\sqrt{a}$	root	\$\sqrt{a}\$
$\sqrt[n]{a}$	n-th root	\$\sqrt[n]{a}\$
a%	percent	\$a\%\$
$\sum_{i=1}^{n} x_i$	sum	\$\sum\limits_{i=1}^{n}\$ x_i
$\prod_{i=1}^{n} x_i$	product	<pre>\$\prod\limits_{i=1}^{n}\$ x_i</pre>
$a_n \to a$	limit,	\$a_n\to a\$
	mapping (sets)	
$f: x \mapsto y$	mapping (elements)	<pre>\$f: x\mapsto y\$</pre>
$\infty$	infinity	<pre>\$\infty\$</pre>
$f \circ g$	chain of functions	<pre>\$f\circ g\$</pre>
$f^{-1}$	inverse function	\$f^{-1}\$
$a \prec b$	predecessor	<pre>\$a\prec b\$</pre>
$a \succ b$	successor	\$a\succ b\$
$R^+$	transitive closure	\$R^{+}\$
$R^*$	reflexive transitive closure	\$R^{*}\$
n!	factorial	\$n!\$
$\binom{n}{k}$	binomial coefficient	$\infty n$ {k}\$

BRACKETS

character	meaning	code	character	meaning	code	character	meaning	code
(a)	round	\$(a)\$	[a]	square (features)	\$[a]\$	{a}	curly (sets)	\$\{a\}\$
$\langle a \rangle$	angle	\$\langle a\rangle\$	[a]	double square (denotation)	\$\llbracket a\rrbracket\$ <sup>3</sup>	$\begin{bmatrix} a & b \\ c & d \end{bmatrix}$	big brackets	\$\left[\right]\$

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aban	т	

char.	code	char.	code	char.	code	char.	code
$\rightarrow$	\$\rightarrow\$	<b>←</b>	\$\leftarrow\$	$\leftrightarrow$	\$\leftrightarrow\$	$\mapsto$	\$\mapsto\$
$\longrightarrow$	\$\longrightarrow\$	←	\$\longleftarrow\$	$\longleftrightarrow$	\$\longleftrightarrow\$	$\longrightarrow$	\$\longmapsto\$
$\Rightarrow$	\$\Rightarrow\$	<b>(</b>	\$\Leftarrow\$	$\Leftrightarrow$	\$\Leftrightarrow\$	$\stackrel{\longleftarrow}{\Longrightarrow}$	$\$ leftrightarrows $^1$
$\Longrightarrow$	\$\Longrightarrow\$	<del>=</del>	\$\Longleftarrow\$	$\iff$	\$\Longleftrightarrow\$	$\sim$	$\$ leadsto $\$ 4
$\rightarrow$	\$\nrightarrow\$1	↔	nleftarrow	↔	$\n$ nleftrightarrow $^1$	$\sim$	$\c \c \$
<b>≠</b> >	\$\nRightarrow\$1	#	nLeftarrow	<b>⇔</b>	nLeftrightarrow	$\sim$	\$\curvearrowright\$1
$\uparrow$	\$\uparrow\$	<b>+</b>	\$\downarrow\$	<b>\$</b>	\$\updownarrow\$	Q	$\circlearrowleft$
1	\$\Uparrow\$	₩	\$\Downarrow\$	\$	\$\Updownarrow\$	Ö	$\circlearrowright$
7	\$\nearrow\$	_	\$\nwarrow\$	$\leftarrow$	\$\hookleftarrow\$	~~>	$\gamma^{1}$
×	\$\searrow\$	/	\$\swarrow\$	$\hookrightarrow$	\$\hookrightarrow\$	<b>↔</b>	$\$ leftrightsquigarrow $^1$
<b>→</b>	\$\dashrightarrow\$1	<b>+</b>	$\alpha$				

	MATRICES
ſ	ab a na at an

	character		code
	$(v_1,\ldots,v_n)$		\$(v_1, \dots, v_n)\$
	( )		<pre>\$\left(\begin{matrix}</pre>
	$\binom{v_1}{}$		v_1\\
			\vdots\\
			v_m
	$\langle v_m \rangle$		\end{matrix}\right)\$
Ì	1	\	<pre>\$\left(\begin{matrix}</pre>
	$\int_{0}^{v_{11}} \cdots$	$v_{1n}$	v_{11} & \dots & v_{1n}\\
	1 : •.	:	\vdots & \ddots & \vdots\\
	(".	. ]	v_{m1} & \dots & v_{mn}
	$\langle v_{m1} \dots \rangle$	$v_{mn}$	\end{matrix}\right)\$

SETS

SETS					
character	meaning	code			
Ø	empty set	<pre>\$\emptyset\$</pre>			
$\{a,b,c,\}$	list notation set	\$\{a,b,c,\}\$			
${a \mid T(a)}, {a : T(a)}$	property notation set	\$\{a\mid T(a)\}\$, \$\{a: T(a)\}\$			
$A \cup B$	union	\$A\cup B\$			
$\bigcup_{i=1}^{n} M_i$		<pre>\$\$\bigcup\limits_{i=1}^n M_i\$\$</pre>			
$A \cap B$	intersection	\$A\cap B\$			
$\bigcap_{i=1}^{n} M_i$	intersection	<pre>\$\bigcap\limits_{i=1}^n M_i\$</pre>			
$A \setminus B$	difference	\$A\setminus B\$			
$A \times B$	Cartesian product	\$A\times B\$			
Ā	complement	\$\bar{A}\$			
$\mathcal{P}(A)$	power set	<pre>\$\mathcal{P}(A)\$</pre>			
$a \in A, a \not\in A$	(not) in	<pre>\$a\in A\$, \$a\not\in A\$</pre>			
$A \ni a, A \not\ni a$	(does not) contain	\$A\ni a\$, \$A\not\ni a\$			
$A \subset B, A \not\subset B$	(no) true subset of	\$A\subset B\$,			
		\$A\not\subset B\$			
$A\supset B,\ A\not\supset B$	(no) true superset of	\$A\supset B\$,			
		<pre>\$A\not\supset B\$</pre>			
$A \subseteq B, A \not\subseteq B$	(no) subset of	\$A\subseteq B\$,			
		\$A\not\subseteq B\$			
$A \supseteq B, A \not\supseteq B$	(no) superset of	\$A\supseteq B\$,			
		\$A\not\supseteq B\$			

character	meaning	code
Ø	empty set	\$\emptyset\$
$A \wedge B$	conjunction	\$A\land B\$
$A \vee B$	disjunction	\$A\lor B\$
$A \leftrightarrow B$	log. equivalence	\$A\leftrightarrow B\$
$A \to B$	implication	\$A\rightarrow B\$
$\neg A$	negation	\$\lnot A\$
$\forall x$	universal quantifier	<pre>\$\forall x\$</pre>
$\exists x$	existential quantifier	<pre>\$\exists x\$</pre>
$A \vdash B$	derivability relation	\$A\vdash B\$
$A \models B$	illation	\$A\models B\$
$A\top$	tautology	\$A\top\$
$A\bot$	contradiction	\$A\bot\$
A : B	deduction $(A \text{ therefore } B)$	$A\$
A :: B	deduction (A because B)	\$A\because B\$ <sup>1</sup>
■, □	q.e.d.	\$\blacksquare\$1, \$\Box\$
$\Diamond A$	possibly	\$\lozenge\$2
$\Box A$	necessarily	\$\square\$ <sup>2</sup>

 $<sup>^{1}</sup>$ Requires package amssymb.  $^{2}$ Requires package amsmath.  $^{3}$ Requires package stmaryrd.  $^{4}$ Requires package latexsym.