

# CSC358H5: Principles of Computer Networking — Winter 2025

## Worksheet 4: Error Detection and Correction, MAC Approaches, Ethernet Collision Recovery, Ethernet Protocols Field

### Q0 Knowledge Check (from Week 04 Lecture)

**0.a (Hamming Distance Between Two Binary Strings)** Find the Hamming distance between the two codewords 00001010 and 01000110.

**0.b (Hamming Distance of A Coding Scheme)** Consider the  $(8, 7)$  coding which appends a parity bit to each 7-bits, i.e., if  $(d_1, d_2, d_3, d_4, d_5, d_6, d_7)$  is the message, then it calculates the parity bit as  $p_1 = d_1 \oplus d_2 \oplus d_3 \oplus d_4 \oplus d_5 \oplus d_6 \oplus d_7$  and the final 8-bit codeword is  $(d_1, d_2, d_3, d_4, d_5, d_6, d_7, p_1)$ . Find the Hamming distance of this coding scheme.

**0.c (Hamming Theorem)** Fill in the blanks:

**Hamming Theorem:** Let  $d$  be the Hamming distance of a coding scheme. The coding scheme can detect up to any \_\_\_\_ bits of error and correct up to any \_\_\_\_ bits of error.

**0.d (True/False)** It is more difficult to detect collision in shared wired LANs compared to shared wireless LANs. ☐ True ☐ False

**0.e (Medium Access Control)** In lecture, we studied three Medium Access Control (MAC) approaches to share a broadcast medium. Explain these three approaches and name some examples for each of these approaches.

**Q1** Consider the Ethernet frame fields. For each field, name the task that it is needed for. Choose from the following list of tasks:

- (i) Get the frame to the destination and get responses back to source
- (ii) Tell host what to do with the frame once arrived
- (iii) Indicates the length of the data field
- (iv) Carries the actual data being transmitted
- (v) Synchronization
- (vi) Ensures a minimum frame size of 64 bytes
- (vii) Signals the start of the actual frame

Field	Task
Preamble	
Start Frame Delimiter (SFD)	
MAC addresses	
Length / Type	
Data	
Padding	
Frame Check Sequence (FCS)	

**Q2 (Internet Checksum as  $(N, K)$  Block Coding)** In this problem, we define a  $(N, K)$  coding scheme, named *CSC358 block coding*, which relies on the Internet Checksum. *CSC358 block coding* transforms any 10-byte message into a codeword by appending its Internet Checksum to the end of the original message.

**2.a** Specify the value of  $N$  and  $K$  for this  $(N, K)$  coding scheme, i.e., CSC358 block coding.

$N =$

$K =$

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**2.b** What is the Hamming distance of this coding scheme? Justify your answer.

**Q3 (Ethernet Collision and Backoff)** Suppose Hosts  $A$  and  $B$  share the same Ethernet link to send their frames. Assume that they have unlimited number of frames to send. Suppose that  $A$  and  $B$  attempt to send their frames at the same time and as a result, there will be a collision detected by both. Assume that this is the first detected collision for their frames. Thus,  $A$  and  $B$  should select a backoff time uniformly at random from  $0 \times T$  and  $1 \times T$ , where  $T = 51.2 \mu s$  is the Slot Time. Assume that  $A$  selects  $0$  and  $B$  selects  $1 \times T$  for backoff. Thus,  $A$  wins and sends the frame while  $B$  is waiting. Assume that the transmission delay of  $A$  and  $B$ 's frames are equal to  $T$ .

**3.a** When  $A$  is done with sending its frame, both  $A$  and  $B$  tries to transmit again and there will be a collision. Thus,  $A$  selects timeout randomly from  $0$  and  $T$ , and  $B$  selects from  $0, T, 2T$ , or  $3T$ . Find Probability of  $A$  winning this and transmit before  $B$ .

**3.b** Suppose  $A$  wins the second round (*i.e.*, the round in part **3.a**). When  $A$  is done with sending its frame, both  $A$  and  $B$  tries to transmit again and there will be a collision. Find the probability of  $A$  winning third round and transmit before  $B$ .

**3.c** Assume the same procedure repeats, *i.e.*,  $A$  wins the  $k^{\text{th}}$  round and sends its frame, and then both  $A$  and  $B$  tries to transmit again and there will be a collision. Find the probability of  $A$  winning the  $(k + 1)^{\text{th}}$  round and transmit before  $B$ , in terms of  $k$ . Show that this probability is larger than  $1 - \frac{1}{2^k}$ .

**3.d** Find the probability of  $A$  winning every round after the third round.