

Z-test

$Z < \alpha \rightarrow H_0$   
else  $\rightarrow H_a$

$\checkmark H_0 \rightarrow$  Sample mean = popul. mean

$H_a \rightarrow$  "  $\neq$  "

$$Z = \frac{x - \mu}{\text{std dev of popul.}} \rightarrow \frac{0}{\sqrt{n}}$$

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T-test |  $x \rightarrow$  mean of sample

$$\hookrightarrow x_1 = x_2$$

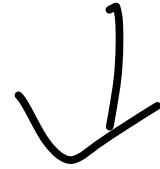
[popul  $\rightarrow$  mean, std. dev]  $\rightarrow x$

$$t = \frac{x_1 - x_2}{std_1 + std_2}$$



3 versions of T-test :

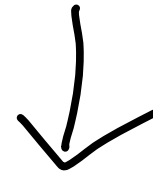
① Independent sample



compares

2 groups' mean

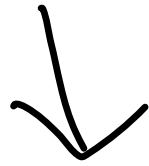
② Paired sample



Compares mean of

same group

③ One-sample T-test



mean of a single

group against a known  
-mean.



# Chi-Square Test



<u>Category</u>	<u>Frequency</u>	<u>Total</u>
		$\sum$

categorical variables

$H_0 \rightarrow A, B$  independent

$H_a \rightarrow A, B$  dependent

$$\chi^2 = \sum \frac{(O_i - E_i)^2}{E_i}$$

$O$  = observed value

$E$  = Expected value

ANOVA → analysis of variance  
→ Compare  
3+ samples

$H_0$  → All pairs of samples  
same

$H_a$  → at least one pair  
is significantly different

$$F = \frac{SSE_1 - SSE_2}{m} \div \frac{SSE_2}{n-k}$$

$SSE$  = residual sum of square

$m$  = number of restrictions

$k$  = # indep. variables

3

Categorical Input variables      Numerical

Output variable

cat | Num

chi

# groups

2 | 3+

param

Non-1

# output variables

T-test

Sign /

Wilcoxon

1 | Non | 2+

Pa | ANOVA | ANOVA

Output

Cat | Num

Logistic

# out var

1 | 2+

Simple mult

