

Lecture 21

Markets, Mechanisms and Machines

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Economics of Information

- Approach in Economics: study choices of individuals in “product space” or “space of commodities”
- Could treat information as commodity
 - Determine its value for consumers and producers
 - Construct demand and supply
 - Study market for information
- Characteristic feature of information: symmetric availability of information has significant effect on market outcomes

Economics of Information



'Why' is what separates us from them, you from me. 'Why' is the only real social power, without it you are powerless. And this is how you come to me, without 'why,' without power.

Economics of Information

- Information has both properties of “standard” commodities and has unique features
- Commodity properties
 - Can measure stock of information (accumulated knowledge; e.g. Wikipedia) and flow of information (incremental changes in the knowledge; e.g. edits to Wikipedia article)
- Unique properties
 - Information can be shared, but cannot be simply moved between parties (need a concept of “forgetting”)
 - Information can be altered or deliberately misrepresented

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Value of Information

- Information impacts quality of decisions under uncertainty
- Can measure its value by utility gains from better decisions
- Simple model: S states, $s = 1, 2, \dots, S$ with
- Probability distribution of state realization $\mathbf{P} = \{p_s\}$
- Consumer can take actions $a \in A$
- Utility outcome is function of state and action: $u(a,s)$ (ex post utility)
- Ex ante utility $EU(a, \mathbf{P}) = \sum_s p_s u(a,s)$

Value of Information

- Contrasts ex ante utility with ex post utility
- Ex post: choose $a_s = \operatorname{argmax}_{a \in A} u(a, s)$
- Ex ante: choose $a^* = \operatorname{argmax}_{a \in A} EU(a, P)$
- Given that $\sum_s p_s \max_{a \in A} u(a, s) \geq \max_{a \in A} \sum_s p_s u(a, s)$,
ex post utility maximization always yields higher utility
- Difference is value of information service
 - Maximum willingness to pay to intermediary to eliminate uncertainty
 - Similarly analyze value of improving information

Value of Information

- Can relate to financial risk hedging with options
 - Pay to postpone risky decisions until after realization of uncertainty
- Simple model: investment I in asset with return $R(s)$, monotone in s with density of distribution of s , $f(s)$ with support on $[0,1]$
- Assume that $R(0) < I < R(1)$, but $\int R(s)f(s)ds > I$
 - There is a risk to loose investment
 - However, for risk-neutral player it is optimal to invest

Value of Information

- Expected profit from investment is $\int [R(s) - I]f(s)ds >$
- An option, is a contract that allows to buy asset only when return above a given threshold
- What is the value V of such contract?
 - There is threshold state s^* for exercising option
 - If investor's utility from "money" is u then expected utility from unhedged investment is $\int u(R(s) - I)f(s)ds$
 - Expected utility from hedged investment is
$$\int u(R(s) - V)f(s)ds + u(I-V)F(s^*) = \int u(R(s) - I)f(s)ds$$
 - s^* A risk-neutral investor hedges with $R(s^*)=I$

Types of “Information Environments”

- Verifiable information: can be demonstrated to outsiders according to an accepted standard of evidence or proof.
 - Recall: we can use cryptography to verify information
 - Contractable
- Observable information: can be seen by all parties of transaction but may not be provable to external observers
 - Can only rely on incentives to enforce actions based on this information
- Private information: known only to one party in transaction
 - Explicitly kept secret and requires formation of beliefs
 - Recall: auctions

Asymmetry of information

- Ex ante asymmetry vs asymmetry arising during transaction
- Adverse selection: ex ante asymmetry
 - Individuals have private types that “principal” (insurer, employer) does not observe
- Moral hazard: asymmetry during transaction
 - Individuals have private actions (e.g. effort) that principal does not observe
- Typically consider contract between principal and agent
 - Principal designs contract to optimize her objective
 - Agent chooses actions that optimize her utility subject to constraints of contract

Control of information

- Unique property of information is difficulty to transfer it entirely from one individual to another (instead of sharing)
- Control over information sharing is linked with concept of privacy
 - Not sharing enough information prohibits optimal allocation and leads to welfare loss
 - Sharing “too much” information may allow price discrimination (or other worse forms of discrimination)
- Privacy protection trade-offs costs and benefits of information asymmetry

Control of information

- Spence (1973): “The lemon market”
 - To avoid market collapse individuals may engage in costly “signaling” to reveal their type
- Gottlieb and Smetters (2011): 9 out of 15 top MBA programs in the US do not disclose student grades to employers
- Simple model: Ability of MBA student $\theta \in [0,1]$ produces grade g with effort cost g/θ
- When student graduates θ is her productivity at work
- With public grades, offered wage will depend on g
- When grades are not public, employers have to pay the same wage to all MBA graduates

Control of information

- Utility of graduate

$$U(w, g, \theta) = w - g/\theta$$

- Profit of the firm is $\theta - w$
- Assume that θ takes values on $[0,1]$
- This principal-agent setting of a sequential game:
 1. MBA graduate makes decision to exert effort by choosing g
 2. Firms make competitive offers w
 3. MBA graduate accepts or rejects it

Control of information

- Find grade-dependent wage $w(g)$
 - MBA student chooses effort (expressed in grade g) to maximize utility $U(w(g), g, \theta)$ with respect to
 - FOC: $w'(g)=1/\theta$, which implicitly defines $g(\theta)$
 - Firms make competitive offers $w(g)$
 - Since firms know $w(g)$, they know mapping $g(\theta)$
 - Thus firm can infer θ from observing grade g
 - Competitive offer is then $w=\theta$
 - This means that $w(g)=\theta=1/w'(g)$
 - Solve differential equation to get

$$w(g) = (2g)^{1/2} \text{ (calibration } w(0) = 0\text{)}$$

Control of information

Ensure separating equilibria

- Students with different abilities choose different effort
- In this equilibrium $g^*(\theta) = \theta^2/2$ (students with higher ability earn higher grades)
- Equilibrium payment $w^*(g) = \theta$ and utility $U^*(\theta) = \theta/2$
- In “grade privacy” regime firms offer uniform wage $w_U = E[\theta]$
- Grade privacy is optimal if $U^*(\theta) < E[\theta]$, i.e. $E[\theta] > 1/2$
 - MBA students have to be “selectively smart”