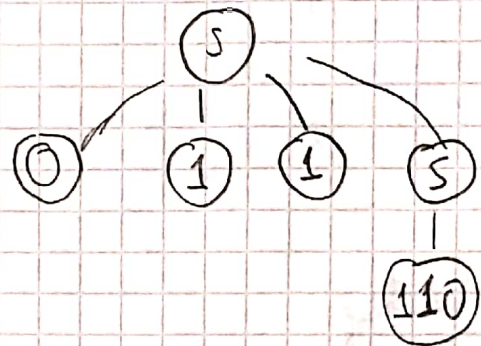
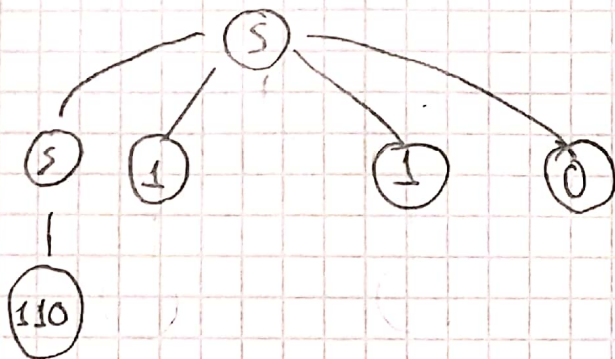


Q1-)  $0^m 1^n \mid 0 < m < n$

$S \Rightarrow S1101011S \mid \epsilon \mid 110$



Eğer biz 110110 yapmak istersek bunu sadece tek taraftan yapabiliyoruz. Bu yüzden "ambiguous" değildir.

Q2-)  $E * E \rightarrow 11 * E \rightarrow 1a1 * E \rightarrow aa1 * E \rightarrow aa1 * (E)$

$\rightarrow aa1 * (10) \rightarrow aa1 * (100) \rightarrow \underline{aa1 * (b00)} \rightarrow \underline{Left}$

•  $E * E \rightarrow E * (E) \rightarrow E * (10) \rightarrow E * (100) \rightarrow E * (b00)$

$\rightarrow 11 * (b00) \rightarrow 1a1 * (b00) \rightarrow \underline{aa1 * (b00)} \rightarrow \underline{Right}$

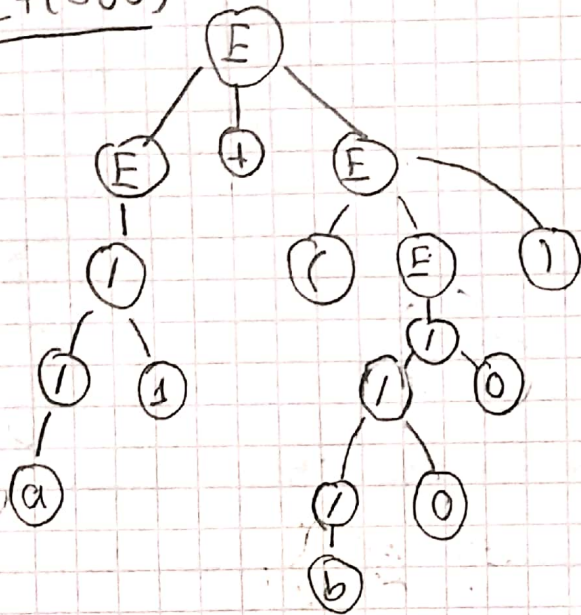
•  $E + E \rightarrow (E) + E \rightarrow (11) + E \rightarrow (b1) + E \rightarrow (b1) + E * E \rightarrow$

$(b1) + (E) * E \rightarrow (b1) + (10) * E \rightarrow (b1) + (110) * E \rightarrow (b1) + (a10) * E$   
 $\rightarrow \underline{(b1) + (a10) * b} \rightarrow \underline{Left}$

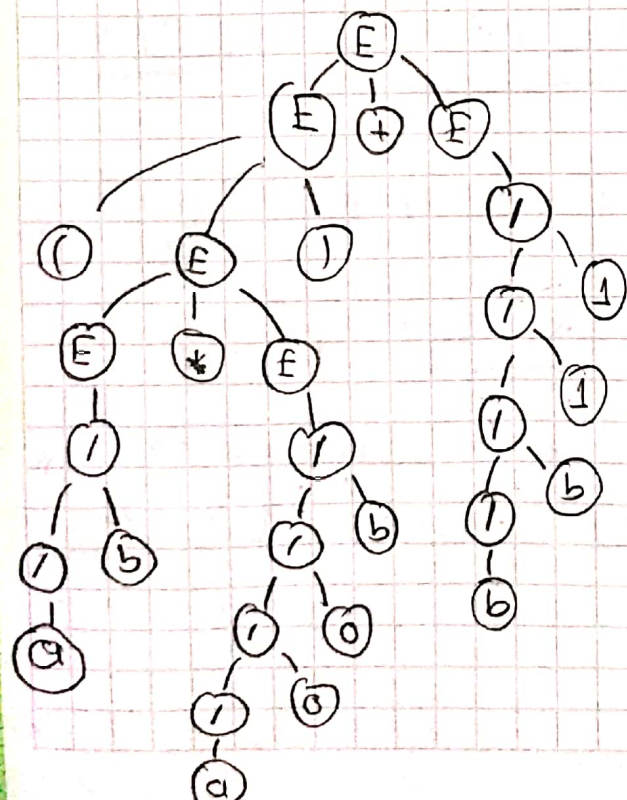


$E \rightarrow E \wedge E \rightarrow E * b \rightarrow E + E * b \rightarrow E + (E) * b$   
 $\rightarrow E + (/0) * b \rightarrow E + (/10) * b \rightarrow E + (a10) * b \rightarrow (E) + (a10) * b$   
 $\rightarrow (/1) + (a10) * b \rightarrow (b1) + (a10) * b \rightarrow \underline{\underline{Right}}$

$a1 + (b00)$

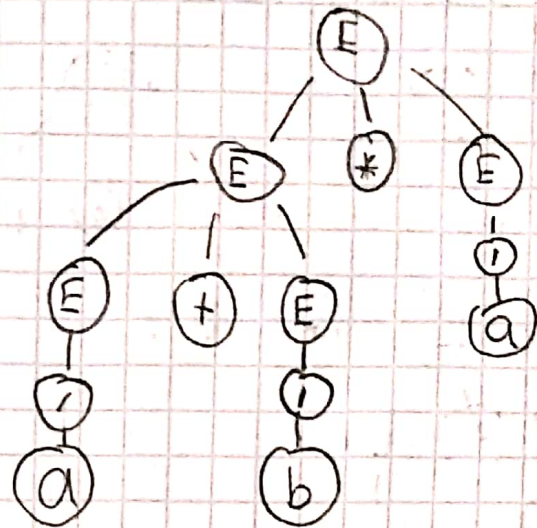
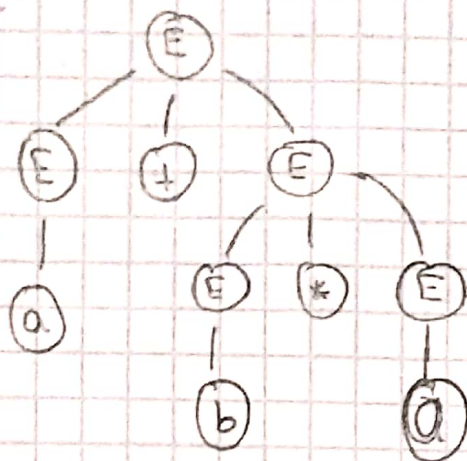


$(ab * a00b) + bb11$

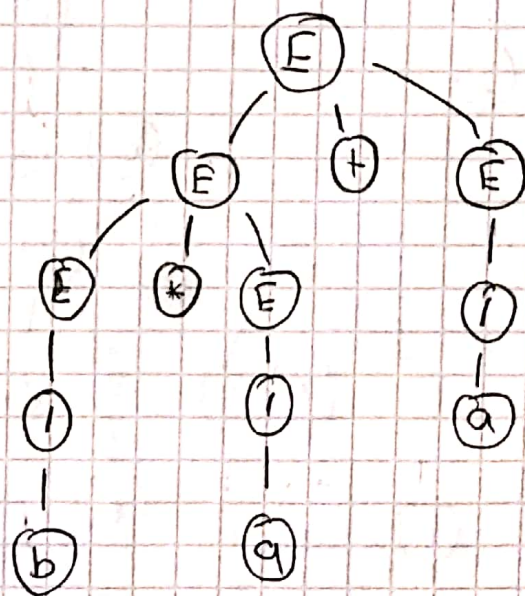
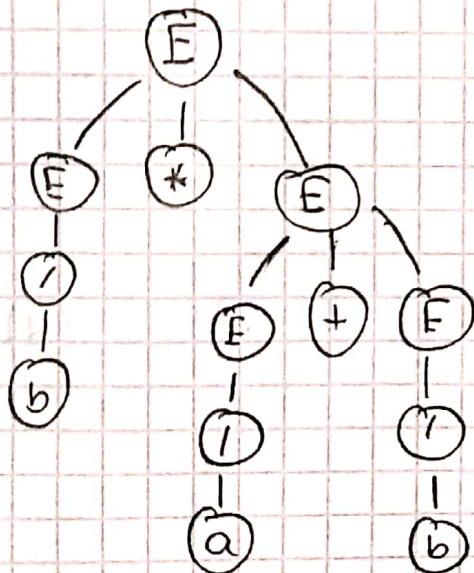




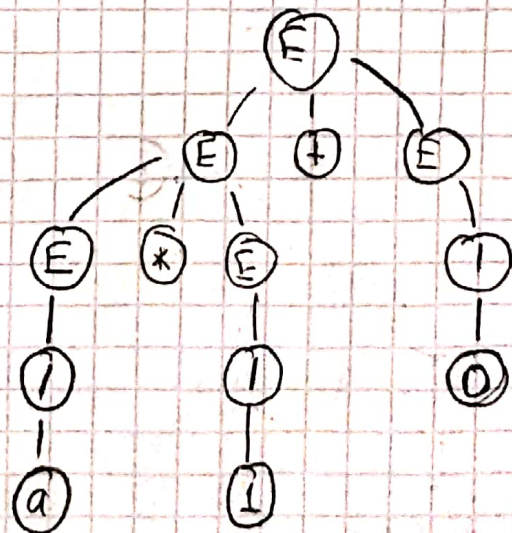
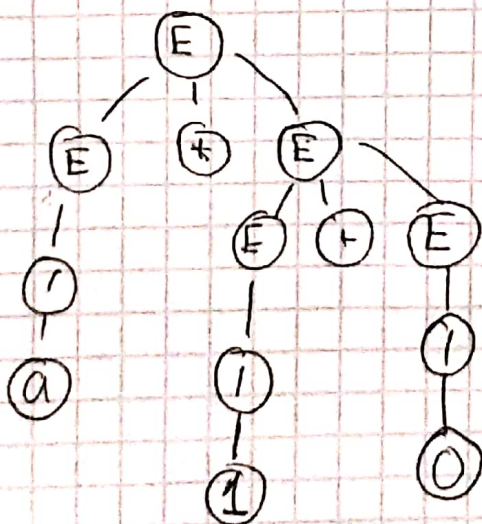
Q3  $\rightarrow a + b * a$



$b * a + b$

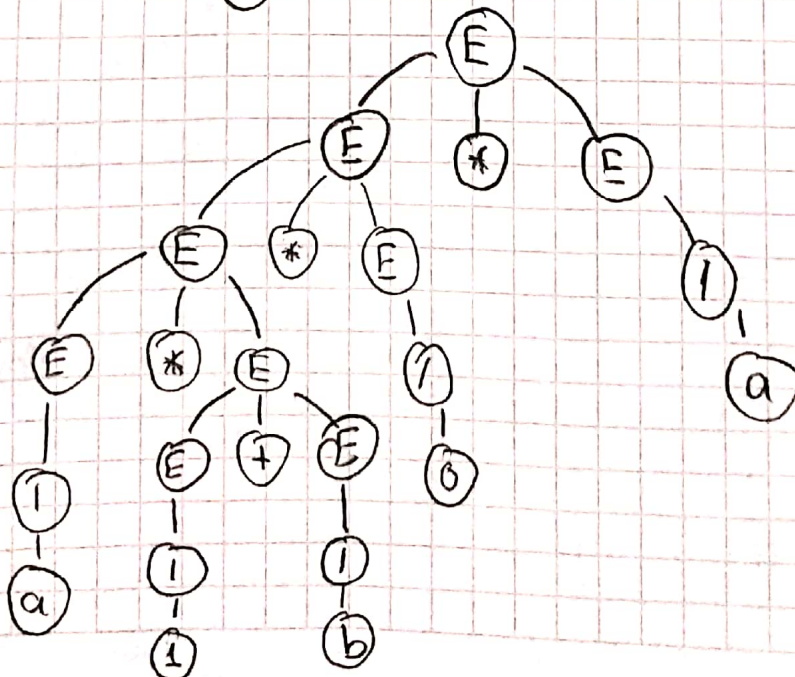
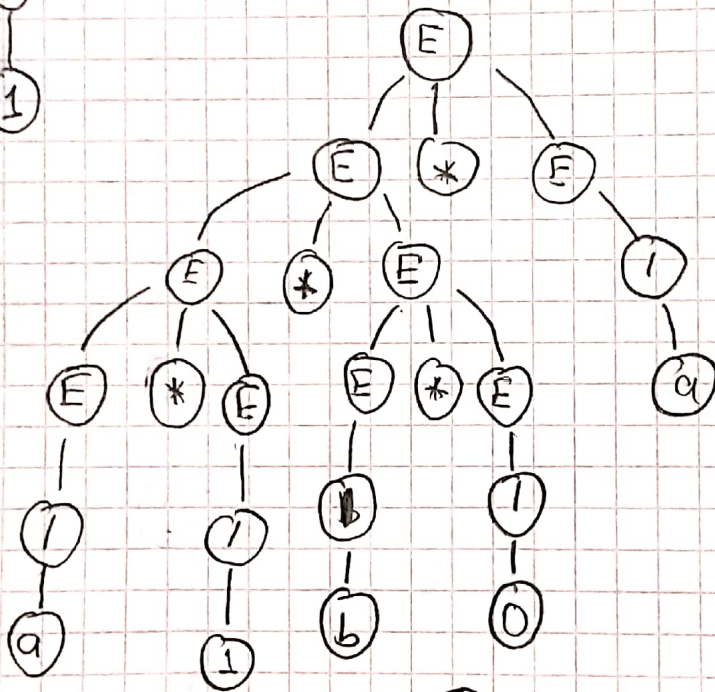
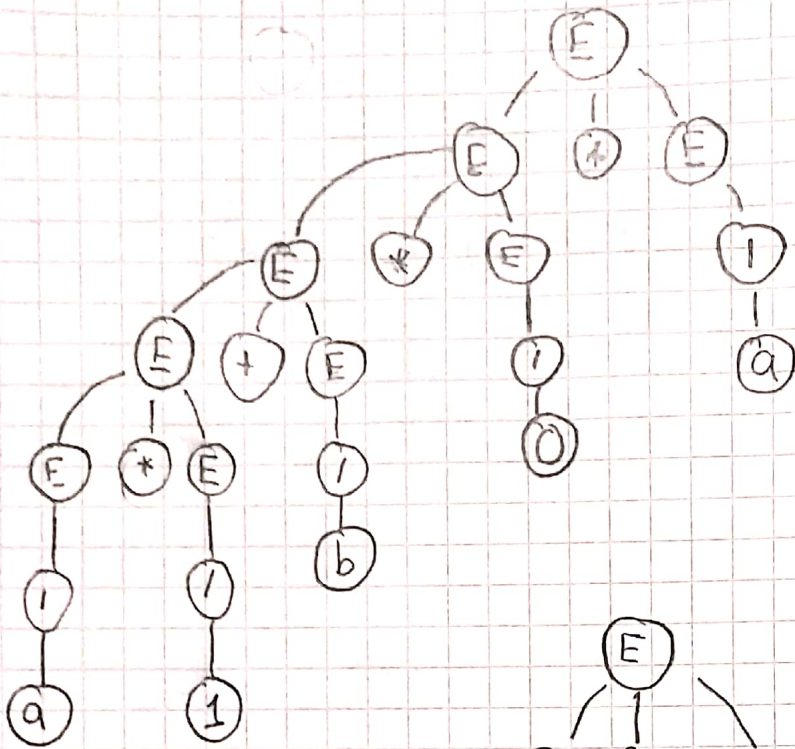


$a * 1 + 0$





①  $\rightarrow a * 1 + b * 0 * a$



Q5  $\rightarrow L \rightarrow 0, 1$

•  $1(01)^*1 + 1 \rightarrow RE$

$G = (V, T, P, S)$

$T = 0, 1$  ,

$S = S$

$V = S$

$P = S \rightarrow 1, S \rightarrow 0, S \rightarrow 1S1, S \rightarrow \epsilon, S \rightarrow \delta 1, S \rightarrow S0$

